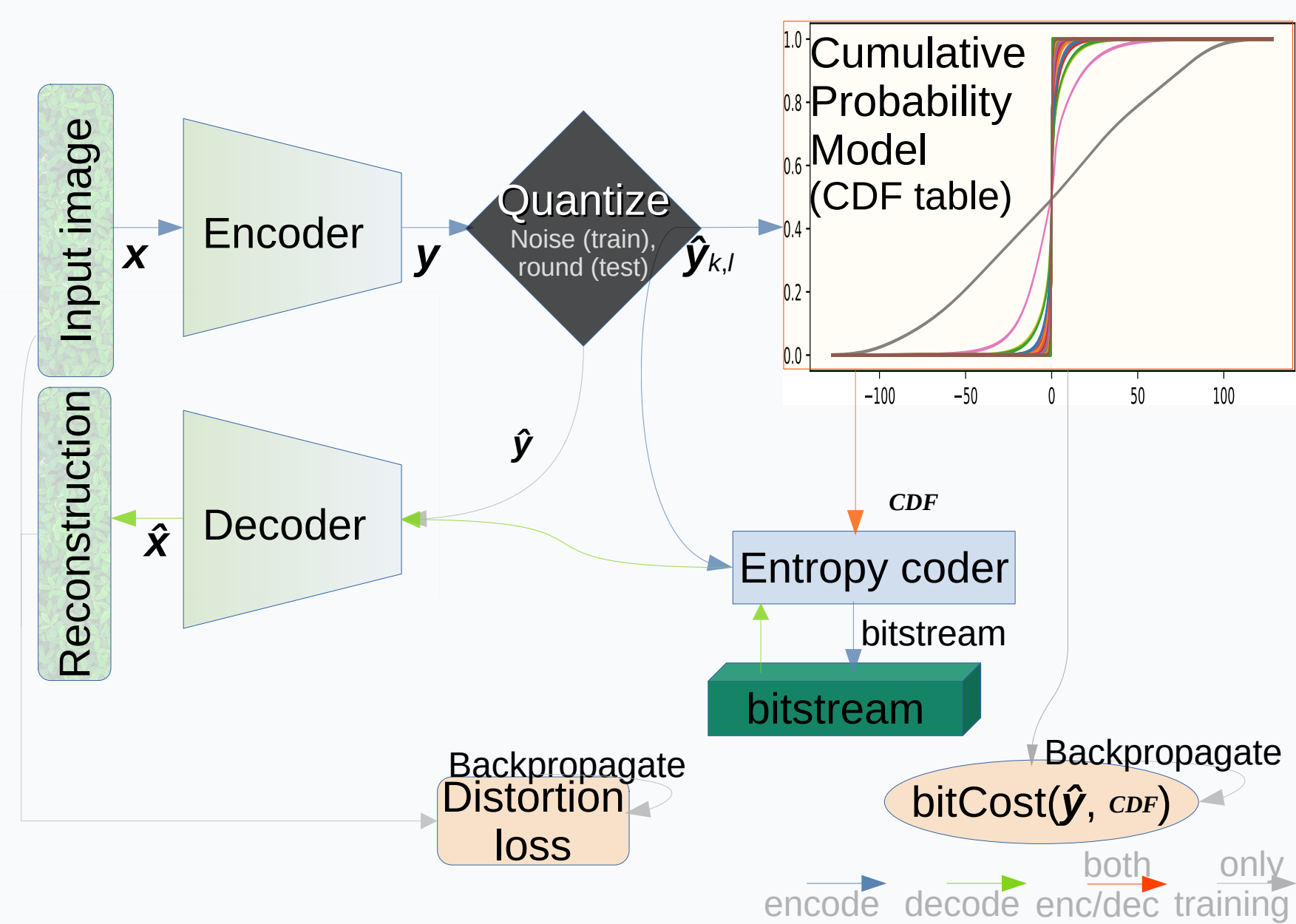


Image compression: background

Image compression consists of three recurring steps:

- **transformation**: reduce image redundancy through more efficient representation
 - Eg: discrete wavelet transform, convolutional autoencoder
- **quantization**: use a finite set of discrete symbols
 - Eg: quantization table, round
- **entropy coding**: use known statistics (prior info.) to encode common symbols with fewer bits
 - Eg: range coding

Prior work: "End-to-end optimized image compression" scheme by Johannes Ballé et al.



simple and effective:

- Encode image into a latent code (the autoencoder's bottleneck)
 - More channels, smaller spatial dimensions
- Quantize: round to nearest integer
 - or add random noise for differentiable training
- Model the **cumulative distribution function (CDF)** of each channel
 - $CDF(x)$ = probability that a variable is $< x$
 - Independent channels; each has its CDF
 - Used to calculate bitcost and for entropy coding
- Decode the image back to RGB

Training:

minimize Loss = distortion \times λ + bitrate
Encoder and probability model adapt to one other

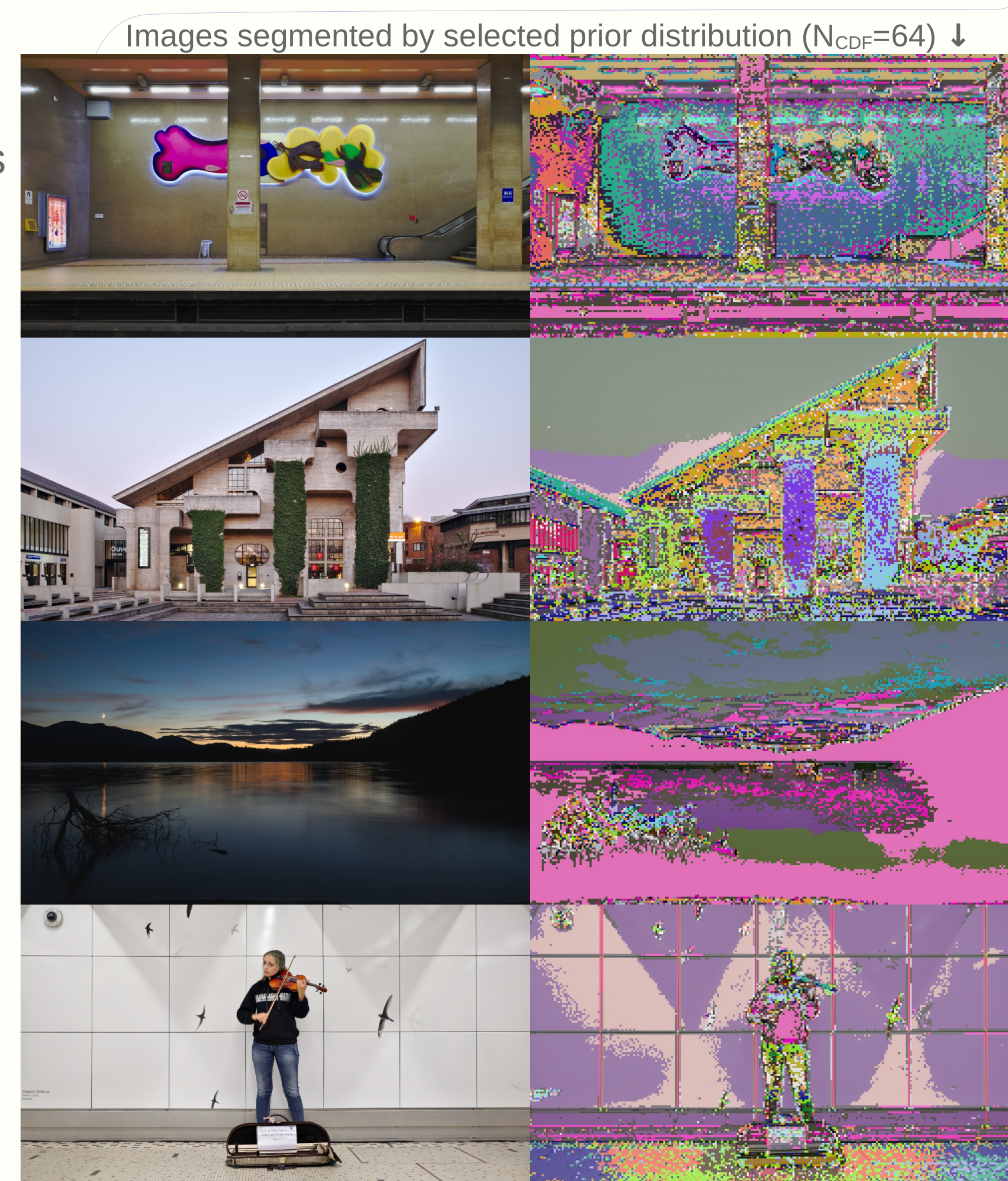
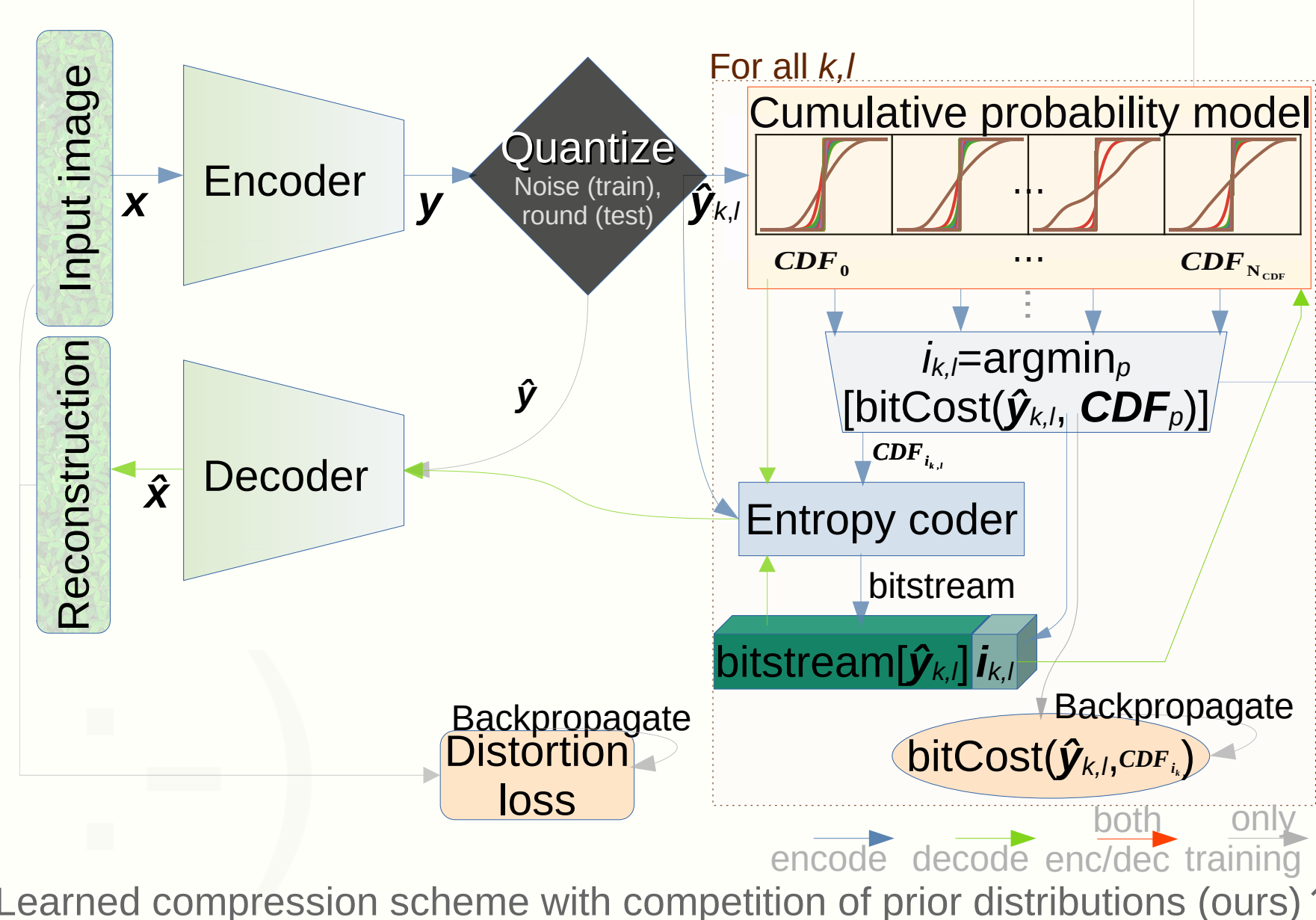
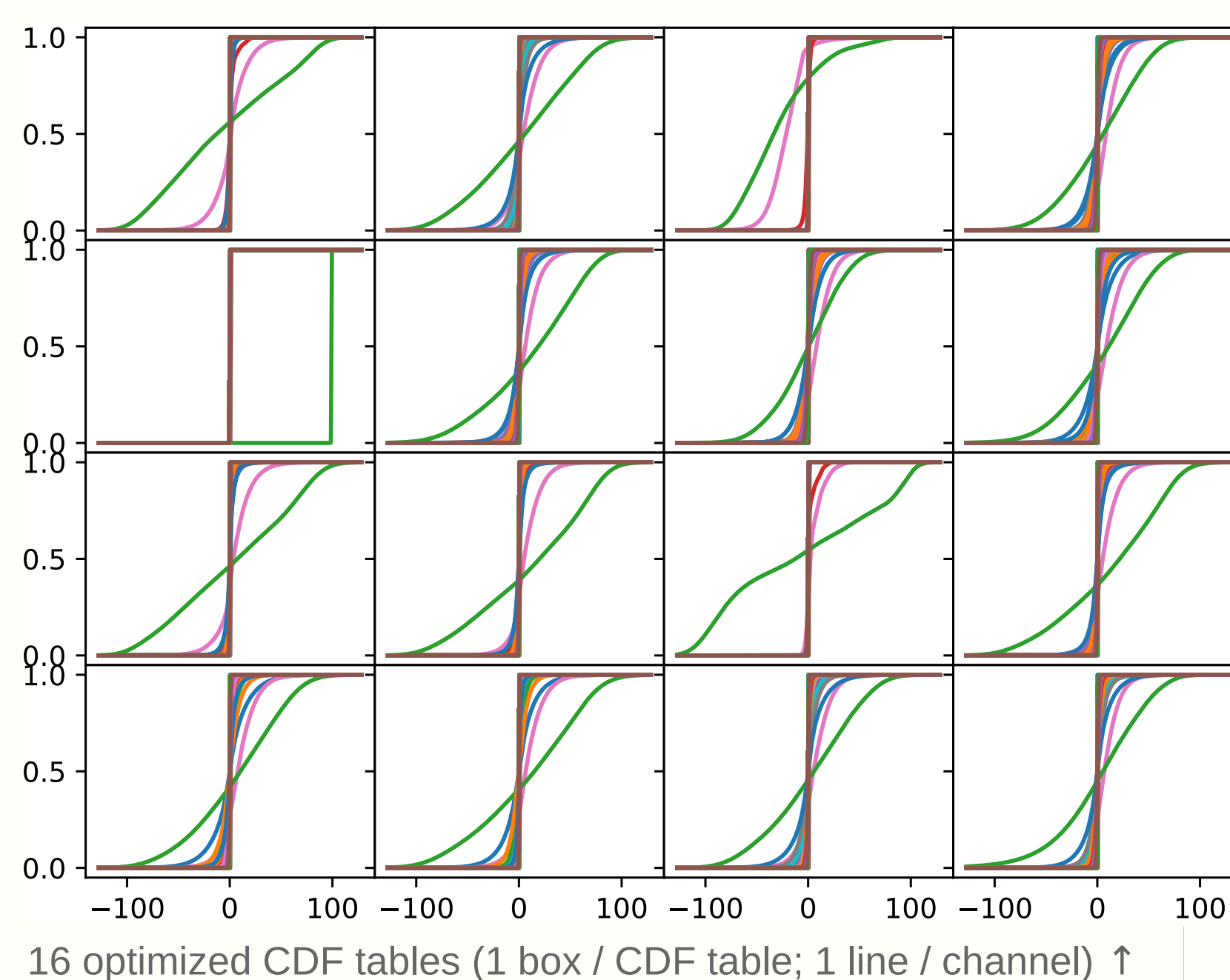
Cons:

- JPEG2000-like performance, unique autoencoder and probability model limit one other's expressiveness
- A common solution is to analyze the latent code with a "hyperprior" sub-network (Balle2018), and parametrize the CDF s.t. it is different for each symbol to be encoded.
- But constant switches and memory accesses increase the complexity and runtime.

References: **Balle2017**: End-to-end optimized image compression with competition of prior distributions by Johannes Ballé et al.
Balle2018: Variational image compression with a scale hyperprior by Johannes Ballé et al.

Image compression with competition of prior distributions; our contribution

- Many **CDF tables** are learned
 - eg : $N_{CDF}=64$
 - Where each CDF table covers all (typ. 256) channels
- The best **CDF table** for each location is optimized on that location (training), or its index is stored with the bitstream (encoding)

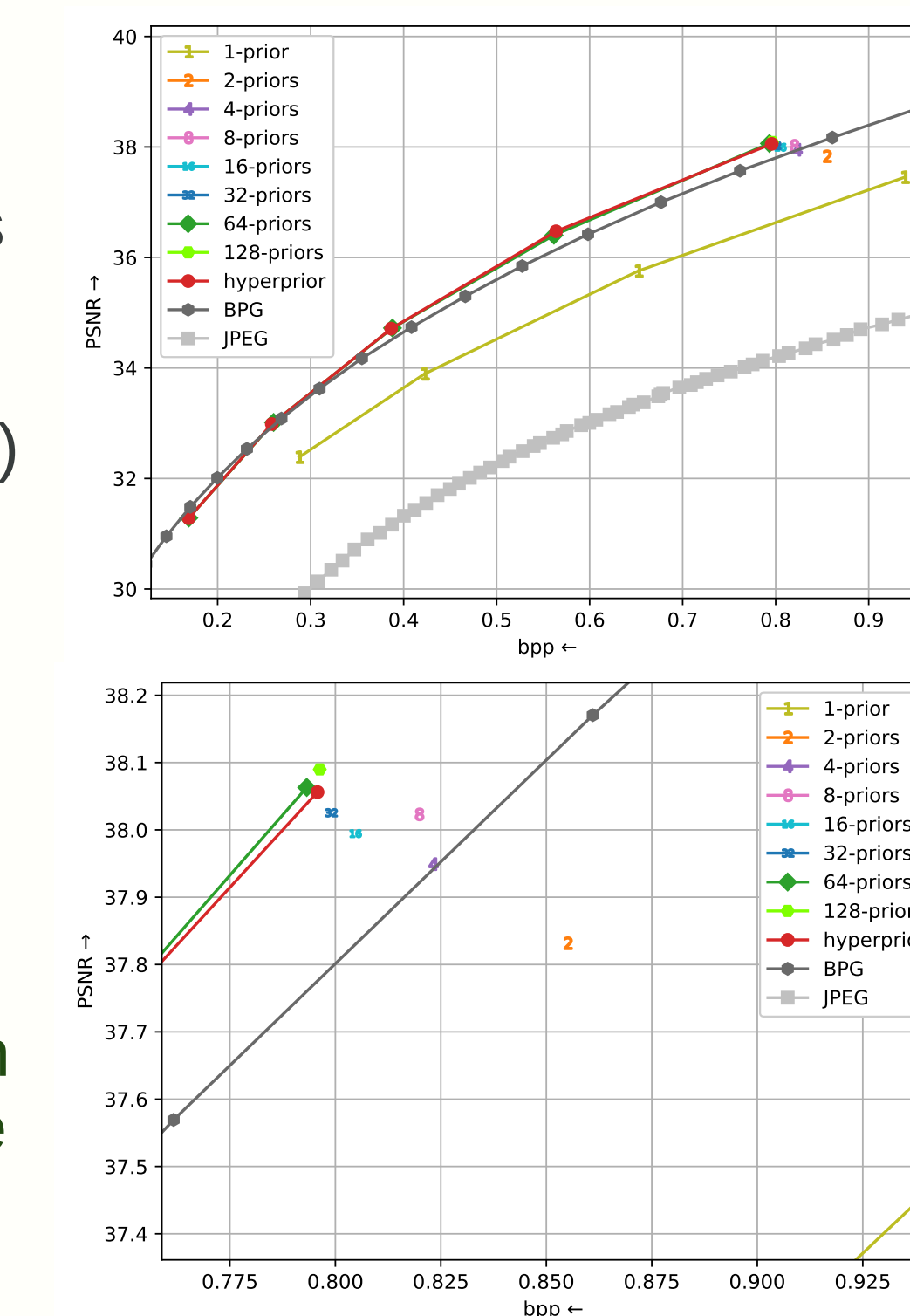


Conclusion

- Multiple competing priors improve rate-distortion (RD) performance compared to the use of a single cumulative distribution function (CDF) per channel
- Using 64 static priors reduces complexity and achieves similar rate-distortion performance compared to the use of a hyperprior

Results

- Rate-distortion with 64-priors is better than Balle2017 (1-prior), similar to Balle2018 (hyperprior w/ per-symbol CDF)
- Decoding complexity is nearly the same as Balle2017
- CDF generation consumes **0.14x as much CPU time** with 64-priors as with hyperprior
- Because decoder works with **static CDF tables** which are **defined channel-wide**



Rate-distortion with different number of priors (PSNR on Commons Test Photographs) ↑
Image compressed with different schemes (visual comparison) ↓

