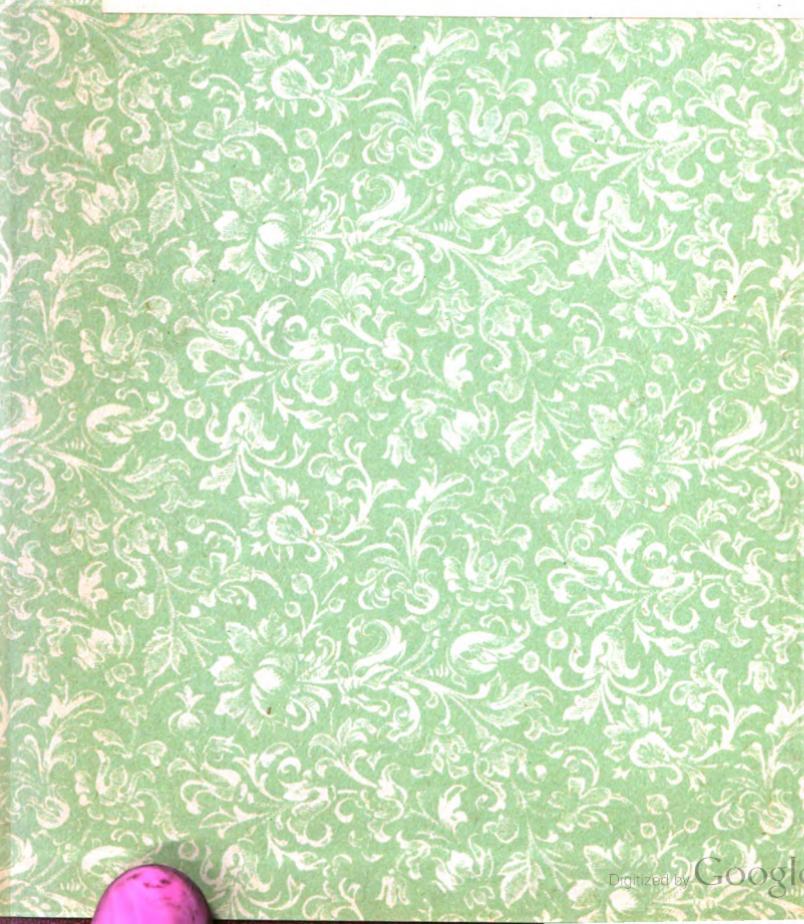


N

REESE LIBRARY  
OF THE  
UNIVERSITY OF CALIFORNIA.

*Class No*











ON CHRONOLOGY  
AND  
THE CONSTRUCTION OF THE CALENDAR  
WITH SPECIAL REGARD TO THE  
CHINESE COMPUTATION OF TIME COMPARED WITH  
THE EUROPEAN

by

Dr. H. Fritzsche

Director emeritus of the J. Russian Observatory at Peking; Author  
of the works: «The Climate of Eastern Asia», «Resultate aus astro-  
nomisch - geographischen, erdmagnetischen und hypsometrischen  
Beobachtungen, angestellt an mehr als tausend verschiedenen Orten  
Asiens und Europas in den Jahren 1867—1883» etc. etc. etc.



St. Petersburg.

Lithographed by R. LAVERENTZ, Liteinaja 38

1886.

СК 21  
ФТ

REESE

Доказано чинзупро.

С.Петербургъ 15 Сентября 1886 г.

## Contents

1. Preface, page 1.
2. Introduction, page 2.
3. The Solar day, page 4.
4. The Week, page 6.
5. The Month, page 7.
6. The Year, page 12.
7. The Solar cycle, page 14.
8. The Lunar cycle, page 16.
9. The Julian period, page 18.
10. The Chinese year, page 20.
11. Comparison between the Chinese and European chronological dates, page 27.
12. A short explanation of the Calendars of the more important ancient nations and the Mahometans, page 32.
13. Rising and Setting of the Sun, page 34.
14. Rising and Setting of the Moon, page 35.
15. Rising and Setting of the Planets and fixed Stars, page 38.
16. Eclipses of the Moon and the Sun, page 39.
17. Chinese - European Calendar from the year 1624 A.D. until 1921 A.D., page 50.
18. Chronological Table of the Chinese Dynasties and Emperors and the year of the commencement of their reigns, page 75.

## Corrigenda and remarks.

1. page 3 and 4 table (3) № 3, 15, 51 for Yin 宦 read 寔
2. page 6 the Chinese characters for leu and pi in table (5), not clearly lithographed, can be verified by help of table (7) page 10 № 16 and № 19
3. page 6, 16<sup>th</sup> line from below for Chow read Chow.
4. page 8, second line from below for  $\cos \beta' \sin \lambda' = \sin \delta' \sin \lambda' \cos \epsilon + \sin \delta' \sin \epsilon$ . read  $\cos \beta' \sin \lambda' = \cos \delta' \sin \lambda' \cos \epsilon + \sin \delta' \sin \epsilon$ .
5. page 10 table (7) № 20 for tui ䷌ read tui ䷌.
6. page 10 table (7) № 24 for lieu read lieu.
7. page 13, 7<sup>th</sup> line from below for 9<sup>th</sup> March read 8<sup>th</sup> March.
8. page 14, 14<sup>th</sup> line from below for 9<sup>th</sup> March read 8<sup>th</sup> March.
9. page 14, 13<sup>th</sup> line from below for 14 days read 15 days.

Remark:

Christian year, Before Christ	Julian date of the Vernal equinox Paris midnight	Christian year Anno Domini	Julian date of the Vernal equinox Paris midnight
-2400	April 10, 9	0	March 22, 8
-2000	" 7, 7	+400	" 19, 7
-1600	" 4, 5	+800	" 16, 5
-1200	" 1, 3	+1200	" 13, 4
-800	March 29, 1	+1600	" 10, 4
-400	" 25, 9	+2000	" 7, 3

This table holds good for Julian leap years (of 366 days); for common years of the form  $4n+1$  is to be added 0, 25  
 "  $4n+2$  " " 0, 50  
 "  $4n+3$  " " 0, 75

Thus, for instance will be, according to our table, the Julian dates of the Vernal equinox for the years 45 B.C. | 325 A.D. | 1882 A.D.  
 March 23, 4 | March 20, 5 | March 8, 7

or March 23 10<sup>th</sup> A.D. | March 20 noon | March 8 5<sup>th</sup> P.M.

10. page 14, 13<sup>th</sup> line from above for 1600, 2400 d.d. read 1600, 2000 and 2400 d.d.
11. page 23, 11<sup>th</sup> " " fartherest read farthest.
12. page 27, 15<sup>th</sup> line from below the letter C is not clearly lithographed.
13. page 43, 5<sup>th</sup> " " 2<sup>h</sup> 5<sup>m</sup> is not clearly lithographed.
14. page 46, 4<sup>th</sup> " "  $\frac{\sin \lambda' \sin \delta'}{2 \cos \epsilon}$  is not clearly lithographed.

15. page 69 second " " above month IV June 24 " " "
16. page 69 12<sup>th</sup> line from below month VIII August 24 " " "
17. pag. 75-92 For "Dynastic Title or Miao-hao" read "Temple Name" or Miao-hao".
18. page 84, 7<sup>th</sup> line from below, for Tsi-ti read Fei-ti.
19. page 85, 14<sup>th</sup> line from above, for Kai-heung read Kai-heang.



## 1. Preface.

The following treatise, On Chronology and the Construction of the Calendar with special regard to the Chinese computation of time compared with the European, I have originally written for the instruction of Chinese students in the Peking Tung-wen College and afterwards enlarged so that it could be useful also for those occupied with Chinese literature and Chinese affairs.

The information on the Chinese Calendar I have mostly obtained from Chinese sources viz: Wan-nien-shu (Ten thousand year's Calendar), from Chinese Calendars for the last years, from astronomical Ephemerides of Sun, Moon and greater Planets and other publications of the Kin-tun-kien (the astronomical Board at Peking); further from Chinese star-maps of the heavenly sphere (published for instance in the great Chinese work Ta-tsien-hui-tien i.e. the dictionary of the Manchu dynasty) etc.

The comprehension of these sources has been rendered easier by the study of an excellent treatise by the celebrated Chronologist Ideler, "Die Zeitrechnung der Chinesen".

The astronomical calculations are made partly from my own methods, partly taken from other sources. The formulae for calculating the Lunar-eclipses are those, given by the astronomer Littrow, for calculating the Solar-eclipses those of Gauss, communicated in the celebrated work of Professor Dr. A. Savitch, "Practische Astronomie"; and the formulae for calculating the places of the Stars for remote times those of Professor Encke, communicated by Prof. Dr. Foerster in, Berliner Jahrbuch für 1866<sup>a</sup>.

The chronological table of the Chinese dynasties and emperors has been arranged by W. Hagen Eng. of the Chinese Legation at St. Petersburg with assistance of Wang-pheng-ku Eng.

As it was impossible to procure types for the Chinese characters, occurring at many places of the text, I was put in the necessity, to publish this work by way of lithography, by which, to my regret, has somewhat suffered its appearance, but I hope, that this circumstance will not diminish the real value of the work.

St. Petersburg, July 1886.

## 2. Introduction.

Time is measured by observing the position of the heavenly bodies. Units of time are periods, that is intervals of time, after the lapse of which the same order of things returns. In astronomy the fundamental, invariable unit of time is the sidereal day, i.e. the period during which the earth revolves once about its axis, measured by help of two successive returns of any fixed star to the meridian, the motion of the fixed stars depending only upon the daily rotation of the earth about its axis and not, like that of the sun and its satellites, upon the progressive advance of the earth in its orbit round the sun.

The position of the sun, moon and planets is determined by comparing them with that of the fixed stars and thus the mean solar day is fixed by help of the sidereal day. The mean solar day is the average of all the solar days throughout the year and exceeds the sidereal day by an average difference of four minutes. Since the solar days are not equal in length, the sun's motion in its apparent orbit and distance from the equator being different in different seasons, the apparent or real solar day does not exactly coincide with the mean solar day.

The duration of the longest apparent (real) solar day is  $24^{\text{h}} 0^{\text{m}} 30^{\text{s}}$  mean time, and that of the shortest  $23^{\text{h}} 59^{\text{m}} 39^{\text{s}}$  mean time; in consequence of all this the mean and apparent solar days commence only 4 times a year (about 14 April, 14 June, 31 August and 23 December) at the same absolute moment, the small differences between the mean and apparent solar day producing, by summation from day to day, that both kinds of days begin at different absolute moments during the whole year, except only on the above mentioned 4 days.

This difference between the commencement of the mean and apparent day or between mean and apparent time is called the Equation of time and its absolute greatest value is 16 minutes.

In the calendar of all nations without exception, the fundamental unit is the solar day, because the sun is the source of all forces displayed on our planet, whether mechanical, chemical or vital. All other periods of time or so called cycles, applied as units of time, for instance the week, the synodical month, the tropical year, the cycles of 60 years, 60 days etc. are composed of the solar day and its subdivisions.

For this reason we will next occupy ourselves with the cycles, used

in the Chinese and European Calendars.

The Chinese have from a very early date composed nearly all their cycles only of two elementary cycles, one of ten, and the other of twelve members. The names of the decimal cycle or the ten stems are:

十天干

No.	
1.	Kiah
2.	Yih
3.	Ping
4.	Ting
5.	Wu
6.	Ki
7.	Keng
8.	Sin
9.	Tan
10.	Kwei

Table (1)

and the names of the duodecimal cycle or of the twelve branches:

十二地支

No.	
1.	Tze
2.	Ch'ou
3.	Yin
4.	Mao
5.	Ch'en
6.	Ze
7.	Wu
8.	Wei
9.	Shen
10.	Yeo
11.	Yu
12.	Hai

Table (2)

When combining these stems and branches two by two, beginning with Kiah-Tze and repeating both series until both commence at the same time, the same combination returns, after the decimal cycle has been repeated six times and the duodecimal cycle five. Thus we obtain the following sexagesimal cycle, called Kiah-Tze:

六十甲子 Table (3)

No.	1	2	3	4	5	6	7
1.	Kiah-Tze						
2.	Yih-Ch'ou						
3.	Ping-Yin						
4.	Ting-Mao						
5.	Wu-Ch'en						
6.	Ki-Tze						
7.	Keng-Wu						

No.	1	2	3	4	5	6	7	8	9	10	11	12	13	14
1.	子	丑	寅	卯	辰	巳	午	未	申	酉	戌	亥	子	丑
2.	甲	乙	丙	丁	戊	己	庚	辛	壬	癸	甲	乙	丙	丁
3.	子	丑	寅	卯	辰	巳	午	未	申	酉	戌	亥	子	丑
4.	丑	寅	卯	辰	巳	午	未	申	酉	戌	亥	子	丑	寅
5.	寅	卯	辰	巳	午	未	申	酉	戌	亥	子	丑	寅	卯
6.	卯	辰	巳	午	未	申	酉	戌	亥	子	丑	寅	卯	辰
7.	辰	巳	午	未	申	酉	戌	亥	子	丑	寅	卯	辰	巳
8.	巳	午	未	申	酉	戌	亥	子	丑	寅	卯	辰	巳	午
9.	午	未	申	酉	戌	亥	子	丑	寅	卯	辰	巳	午	未
10.	未	申	酉	戌	亥	子	丑	寅	卯	辰	巳	午	未	申
11.	申	酉	戌	亥	子	丑	寅	卯	辰	巳	午	未	申	酉
12.	酉	戌	亥	子	丑	寅	卯	辰	巳	午	未	申	酉	戌
13.	戌	亥	子	丑	寅	卯	辰	巳	午	未	申	酉	戌	亥
14.	亥	子	丑	寅	卯	辰	巳	午	未	申	酉	戌	亥	子

15.	Wu-Yin	寅卯辰巳午未申酉戌亥子丑寅卯辰巳午未申酉戌亥	39.	Yen-Yin	壬癸甲乙丙丁戊己庚辛壬癸
16.	Ki-Muo		40.	Kuei-Mao	
17.	Kung-Ch'en		41.	Kiaah-Ch'en	
18.	Sin-Tze		42.	Yih-Tze	
19.	Ten-Wu		43.	Ping-Wu	
20.	Kwei-Wei		44.	Ting-Wei	
21.	Kiah-Shen		45.	Wu-Shen	
22.	Yih-Yeo		46.	Ki-Yeo	
23.	Ping-Su		47.	Keng-Su	
24.	Ting-Hai		48.	Sin-Hai	
25.	Wu-Tze		49.	Ten-Tze	
26.	Ki-Ch'ow		50.	Kwei-Ch'ow	
27.	Kung-Yin		51.	Kiah-Yin	
28.	Sin-Mao		52.	Yih-Mao	
29.	Ten-Ch'en		53.	Ping-Ch'en	
30.	Kwei-Tze		54.	Ting-Tze	
31.	Kiah-Wu		55.	Wu-Wu	
32.	Yih-Wei		56.	Ki-Wei	
33.	Ping-Shen		57.	Keng-Shen	
34.	Ting-Yeo		58.	Sin-Yeo	
35.	Wu-Su		59.	Ten-Su	
36.	Ki-Hai		60.	Kwei-Hai	
37.	Keng-Tze				
38.	Sin-Ch'ow				

### 3. The Solar day.

Europeans in civil life and in their calendar reckon the mean solar day from midnight to midnight and divide it into 24 equal parts, called hours. The hours after noon are 1<sup>st</sup> P.M., 2<sup>nd</sup> P.M., ..., 12<sup>th</sup> P.M. or midnight and the hours after midnight are 1<sup>st</sup> A.M., 2<sup>nd</sup> A.M., ..., 12<sup>th</sup> A.M. or noon. Every hour is divided into 60 minutes and every minute into 60 seconds. European astronomers begin the day with noon and count the hours uninterruptedly from 0 till 24, adding to the hour the letter h<sup>a</sup>. The European astronomical date therefore is the same as the European civil date during the afternoon (from noon until midnight), whilst during the morning (from midnight until noon) the civil date is greater by one than the astronomical.

✓ The Chinese originally divided the solar day into 12 equal parts, designating these parts successively by the characters of the duodecimal cycle. In their calendar, dating nearly 3000

years ago, as now they commence the day with midnight, as the Europeans do in their civil life, in the middle of the Chinese hour Tzze. That the Chinese in their calendar and civil life commence the day exactly with midnight and not with any other time near midnight as 11<sup>th</sup> P. M. or 1<sup>st</sup> A. M. may be easily proved by reference to the Chinese Calendars and Ephemerides, published by the astronomical board at Peking, where the first day of the month is sometimes erroneously marked, when the Newmoon happens near midnight. (cf. chapter 17).

Every Chinese hour, called Shi 時, is again divided into two equal subdivisions, distinguished from each other by the additions of chuh 正 and cheng 正 to the characters of the duodecimal cycle. Finally every Chinese hour contains 8 equal parts, called K'eh 刻, every K'eh being equal to 15 minutes. The following table exhibits the order, in which these divisions of time are arranged, with their subdivisions corresponding to the European solar hours:

Table (4)

Tzze -	c'huh	11 <sup>th</sup> P.M.	初
Tzze -	cheng	Midnight	正
Ch'ou -	c'huh	1 <sup>st</sup> A. M.	初
Ch'ou -	cheng	2 <sup>nd</sup> A. M.	正
Yin -	c'huh	3 <sup>rd</sup> A. M.	初
Yin -	cheng	4 <sup>th</sup> A. M.	正
Mao -	c'huh	5 <sup>th</sup> A. M.	初
Mao -	cheng	6 <sup>th</sup> A. M.	正
Ch'en -	c'huh	7 <sup>th</sup> A. M.	初
Ch'en -	cheng	8 <sup>th</sup> A. M.	正
Tze -	c'huh	9 <sup>th</sup> A. M.	初
Tze -	cheng	10 <sup>th</sup> A. M.	正
Wu -	c'huh	11 <sup>th</sup> A. M.	初
Wu -	cheng	Noon	正
Wei -	c'huh	1 <sup>st</sup> P.M.	初
Wei -	cheng	2 <sup>nd</sup> P.M.	正
Shen -	c'huh	3 <sup>rd</sup> P.M.	初
Shen -	cheng	4 <sup>th</sup> P.M.	正
Yeo -	c'huh	5 <sup>th</sup> P.M.	初
Yeo -	cheng	6 <sup>th</sup> P.M.	正
S'u -	c'huh	7 <sup>th</sup> P.M.	初
S'u -	cheng	8 <sup>th</sup> P.M.	正
Hai -	c'huh	9 <sup>th</sup> P.M.	初
Hai -	cheng	10 <sup>th</sup> P.M.	正

## 4. The Week.

In the European Calendar we have a period of seven days, which we call a week. The days bear in English the names of Sunday, Monday, Tuesday, Wednesday, Thursday, Friday and Saturday. The Egyptians were the first people, who probably regarded the week as sacred to the heavenly bodies: the Sun, the Moon, Mars, Mercury, Jupiter, Venus and Saturn.

