vestigates a formula geometrically, to express the ellipticity in terms of such difference; and thus by accurate observations of Foucault's pendulum in different parts of the earth, he conceives the ellipticity might be determined.

As an instance, he cites Foucault's result for the latitude of Paris ; which differs by a small amount from the formula, and which he considers accordingly to express the ellipticity, though he does not calculate it.
2. "On the Extension of the value of the Base of Napier's Logarithms; of the Napierian Logarithms of 2, 3, 5, and 10 ; and of the Modulus of Briggs's, or the Common System of Logarithms ; all to 205 places of decimals." By William Shanks, Esq. Communicated by G. B. Airy, Esq., Astronomer Royal, F.R.S. \&c. Received January 21, 1854.

The author, after referring to the value of $\pi$ to 527 decimals computed by him and printed in the 'Proceedings,' for January 20, 1853, states that he has very recently extended and computed the values which form the subject of this communication to 205 places of decimals; and as very great care has been taken to exclude error, it is presumed there exist reasonable grounds for pronouncing them quite accurate. At the same time it should be distinctly understood, that no direct check or proof has yet been applied to the values in question. He states that the formulæ employed in finding these logarithms, are investigated by Mr. J. R. Young, in his 'Elementary Essay on the Computation of Logarithms,' pp. 13 and 14, and he considers that no better formulæ than these have yet been published for readily computing, to a great extent, the Napierian logarithms of $2,3,5,7, \& c$.

Subjoined are the values referred to :-

| Base of Napier's Logarithms = |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $2 \cdot 7182818$ | 2845904 | 5235360 | 2874713 | 5266249 |
| 7757247 | 0936999 | $595749^{6}$ | 6967627 | 7240766 |
| 3035354 | 759457 1 | 3821785 | 2516642 | 7427466 |
| 3919320 | 0305992 | 1817413 | 5966290 | $435729^{\circ}$ |
| 0334295 | 2605956 | 3073813 | 2328627 | 9434907 |
| 6323382 | 9880748 | 2070767 | 3049394 | $92+8 c$. |
| Napierian Logarithm of $2=$ |  |  |  |  |
| . 6931471 | 8055994 | 5309417 | 2321214 | 5817656 |
| 8075500 | 1343602 | 5525412 | 0679523 | 584.7083 |
| 2754439 | 2266635 | 5206804 | 5602137 | 0371911 |
| 8226310 | 4298719 | 4582110 | 0448886 | 1731607 |
| 5101002 | 4259177 | 6434321 | 7424545 | 3493150 |
| 3980048 | 7339123 | 6947695 | 8281006 | $80+8 c$. |
| Napierian Logarithm of $3=$ |  |  |  |  |
| $1 \cdot 0986122$ | 8866810 | 9691395 | 2452369 | 2252570 |
| 4647490 | 5578227 | 4945173 | 4693570 | 066703 I |
| 1626456 | 2261348 | 7915959 | 6453630 | 4663543 |
| 4230252 | 7148232 | 3776931 | 0688498 | 5615669 |
| O906550 | 5814573 | 8582278 | 9682167 | 2037498 |
| 0000626 | 1111154 | 1362298 | 9315024 | $24+88 \mathrm{c}$. |


| Napierian Logarithm of $5=$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 1.6094379 | 1243410 | 0374600 | 7593332 | 2678763 |
| 9525601 | 3542685 | 1772191 | 2646780 | 8257554 |
| 5759268 | -738412 | 2.078288 | 5798574 | 2982618 |
| 5124179 | 8082338 | $\pm 773353$ | 3644800 | 7450601 |
| 6314333 | 5570584 | 1878074 | 7874564 |  |
| 3804931 | O408586 | 1451680 | 3463508 | $54+8 \mathrm{c}$. |
| Napierian Logarithm of $10=$ |  |  |  |  |
| 2.3025850 | 92994.04 | 5684017 | 9914546 | 8436420 |
| 7601101 | 4886287 | 7297603 | 3326304 | 4104637 |
| 8513707 | 3005047 | 7285093 | . 400711 | 3354530 |
| 33504.1 | 2381057 | 6355463 | 4093686 | 9182209 |
| 1415335 | 982976 | 8312394 | 5299109 | 9105717 |
| 7784979 | 7747709 | 8399376 | 1744515 | $35+\& \mathrm{c}$. |

Modulus of Common System of Logarithms $=$

|  | 4342944 | 8190325 | 1827651 | 1289189 |
| :--- | :--- | :--- | :--- | :--- |
| 2294397 | 0058036 | 6656611 | 4454084 | 2952103 |
| 2056138 | 9388912 | 2647096 | 6953461 | 1420043 |
| 3938056 | 4705613 | 4312230 | 2306044 | 2927744 |
| 1521725 | 4737266 | 8184290 | 1672329 | 4707564 |
| 5865061 | 2932297 | 5502468 | 1291564 | $99+\& c$. |

The foregoing values are, it is presumed, correct to the last figure inclusive.

February 9, 1854.
SIR FREDERICK POLLOCK, M.A., V.P., in the Chair.
A paper was in part read, entitled "Further researches into the properties of the Sulphate of Iodo-Quinine or Herapathite, more especially in regard to its Crystallography, with additional facts concerning its optical relations." By William Bird Herapath, M.D. Communicated by Golding Bird, M.D., F.R.S. Receiyed Jan. 27, 1854.

February 16, 1854.
COLONEL SABINE, R.A., Treas. and V.P., in the Chair.
Joseph Beete Jukes, Esq., was admitted into the Society.
The reading of Dr. Herapath's paper was resumed and concluded.
After referring to the observations of Professors Stokes and Haidinger, as well as to papers already published by himself on this subject in the Philosophical Magazine, the author gives an account of a set of prisms perfectly complementary in their optical characters to those previously described by him, and proves this fact by an elaborate comparison of their various optical relations; from which it appeared, that whilst the $\alpha$-prisms (those described in Philosophical Magazine for March 1852) were totally impervious to a beam of polarized light, reflected from glass plates, when the plane of the length of the prism was at right angles to the plane of primitive polarization, the $\beta$-prisms (those now examined) were equally ab-