Although this period of seven days is not used in China, it is mentioned in the Chinese Calendar and the days are designated by help of the characters of the 28 Moon-stations (*Su* 俗), the meaning of which we will explain below [cf. table (7)].

								星
Sunday	has the characters	fang	房	hiu	𠙴	mao	sing	張
Monday	"	sin	心	wei	危	pi	chang	翼
Tuesday	"	wei	尾	she	室	tsui	y	軫
Wednesday	"	"	Khi	箕	壁	tian	chen	軫
Thursday	"	"	teu	牛	Kuei	奎	tsing	角
Friday	"	"	nieu	牛	leu	Kuei	kio	亢
Saturday	"	"	niu	女	wei	胃	kang	亢
					lieu	柳	ti	氐

It is not known, when this cycle in Chinese chronology is first mentioned. Confucius has called it *t'ih* (seven) and said, that it had existed since the beginning of the *Dynasty of Chow* (1122 B.C.).

The period of time, properly deserving the name of the Chinese week, is that of 60 days, designated by the above mentioned 28 characters of the sexagesimal cycle *Kiah-Tsze*. In the *Shu-king* and *Chun-tsieu* we already find every important event stated not only by the indication of the emperor's name and year and the month and day of the month, but also by the name of the day in this sexagesimal cycle.

And therefore, as the days of the sexagesimal cycle are counted uninterruptedly through all centuries and do not depend upon complicated calculations, the Chinese historical data possess a high degree of exactitude and certainty, that is often wanting in the ancient records of other countries.

In Section 11. we append a table, by help of which it is easy to find the day of the Chinese sexagesimal week, corresponding with the first of January in the Julian Calendar.

## 5. The Month.

The month of the European Calendar is a higher unit of the solar day, arbitrarily chosen, however nearly equal to one synodical month, varying between 28 and 31 days or nearly equal to the time employed by the sun in passing through one of the 12 signs of the zodiac.

The 1<sup>st</sup> European month is called January and has always 31 days.

The 2 <sup>nd</sup>	"	"	February and has 28 days in a common year and 29 days in a leap year
The 3 <sup>rd</sup>	"	"	March and has always 31 days
The 4 <sup>th</sup>	"	"	April " " 30 "
The 5 <sup>th</sup>	"	"	May " " 31 "
The 6 <sup>th</sup>	"	"	June " " 30 "
The 7 <sup>th</sup>	"	"	July " " 31 "
The 8 <sup>th</sup>	"	"	August " " 31 "
The 9 <sup>th</sup>	"	"	September " " 30 "
The 10 <sup>th</sup>	"	"	October " " 31 "
The 11 <sup>th</sup>	"	"	November " " 30 "
The 12 <sup>th</sup>	"	"	December " " 31 "

The European and corresponding Chinese names of the 12 signs of the sun's orbit, each containing 30°, are :

Table (6)

European	Chinese name (The 12 branches)
The Ram	T'u 戌
" Bull	Yeo 戌
" Twins	Shen 申
" Crab	Wei 未
" Lion	Wu 午
" Virgin	Sze 巳
" Balance	Sh'én 辰
" Scorpion	Mao 戌
" Archer	Yin 貞
" Goat	Ch'ow 戌
" Water-carrier	Tz'e 子
" Fishes	Hai 壴

The Chinese divide the ecliptic into 24 equal parts, called tsie-khi 節氣; every tsie-khi therefore contains 15° of the ecliptic and two of them are equal to one sign of the zodiac and as the Sun makes a whole revolution of 360° in 365,24224 solar days, it remains in every tsie-khi on an average 15,22 days and in two tsie-khi or in one sign of the zodiac 30,44 days. The same number of solar

days, viz., 30,44, is the mean length of the twelve months in the European Calendar.

The Chinese month is the synodical month, commencing with the New-Moon's day and lasting until the day of the next New-Moon. A synodical month or a lunation being on an average equal to 29,53059 mean solar days, is nearly one day less than two tsie-khi or one European month of 30,44 days on an average. As to the months of every Chinese year—the common year consisting of 12 lunations as well as the leap year consisting of 13 lunations—always only 12 names, never 13 names are used, the intercalary lunation bearing the same name (number) as the antecedent lunation, the characters of the sexagesimal cycle Kiah-Tze, which are added in the Chinese calendar also to the months, turn back after five Chinese years.

In the annexed table (7) are inscribed the Chinese and European names of the 28 Moon-stations or Moon-stars, and also their positions on the heavenly sphere on the 1 January 1850 A.D., determined by their rightascension and declination or by their longitude and latitude. Besides these data there are added the annual precession and its secular variation in rightascension and declination, this being necessary for calculating the rightascension and declination at any other given time not very remote from 1850 A.D.

The longitudes of all stars increase each year about 50,2 seconds in arc, but the latitudes scarcely alter.

For the calculation of the exact value of the rightascension  $\alpha'$  and declination  $\delta'$  of a star at any time  $T$  between say 1700 A.D. and 2000 B.C. from its given rightascension  $\alpha$  and declination  $\delta$  at 1800 A.D. the following formulas, exhibited in the work, Berliner astronomisches Jahrbuch für 1866 "may be used:

$$\operatorname{tg} N = \frac{\operatorname{tg} \delta}{\cos(\alpha + \Delta)}$$

$$\operatorname{tg}(\alpha' + \Delta') = \operatorname{tg}(\alpha + \Delta) \frac{\cos N}{\cos(N + \vartheta)}$$

$$\operatorname{tg} \delta' = \operatorname{tg}(N + \vartheta) \cdot \cos(\alpha' + \Delta')$$

$\Delta$ ,  $\Delta'$  and  $\vartheta$  to be taken from the table (I).

In the same table is also noted the obliquity of the ecliptic  $\varepsilon$  for the time 2000 B.C. until 1700 A.D., so that from  $\alpha'$  and  $\delta'$  can be found also the longitude  $\lambda'$  and latitude  $\beta'$  of the star corresponding to the time  $T$  (to which  $\alpha'$  and  $\delta'$  belong) by means of the formulas:

$$\cos \beta' \cos \lambda' = \cos \delta' \cos \alpha'$$

$$\cos \beta' \sin \lambda' = \sin \delta' \sin \alpha' \cos \varepsilon + \sin \delta' \sin \varepsilon$$

$$\sin \beta' = -\cos \delta' \sin \alpha' \sin \varepsilon + \sin \delta' \cos \varepsilon$$

or

$$\operatorname{tg} n = \frac{\operatorname{tg} \delta'}{\sin \alpha'}$$

$$\operatorname{tg} \lambda' = \frac{\cos(n-\varepsilon)}{\cos n} \operatorname{tg} \alpha'$$

$$\operatorname{tg} \beta' = \operatorname{tg}(n-\varepsilon) \sin \lambda'$$

Table (I)

T	A	A'	J	E
+1700	179° 21,6	180° 38,3	0° 33,4	23° 28,7
+1600	178 43,3	181 16,7	1 6,9	29,5
+1500	178 4,9	181 54,9	1 40,4	30,3
+1400	177 26,9	182 33,1	2 13,8	31,1
+1300	176 48,7	183 11,2	2 43,3	36,9
+1200	176 9,6	183 49,2	3 20,7	32,7
+1100	175 31,1	184 27,2	3 54,2	33,5
+1000	174 52,6	185 5,2	4 27,6	34,3
+900	174 14,0	185 43,0	5 1,0	35,1
+800	173 35,4	186 20,9	5 34,4	35,9
+700	172 56,8	186 58,6	6 78	36,7
+600	172 18,1	187 36,4	6 41,2	37,5
+500	171 39,4	188 14,0	7 14,5	38,3
+400	171 0,7	188 51,7	7 43,7	39,1
+300	170 21,9	189 29,2	8 21,0	39,9
+200	169 43,1	190 6,8	8 54,2	40,7
+100	169 4,2	190 44,3	9 27,3	41,5
0	168 25,2	191 21,7	10 0,4	42,3
-100	167 46,2	191 59,1	10 33,4	43,1
-200	167 7,2	192 36,5	11 6,3	43,8
-300	166 28,1	193 13,9	11 39,2	44,6
-400	165 48,9	193 51,2	12 12,0	45,4
-500	165 9,7	194 28,5	12 44,8	46,2
-600	164 30,4	195 5,7	13 17,4	47,0
-700	163 51,1	195 48,9	13 50,0	47,8
-800	163 11,7	196 20,1	14 22,5	48,6
-900	162 32,2	196 57,3	14 54,9	49,3
-1000	161 52,6	197 34,4	15 27,1	50,1
-1100	161 13,0	198 11,6	15 59,3	50,9
-1200	160 33,3	198 48,7	16 31,4	51,7
-1300	159 53,6	199 25,8	17 3,4	52,5
-1400	159 13,7	200 2,8	17 35,2	53,2
-1500	158 33,8	200 39,9	18 6,9	54,0
-1600	157 53,8	201 16,9	18 38,8	54,8
-1700	157 13,7	201 54,0	19 10,0	55,6
-1800	156 33,6	202 31,0	19 41,3	56,3
-1900	155 53,3	203 8,0	20 12,5	57,1
-2000	155 13,0	203 45,0	20 43,5	57,9

Table (7), corresponding to 1850 A.D.

Chinese names on tier 2 & No. stars	Europeas names	Magni- tude	Latitude in Longi- tude	Right- ascension	Declination	Annual variation of Right- ascension	Annual variation of Declination	Annual variation of Right- ascension	Annual variation of Declination	Annual variation of Right- ascension	Annual variation of Declination
用	Ursa Major	2	-2° 3'	13h 17m 18s	+3° 52'	+0.0095	199° 20'	-10° 23'	-18° 93'	+0.152	2h 37m 21° 46'
氐	Kelio	7	20° 46'	-2°	3'	+3.138	+0.0104	211	-13	-9	-34
狼	Ursae Majoris	4	21° 2.3	+2	56'	14	54	+3.311	+0.0136	120	39
星	K	3	22.3	0	+0	21	14	+3.612	+0.0164	237	27
尾	Littae	4	24.0	-5	27	15	49	+3.612	+0.0164	237	27
心	N. Horpici	3	24.5	-4	1	16	12	+3.632	+0.0139	243	1
胃	"	6	25.3	16	-11	42	16	40	2.8	+3.719	+0.0148
胃	S. Horpici	5	26.9	10	-6	57	17	56	11	+3.816	+0.0097
尾	G. Sagittarii	4	27.4	5	-3	56	18	36	17	+3.747	-0.0055
心	Ophiuchi	3	30.1	57	+4	37	20	35	+3.376	-0.0113	103
胃	S. Sagittarii	4	32.9	38	+8	7	20	39	+3.282	-0.0102	309
尾	"	3	32.1	18	+8	37	21	40	+3.653	-0.0090	320
胃	d. Capricorni	3	33.1	15	+10	40	21	58	5	+3.083	-9.0692
心	"	2	35.1	23	+19	26	22	57	17	+2.978	+0.0036
胃	d. Pegasus	2	37	5	+12	37	0	31	+3.019	+0.0080	1
尾	o. Andromedae	4	30	+17	37	0	39	24	+3.170	+0.0158	2
胃	o. Arietis	3	31	52	+2	29	1	46	+3.239	+0.0164	26
心	"	3.5	44	57	+11	16	2	34	40	+3.497	+0.0216
胃	y. Tauri	3	57	54	+4	2	3	38	35	+3.548	+0.0160
尾	"	3.2	66	22	-2	35	4	19	52	+3.446	+0.0105
胃	o. Orionis	4	81	37	-13	24	5	26	53	+3.300	+0.0027
心	"	5	80	16	-23	35	5	24	21	+3.061	+0.0010
胃	o. Lyræ	2	93	12	-0	51	6	13	53	+3.626	-0.0018
尾	o. Geminorum	3	92	23	38	-0	47	8	23	+3.436	-0.0135
胃	o. Lancæ	5	12.8	13	-12	25	2	29	43	+3.186	-0.0084
心	s. Hydriæ	4	14.5	12	-23	24	9	20	13	+9.950	-0.0034
胃	"	5	15.3	37	-2.6	5	9	44	16	+3.883	-0.0005
尾	o. Crateris	4	17.1	38	-2.2	41	10	52	28	+2.948	+0.0046
胃	"	4	18.8	38	-14	29	12	8	6	+3.085	+0.0095
心	o. Corvi	3	28.8	38	-14	29	12	8	12	+2.064	+0.016

We may conclude, that these 28 Moon-stars are very ancient in Chinese astronomy and existed already about the time of the emperor Yao, from a remark in the Shu-king, according to which at that remote time the sign of spring was the Moon-star, then called niao, at present called sing; the sign of summer the Moon-star, then called ho, at present called fang; the sign of autumn the Moon-star hui and the sign of the winter solstice the Moon-star mao, that is, to say, at the time of Yao, about 2300 years B.C., these stars stood at sunset in the meridian, when the corresponding seasons commenced, or, in other words, the difference in rightascension between Sun and stars was nearly ninety degrees or 6 hours.

As the declinations and latitudes of these four Moon-stars, the European names of which are, according to table (7) α Hydræ, π Scorpii, β Aquarii and γ Tauri, are slight, their rightascensions increase for a long period yearly by about 3<sup>°</sup>2' or 0.8 minutes in arc and about 4000 years ago, in the time of the emperor Yao, they were  $0.8 \cdot 4000 = 3200'$  or 53' less than at present. Thus we have:

Table (8)

Sign of spring	Chinese names at the time of Yao		European names	Rightascension at the time of the Sun	Rightascension at the time of the Sun		
	niao	sing			α Hydræ	140°	87°
" summer	ho	fang	π Scorpii	237	184	90	94
" autumn		hui	β Aquarii	321	268	180	88
" winter		mao	γ Tauri	55	2	270	92

The difference A-B, calculated for Yao's time according to modern astronomical tables being nearly equal to 90 degrees, proves the truth of the statement in Shu-king and that the Moon-stars were already established and applied by the Chinese about 4000 years ago, in order to determine the seasons.

As the Moon's orbit is inclined to the ecliptic only 5°, the Moon-stars determining the moon's course and position, are all not far from the ecliptic, that is, their latitude is small and the moon's courses during different lunations never deviate much from the ecliptic and from each other. Nevertheless Chinese astronomers distinguish 8 different orbits of the moon, because from one Newmoon, with which the moon's course always commences, to the next Newmoon the place of the Sun among the stars, where the Newmoon occurs, is advanced from West to East about 29 degrees and the Moon, though passing during every lunation near the same 28 Moon-stars, begins its course in the neighbourhood of another Moon-star, than a month ago and passes the Moon-stars, when in other phases.

## 6. The Year.

The year of the European nations is the tropical year, that is, the time, which elapses between two successive passages of the Sun through very nearly the same point of the equator. This year is regulated only by the Sun's course, which determines the seasons without any regard to the Moon. When the Sun crosses the equator in the direction from South to North, spring commences; when from North to South, autumn begins; in the exact middle term between these two moments, when the Sun stands farthest from the equator to the North, summer commences, and when farthest to the South, winter. This holds good for the northern Hemisphere; for the southern the order of the seasons is inverted.

The uninterrupted series of these years begins with the year of Christ's birth called 1 A.D. (Anno Domini i.e. in the year of the Lord) or +1. The year immediately before 1 A.D. is called 1 B.C. (Before Christ) or -1. The  $n^{\text{th}}$  year after the beginning of this era is called  $n$  A.D. or + $n$  and the  $n^{\text{th}}$  year before 1 B.C. or - $n$ , so that the standard-scale of the European (Christian) chronology has the following form:

Table (9)

$-(n+1)$	or	$(n+1)$	B.C.
- $n$	"	$n$	B.C.
-1	"	1	B.C.
+1	"	1	A.D.
+ $n$	"	$n$	A.D.
$+(n+1)$	"	$(n+1)$	A.D.

The difference between two successive figures of the table (9) is always 1, excepting only the difference between the years -1 (1 B.C.) and +1 (1 A.D.), which is 2, therefore between 1 B.C. and 1 A.D. is a discontinuity or a leap.

The years are named as current years and not as elapsed years. Hence, when two dates are given either before or after Christ, for instance :

1 January 500 B.C. or -500  
1 " 200 B.C. or -200

and

1 January 500 A.D. or +500  
1 " 200 A.D. or +200,

we find the years elapsed between them by subtracting the earlier epoch from the later: in the first case  $-200 - (-500) = 300$ , in the

second case  $500 - 200 = 300$ .

But, when one of the dates is B.C. and the other A.D., the number of years elapsed between them is equal to the difference between the figures standing before B.C. and A.D., diminished by 1. For example, the years elapsed between 1 January 500 B.C. and 1 January 200 A.D. is  $200 - (-500) - 1 = 200 + 500 - 1 = 699$ , because the real difference between the years 1 B.C. and 1 A.D. is only 1, whilst in the formula  $200 - (-500)$  or  $200 + 500$  this difference is reckoned as equal to 2.

As the tropical Solar year is the fundamental year in the European Calendar, the cardinal stations of the Sun in its orbit should always in all centuries coincide with the same days of the series of 365 or 366 days, or with the same days of the same months.

In the year 45 B.C. the Roman emperor Julius Caesar drew up a Calendar, called after him the Julian Calendar or the Old style. Until this epoch the ancient European and Western-Asiatic nations, the Romans, the Greeks, the Hebrews etc. had regulated their Calendar according to the Lunar-year of twelve months, brought from time to time into accordance with the course of the Sun by the intercalation of a thirteenth month; in a similar manner as the Chinese have done from a very remote period to the present time.

The emperor Julius Caesar, in order to remove the disorder, caused by imperfect intercalation, decreed that the Calendar should be constructed only in accordance with the Sun's course, without regard to that of the Moon.

In the Julian Calendar the length of the tropical year is supposed to be exactly equal to 365,25 days and in the year 45 B.C. the vernal equinox happened about the 23<sup>rd</sup> March.

However, as the exact length of the tropical year is 365,24224 days, the error of the Julian Calendar is in one year 0,00776 days, in 130 years 1,0088 days, in 400 years 3,104 days and in 3600 years 27,936 days, and the Julian Calendar by its uninterrupted intercalations of one day after three common years of 365 days, the years not divisible by 4 without remainder containing 365 and those divisible by 4 containing 366 days, must in 130 years be behind by one day, in 400 years by three and in 3600 years by 28 days. Thus the Julian date of the vernal equinox, having been in 45 B.C. about the 23<sup>rd</sup> March, is at present about the 9<sup>th</sup> March and was 325 A.D., at the time of the celebrated council of Nice about the 21 March. In order to correct the error of the Julian Calendar, which was in the year 1582 A.D. nearly 10 days, Pope Gregory XIII directed, that the 15<sup>th</sup> of October 1582 A.D. should be written instead of the 5<sup>th</sup> October 1582 A.D., thus omitting 10 days intercalated in excess during 325 A.D. until 1582 A.D. And further, in order to avoid for the

future the systematical removal of the vernal equinox from the 21 March, in the new Calendar, called after Pope Gregory the Gregorian, the following rule was made: Every year, whose number is not divisible without remainder by 4, consists of 365 days; every year, which is so divisible, but not divisible by 100, of 366; every year divisible by 100 but not by 400 of 365 days and every year divisible by 400 of 366 days.

This method of intercalation in the Gregorian Calendar is the same as in the Julian Calendar with this difference, that every 400 years three intercalary days of the Julian Calendar are suppressed in the Gregorian. Thus for instance 1700, 1800, 1900, 2100, 2200, 2300 A.D. are in the Julian Calendar leap years (containing 366 days), but in the Gregorian common years (containing 365 days); whilst in both Calendars the years 1600, 2400 A.D. are leap years. The still persisting error of the Gregorian Calendar will cease to exist, if after 3600 years one leap year has not 366 but only 365 days.

In a leap year of 366 days, the number of days in the twelve months is the same as in a common year of 365 days, excepting February, which consists of 29 days instead of 28 days, as in a common year. The 24<sup>th</sup> February is regarded as the intercalated day.

The Gregorian Calendar or New style is now accepted by all European nations and the Japanese, except the Russians, the greater part of the Slaves and the Modern-Greeks, who retain the Julian Calendar or Old style and are therefore at present 12 days behind the Gregorian, because the latter has fixed for all time the vernal equinox about the 21<sup>st</sup> March, whilst at present, according to the Julian Calendar at the time of the vernal equinox it is only the 9<sup>th</sup> March, having in the period from 45 B.C. until now gone back 14 days, from the original date 23 March.

As the Julian Calendar is simpler than the Gregorian and until now has been in use a longer time than the latter and as the Gregorian can be easily derived from the Julian, in historical researches the date of the Julian is mostly first determined and by simple corrections that of the Gregorian is then deduced. Thus for instance is the reduction of the Julian Calendar to the Gregorian:

from 1500 A.D. (after February 28) until 1700 A.D. (until 28 Febr. inclus.) equal to +10 days;

" 1700 "	"	" 1800 "	+ 11 "
" 1800 "	"	" 1900 "	+ 12 "
" 1900 "	"	" 2100 "	+ 13 "

## 7. The Solar-cycle.

To every day of the European year there is annexed invariably one of the seven letters A, B, C, D, E, F, G. The first day of the year, the 1 January bears always the letter A, the 2 Jan. B, the 3 Jan. C, the 4 Jan. D, the 5 Jan. E, the 6 Jan. F, the 7 Jan. G, the 8 Jan. again the letter A and so on. Only the days Febr. 24 until the end of this month bear two different letters viz:

Febr. 24 Febr. 25 Febr. 26 Febr. 27 Febr. 28 Febr. 29

in a common year    F    G    A    B    C  
in a leap year    E    F    G    A    B    C

All years, common and leap years, end therefore with A and begin with A. The leap years end also with A, because the 23 and 24 February of the leap years have the same letter viz. E. The letter, belonging to the first Sunday of the year is called the Dominical letter. A common year of 365 days has only one dominical letter, holding good for the whole year; a leap year on the contrary has two, one from January 1 until February 23 and another from February 24 until December 31. As a common year consists of  $365 = 52 \cdot 7 + 1$  and a leap year of  $366 = 52 \cdot 7 + 2$  days, it follows, that after a common year the dominical letter goes back one letter, and after a leap year, two, and that, in the Julian Calendar the dominical letters return in the same order after a period of  $4 \cdot 7 = 28$  years, or that after the lapse of 28 years the same day of the week by the Julian system returns always to the same day of each month throughout the year. This period is called the Solar-cycle, the first of which is assumed to have been between 9 B.C. and 19 A.D. Therefore the place of any year A.D. in this cycle is the remainder of the division  $\frac{9 + \text{year A.D.}}{28}$ , or, when  $T$  designates the year A.D.,  $m$  a positive integer or zero and  $s$  the remainder

$$s = T + 9 - m \cdot 28 \quad \text{Equation (10)}$$

When  $s = 0$ , the place of  $T$  in the Solar-cycle will be 28; and when  $T$  negative or B.C.

$$s = T + 10 + m \cdot 28 \quad \text{Equation (11)}$$

because between the years 1 A.D. and 1 B.C., lying in the first cycle, is a leap of 2 units. Then (when  $T$  negative)  $s$  will be the remainder of the division  $\frac{9 + 10}{28}$ .

The place in the Solar-cycle and the corresponding dominical letters of the Julian calendar are compiled in the following table (12):

Place of the year in the So- lar-cycle	Dominical letter	Place of the year in the Solar- cycle	Dominical letter
1	G F	15	G
2	E	16	B
3	D	17	A G
4	C	18	F
5	B A	19	E
6	G	20	D
7	F	21	E B
8	E	22	A
9	D C	23	G
10	B	24	F
11	A	25	E D
12	G	26	C
13	F E	27	B
14	D	28	A

For instance the place of the year 1880 A.D. is the remainder of  $\frac{2+1880}{28}$  or 13, hence the Dominical letters, according to table(12) are F E. However these are the Dominical letters of the Julian calendar. If we desire to ascertain the Dominical letter of the Gregorian from that of the Julian calendar, then, when the difference between both Calendars is equal to d days, we advance d - 7 letters in the scale of B C D E F G A B C D E F G A B . . . . , starting from the Julian Dominical letter. For example : for the year 1880 A.D. d is equal to 12, therefore d - 7 = 5. Counting from the Julian Dominical letter F 5 letters in our scale, we come to D and counting from E 5 letters we come to B, therefore the Dominical letters of the leap year 1880 A.D. in the Gregorian Calendar are D C, that is : January 4 and February 29 are both Sundays, because January 1 is always designated by the letter A and February 24 by E.

## 8. The Lunar-cycle.

As one synodical month or the average time from one Newmoon to the next Newmoon is equal to 29,53059 days and a tropical year (the time from one vernal equinox to the next) contains 365,24224 days, 19 years contain 6939,6026 days and 235 synodical months are 6939,6886 days i.e. the difference between the length of 19 Solar years and 235 Lunations (synodical months) is only 0,086 days or 2 hours. For that reason,

supposing the Newmoon to happen at present on the  $n^{\text{th}}$  day of the year, after the lapse of 19 tropical years the Newmoon will occur again on the  $n^{\text{th}}$  day of the year, so that, when we know the dates of the Newmoons in the series of the 365 days of the solar year for 19 years, we know the dates of the Newmoons for all other periods of 19 years past and future.

This period of 19 years is styled the Lunar-cycle. As the first year of the first cycle is assumed to be 1 B.C., hence to find the place of a given year A.D. in the Lunar-cycle (or as it is called the Golden number) add 1 to the number  $T$  of the given year A.D. and divide by 19; the remainder (or 19, if exactly divisible) is the Golden number  $g$ . Therefore, when  $l$  is a positive integer or zero, we get

$$g = T + l - 19 \quad , \quad T \text{ being positive or A.D.} \quad \text{Equation (13)}$$

$$g = T + 2 + l \cdot 19 \quad , \quad T \text{ being negative or B.C.} \quad \text{Equation (14)}$$

When  $T$  is negative,  $g$  will be the remainder of the division  $\frac{T+2}{19}$ .

As one year of 12 synodical months or a common Lunar-year is equal to  $12 \cdot 29,530587 = 354,36704$  days and one tropical Solar-year consists of  $365,24224$  days, the Newmoon, when it happens in any year - for instance in the first year of the Lunar-cycle - on the first of January (about 10 days after the winter solstice), the next year on the first of January 11 days have already elapsed after the last Newmoon of the past year, the difference  $365,24224 - 354,36704$  being nearly 11; and after the lapse of a second year the time elapsed since the last Newmoon on the first of January of the third year will be 22 days and after the lapse of a third year 33 or about 3 days and so on. The number of days that have elapsed on the first of January after the last Newmoon is styled the epact  $e$  and depends upon the Golden number  $g$  by the equations (15) :

$$e = 11g - n \cdot 30 \quad \text{in the Julian Calendar}$$

$$e = 11(g-1) - n \cdot 30 \quad \text{in the Gregorian Calendar during the 19<sup>th</sup> century}$$

$$e = 11g - 18 - n \cdot 30 \quad \text{in the Gregorian Calendar during the 20 and 21<sup>st</sup> centuries, where } n \text{ an integer.}$$

By help of (15) we find the following corresponding values of the Golden number  $g$  and the epact  $e$  according to the Gregorian Calendar for the 19<sup>th</sup> century.

Table (16)

Golden number	Epact	Golden number	Epact
8	8	9	9
7	0	11	20
8	11	12	1
3	22	13	12
4	3	14	23
5	14	15	4
6	25	16	15
7	6	17	26
8	17	18	7
9	28	19	18
10	9		

According to an order of the council of Nice, Easter Sunday was decreed hereafter to be the first Sunday after the fullmoon, that happens first after, or on the day of the vernal equinox, and the 21 of March was to be regarded as the day of the vernal equinox. If the fullmoon occurs on a Sunday, then the following Sunday is Easter Sunday.

The first fullmoon after the 21 March is for ecclesiastical purposes determined not by exact astronomical calculations, but by the epact  $e$ , calculated by help of the above mentioned equations, so that, as the epact does not give exact results, there can be a difference between both methods.

The earliest date of Easter is 22 March, the latest 25 April. It is obvious, that within one Solar year 12 Lunations mostly occur and in nearly every third Solar year 13 Lunations; or, to be more exact, of 19 Solar years 12 include 12 Lunations and 7 include 13 Lunations, because  $12 \cdot 12 + 7 \cdot 13 = 235$  Lunations = 19 Solar years = the length of the Lunar cycle.

### 39. The Julian period.

Different nations in different ages of the world have reckoned their time in different ways, beginning from different epochs and it is therefore a matter of great convenience that astronomers and chronologists (as they have agreed on the uniform adoption of the Julian system i.e. the Julian and the corrected Julian or Gregorian Calendar) should also agree on an epoch antecedent to them all, to which, as to a fixed point in time, the whole list of chronological eras can be differentially referred. Such an epoch is the noon of the

first of January 4713 B. C., which is called the epoch of the Julian period, a cycle of  $19 \cdot 28 \cdot 15 = 7980$  Julian years, obtained by the multiplication of the numbers of years severally contained in the three cycles: the Lunar and Solar cycle and that of the Indiction. The Lunar and Solar cycles we have already explained, it remains only to explain, what is meant by the cycle of Indiction. The cycle of Indiction or the Roman Indiction is a period of 15 years used in the courts of law and in the fiscal organization of the Roman empire under the emperor Constantine (about 300 A.D.) and his successors, and thence introduced into legal Calendar, as the Golden number, serving to determine Easter, was introduced into the ecclesiastical Calendar.

To find the place of a year in the induction cycle, add 3 to the number of years  $T$  of the Christian era and divide by 15. The remainder (or 15, if 0 remains) is the place of  $T$  in the cycle of Indiction or the Roman Indiction "  $i$  .

When therefore  $n$  is a positive integer or zero and  $T$  positive or A.D., we get

$$i = T + 3 - n \cdot 15 \quad \text{Equation (15),}$$

and when  $T$  negative or B.C., we have

$$i = T + 4 + n \cdot 15. \quad \text{Equation (16).}$$

If  $T$  positive or A.D., we have, according to the equations (10), (13), (17):

$$g = T + 1 - l \cdot 19$$

$$z = T + 9 - m \cdot 28 \quad \text{Equations (19)}$$

$$i = T + 3 - n \cdot 15$$

and if  $T$  negative or B.C., we have, according to the equations (11), (14) and (18):

$$g = T + 2 + l \cdot 19$$

$$z = T + 10 + m \cdot 28 \quad \text{Equations (20)}$$

$$i = T + 4 + n \cdot 15$$

For the first year of the Julian period is  $T$  negative and  $g = z = i = 1$ , therefore, according to equations (20):

$$T + 1 = -l \cdot 19$$

$$T + 9 = -m \cdot 28$$

$$T + 3 = -n \cdot 15$$

and we find  $T = -4713$  as solving these equations, because

$$-4713 + 1 = -4712 = -248 \cdot 19$$

$$-4713 + 9 = -4704 = -168 \cdot 28$$

$$-4713 + 3 = -4710 = -314 \cdot 15$$

Consequently, if  $t$  denotes the year of the Julian period corresponding to the year  $T$  of the Christian era,  $t$  and  $T$  are connected by the equation:

$$t = T + 4713, \text{ when } T \text{ positive or A.D.} \quad \text{Equation (21)}$$

$$t = T + 4714, \text{ when } T \text{ negative or B.C.} \quad \text{Equation (22)}$$

Thus we get the corresponding values of  $t$  and  $T$ :

Table (23)

Year of the Julian period	Year of the Christian or European era	$T$
$+1$	$-4713$	or $4713$ B.C.
$+4713$	$-1$	or $1$ B.C.
$+4714$	$+1$	or $1$ A.D.
$+6593$	$+1880$	or $1880$ A.D.,

by which we see, that in the Julian period a leap does not take place as in the Christian era between  $-1$  and  $+1$ .

It often occurs in history, that the three cycle-years  $g, s, i$  are known, but neither  $T$  nor  $t$ . Then we calculate  $t$  by help of  $g, s, i$  and the equations:

$$\begin{aligned} t &= l' \cdot 19 + g \\ t &= m' \cdot 28 + s \\ t &= n' \cdot 15 + i \end{aligned} \quad \text{Equations (24)}$$

where  $l', m'$  and  $n'$  denote integral figures.

The equations (24) can be derived by substituting equation (21) into (19) or (22) into (20). Multiplying the three equations (24) respectively by  $28 \cdot 15 \cdot 10$ ,  $19 \cdot 15 \cdot 17$  and  $28 \cdot 19 \cdot 13$  and adding together, we obtain:

$$t(28 \cdot 15 \cdot 10 + 19 \cdot 15 \cdot 17 + 28 \cdot 19 \cdot 13) = t(2 \cdot 7980 + 1) = g \cdot 28 \cdot 15 \cdot 10 + s \cdot 19 \cdot 15 \cdot 17 + i \cdot 28 \cdot 19 \cdot 13 + (l' \cdot 10 + m' \cdot 17 + n' \cdot 13) \cdot 19 \cdot 28 \cdot 15, \text{ therefore, if } t \text{ is an integer,}$$

$$\begin{aligned} t \cdot 2 \cdot 7980 + t &= g \cdot 4200 + s \cdot 4845 + i \cdot 6916 + K \cdot 19 \cdot 28 \cdot 15 \\ t \cdot 2 \cdot 7980 + t &= g \cdot 4200 + s \cdot 4845 + i \cdot 6916 + K \cdot 7980 \end{aligned}$$

and the required  $t = g \cdot 4200 + s \cdot 4845 + i \cdot 6916 - (2t - K) \cdot 7980$ . From this follows the rule to find the year  $t$  of the Julian period by help of the cycle-years  $g$  (Lunar cycle),  $s$  (Solar cycle) and  $i$  (Prediction): divide  $g \cdot 4200 + s \cdot 4845 + i \cdot 6916$  by  $7980$ , the remainder will be the year of the Julian period sought.

After having obtained by this method the year  $t$  of the Julian period, the year  $T$  of the Christian era is easily calculated by help of equations (21) or (22) or table (23).

## 10. The Chinese year.

The Chinese year is a Lunar year of 12 synodical months (Lunations), brought from time to time into accordance

with the course of the Sun by the intercalation of a thirteenth month (Xunation). For this purpose they have from the earliest time (about 2000 B.C.) fixed one of the cardinal-points of the ecliptic viz. the winter-solstice; observing by means of a gnomon (a vertical pillar) the greatest length of the sun's shadow at noon; and before the dynasty of Han they commenced their lunar-year with the New-moon nearest to the winter-solstice. But since the dynasty of Han (206 B.C.) the Chinese year commences with that lunation, during which the sun enters the trine-khi called Yu Shui or Hai, a point of the ecliptic, distant from the wintersolstice exactly 60 degrees, the longitude of which is 330 degrees.

The entrance of the sun in the sign Hai or Yu Shui occurs, according to the following table (25) always about the 19 February; and as this day is always included in the first Chinese month, the latest date of the Chinese Newyear must be the 19 February and, as the Chinese month has for a maximum 30 days, the Chinese Newyear can not be removed backwards more than 30 days from the 19 February; that is, the earliest date of the Chinese Newyear is the 20 January. Therefore the Chinese Newyear occurs always between the 20 January and 19 February, or between the trine-khi Ta Han and Yu Shui; or to be more exact, between the zodiac signs Tse and Hai, the first sign corresponding to the sun's longitude  $300^{\circ}$  and the latter to that of  $330^{\circ}$ . According to the Chinese work, entitled Wan nien shu, in which the elements of the Chinese Calendar from 1624 A.D. until 1921 A.D. are calculated by the astronomical Board at Peking, the earliest date of the Chinese Newyear's day is January 21 and the latest February 20; but these calculations are sometimes not made very exactly (f. i. for the year 1852).

The Chinese division of the sun's course into 24 equal parts, the corresponding European division and the date of the Gregorian Calendar, always coinciding very nearly with these 24 points of the ecliptic, are compiled in the following table (25).

Number of the Tzic-kai	Chinese names of the Tzic-kai	Translation of the Chinese names of the Tzic-kai	Chinese names of the Tzic-kai	Names of Sun's signs of the longitude of the horizon
1	Tzic-kai	Beginning of Spring	Tsze	315
2	Tzic-kai	Bairin	Kai	330
3	Tzic-kai	Movement of larvae	"	345
4	Tzic-kai	Vernal equinox	Tzic	0
5	Tzic-kai	Clear and bright	"	15
6	Tzic-kai	Rain and bright	"	30
7	Tzic-kai	Graze showers	Yeo	45
8	Tzic-kai	Commencement of summer	"	60
9	Tzic-kai	Growth of crops	"	75
10	Tzic-kai	Planting crops	"	90
11	Tzic-kai	Summer solstice	"	105
12	Tzic-kai	Lesser heat	Wei	120
13	Tzic-kai	Greater heat	"	135
14	Tzic-kai	Commencement of autumn	"	150
15	Tzic-kai	Limit of heat	Fee	165
16	Tzic-kai	White dew	"	180
17	Tzic-kai	Autumn equinox	"	195
18	Tzic-kai	Fall dew	"	210
19	Tzic-kai	Hairfrost descends	Ma	225
20	Tzic-kai	Commencement of winter	"	240
21	Tzic-kai	Leaves snow	Jin	255
22	Tzic-kai	Greater snow	"	270
23	Tzic-kai	Winter solstice	Khio	285
24	Tzic-kai	Colder cold	"	300

Table (25)

Chinese names of the signs	Europ. name of signs	Approximate date of the signs
Five signs	Five signs	5000 B.C.
Longitude	Zodiac	2000 B.C.
of the zodiac	English	1000 B.C.
	Latin	1000 A.D.
	French	1000 A.D.
	German	1000 A.D.
	Dutch	1000 A.D.

Tse	"	"	Fishes	Pieces	February 4	19	
Kai	"	"			March	6	
"	345	0				11	
Ts	15	8	Name	Species			
"	30	8	Bull	Taenio-	April	5	
"	45	11		Gymnus	"	20	
Han	60	11	Tuna		May	5	
"	75	11				21	
Wei	90	11	Trout				
"	105	11	Salmon				
Ma	120	11					
"	135	11					
Le	150	11					
"	165	11					
Pen	180	11					
"	195	11					
Hao	210	m	Virgin	Virgo	July	7	
"	225	f	Balancer	Leo	"	23	
Hin	240	f			August	8	
"	255	f	Palaner	Libra	September	2	
Hion	270	f			"	23	
"	285	f	Corpion	Scorpio	October	8	
Tsze	300	f	Shrcker	Sagittarius	November	7	
						22	
					December	7	
			Goat	Ophiurus	"	22	
					January	6	
			Marten	Aquarius	"	21	

The even tsie-khi, corresponding to the European signs of the zodiac, are called by the Chinese chung-k'hi.

The time, in which the sun passes over two tsie-khi is on an average throughout the year 30, 44 days, whilst the interval between one New-moon and the next is only 29, 53 mean solar days. For that reason, there must be one lunation, during which the sun does not enter into an even tsie-khi i.e. into one of the twelve signs of the zodiac. This month is the intercalary month and called *dijun yüö*, not having its own number, but that of the previous month.

This intercalary month happens about the time when the sun is farthest from the earth, or near the aphelium, between April and September (between the Chinese 3<sup>rd</sup> and 8<sup>th</sup> month), because, when near the aphelium, the sun's motion is slow and it passes over two tsie-khi or 30 degrees of longitude in 31, 5 mean solar days, whilst when near the perihelium, in January (the Chinese 12<sup>th</sup> month) the sun makes 30 degrees in 29, 4 days. In consequence of this arrangement the entrance of the sun in the four cardinal-points of the ecliptic, the Vernal equinox, the Summer solstice, the Autumnal equinox and the Wintersolstice must always occur respectively within the second, the 5<sup>th</sup>, the 8<sup>th</sup> and the 11<sup>th</sup> Chinese month.

In the chapter on the Lunar cycle it is stated, that 19 tropical solar years are equal to 235 synodical months (Lunation) and that  $235 = 12 \cdot 12 + 7 \cdot 13$ . Therefore the lunar year of the Chinese can be rectified, and brought into accordance with the solar year, when in the course of 19 solar years, 18 years consist of 12 Lunations and 7 years of 13 Lunations, or, if in the course of 19 years, there are 12 common and 7 leap years.

The Chinese leap years are, since some hundred years ago always the third, the 6<sup>th</sup>, the 8<sup>th</sup>, the 11<sup>th</sup>, the 14<sup>th</sup>, the 17<sup>th</sup> and the 19<sup>th</sup> year of the Chinese lunar cycle, which is one behind the European, not being the remainder of  $\frac{\text{year A.D.} + 1}{19}$ , as the European, but the remainder of  $\frac{\text{year A.D.}}{19}$ . Hence the Chinese leap years are the 4<sup>th</sup>, 7<sup>th</sup>, 9<sup>th</sup>, 12<sup>th</sup>, 15<sup>th</sup>, 18<sup>th</sup> and 1<sup>st</sup> year of the European Lunar cycle, or, which is the same thing, the Chinese golden numbers of the leap years are 3, 6, 8, 11, 14, 17, 19 and the European golden numbers 4, 7, 9, 12, 15, 18, 1. There have been only two exceptions to this rule viz. in the years 1795 A.D. and 1814 A.D., which were leap years with the Chinese golden number 9 instead 8.

For instance the year 1879 A.D., if divided by 19, gives the remainder 17, therefore the Chinese year, corresponding to 1879 A.D., i.e. commencing about Jan.- Feb. 1879 A.D., is a leap year of 13 Lunations; the next Chinese year, about 1880 A.D., is a common year of 12 Lunations and the following Chinese year, about

1881 A.D., is again a leap year, because the Chinese golden number is 19.

The Chinese were already acquainted with the Lunar cycle many centuries before the Christian era, and had determined by its help the day of the New moon. However, as this method of fixing the first day of the month is not exact and can cause an error of some days, they abandoned about 260 years ago this method and substituted in all parts of their calendar astronomical tables and exact principles.

The bases of all astronomical calculations are the tables, from which can be deduced at any time the position of the sun, moon and planets, and besides this the catalogues of the fixed stars, which have no proper motion or an insignificant one.

As the fundamental tables exhibit only the elements for calculating the position of the heavenly bodies, and as their position change very much with time, these calculations are long and tiresome. For this reason, in our time, in order to facilitate the application of astronomy to practical purposes as well as the advancement of the science itself, every important government prepares an astronomical Almanac for every year, giving for every day or hour of the year the position of the most important heavenly bodies, called *sphenemides*. One of the best of these works is the Nautical Almanac, edited by the Government of Great Britain and printed in London.

The Chinese astronomers of the present day calculate and print sphenemides for the sun, the moon and the greater planets for every day, such as the Nautical Almanac gives, by means of the fundamental tables, constructed in the 18<sup>th</sup> century by De Lambre and Mayer, giving the time of the Newmoon and the beginning and end of the eclipses correct within a quarter of one hour.

The method of calculating the time of the Newmoon is as follows: First find an approximative value for the time of the Newmoon by help of the golden number and epact [Table (16)]; then calculate by the fundamental tables the longitude of the sun and moon for this approximate time. If the calculated longitude of the moon exactly coincides with that of the sun, the supposed approximate time will be the exact moment of the Newmoon; if not, the moment of the exact equality of the longitude of the sun and moon can be found by a simple proportion, and is the exact moment of the desired Newmoon.

For example: Required the exact time of the Chinese Newyear in the 31<sup>st</sup> year of the 78<sup>th</sup> cycle (14<sup>th</sup> year of Tao-Kuang).

In the next chapter, in dealing with the comparison of Chinese and European chronological dates, a method is given to find the

year -2697 is 1st year of first cycle

-2577 " " 2nd "

-2576 is 60th year of 1st cycle.

1833!  
No 31st March 1833

25.

year  $T$  of the European (Christian) era from the Chinese cycles. According to equation (27), when  $y$  denotes the place of the year in the  $\frac{c}{60}$  cycle of 60 years, we have:  $T = c \cdot 60 + y - 2697$ , hence in our case  $T = 75 \cdot 60 + 31 - 2697 = 1834$  A.D.

The Chinese golden number of 1834 A.D. is the remainder of  $\frac{1834}{19}$  or 10 and the European golden number  $g = 10 + 1 = 11$ ; therefore, according to table (16) the spact = 20, that is; the first Newmoon in 1834 A.D. was 10 January and the second the  $8\frac{1}{2}$  February. As the Chinese Newyear must happen always between the 21 January and the 20 February, the Newmoon about the  $8\frac{1}{2}$  February must be the Chinese Newyear. By help of the table (33) below, we find, that the  $8\frac{1}{2}$  February 1834 A.D. was the  $3\frac{1}{2}$  day in the Chinese sexagesimal week and called T'ing-Yin.

In order to get the exact time of this Newyear, we start from February 8, midnight and calculate from the fundamental tables, according to the simple rules, explained in these tables, the longitude of the sun and the moon. Thus we obtain by help of the old fundamental tables, calculated for the sun by the astronomer de Lambre and for the moon by the astronomer Mayor about 1780 A.D. and probably still used by the Chinese astronomers of the present day,

1834 February 8  $12^h$  Peking-mean time, sun's longitude  $319^{\circ}30'6$

"  $8\frac{1}{2}$  " " " moon's longitude  $319^{\circ}6'4$

As at  $12^h$  in the night the moon's longitude had not reached that of the sun, the conjunction or Newmoon happened in the morning of the next calendar-day, February 9 (in the Chinese sexagesimal week the  $4\frac{1}{2}$  day, called T'ing-Mao). Further, as the sun's longitude hourly increases  $2^{\circ}5'$  and that of the moon increases  $32'9$ , the moon moves quicker than the sun by  $30'4$  in 1 hour, therefore the moon has reached the sun  $\frac{23,6}{30,4} = \frac{319^{\circ}30'6 - 319^{\circ}6'4}{30'4} = 0^{\circ}78 = 47$  minutes after midnight.

The required exact time of the Newmoon of the first month in the  $31\frac{1}{2}$  year of the  $75\frac{1}{2}$  cycle or the  $14\frac{1}{2}$  year of the emperor Tao-Kuang, is the  $4\frac{1}{2}$  day, T'ing-Mao, of the Chinese sexagesimal week, 4,5 days after the tsie-kai Li-thun, in the morning 0 o'clock 47 minutes Peking mean time. The result of this calculation coincides exactly with that of the Chinese astronomers.

When for the year, in which the required Newmoon occurs, there exist any ephemeris such as the Nautical Almanac, the exact Greenwich time of the Newmoon is already calculated in this work. We add only the longitude (if east from Greenwich positive and if west negative) to the Greenwich time and have the required local time of the place. For instance, as the longitude east of Peking from Greenwich is equal to  $7^{\circ}45'9$ , we have to add it to the data

of the Nautical Almanac.

From the moon's age, exhibited in the Nautical Almanac we find the Chinese date by help of the simple rule: if the decimal fraction of the age is smaller than 9, add one to the number of whole days of the age; if the decimal fraction equals 9, add two to the number of the whole days of the age; the sum will be the Chinese date (Peking time). For, when the age, according to the Nautical Almanac, e. g. to day at Greenwich noon is  $0,9$ , the Newmoon or the 1<sup>st</sup> Chinese date was a day before at  $0,1$  P. M. Greenwich time or  $0,1 + 0,32 = 0,42$  Peking mean time in the afternoon; therefore today, for which the Nautical Almanac gives the age  $0,9$ , is the second of the Chinese month i.e. we have to add to the integer of  $0,9$ , which is in this case zero, 2, in order to get the Chinese date; the same rule holds good for all following days, for which the age is resp.  $1,9$   $2,9$   $3,9\dots$ . When the Nautical Almanac's age is  $0,0$  or  $0,1$  or  $0,2\dots$  or  $0,8$ , the Newmoon takes place to day at respectively  $0,32$  P. M.,  $0,22$  P. M.,  $0,12$  P. M.,  $0,02$  P. M.,  $0,42$  A. M.,  $0,32$  A. M.,  $0,22$  A. M.,  $0,12$  A. M.,  $0,02$  A. M. Peking time, therefore today is the 1<sup>st</sup> day of the Chinese month and we add only 1 to the integer, belonging to the moon's age.

The calculation of the time, when the sun enters the 24 tsie-khi, can be made either by using the astronomical fundamental tables, or, which is shorter, the Nautical Almanac. For instance: According to the Nautical Almanac for 1880 page 4:

January 5 at noon of Greenwich the sun's longitude  $284^{\circ}35'3$

" 6 " " " " "  $285^{\circ}36,5$

therefore the sun's longitude increases  $1'$  in  $\frac{94}{632}$  hours and  $24,7$  in  $\frac{24}{632} \cdot 24,7$  hours or  $9^{\text{h}}41^{\text{m}}$ , that is, January 5 at  $9^{\text{h}}41^{\text{m}}$  Greenwich time the sun had the longitude  $285^{\circ}$  or entered the tsie-khi Liao Han. The Chinese calendar date of Liao Han will be January 6 at  $27^{\text{m}}$  A. M., because they use Peking time, which is  $7^{\text{h}}46^{\text{m}}$  before the Greenwich time, and in the Nautical Almanac commences the day with noon, but in the Calendar with midnight.

Since the entrance of the sun in the 12 signs of the zodiac always occurs about the 21<sup>th</sup> of the European months and the European date of the Newmoon recedes every year about 11 days or every month nearly one day, the date of the Newmoon must pass the 21<sup>th</sup> of the European month every two or three years. About this passage we will meet a Lunation, which fulfills the conditions of the Chinese intercalary month. [see Table (25) and the following text]. This, for example, was the case with the 4<sup>th</sup> Lunation of the year 1879 A. D., because there

happened

the entrance of the sun in the sign Yeo of the zodiac April 20  $7^h 12^m$  P.M.

Newmoon

Mean Peking time

April 21  $9^h 41^m$  P.M.

Newmoon

May 21  $1^h 36^m$  P.M.

the entrance of the sun in the sign Shen of the zodiac May 21  $7^h 6^m$  P.M.

During the Lunation April 21  $9^h 41^m$  P.M. until May 21  $1^h 36^m$  P.M. the sun did not enter in a new sign of the zodiac; it was during the whole Lunation in the sign Yeo and had not passed over an even tsie-khi, but only over the odd tsie-khi Li Hia, the  $7^{\text{th}}$  tsie-khi of our table (25).

For this reason, the Lunation April 21 until May 21 in the Chinese Calendar for the Chinese year, commencing in 1879 A.D., received the No. 3, the same as the antecedent month and was the intercalary month.

The standard scale of the Chinese Chronology is the cycle of 60 years, similar to the Julian period of 7980 years.

The first year of the first sexagesimal cycle was the year 2633 B.C. or -2637 and the  $57^{\text{th}}$  year of the  $44^{\text{th}}$  cycle corresponds to -1 or 1 B.C.; the  $58^{\text{th}}$  year of the  $44^{\text{th}}$  cycle corresponds to +1 or 1 A.D. and the first year of the  $76^{\text{th}}$  cycle to +1864 or 1864 A.D.

## 11. Comparison between Chinese and European chronological dates.

As the Chinese Newyear occurs between the 21 January and 20 February, the Chinese twelfth month occurs always partly, sometimes entirely in the next European year; likewise the Chinese eleventh month sometimes extends into the next European year. It further follows, that the No. of the European month, if January has No. 1, February No. 2 etc. is mostly by 1, sometimes by 2 greater than the No. of the Chinese month, sometimes equal to that of the latter.

If given the Chinese sexagesimal cycle  $x$  and the year  $y$  of this cycle and if we require the year  $T$  of the Christian era, which has in common with  $y$  at least 10 months, we find,

when  $T$  negative or for all time before and equal to the  $57^{\text{th}}$  year of the  $44^{\text{th}}$  cycle

$$T = c \cdot 60 + y - 2698 \quad \text{Equation (26)}$$

and, when  $T$  positive or for all time after and equal to the  $58^{\text{th}}$  year of the  $44^{\text{th}}$  cycle,

$$T = c \cdot 60 + y - 2697 \quad \text{Equation (27)}$$

Vice versa, when  $T$  given and required  $c$  and  $y$ , we get, if  $T$  negative,

$$T + 2698 = c \cdot 60 + y$$

and the rule to find  $c$  and  $y$  is thus: if 60 in  $T + 2698$  is contained  $n$  times and the remainder is  $r$ , we have the identical equations

$$T + 2698 = n \cdot 60 + r = c \cdot 60 + y$$

$$\text{therefore the required } c = n \quad \text{Equation (28)}$$

$$\text{and} \quad " \quad y = r \quad \text{Equation (29)}$$

When  $T$  positive, we obtain from equation (27) :

$$T + 2697 = c \cdot 60 + y$$

and the rule to find  $c$  and  $y$ , when  $T$  is known : divide  $T + 2697$  by 60 ; if 60 in  $T + 2697$  is contained  $n$  times and the remainder  $r$ , we get

$$\text{the required } c = n \quad \text{Equation (30)}$$

$$\text{and} \quad \text{the required } y = r \quad \text{Equation (31).}$$

Example for elucidation.

1) Given  $c = 22$  and  $y = 5$ , required  $T$ .

As  $c$  is smaller than 44,  $T$  must be negative and using Equation (26), we find :  $T = 22 \cdot 60 + 5 - 2698 = -1343$  or 1343 B.C.

2) Given  $c = 76$  and  $y = 17$ , required  $T$ .

As  $c$  is greater than 44, we apply Equation (27) :

$$T = 76 \cdot 60 + 17 - 2697 = +1880 \text{ or } 1880 \text{ A.D.}$$

3) Given  $T = -1343$ , required  $c$  and  $y$ .

$T + 2698 = -1343 + 2698 = 1325 = 22 \cdot 60 + 5 = c \cdot 60 + y$ , therefore according to Equation (28) and (29)  $c = 22$  and  $y = 5$ .

4) Given  $T = +1880$ , required  $c$  and  $y$ .

$$T + 2697 = 1880 + 2697 = 4577 = 76 \cdot 60 + 17 = c \cdot 60 + y$$

$$\text{therefore } c = 76$$

$$\text{and} \quad y = 17.$$

It remains here to show, how to find the corresponding day of the Chinese sexagesimal cycle of days, when the European year, month and day are given ; and vice versa, how to find the European month and day (the date), when the Chinese year ( $c$  and  $y$ ) and the day of the sexagesimal cycle of days are given.

For this purpose the following table (33) is constructed, exhibiting the No and Name of the Chinese sexagesimal cycle's day at the first January of the Julian Calendar (old style) for the first 80 years of the Christian era.

Table (33)

Year of the cycle of 80 Julian years $x$	Name of the day of the cycle of 60 days $N$	Number of the day of the cycle of 60 days $M$
1	Ting - Kh'ow	14
2	Yen - Wu	19
3	Ting - H'ai	24
4	Yen - Chen	29
5	Wu - Su	35
6	Kwei - Mao	40
7	Wu - Shen	45

Table (33)

Year of the cycle of 60 Julian years X	Name of the day of the cycle of 60 days N	Numbers of the day of the cycle of 60 days M
bissextile 8	Kwei - Ch'ow	50
9	Ki - Wei	56
10	Kiah - Tzze	1
11	Ki - Sze	6
bissextile 12	Kiah - Su	11
13	Keng - Ch'en	17
14	Yih - Yeo	22
15	Keng - Yin	27
bissextile 16	Yih - Wei	32
17	Sin - Chow	38
18	Ping - Wu	43
19	Sin - Hai	48
bissextile 20	Ping - Ch'en	53
21	Ten - Su	59
22	Ting - Mao	4
23	Ten - Shien	9
bissextile 24	Ting - Ch'ow	14
25	Kwei - Wei	20
26	Wu - Tzze	25
27	Kwei - Sze	30
bissextile 28	Wu - Yu	35
29	Kiah - Shien	41
30	Ki - Yeo	46
31	Kiah - Yin	51
bissextile 32	Ki - Wei	56
33	Yih - Chow	2
34	Keng - Wu	7
35	Yih - Hai	12
bissextile 36	Keng - Ch'en	17
37	Ping - Yu	23
38	Sin - Mao	28
39	Ping - Shien	33
bissextile 40	Sin - Ch'ow	38
41	Ting - Wei	44
42	Ten - Tzze	49
43	Ting - Sze	54
bissextile 44	Ten - Yu	59
45	Wei - Ch'en	5

Table (33).

Year of the cycle of 80 Julian years	Name of the day of the cycle of 60 days	Number of the day of the cycle of 60 days M
46	Kwei - Yeo	10
47	Wu - Yin	15
bissextile 48	Kwei - Wei	20
49	Ki - Chow	26
50	Kiah - Wu	31
51	Ki - Hai	36
bissextile 52	Kiah - Ch'en	41
53	Keng - Yu	47
54	Yih - Mao	52
55	Keng - Shen	57
bissextile 56	Yih - Chow	1
57	Sin - Wei	8
58	Ting - Tze	13
59	Sin - Tze	18
bissextile 60	Ting - Yu	23
61	Ten - Ch'en	29
62	Ting - Yeo	34
63	Ten - Yin	39
bissextile 64	Ting - Wei	44
65	Kwei - Chow	50
66	Wu - Wu	55
67	Kwei - Hai	60
bissextile 68	Wu - Ch'en	5
69	Kiah - Yu	11
70	Ki - Mao	16
71	Kiah - Shen	21
bissextile 72	Ki - Chow	26
73	Yih - Wei	32
74	Keng - Tze	37
75	Yih - Tze	42
bissextile 76	Keng - Yu	47
77	Ting - Ch'en	53
78	Sin - Yeo	58
79	Ting - Yin	3
bissextile 80	Sin - Wei	8
81	Ting - Chow	14

This table shows, that after the expiration of 80 Julian years the same Chinese name or the same day M of the Chinese sexagesimal week, corresponding to the 1 January of the Julian Calendar,

again appears.

The reason for this law is, that 6 Chinese weeks are equal to 360 days and that therefore the figure  $M$  increases every common year by 5 and every leap year by 6 and every 4 years of the Julian Calendar by  $3.5 + 6 = 3.7$  and finally every 80 years by  $3.7 \cdot 20 = 7.60$  or seven whole cycles of 60 days.

As the table (33) is so constructed, that the first cycle of the 80 years commences with 1 A.D., the place  $x$  of any year  $T$  A.D. will be the remainder of the division  $\frac{T}{80}$ , therefore

$x = T - n \cdot 80$ , if  $T$  positive and  $n$  a positive integer or zero,  
and  $x = T + 1 + n \cdot 80$ , if  $T$  negative and if  $n$  denotes a positive integer so selected, that  $x$  always positive. If the division of  $T$  by 80 or  $T+1$  by 80 (when  $T$  negative) gives the remainder zero, then is  $x = 80$ .

The application of these formulas and table (33) can be best elucidated by help of the following examples.

In the Chinese annals there is mentioned a solar eclipse in the 16<sup>th</sup> year of the emperor Muti of the dynasty Tsin, on the first day of the 8<sup>th</sup> month with the characters Sin-Ch'ow.

At what day of the Julian Calendar did this eclipse occur?

According to our table of the Chinese emperors (chapter 18), the first year of Muti was 345 A.D., therefore his 16<sup>th</sup> year was 360 A.D.

$T = 360$  divided by 80 gives the remainder  $x = 40$  and the table (33) exhibits for  $x = 40$  the 38<sup>th</sup> day of the sexagesimal week with the characters Sin-Ch'ow, corresponding to the 1 January of the year 360 A.D. Since the Han dynasty the 8<sup>th</sup> Chinese month is that lunation, during which the sun enters the sign Th'ien of the zodiac Tsu-fen Sept. 22. As from the 1 January until 28 August there elapse  $30 + 29 + 31 + 30 + 31 + 30 + 31 + 28 = 240 = 4.60$  days (360 A.D. was a leap year), the 28 August 360 A.D. is the 38<sup>th</sup> day of the Chinese sexagesimal week, called Sin-Ch'ow, and finally, 28 August 360 A.D. is the desired day of the Julian Calendar.

From the astronomical tables we find, that on that day there really happened a solar eclipse, visible in China.

Second example.

Required the day of the Chinese sexagesimal week, simultaneous with the 1 January 1880 A.D. of the Gregorian Calendar.

1880 divided by 80 gives the remainder  $x = 40$  and table (33) the day Sin-Ch'ow or the 38<sup>th</sup> day of the Chinese sexagesimal week, corresponding to the 1 January of the Julian (old style) or to the 13 January of the Gregorian Calendar (new style). Therefore it corresponds to the 1 January of the Gregorian Calendar 1880 A.D. the 38-12 or the 26<sup>th</sup> day of the Chinese sexagesimal week, called, according to our table (3), Ki-Ch'ow.

12. A short explanation of the Calendars  
of the more important ancient  
nations and of the Mahometans.

All ancient nations, living about 2000 or more years ago, regulated their Calendars by the moon and sun, in the same way as the Chinese, giving to a common year 12 lunations and intercalating from time to time a 13<sup>th</sup> lunation, in order to bring their Lunar-year to agree with the Solar-year.

The ancient Egyptians were an exception to this rule; their year was a pure Solar-year of exactly 365 days, divided into 12 months of 30 days, each year with 5 additional days at the end of the year. Though this intelligent race knew at a very early period, that the exact length of the Solar-year was not 365, but nearly  $365\frac{1}{4}$  days, they neglected the fraction  $\frac{1}{4}$  every year, so that New year's day fell in the course of 1461 years in each of the four seasons, the error, according to their calculation, after 1461 years being equal to  $\frac{1461}{4} = 365\frac{1}{4}$  days or to a whole year. From an exact calculation it follows, that the Egyptian Newyear's day had fallen in each of the four seasons in  $\frac{365,84224}{0,24224} = 1508$  years.

The Egyptians were the first of the ancient nations to establish the period of seven days, the so called week; probably originating from religious rites and observances of the seven heavenly bodies: the Sun, the Moon, Mars, Mercury, Jupiter, Venus and Saturn.

The Calendar of the Athenians, the most important of the Greeks, was similar to that of the Chinese. Until the year 433 B.C. the months had alternately 29 and 30 days, they intercalated in the course of 8 years three months, each of which had 29 days; and their Lunar-year commenced about the summer-solstice.

About 433 B.C. the Athenians became acquainted with the Lunar-cycle of 19 years, discovered by the Egyptians, and intercalated, according to it, seven months in the course of 19 years.

The Greeks used (a system, similar to the Chinese cycle of 60 years) a cycle of 4 years, called Olympiads. The first year of these Olympiads was 776 B.C. July 1, so that for instance the second year of the 42 Olympiad is  $776 - (4 \cdot 41 + 1) = 611$  B.C.

If  $T$  denotes the year B.C.,  $c$  the number of the Olympiad and  $y$  the year in  $c$ , then we have  $T = c \cdot 4 + y - 781$ , and if  $T$  denotes the year A.D., then will be  $T = c \cdot 4 + y - 780$ .

The month of the Athenians was divided into three decades, but the week of seven days was not received.

The Calendar of the ancient Romans, a people chiefly engaged in war, was for the most part borrowed from the Greeks and until 45 B. C., the year of the establishment of the Julian Calendar, disorder and great confusion prevailed. Their year commenced mostly in winter. The week of seven days was not received, but their month was divided into three unequal parts, called Calends, Nones and Ides.

The Lunar-year of the Jews is arranged in a similar manner to that of the Greeks and the Chinese : i.e. the course of 19 years they intercalate 7 months and the positions of the leap-years in the Lunar-cycle are the same as those of the Chinese leap-years, viz. the 3, 6, 8, 11, 14, 17 and 19<sup>th</sup> year of the cycle.

In the time of Moses, 1600 B. C. the Jews commenced their year with the Newmoon, that occurred nearest to the vernal equinox, but from the time of Ezra and the Maccabees, 200 B. C., until the present time, it commences in autumn with the month called Tisri.

The week of seven days the Jews received from the Egyptians and from the Jews this week has been handed down to Christian nations. The first year of the Jews is 4004 B. C., 1 January, or the 710<sup>th</sup> year of the Julian period.

In concluding this short explanation of the Calendars of the different nations of the world, I would mention the peculiar Calendar of the Musalmens, as distinguished from that of all other nations in the adoption of a pure Lunar-year, which has regard only to the moon's course, irrespective of that of the sun's, which is entirely ignored, so that Newyear's day falls in each of the seasons in about 34 solar years. Every year, without exception, has 12 months; the month commences with the Newmoon; the length of the months is alternately 30 and 29 days; the length of the year is either 354 or 355 days: 354 days, where 6 months consists of 29 and 6 of 30 days; and 355 days, where 5 months consists of 29 days and 7 of 30 days.

During a cycle of 30 years there are 19 years of 354 days and 11 years of 355 days; the years of 355 days are the 2, 5, 7, 10, 13, 16, 18, 21, 24, 26 and 29<sup>th</sup> year of this 30 yearly cycle.

Thus the number of days contained in 30 Lunar-years of the Musalmens will be =  $19 \cdot 354 + 11 \cdot 355 = 10631$  days, whilst the exact value of these 30 years =  $12 \cdot 30 \cdot 29,53059 = 10631,01$  days.

Dr. Fritzsche, On Chronology.

Therefore the error in the Mahomedan Calendar will be only sensible after some thousand years.

The commencement of the Mahomedan's era is the 16 July 622 A.D., called Heggra. The place of any year  $\Delta$  in the above mentioned cycle of 30 years is the remainder  $r$  of the division  $\frac{\Delta}{30}$  and, if  $r$  equals any of the figures 2, 5, 7, 10, 13, 16, 18, 21, 24, 26 or 29, the year  $\Delta$  will consist of 355 days. The last month of such a year will have 30 days, whilst the years of 354 days will have in the last months only 29 days.

The week of seven days is also used by the Mahomedans, who keep the 6<sup>th</sup> day of the week (the Christian Friday) as holy-day, whilst Christian nations keep holy the first day, Sunday, and the Jews the 7<sup>th</sup> day, called Saturday.

### 13. Rising and Setting of the Sun.

If  $t$  denotes the hour angle of the sun, when setting or rising,  $d$  its declination and  $a$  the geographical latitude of the place, for which the Rising and Setting of the Sun is to be calculated, then we can calculate  $t$  by help of the following formula :

$$\cos. t = - \operatorname{tg}. a \operatorname{tg}. d$$

As this formula can be used not only for the Sun, but also for the Moon, fixed stars and Planets, and as  $d$  for Sun and Moon is included within the limits  $-28^{\circ}$  and  $+28^{\circ}$ , we have for Peking, the latitude of which is  $a = +39^{\circ} 58'$ , calculated the following table, in order to facilitate the calculation of Sunrise and Sunset.

Table (34)

$d$	$\frac{t}{15}$	$d$	$\frac{t}{15}$	$d$	$\frac{t}{15}$
-28'	4 <sup>h</sup> 14 <sup>m</sup>	-15'	5 <sup>h</sup> 15 <sup>m</sup>	+2'	6 <sup>h</sup> 7 <sup>m</sup>
-27	19	-12	19	+3	10
-26	24	-11	22	+4	13
-25	28	-10	26	+5	17
-24	33	-9	29	+6	20
-23	37	-8	33	+7	23
-22	41	-7	36	+8	27
-21	45	-6	39	+9	30
-20	49	-5	43	+10	34
-19	53	-4	46	+11	37
-18	57	-3	50	+12	41
-17	5	1	53	+13	45
-16	5	-1	57	+14	48
-15	8	0	6 0	+15	52
-14	12	+1	3	+16	56

$d$	$\frac{t}{15}$	$d$	$\frac{t}{15}$	$d$	$\frac{t}{15}$
+17°	6 <sup>h</sup> 59 <sup>m</sup>	+21°	7 <sup>h</sup> 15 <sup>m</sup>	+25°	7 <sup>h</sup> 38 <sup>m</sup>
+18	7 3	+22	19	+26	37
+19	7	+23	24	+27	42
+20	11	+24	28	+28	46

Further, Mean time - apparent time being equal to  $e$  and the influence of the sun's semidiameter and refraction being equal to  $r = \frac{3^m 27}{\cos a \cos d \sin t}$ , for the sun's superior edge the mean time of

the Rise will be equal to  $12^h + e - (\frac{t}{15} + r)$  formula (35)

Set will be equal to  $e + \frac{t}{15} + r$  formula (36)

In these formulas are assumed  $t$  and  $r$  positive and  $t$  reckoned for Sunrise from the meridian to East and for Sunset from the meridian to West.

Example: Calculate the rise and set of the sun for the 4 May 1880 at Peking

According to the Nautical Almanac 1880 page 94 at the 4 May is  $d = +16^{\circ} 4'$ ,  $e = -3^m$  and  $r = \frac{3^m 27}{\cos a \cos d \sin t}$  for Peking can be assumed for all seasons =  $4^m$ .

Therefore, taking  $\frac{t}{15}$  from table (34) we get:

$$12^h + e - \left(\frac{t}{15} + r\right) = 11^h 57^m - 7^h 0^m = 4^h 57^m A.M. Sun's Rise, superior edge, and \\ e + \frac{t}{15} + r = -3^m + 7^h 0^m = 6^h 57^m P.M. Sun's Set, superior edge.$$

#### 14. Rising and Setting of the Moon.

First find the mean local time of the Moon's passage through the meridian of the place on the Earth surface, the eastern longitude of which may be  $l$  and latitude  $a$ .

If  $j$  denotes the hourly motion of the Moon's rightascension, expressed in minutes of time,  $a'$  the rightascension of the Moon at the moment of its culmination at Greenwich, and  $t'$  the sidereal time at Greenwich noon (all three,  $j$ ,  $a'$ ,  $t'$  are shown in the Nautical Almanac) and if  $l$  is expressed in hours, the Moon's rightascension, when in the meridian of the place, whose longitude is  $l$ , is  $a' - j.l$  and the sidereal time at mean noon of this place is equal to  $t' - l.0,164$ , the increase of  $t'$  being in 24 hours  $3^m 94$  and in 1 hour  $0,164$  minutes.

As the Moon is in the meridian in that moment, in which the sidereal time is equal to its rightascension  $a' - j.l$ , at the

De Fritsch. On Chronology

36.

moment of the Moon's culmination on the place, whose longitude is  $\ell$ , between its mean noon, when the sidereal time is  $t' - \ell, 0^m 164$ , and the moment of the culmination, when the sidereal time is  $a' - \ell$ , are elapsed the sidereal hours and minutes

$$a' - \ell - (t' - \ell, 0^m 164) = a' - t' - \ell (1 - 0^m 164) \quad \text{Expression (37)}$$

This expression, reduced to mean time, is the required mean time of the Moon's passage through the meridian of that place, the eastern longitude (from Greenwich) of which is  $\ell$ .

The quantity  $a' - t'$ , reduced to mean time, is shown in the Nautical Almanac under the rubric, Meridian Passage, Upper.

We have therefore only to calculate the small quantity  $\ell (1 - 0,164)$ , whose reduction to mean time can be passed over from its insignificance.

As the Moon has a proper motion to the East, in right ascension in 1 hour 3 minutes of time, it has to pass from the horizon to the meridian or from the meridian to the horizon not only through the angle  $t$  ( $t$  must be calculated by the formula  $\cos t = -\tan a \cdot \tan d$ ), but also through an arc of  $3.15 \cdot \frac{t}{15}$  minutes or  $\frac{3.15}{60}$  degrees and the time elapsed between the position of the Moon in the horizon and the meridian is not  $\frac{t}{15}$  but  $(\frac{t}{15} + \frac{3.15}{15.60})$  sidereal hours or nearly  $\frac{t}{15} + \frac{3.15}{15.60} - \frac{1}{6} \cdot \frac{t}{15.60}$  or

$$\left[ \frac{t}{15} + \frac{t}{15.60} (1 - 0.17) \right] \text{mean hours.}$$

According to this we obtain the mean local time

$$\text{of the Rising of the Moon equal to } (a' - t') - \ell (1 - 0.164) - \left[ \frac{t}{15} + \frac{t}{15.60} (1 - 0.17) \right]$$

$$\text{and of the Setting of the Moon equal to } (a' - t') - \ell (1 - 0.164) + \left[ \frac{t}{15} + \frac{t}{15.60} (1 - 0.17) \right]$$

These expressions hold good for the moment, when the Moon's centre is in the true horizon, passing through the centre of the Earth. In order to reduce them to the sensible horizon, passing through the place of observation on the Earth's surface, we calculate the quantity  $p = \frac{400}{\cos a \cos d \sin t}$ . Besides this correction for Rising and Setting of the Moon, is to be calculated the influence of the refraction  $r = \frac{130}{\cos a \cos d \sin t}$  and, as  $p$  and  $r$  have always contrary signs,  $p - r$  being equal to  $\frac{130}{\cos a \cos d \sin t}$ , we get finally the following formulas :

Formula (38)

$$\text{Mean local time of the Rising of the Moon} = [a' - t'] - \ell [1 - 0.164] - \left[ \frac{t}{15} + \frac{t}{15} (1 - 0.17) \right] + \frac{130}{\cos a \cos d \sin t}$$

Formula (39)

$$\text{Mean local time of the Setting of the Moon} = [a' - t'] - \ell [1 - 0.164] + \left[ \frac{t}{15} + \frac{t}{15} (1 - 0.17) \right] - \frac{130}{\cos a \cos d \sin t}$$

If  $\ell$  is expressed in hours and fractions of hours and  $\jmath$  in minutes of time,  $\ell(\jmath - 0,164)$  will be obtained in minutes; if also in the expression  $\frac{\ell}{15}(\jmath - 0,17)$ ,  $\frac{\ell}{15}$  is expressed in hours and decimal fractions of hours, and  $\jmath$  in minutes,  $\frac{\ell}{15}(\jmath - 0,17)$  will be calculated in minutes.

The calculation of the Rising and Setting of the Moon for any given place can be facilitated very much by help of tables.

For instance for Peking we have  $\ell = 7,8$  and  $\alpha = +39^{\circ}55'$ . As on this latitude the hour angle  $\ell$  of the Moon never differs much from  $90^{\circ}$  and as  $d$  fluctuates near  $0^{\circ}$ , cosel. sint will be always nearly equal to 1 and the influence of the refraction and parallax can be assumed for Peking constant  $\frac{1,80}{\cos \alpha} = 2,3$ .

As the hourly variation of the Moon's rightascension,  $\jmath$ , is included within the limits  $1,8$  and  $3,0$ , we bring the expression  $\ell(\jmath - 0,164) = 7,8(\jmath - 0,164)$  in the following table (40):

$\jmath$	$7,8(\jmath - 0,164)$
$1,8$	$13^m$
$1,9$	$14$
$2,0$	$14$
$2,1$	$15$
$2,2$	$16$
$2,3$	$17$
$2,4$	$17$
$2,5$	$18$
$2,6$	$19$
$2,7$	$20$
$2,8$	$21$
$2,9$	$21$
$3,0$	$22$

$\frac{\ell}{15}$  we can take immediately from table (34), contained in chapter 13.

For  $\frac{\ell}{15}(\jmath - 0,17)$  I have calculated the following table (41):

$\frac{\ell}{15}$	$\jmath = 1,8$	$1,9$	$2,0$	$2,1$	$2,2$	$2,3$	$2,4$	$2,5$	$2,6$	$2,7$	$2,8$	$2,9$	$3,0$
$4,6$	$7^m$	$8^m$	$8^m$	$9^m$	$9^m$	$10^m$	$10^m$	$11^m$	$11^m$	$12^m$	$12^m$	$13^m$	$13^m$
$5,0$	$8$	$9$	$9$	$10$	$10$	$11$	$11$	$12$	$12$	$13$	$13$	$14$	$14$
$5,4$	$9$	$9$	$10$	$10$	$11$	$11$	$12$	$13$	$13$	$14$	$14$	$15$	$15$
$5,8$	$9$	$10$	$11$	$11$	$12$	$12$	$13$	$14$	$14$	$15$	$15$	$16$	$16$
$6,2$	$10$	$11$	$11$	$12$	$13$	$13$	$14$	$14$	$15$	$16$	$16$	$17$	$18$
$6,6$	$11$	$11$	$12$	$13$	$13$	$14$	$15$	$15$	$16$	$17$	$17$	$18$	$19$
$7,0$	$11$	$12$	$13$	$14$	$14$	$15$	$16$	$16$	$17$	$18$	$18$	$19$	$20$
$7,4$	$12$	$13$	$14$	$14$	$15$	$16$	$16$	$17$	$18$	$19$	$19$	$20$	$21$
$7,8$	$13$	$13$	$14$	$15$	$16$	$17$	$17$	$18$	$19$	$20$	$20$	$21$	$22$

The application of these tables (34) (40), (41) and of the formulas (38), (39) we will explain by help of the following example.

Calculate the mean Peking time of the Moon's culmination, its Rising and Setting on the 4 May 1880, civil or Calendar date.

Nautical Almanac page 77, astronomical date May 3	$\alpha' - t' = 20^h 18^m$
" " " 377, $\gamma = 2^{\circ} 0'$ , therefore, according to table (40) $P(\gamma - 0,164) = + 14$	$= + 14$
$\alpha' - t' - \ell(\gamma - 0,164) =$ Mean time of Culmination at Peking	$= 20^h 4^m$
Nautical Almanac pag 377 d = $-3^{\circ} 0'$ , hence, according to (34) and (41) $\frac{t}{15} + \frac{t}{15}(\gamma - 0,17)$	$= 6^h 1^m$
therefore $(\alpha' - t') - \ell(\gamma - 0,164) - [\frac{t}{15} + \frac{t}{15}(\gamma - 0,17)]$	$= 14^h 3^m$
Parallax and Refraction $\frac{1}{\cos \alpha}$	$= + 2$
Peking, Rising of the Moon, Calendar style May 4	$2^h 5^m A.M.$
Nautical Almanac page 377 d for Moon; $\delta t = -0^{\circ} 3$ , table (34) and (41) give $\frac{t}{15} + \frac{t}{15}(\gamma - 0,17)$	$= 6^h 10^m$
Culmination $\alpha' - t' - \ell(\gamma - 0,164)$	$= 20^h 4^m$
therefore $\alpha' - t' - \ell(\gamma - 0,164) + \frac{t}{15} + \frac{t}{15}(\gamma - 0,17)$	$= 2^h 14^m$
Parallax and Refraction	$= -2^m$

Peking, Setting of the Moon, Calendar style May 4  $2^h 12^m P.M.$

### 15. Rising and Setting of the Planets and fixed Stars.

As the proper motion of the Planets during a quarter of a day is so insignificant and that of the fixed Stars is zero, the calculation of their Culmination, Rising and Setting is easier than that of the Moon. When  $t'$  and  $\ell$  have the same meaning as in the chapter 14. and  $\alpha'$  denotes the rightascension of the Planet or fixed Star, the number of sidereal hours and minutes elapsed from the mean noon until the culmination at the place, whose longitude from Greenwich is  $\ell$ , will be, according to the expression (37), —  $\gamma$  being in this case zero —,  $\alpha' - (t' - \ell, 0,164)$ , therefore the mean time of culmination

$$\ell = \alpha' - (t' - \ell, 0,164) - \frac{\alpha' - t'}{6}.$$

The quantity  $\frac{\alpha' - t'}{6}$  represents minutes of time,  $\alpha'$  and  $t'$  being expressed in hours and decimal fractions of hours; similarly  $\ell, 0,164$  represents minutes, when  $\ell$  is expressed in hours and decimal fractions of hours. Then calculate the hour angle  $t$  by help of the formula  $\cos t = -\tan \alpha' \sin \ell$ .

and the refraction  $r = \frac{2,20}{\cos \text{co-dsint}}$  and the mean local time of the Planet's or Star's

$$\text{Rising will be } \ell - \left[ \frac{t}{15} - \frac{t}{15.6} \text{ minutes} \right] - r \quad \text{Formula (42)}$$

$$\text{and the Setting} \quad = \ell + \left[ \frac{t}{15} - \frac{t}{15.6} \text{ minutes} \right] + r \quad \text{Formula (43)}$$

For example. Calculate the Rising and Setting of the fixed star Sirius for Peking on the 4 May 1879.

$\ell = 7^{\circ} 8'$ ,  $a = +39^{\circ} 55'$ ; according to the Nautical Almanac for 1879 page 333  $a' = 6^{\circ} 40'$ ,  $d = -16^{\circ} 33'$  and according to page 75  $t' = 2^{\circ} 48'$ . Therefore  $\ell, 0, 164 = 1^{\frac{m}{3}}$ ;  $\frac{a' - t'}{6} = \frac{6^{\circ} 2^{\circ} 8'}{6} = 0^{\circ} 65$  and  $\ell = 6^{\circ} 40' - 2^{\circ} 47' - 1^{\frac{m}{3}} = 3^{\circ} 52' \text{ P.M.}$

Further, according to table (34)  $\frac{t}{15} = 5^{\circ} 3'$ , hence  $\frac{t}{15.6} = \frac{5}{6} = 0^{\frac{m}{8}}$ ;  $r = 3^{\frac{m}{8}}$  and finally the mean local time of Sirius

Rising  $3^{\circ} 52' - 5^{\circ} 2' - 3' = 10^{\circ} 47' \text{ A.M. May 4 1879 Calendar Style}$   
 Setting  $3^{\circ} 52' + 5^{\circ} 2' + 3' = 8^{\circ} 57' \text{ P.M. May 4 1879 Calendar Style.}$

## 16. Eclipses of the Moon and the Sun.

An eclipse is the concealment or obscuration of the disc of the sun or moon by an interception of the sun's rays.

A solar eclipse is caused by the passage of the moon between the earth and the sun so as to conceal the sun from our view.

A lunar eclipse is caused by the passage of the moon through the earth's shadow.

The limit north or south of the ecliptic, within which an eclipse must or can occur is larger in the case of solar eclipses than in the case of lunar eclipses.

A solar eclipse must occur, when the moon's latitude is smaller than  $1^{\circ} 24'$ ; when the moon's latitude is between  $1^{\circ} 24'$  and  $1^{\circ} 35'$ , then a solar eclipse can take place.

A lunar eclipse must take place, when the moon's latitude is smaller than  $52'$ ; and when the moon's latitude lies between  $52'$  and  $1^{\circ} 3'$ , then a lunar eclipse can occur.

As the inclination of the moon's orbit to the ecliptic is nearly  $5^{\circ} 9'$ , to the latitudes  $1^{\circ} 35', 1^{\circ} 24', 1^{\circ} 3'$  and  $52'$  correspond respectively the longitudes of the moon or its distances from the node  $17^{\circ} 51', 15^{\circ} 44', 11^{\circ} 44'$  and  $9^{\circ} 40'$ .

The greatest number of eclipses that can happen in a year is seven: five of the sun and two of the moon or four of the sun

and three of the moon.

The least number is two, both of which must be of the sun.

The usual number is four, and it is rare to have more than six. Solar eclipses do not actually occur as often as lunar eclipses at any particular place, because the latter are always visible to an entire hemisphere, the moon being really deprived of the sun's light by the earth, whereas the former are only visible to that part of the earth's surface covered by the moon's shadow or its penumbra, the occulted body, the sun, being not deprived really of its light. When the whole of the sun's or moon's disc is concealed, the eclipse is said to be total; when only a part of it is concealed, it is said to be partial.

In order to measure the extent of the eclipse, the apparent diameters of the sun and moon are divided into twelve equal parts, called digits. When the centres of the sun and moon coincide, the eclipse is said to be central. A central lunar eclipse must be always total, the diameter of the earth's shadow, where the moon crosses it, being always at least more than twice as great as the diameter of the moon; but a central solar eclipse need not to be a total one, when the moon's shadow does not reach the earth's surface, being too far from the latter. In this case the solar eclipse is called annular.

As the occurrence of eclipses depend upon the time of the New- and Full-moon, distant from each other about half a month, and from the position of the moon's node-line, moving with the earth around the sun and pointing (or what is the same: the moon's node and the sun having the same longitude) to the sun every 5-6 months, the intervals between the eclipses must be either about half a month or about  $5\frac{1}{2}$  months.

Eclipses of both the sun and moon recur in nearly the same order, and at the same intervals, after the expiration of 18 years and 10 or 11 days, according as there may be 5 or 4 leap years in this period. For, a lunation is about 29,53 days, and the time of a revolution of the sun with respect to the node, 346,62 days, which periods are nearly in the ratio 19 to 223, so that 223 lunations are almost equal to 19 revolutions of the sun with respect to the node; the products 346,62 · 19 and 29,53 · 223 being both very nearly  $6585\frac{1}{2}$  days or 18 solar years and 10 to 11 days.

This is called the cycle or period of eclipses. The eclipses, which occur during one such period being noted, subsequent eclipses may easily be predicted; as their order is the same, only they are 10 or 11 days later in the month and about 8 hours later in the day, so that in one cycle eclipses may be visible, and in the next in vi-

sible at a particular place. During this period of 18 years and 10 or 11 days there are generally 41 solar and 29 lunar eclipses. Thus for instance a lunar eclipse occurred January 6 1852 A.D. and 18 years 11 days later or on the 17 January 1870 it took place again.

The approximate time at which an eclipse will occur may be discovered by help of the foregoing remarks. Their exact time can be calculated only by help of the longitude and latitude (or rightascension and declination) of the sun and moon, their hourly motions and parallaxes, being calculated for the opposition or conjunction either from the fundamental tables or being immediately taken from the Nautical Almanac.

For the calculation of the lunar eclipses we need the following elements, which can be calculated either from the astronomical fundamental tables of the sun and moon or can be taken from the Nautical Almanac;  $t$  the time of opposition, when the rightascension of the moon's and sun's centre, seen from the centre of the earth, differ  $180^\circ$ ;

$\alpha$  the rightascension of the moon's centre at the time  $t$ ;

$P$  the moon's distance from the northpole at  $t$ ;  $P$  is equal  $90^\circ - d$ , when  $d$  the moon's declination;

$P_1$  the distance from the northpole of that point on the heavenly sphere, which is opposite to the sun;  $P_1 = 180^\circ - (90^\circ - d_s) = 90^\circ + d_s$ , when  $d_s$  denotes the sun's declination;

$a$  the hourly motion of the moon's rightascension  $A_1$ , about  $t$ , always positive;

$a_1$  the hourly motion of the sun's rightascension about  $t$ , always positive;

$v$  the hourly motion of  $P$ ;

$v_1$  the hourly motion of  $P_1$ ;

$p$  the Equatorial horizontal parallax of the moon;

$p_1$  the Equatorial horizontal parallax of the sun;

$m$  the true semidiameter of the moon;

$m_s$  the true semidiameter of the sun.

The formulas, by which we calculate the principal phases of a lunar eclipse, if  $t$ ,  $\alpha$ ,  $P$ ,  $P_1$ ,  $a$ ,  $a_1$ ,  $v$ ,  $v_1$ ,  $p$ ,  $p_1$ ,  $m$  and  $m_s$ , given, are:

$$\operatorname{tg} n = \frac{v_1 - v}{(a - a_1) \sin P_1}$$

$$\ell = (P_1 - P) \cos n$$

$$h = \frac{\sin n}{v_1 - v}$$

$h$  being equal to  $\frac{1}{K}$ , supposing that  $K$  is the moon's hourly motion in its path B.N.D.

The time  $M$  of the greatest occultation or the middle of the eclipse

$$M = t \pm h(P_i - P) \sin n$$

The quantity  $h(P_i - P) \sin n$  is positive, when the greatest occultation takes place later than the opposition  $t$ , and negative, when earlier. (cf. the following numerical example).

The semidiameter  $R$  of the earth's shadow, where the moon crosses it, is

$$R = p + p_i - m,$$

If  $q$  denotes the number of digits of occultation at any moment  $T$ , we get

$$\cos u = \frac{e}{R + m - \frac{m \cdot q}{6}}$$

$$\text{and } T = M \pm h \cdot e \cdot \operatorname{tg} u$$

Finally the maximum  $Q$  of occultation in digits or the magnitude of the eclipse, is:

$$Q = \frac{6}{m} (R + m - e).$$

At the beginning and end of the occultation  $q$  is equal to zero; at the beginning and end of the total occultation  $q$  is equal to 12. In order to illustrate the method, we will calculate a lunar eclipse, occurring June 22 1880.

To make this better understand I have drawn up the annexed diagram.  $C$  represents the centre of the earth's shadow, where the moon crosses it;  $CF = CF_1 = CE = CY = R$  the radius of the conic section, produced by a plane, drawn perpendicular to the axis of the earth's shadow;  $FCE$  represents a parallel circle,  $F_1CY$  a declination circle;  $BYGND$  the apparent path of the moon's centre through the earth's shadow;  $n = BN^E = NCY$ .

The maximum of occultation will take place, when the moon's centre is at  $N$ , supposing that  $CN$  is perpendicular to  $DB$ , because then the moon's centre is nearest to the centre  $C$  of the shadow.

$CN = e$ ;  $CG = P_i - P$ ;  $NCY = u$ , the moon's centre being in  $Y$  at the time  $T$ .

We take from the Nautical Almanac for the year 1880 page 399 the following elements for our calculation.

$t = 1^h 45^m 2^s 6$  the moment, when the moon's centre is at  $G$

$$A = 18^h 6^m 16^s 3$$

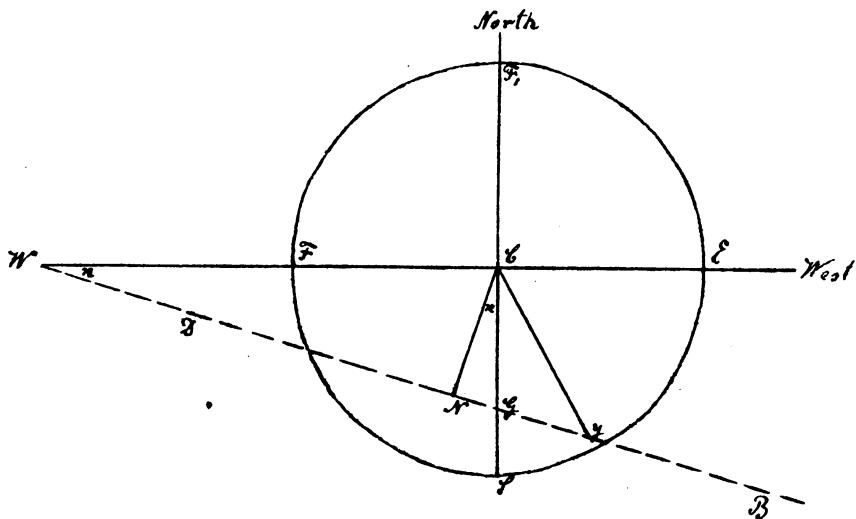
$$P = 90^\circ - (-23^\circ 54' 5) = 113^\circ 54' 5$$

$$P_i = 90^\circ + 23^\circ 26' 8 = 113^\circ 26' 8$$

$$a = +41' 46 \quad a_i = +2' 60 \quad v = -3' 92 \quad v_i = +0' 025$$

$$p = 61' 31 \quad p_i = 0' 15 \quad m = 16' 74 \quad m_i = 15' 77$$

therefore  $v_i - v = +3' 945$ ;  $a - a_i = +38' 86$ ,  $\log. \operatorname{tg} n = 9,04398$  and  $n = 6^\circ 18' 9$ . Further  $P_i - P = -24' 7$ , hence  $\log. e = 1,43984_n$ ;  $\log h = 8,44533$ ;  $\log [h(P_i - P) \sin n] = 8,92919$ , therefore  $h(P_i - P) \sin n = 0' 085 = 5' 7$ .



From our diagram it follows, that the maximum of occultation in our case happens after the opposition  $t$  at  $Q$ , when the moon's centre has passed  $Q$  and has arrived at  $N$ , consequently  $\frac{t}{l}$  positive and  $M = 1^h 45^m 0 + 5^s \dot{3} = 1^h 50^m 5 = t + h(P-Q) \sin n$ .

$P+m = p+p_s - m, +m = 62^h 43^m$ , and as for the beginning and the end of the eclipse  $q$  equals zero, it will be  $\cos u = \frac{e}{P+m}$ , therefore  $u = 116^\circ 10' 6$  and e.h.tg  $u = 1^h 56^m 2 = 1^h 33^m 7$ .

According to this, the first contact with the shadow happens at  $T = M - h.e.tg u = 1^h 50^m 5 - 1^h 33^m 7 = 0^h 16^m 8$  and the last contact at  $T = M + h.e.tg u = 1^h 50^m 5 + 1^h 33^m 7 = 2^h 23^m 8$ .

At the beginning of the total occultation of the moon,  $q$  is equal 12, therefore  $\cos u = \frac{e}{P+m-2m} = \frac{e}{P-m} = \frac{e}{26^m 5}$ ; it follows  $u = 161^\circ 53' 5$  and h.e.tg  $u = 0^h 24^m 95 = 15^m 0$ , therefore the beginning of Total phase  $T = M - h.e.tg u = 1^h 50^m 5 - 15^m 0 = 1^h 35^m 5$  and the end of Total phase  $T = M + h.e.tg u = 1^h 50^m 5 + 15^m 0 = 2^h 5^m 5$ .

The 5 quantities viz :

First contact with the Shadow	$0^h 16^m$
Beginning of Total Phase	$1^h 35^m$
Middle of the Eclipse	$1^h 50^m$
End of Total Phase	$2^h 5^m$
Last contact with the Shadow	$3^h 24^m$

are expressed in Greenwich mean time; in order to find the corresponding mean local time of any other place, whose longitude from Greenwich is  $l$ , we add  $l$ , when east and subtract  $l$ ,

when west from Greenwich.

For instance for Peking is  $\ell = 7^{\circ}46' \text{ east}$ , therefore

First contact with the shadow	1880 June 22 8 <sup>h</sup> 2 <sup>m</sup> 9. M. Peking mean time
Beginning of Total Phase	9 21 P.M. " " "
Middle of the Eclipse	9 36 P.M. " " "
End of Total Phase	9 51 P.M. " " "
Last contact with the shadow	11 10 P.M. " " "

In comparing these results with the calculation of the Nautical Almanac, we find small, insignificant differences, principally due to the neglect of small corrections, mentioned in the next chapter, which deals with the Solar eclipses. This is a matter of no importance, because the phenomenon itself is, in consequence of the existence of the penumbra, not well defined and can not be observed exactly.

The magnitude  $Q$  of the eclipse in digits we find by help of the formula  $Q = \frac{b}{m} (R + m - e)$ , equal to 12,5 and in units of the moon's diameter equal  $\frac{12,5}{12} = 1,04$ .

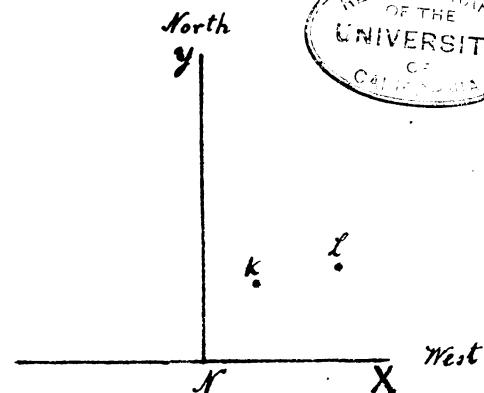
The moments of the phases of the lunareclipses and their magnitude can be taken immediately, without calculation, from the Nautical Almanac. Then it is only necessary to add to the moments of the phases, shown in the Nautical Almanac the longitude  $\ell$  — positive, when east, negative, when west — in order to get the local mean time of the place for which we wish to prepare a Calendar.

### The Solar eclipses at any particular place.

The peculiar circumstances of a solar eclipse for any particular place must be especially calculated and can not be taken directly from the Nautical Almanac.

For this reason I will explain here a short method of calculating it.

Conceive the whole phenomenon to be projected over a plane, having the same distance from the earth's centre as the moon's, and perpendicular to the straight line between the sun and earth's centres at the time of the conjunction  $t$ , exhibited in the Nautical Almanac. Let  $N$  be the point, at which this straight line meets our plane of projection; the moon's centre, seen from the earth's centre, may be at  $L$  and the sun's centre, seen from any particular place on the earth's surface, whose latitude is  $q$  and longitude  $\ell$



from Greenwich, may appear on our plane of projection at the point  $K$ . Moreover let  $NX$  be a part of a parallel circle (parallel to the equator), drawn through  $N$ , and  $NY$  perpendicular to  $NX$ , a declination circle.

Then the particular circumstances of the eclipse will depend upon the angular distance  $KL = d$  between the points  $K$  and  $L$ , and, when we determine  $d$  for each hour of the phenomenon, we are able to calculate the moment, when  $d$  is a minimum or the time of greatest occultation; and also the moments, when  $d$  is equal to the sum of the apparent semidiameters of the sun and moon or the moments of the beginning and end of the eclipse.

The point  $L$  can be determined by two rectangular coordinates  $x$  and  $y$  in relation to the two axes  $NY$  and  $NX$  and the starting point  $N$ ; and in like manner the position of  $K$  by help of two coordinates  $X$  and  $Y$  in relation to the same axes. Thus we receive :

$$d^2 = (x - X)^2 + (y - Y)^2$$

and we have to calculate  $x$ ,  $y$ ,  $X$  and  $Y$  for each hour before and after the conjunction  $t$ .

If  $a$  denotes the moon's right ascension

$a$ , " " sun's "

$d$ , " " moon's declination

$d$ , " " sun's "

$p$ , " " equatorial horizontal parallax of the moon,

$p$ , " " " " " " sun.

$t$ , " " hour angle of the sun

$g$  denotes the geographical latitude of the place on the earth's surface,  
for which the eclipse shall be calculated  
 $\ell$  " " longitude of this place, from Greenwich,

the unknown, required quantities  $x, y, X$  and  $Y$  can be deduced by the following formulas:

$$x = (a - a_1) \cdot \cos d$$

$$y = d - d_1 + \frac{\sin 1^\circ \cdot \sin d}{2 \cos d} x^2$$

$$X = (p - p_1) \cos g \sin t,$$

$$Y = (p - p_1) \sin g \cos d, -(p - p_1) \cos g \sin d, \cos t,$$

This short method of calculating a solar eclipse for any particular place I will illustrate by calculating the solar eclipse, which happened on the 6 June 1872 at Peking, making use of the elements, exhibited in the Nautical Almanac for 1872 pag. 438.

$x, X, y, Y$  I have calculated for the time  $t = 15^h 27\frac{m}{4}$  of conjunction and besides this for two hours before  $15^h 27\frac{m}{4}$  and two hours afterward.

Greenwich mean time 1872 June 5	$13^h 27\frac{m}{4}$	$14^h 27\frac{m}{4}$	$15^h 27\frac{m}{4}$	$16^h 27\frac{m}{4}$	$17^h 27\frac{m}{4}$
Hourly motion of $a$ is $= 32' 19\frac{1}{2}$ ,					
Hourly motion of $a_1 = 2' 34\frac{3}{4}$ , therefore					
the hourly motion of $a - a_1 = 28' 45\frac{1}{4}$ and $a - a_1 =$	-35 68' 8	-17 84' 4	0' 0	+17 84' 4	+35 68' 8
$d = +22^\circ 46' 3 + 22^\circ 58' 3 + 22^\circ 58' 3 + 23^\circ 4' 3 + 23^\circ 10' 3$					
$\log.(a - a_1) = 3,55252$	3,25149		3,25149	3,55252	
$\log. \cos d = 9,96476$	9,96444		9,96380	9,96347	
$\log. x = 3,51722$	3,21593		3,21529	3,51599	
$x = -32.91^\circ - 16.44'$		0' + 16.42'	+ 16.42'	+ 32.81''	

At the conjunction $15^h 27\frac{m}{4}$ is $d - d_1 = +1032' 8 + 1032' 8 + 1032' 8 + 1032' 8 + 1032' 8$
Hourly motion of $(d - d_1)$ equal $345.0$ , hence
$- 690,0 - 345,0 0,0 + 345,0 + 690,0$
$d - d_1$ , for the moments $13^h 27\frac{m}{4}, 14^h 27\frac{m}{4}$ etc. $= + 342' 8 + 687' 8 + 1032' 8 + 1377' 8 + 1722' 8$
$\frac{\sin 1^\circ \cdot \sin d}{2 \cos d} x^2 = + 11,0 + 2,8 0,0 + 2,8 + 11,0$
$y = + 354' + 691' + 1033' + 1381' + 1734'$

Greenwich mean time	$13^h 27\frac{m}{4}$	$14^h 27\frac{m}{4}$	$15^h 27\frac{m}{4}$	$16^h 27\frac{m}{4}$	$17^h 27\frac{m}{4}$
Longitude of Peking	$7^\circ 45,9$				

	$21^h 13m$	$22^h 13m$	$23^h 13m$	$0^h 13m$	$1^h 13m$
therefore Peking mean time	+ 1,6	+ 1,6	+ 1,6	+ 1,6	+ 1,6
Equation of time					
Peking apparent time	$21^h 14,9$	$22^h 14,9$	$23^h 14,9$	$0^h 14,9$	$1^h 14,9$
Hour-angle $t_1$	- 2° 45,1	- 1° 45,1	- 0° 45,1	+ 0° 14,9	+ 1° 14,9
$t_1$ , in arc	$-41^\circ 16,5$	$-26^\circ 16,5$	$-11^\circ 16,5$	$+3^\circ 23,5$	$+18^\circ 43,5$
$d_1$	$+22^\circ 40,5$	$+22^\circ 40,5$	$+22^\circ 41,1$	$+22^\circ 41,4$	$+22^\circ 41,6$
$g$	$+39^\circ 55,6$				
$\mu - \mu_s = 54' 38,7 - 3,8 =$	$32^\circ 0''$				
$\log \sin t_1$	9,81933	9,64609	9,29118	8,81270	9,50654
$\log [(\mu - \mu_s) \cos g]$	3,39933	3,39933	3,39933	3,39933	3,39933
$\log X$	3,21866	3,04542	2,69051	2,21203	2,90587
$\log \cos t_1$	9,87595	9,95264	9,99153	9,99909	9,997638
$\log \sin d_1$	9,58603	9,58612	9,58621	9,58630	9,58636
$\log [(\mu - \mu_s) \cos g]$	3,39933	3,39933	3,39933	3,39933	3,39933
$\log [(\mu - \mu_s) \cos g \sin d_1, \cos t_1]$	2,86131	2,93809	2,97707	2,98472	2,96207
$\log \cos d_1$	9,96587	9,96585	9,96583	9,96582	9,96580
$\log . (\mu - \mu_s) \sin g$	3,32186	3,32186	3,32186	3,32186	3,32186
$\log [(\mu - \mu_s) \sin g \cos d_1]$	3,28693	3,28691	3,28689	3,28688	3,28686
$(\mu - \mu_s) \sin g \cos d_1$	+1936,1	+1936,0	+1935,9	+1935,9	+1935,8
$-(\mu - \mu_s) \cos g \sin d_1, \cos t_1$	- 726,6	- 864,1	- 948,6	- 965,4	- 916,4
$y$	+1210	+1069	+987	+970	+1019
$x$	+ 354	+ 691	+1033	+1381	+1734
$X$	-1655	-1110	- 490	+ 163	+ 805
$x$	-3291	-1644	0	+1642	+3281
$\log (x - X)$	3,21378	2,72754	2,69020	3,16997	3,39375
$\log (y - x)$	2,93248	2,57749	1,66276	2,61384	2,85431
$(x - X)^2$	2676400	285150	240110	2187400	6130600
$(y - x)^2$	732750	142280	2116	163920	511230
$\log D^2$	6,53265	5,63147	5,38422	6,37223	6,82219

From this calculation we get Table (50):

Peking mean time	D	Differences
$21,222$	$1846''$	$-1192$
$22,222$	$654$	$-162$
$23,222$	$492$	$+1043$
$0,222$	$1535$	$+1042$
$1,222$	$2577$	

The moon's semidiameter was  $14' 54,9$ , that of the sun  $15' 47,4$ , therefore at the beginning and end of the eclipse the value of

$$D = 15' 47,4 + 14' 54,9 = 1842,3.$$

By way of an easy interpolation we find, that according to table(50), the value  $\Delta = 1842$ ,<sup>3</sup> happened twice, at 21,22 and 0,52; therefore the beginning of the eclipse at Peking 1872 June 6 9<sup>h</sup> 13<sup>m</sup> A.M. Peking mean time and the end of the eclipse at 31<sup>m</sup> P.M. Peking mean time, 1872 June 6.

The moment of the greatest occultation or the middle of the eclipse, when  $\Delta$  is a minimum, can not be calculated directly by help of the table (50). For this purpose we use the values of  $x - X$  and  $y - Y$ :

Table (51)

Peking mean time	$x - X$	Differences	$y - Y$	Differences
21,222	- 1636"	+ 1102"	- 856"	+ 458"
22,222	- 534	+ 1024	- 378	+ 424
23,222	+ 490	+ 989	+ 46	+ 365
0,222	+ 1479	+ 997	+ 411	+ 304
1,222	+ 2476		+ 715	

It is obvious that both quantities  $x - X$  and  $y - Y$ , from which  $\Delta$  is calculated by means of the formula  $\Delta^2 = (x - X)^2 + (y - Y)^2$ , are caught between the moments 22,222 and 23,222 and that both are very small near 22,8, because, according to table(51):

at	22,6	22,8	23,0
$x - X$	- 147"	+ 58"	+ 263"
$y - Y$	- 218	- 133	- 48
$(x - X)^2$	21609	3364	69169
$(y - Y)^2$	47524	17689	2304
$\Delta^2$	69133	21053	71473
$\Delta$	263"	145"	267"

As  $\Delta = 145"$  at 22,8 lies very nearly in the middle between 263" and 267", 263" being nearly equal to 267", the smallest distance between the centres of the moon and sun is 145" and the middle of the eclipse 22,8 or 1872 June 6 10<sup>h</sup> 48<sup>m</sup> A.M. mean Peking time.

When  $m$  denotes the semidiameter of the moon and  $m_s$  that of the sun, the darkened part of the sun's diameter is  $m + m_s - \Delta$ , therefore, if  $\Delta = 145"$  and  $m + m_s = 1842"$ , the darkened part of the sun's diameter in maximo =  $1842 - 145 = 1697"$  and as the sun's diameter = 1895", the magnitude of the eclipse or the maximum of occultation is  $\frac{1697}{1895} = 0,90$ , the diameter being one; or 10,8 digits. Should the utmost exactitude be required, then the following

modified calculations are to be made.

Instead of the moon's equatorial horizontal parallax  $\rho$  the value  $\rho - \frac{t_0}{300} \sin^2 z$  is to be used and instead of the moon's true semi-diameter  $m$ , exhibited in the Nautical Almanac, the value  $m + (\rho - \rho_e) \sin^2 m \cos z$ ,  $z$  being the zenithal distance of the moon and calculated by the equation  $\cos z = \sin g \sin d + \cos g \cos d \cos t_h$  where  $t_h$  is the moon's hour angle. Further, in calculating  $X$  and  $Y$  must be used not the geographical latitude  $g$  but the geocentric latitude  $g_1$ , deduced from  $g$  by the formula  $\operatorname{tg} g_1 = 0.99335 \operatorname{tg} g$ .

Since the correction of  $\rho$  viz.  $\frac{t_0}{300} \sin^2 g$  is in maximo only  $12''$ , that of  $m$  viz.  $(\rho - \rho_e) \sin^2 \cos z$  only  $15''$  and the difference between  $g$  and  $g_1$  in maximo only  $11'$ , the influence of these corrections upon the phases of the eclipse will seldom reach one or two minutes, a quantity very inconsiderable, when we take into consideration the want of precision, included in the observation of the phenomena themselves.

The solar eclipse of the 6 June 1872 I observed myself at Peking and obtained the following results.

First contact or the commencement of the eclipse not observed, the sun being covered by clouds;

An interior contact between the sun and moon did not occur;

Last contact or end of the eclipse  $9^h 30^m$  P.M.

These observations harmonize very well with our calculations.

In conclusion I compare in the following table the results of the calculations, made by the Chinese astronomical Board (Kin tien Kien 天監) and by myself.

### Solar eclipse June 6 1872 A.D., Peking.

Calculated

	by the Chinese astronomers	by myself	difference
First contact	$9^h 30^m$ A.M.	$9^h 13^m$ A.M.	$+17''$
Middle of the eclipse	11 5 A.M.	10 48 A.M.	$+17$
Last contact	0 49 P.M.	0 31 P.M.	$+18$

The difference between these two calculations is only  $17''$  and nearly constant for all three phases, therefore probably due partly to the systematical errors of the old astronomical fundamental tables, applied by the Chinese astronomers, partly to carelessness or to imperfection of their methods of calculation.

17. Chinese - European Calendar from  
the year 1624 A.D. until 1921 A.D.

In concluding my treatise on Chronology I add the elements of the Chinese and the corresponding Gregorian Calendar from the year 1624 A.D. to 1921 A.D., believing that this table will be of use in finding the Gregorian date (*Hao Style*), when the Chinese date is given and vice versa.

The Chinese data viz. the names for each New Year's Day [i.e. their place in the Chinese week of sixty days; cf. the above mentioned table (3)], further the duration of the Chinese months [29 or 30 days, by the Chinese called resp. small or great months] and the position of the Chinese intercalary month [the intercalary month, having the same  $\frac{1}{6}$  as the antecedent month is in our Calendar always underlined] are taken from the latest edition of the "Wan Nien Shu" or the Ten thousand years' Calendar.

The duration of the Chinese months and the Chinese names for each New Year's Day (called in our Calendar B) as shown in the "Wan Nien Shu", I have always examined and in some places corrected by help of the Chinese name of the first day of every month, also given in the Wan Nien Shu, as the interval between the first days of two successive months, determined by their names or places in the Chinese week of 60 days [cf. table (3)], should be equal to the given duration of the corresponding month.

Besides this, I have calculated by means of the astronomical fundamental tables, the Nautical Almanac, Connaissance des Temps and Berliner Astronomisches Jahrbuch, about 500 Newmoon days and compared the results with the Wan Nien Shu.

The Newmoon days or the first days of the months of the Wan Nien Shu I have found wrong only in very few cases, mostly when the Newmoon happened near midnight, because the error of the Newmoon's time, determined by the Chinese astronomers, is, according to my calculations (in comparing their results with the exact figures of the Nautical Almanac) about 15 minutes on an average, so that the first day of the Chinese month becomes dubious, when the Newmoon occurs near midnight.

In some cases, if in consequence of misprint or negligence there was in my copy of the Wan Nien Shu a contradiction between the duration of the months and the names of their first days, I have brought them both into accordance by means of astronomical calculations.

To illustrate these remarks I annex the following examples.

Newmoon's Times, according Newmoon's days  
to my calculation according to the

51

Mean Peking time Wan Nien Shu

1642 January 30 9 <sup>th</sup> 21 <sup>m</sup> P.M.	January 30	European tables of Sun and Moon, edited about 1790 A.D.
1643 February 18 11 34 P.M.	February 19	" "
1842 January 12 0 8 A.M.	January 12	Nearest European tables of Sun and Moon
1849 Sept. 16 11 48 P.M.	Sept. 16	" " "
1856 Kubr. 27 11 41 P.M.	Kubr. 27	" " "
1861 Kubr. 2 11 49 P.M.	Kubr. 3	" " "
1866 May 14 10 44 P.M.	May 14	" " "
1869 May 11 11 53 P.M.	May 11	" " "
1880 Kubr. 2 11 41 P.M.	Kubr. 3	" " "
1914 Kubr. 17 11 39 P.M.	Kubr. 17	European tables of Sun and Moon, edited 1790 A.D.

The Chinese year 1642 Jan. 30 - 1643 Febr. 19 has the extraordinary number of 385 days, whilst the Chinese leap years mostly contain 384, sometimes 383 days, because the mean duration is  $13 \cdot 29,5306 = 383,90$  days. During the long period of 298 years, embraced by our Calendar, only this year, 1642 - 1643 contains 385 days and that is due to an error in the calculation, as shown by our comparative table, the interval between the exact determined Newmoon's days January 30 1642 and Febr. 18 1643 being only 384 days.

On January 12 1842 there is in the Wan Nien Shu a contradiction between the duration and the first days of the months and I have, in accordance with astronomical calculations and with the names of the first days in the Wan Nien Shu adopted January 12 as first day of the month in lieu of January 11<sup>th</sup>.

Though the Newmoons of 1849 Sept. 16 and 1856 Kubr. 27 happened very near midnight, the dates of the Wan Nien Shu are correct.

The Newmoon 1861 Kubr. 2 the Chinese have, in consequence of inaccurate calculation, transferred to the next day Kubr. 3.

In the Anglo-Chinese Calendar Manual by W. F. Mayers pag. the 15<sup>th</sup> May 1866 is erroneously adopted as the first day of the 4<sup>th</sup> month, according to the Chinese names of the first days of the 3 and 4<sup>th</sup> months, shown in the Wan Nien Shu. I have adopted the 14<sup>th</sup> May, because this date agrees with the exact astronomical calculation and the durations of the corresponding months of the Wan Nien Shu, these durations contradicting in this book the names of the first days of the months.

Further Mr. Mayers has in his Calendar adopted the 12 May 1869 as the first day of the 4<sup>th</sup> month, instead of the 11 May, though in the Wan Nien Shu there is no contradiction and May 11 is really a Newmoon's day.

Dr. Fritzsche On Chronology

In regard to the Newmoon 1914 Nobr. 17 I remark, that the duration of the months in the Wan Nien Shu gives Nobr. 18, but the first days names give Nobr. 17.

I have further to mention an important correction of the Wan Nien Shu, I have made on all Gregorian dates after January 26 1884 A.D. According to the Wan Nien Shu the  $\text{XIII}^{\text{th}}$  month of the  $9^{\text{th}}$  year of the Emperor Kuang-hu (1883 A.D.) has 29 days and the latter year only 353 days, so that the following Chinese Newyear's days would be January 27 1884 A.D., Fbr. 14 1885 A.D. etc. .... Fbr. 7 1921 A.D.

This however must be a misprint of the Wan Nien Shu. For, the mean duration of a Chinese common year is  $12 \cdot 29,5306 = 354,37$  days, therefore a year of 353 days is not admissible; further, according to my calculations Jan. 27 1884 and Fbr. 7 1921 A.D. are not Newmoon's days, but Jan. 28 1884 and Fbr. 8 1921 A.D., the Newmoon's hour not being near midnight but near noon, so that about the Newmoon's date there can not be any doubt; and finally there is in the Wan Nien Shu a contradiction, the first month of the  $10^{\text{th}}$  year of Kuang-hu consisting, according to the duration of this month, of 30 days and according to the names of the first days of the first and second month, of 31 days, a result, which can not take place, as the Chinese month can only have 29 or 30 days. For these reasons I have adopted as Chinese Newyear's days 1884 Jan. 28, 1885 Fbr. 15 .... 1921 Fbr. 8.

This error of the Wan Nien Shu has been transferred to the Anglo-Chinese Calendar from 1880 A.D. to 1891 A.D. by G.H. H. Playfair Esq., wherein, therefore all dates after January 26 1884 A.D. are wrong.

The intercalary month of the Chinese Calendar does not at times agree with exact calculations. Thus for instance the Chinese astronomers have adopted the lunation 1851 Septbr. 25 - Octbr. 24 as intercalary month, whilst the calculation gives 1852 March 21 - Apr. 19; likewise the lunation 1881 Agost. 25 - Septbr. 23 is according to the Wan Nien Shu an intercalary month, whilst it should be, according to the general rule 1881 Septbr. 23 - Octbr. 23. In the following Chinese-European Calendar T denotes the European (Christian or Foreign) year A.D.

c " the No. of the Chinese cycle of 60 years

y " the year of the cycle c of 60 years

g " " of the Chinese Emperor

z " the Chinese lunar cycle

b " the Chinese name and place of the Chinese Newyear's day in the cycle c  
I, II ... XII denote the date of the Gregorian Calendar, corresponding to the first day of the Chinese I<sup>th</sup>, II<sup>th</sup> etc. month and duration of each Chinese month;

T denotes the annual sum of day of the Chinese year.

Gregorian  
Date of the Chinese  
New Year.

Chinese name  
and place of  
the Chinese  
Emperor  
Year of  
the Chinese  
Emperor  
Chinese day  
in the Chinese  
year of 60 days.  
The intercalary months are underlined.

Year of the Chinese Emperor	Chinese name and place of the Chinese Emperor	Date of the Gregorian Calendar (New style) corresponding to the first day of the Chinese I., II etc. months and duration of each Chinese month.
6 1624	Ching Dynasty 9 Tsin-tz'u 4	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
7 1625	Ching Dynasty 9 Tsin-tz'u 5	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
8 1626	Ching Dynasty 9 Tsin-tz'u 6	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
9 1627	Ching Dynasty 9 Tsin-tz'u 7	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
10 1628	Ching Dynasty 9 Tsin-tz'u 8	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
11 1629	Ching Dynasty 9 Tsin-tz'u 9	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
12 1630	Ching Dynasty 9 Tsin-tz'u 10	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
13 1631	Ching Dynasty 9 Tsin-tz'u 11	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
14 1632	Ching Dynasty 9 Tsin-tz'u 12	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
15 1633	Ching Dynasty 9 Tsin-tz'u 13	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
16 1634	Ching Dynasty 9 Tsin-tz'u 14	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9
17 1635	Ching Dynasty 9 Tsin-tz'u 15	I Apr. 19 II Apr. 19 III May 17 IV May 18 V May 17 VI June 16 VII July 15 VIII Aug. 14 IX Sept. 13 X Oct. 12 XI Oct. 10 XII Dec. 9

T	1	2	3	4	5	6	7	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	J
1636	72	13	8	9	10	2	1	Ting Wei 44	Mr. 7	Mr. 6	May 5	Jun. 3	Jul. 3	Aug. 1	Sept. 30	Oct. 29	Nov. 29	Dec. 29	Jan. 29	J
1637		14			3	2		Ting Chou 38	Mr. 26	Mr. 25	29	30	29	29	30	29	30	30	30	354
1638		15			4	1		Ting Chou 2	Mr. 14	Mr. 16	Mr. 14	May 14	Jun. 12	Jul. 11	Aug. 10	Sept. 18	Oct. 16	Nov. 16	Dec. 16	Jan. 15
1639		16			5	2		Ki Wei 56	Mr. 3	Mr. 5	May 3	Jun. 1	Jul. 1	Aug. 29	Sept. 26	Oct. 26	Nov. 25	Dec. 24	Jan. 24	
1640		17			6	1		Kwei Chou 50	Mr. 23	Mr. 22	May 22	Jun. 19	Jul. 19	Aug. 17	Sept. 15	Oct. 13	Nov. 13	Dec. 13	Jan. 11	
1641		18			7	1		Ting Chou 14	Mr. 10	Mr. 11	May 10	Jun. 8	Jul. 8	Aug. 7	Sept. 5	Oct. 5	Nov. 3	Dec. 3	Jan. 1	
1642		19			8	1		Yen Hui 8	Mr. 30	Mr. 1	May 29	Jun. 27	Jul. 27	Aug. 25	Sept. 24	Oct. 24	Nov. 22	Dec. 22	Jan. 20	
1643		20			9	1		Ting Chou 33	Mr. 19	Mr. 20	May 18	Jun. 16	Jul. 16	Aug. 14	Sept. 13	Oct. 13	Nov. 11	Dec. 11	Jan. 10	
1644					10	1		Manchu Dynasty	Mr. 9	Mr. 7	May 6	Jun. 5	Jul. 4	Aug. 2	Sept. 1	Oct. 1	Nov. 30	Dec. 29	Jan. 29	
1645					11	1		Yen Hui 10	Mr. 8	Mr. 9	May 15	Jun. 13	Jul. 13	Aug. 11	Sept. 9	Oct. 9	Nov. 7	Dec. 6	Jan. 6	
1646		22			2	1		Yen Hui 22	Mr. 28	Mr. 26	May 25	Jun. 24	Jul. 21	Aug. 20	Sept. 19	Oct. 19	Nov. 18	Dec. 18	Jan. 17	
1647					3	1		Ki Yeo 46	Mr. 17	Mr. 16	May 15	Jun. 13	Jul. 13	Aug. 9	Sept. 9	Oct. 9	Nov. 7	Dec. 7	Jan. 6	
1648		24			4	1		Kwei Hui 40	Mr. 5	Mr. 6	May 5	Jun. 3	Jul. 2	Aug. 1	Sept. 30	Oct. 28	Nov. 26	Dec. 26	Jan. 26	
1649		25			5	1		Ting Yeo 34	Mr. 25	Mr. 24	May 23	Jun. 21	Jul. 20	Aug. 19	Sept. 17	Oct. 16	Nov. 15	Dec. 14	Jan. 13	
		26			6	1		Keng Yeo 30	Mr. 13	Mr. 12	May 11	Jun. 10	Jul. 10	Aug. 9	Sept. 7	Oct. 6	Nov. 4	Dec. 4	Jan. 2	
					7	1			30	29	May 30	Jun. 29	Jul. 29	Aug. 29	Sept. 29	Oct. 29	Nov. 29	Dec. 29	Jan. 29	355

I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII	XIV	XV	XVI	XVII	XVIII	XIX	X
1650 72 27	Thien-chih 7/16	B	Yih-Mao 52	Feb/1	Mr. 2	2.9	3.0	2.9	3.0	2.9	3.0	2.9	2.9	2.9	2.9	2.9	2.9	3.4	3.4
1651 28	8/17	Ki-yueo 46	Yih-ki 21	Feb/20	Mr. 21	3.0	2.9	3.0	2.9	3.0	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	3.4
1652 29	9/18	Kwei-yao 10	Fer. 9	Mr. 10	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	2.9	2.9	2.9	3.4
1653 30	10/19	Wu-shien 5	Ya.29	Fer. 28	Mr. 29	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	2.9	3.4	
1654 31	11/1	Yen-thien 29	Fer. 17	Mr. 19	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1655 32	12/2	Tsing-hu 23	Fer. 6	Mr. 8	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1656 33	13/3	Kao-yung Shien 17	Ya.26	Fer. 25	Mr. 15	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	3.4	
1657 34	14/4	Kiach Ch'ien 41	Feb. 13	Mr. 14	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1658 35	15/5	Wu-hu 35	Fer. 2	Mr. 4	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1659 36	16/6	Kwei-hsi 30	Ya.23	Fer. 21	Mr. 23	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	3.4	
1660 37	17/7	Tsing-hu 54	Fer. 11	Mr. 11	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1661 38	18/8	Lin-hai 48	Ya.30	Mr. 1	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.4	
1662 39	9/19	Kang-hi 1	Yih-hui 12	Fer. 18	Mr. 20	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	2.9	3.0	3.4	
1663 40	10/20	Keng-hu 7	Fer. 8	Mr. 10	2.8	3.0	2.9	3.0	2.8	3.0	2.9	3.0	2.8	3.0	2.9	3.0	2.9	3.4	

1664	72	41	Kung-lu <sup>3</sup>	2	B	I	II	III	IV	V	VI	VII	VIII
1665	42	4	Ma Tsze <sup>25</sup>	12	Ma.28	For.27	Mar.27	Apr.26	May.25	Jun.24	July.21	Aug.20	Oct.19
1666	43	5	Yen Wu <sup>19</sup>	13	For.4	Mr.6	Mr.4	May.4	June3	July.2	Aug.1	Sept.1	Oct.17
1667	44	6	Ping Tsze <sup>13</sup>	14	Ja.24	For.23	Apr.24	May.11	June.81	July.21	Aug.19	Sept.18	Oct.16
1668	45	7	King Tsze <sup>37</sup>	15	For.12	Mr.13	Ap.11	May.11	June.9	July.9	Aug.8	Sept.6	Oct.15
1669	46	8	Yih Wei <sup>32</sup>	16	For.1	Mr.2	Ap.1	Ap.30	May.30	June.28	July.28	Aug.26	Sept.23
1670	47	9	Li Shou <sup>26</sup>	17	Ja.21	For.22	Ap.20	May.19	June.17	July.17	Aug.15	Sept.14	Oct.12
1671	48	10	Kwei Chow <sup>50</sup>	18	For.9	Mr.11	Ap.9	May.9	June.7	July.6	Aug.5	Sept.3	Oct.11
1672	49	11	Wuchen <sup>45</sup>	19	Ja.30	For.28	Mr.29	Ap.27	May.27	June.25	July.21	Aug.21	Sept.19
1673	50	12	Yen Shin <sup>9</sup>	20	29	30	29	29	29	30	29	30	30
1674	51	13	Ping Yin <sup>3</sup>	21	For.6	Mr.7	Ap.17	May.17	June.15	July.14	Aug.12	Sept.11	Oct.10
1675	52	14	Keng Shien <sup>24</sup>	22	29	30	29	29	29	30	29	30	30
1676	53	15	Kia-shien <sup>21</sup>	23	For.14	Mr.14	Ap.13	May.13	June.11	July.11	Aug.9	Sept.8	Oct.7
1677	54	16	Mayin <sup>15</sup>	24	For.4	Mr.2	May.2	May.31	June.30	July.30	Aug.28	Sept.27	Oct.26
				30			30			29		29	30

			I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII
5	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
1678	72	55	K'ang-hi 17	K'uei 10	Ting 10	Ting 10	K'uei 10	K'uei 10	Feb. 23	Mr. 23	May 20	Jun. 19	Jul. 19	Aug. 17	Sep. 16
1679	56	18	7	8	9	10	11	12	29	30	30	29	30	29	30
1680	57	19	8	9	10	11	12	13	29	29	30	29	30	29	30
1681	58	20	9	10	11	12	13	14	29	30	29	29	30	29	30
1682	59	21	10	11	12	13	14	15	29	30	29	29	30	29	30
1683	60	22	11	12	13	14	15	16	29	30	29	29	30	29	30
1684	73	1	23	12	13	14	15	16	29	30	29	29	30	29	30
1685	2	24	13	14	15	16	17	18	29	30	29	29	30	29	30
1686	3	25	14	15	16	17	18	19	29	30	29	29	30	29	30
1687	4	26	15	16	17	18	19	20	29	30	29	29	30	29	30
1688	5	27	16	17	18	19	20	21	29	30	29	29	30	29	30
1689	6	28	17	18	19	20	21	22	29	30	29	29	30	29	30
1690	7	29	18	19	20	21	22	23	29	30	29	29	30	29	30
1691	8	30	19	20	21	22	23	24	29	30	29	29	30	29	30

1692	9	Y	Kuang-hsi	2	3	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII
1693	10	2	Yin Hsu	42	30	30	29	30	29	30	29	30	29	30	29	30	354	
1694	11	33	Li Kai	36	30	30	29	30	29	30	29	30	29	30	29	30	354	
1695	12	34	Li Kai	60	30	30	29	30	29	30	29	30	29	30	29	30	354	
1696	13	35	Ma Ma	55	30	30	29	30	29	30	29	30	29	30	29	30	354	
1697	14	36	Kuei Ch'ou	50	29	30	29	30	29	30	29	30	29	30	29	30	354	
1698	15	37	Ting Ch'ou	14	29	30	29	30	29	30	29	30	29	30	29	30	354	
1699	16	38	Yin Wei	8	29	30	29	30	29	30	29	30	29	30	29	30	354	
1700	17	39	Yih Wei	32	30	30	29	30	29	30	29	30	29	30	29	30	354	
1701	18	40	Ki Chow	26	30	30	29	30	29	30	29	30	29	30	29	30	354	
1702	19	41	Kuei Wei	20	30	30	29	30	29	30	29	30	29	30	29	30	354	
1703	20	42	Ting Wei	44	30	30	29	30	29	30	29	30	29	30	29	30	354	
1704	21	43	Tin Chow	38	30	30	29	30	29	30	29	30	29	30	29	30	354	
1705	22	44	Ting Chin	33	29	30	29	30	29	30	29	30	29	30	29	30	354	

$\Sigma$	$C^y$	$E$	$Z$	$B$	$I$	$III$	$IV$	$V$	$VII$	$XVII$	$XVI$	$XV$	$XIV$	$XIII$	$\Sigma$	
1706 73 23	Kang-hsi 45	15	Kang-hsi 51	51	51	Mr. 13	Mr. 15	Mr. 13	Jul. 10	7						
1707 24	46 16	Yih-hao 52	56.3	Mr. 4	29	29	29	29	29	29	29	29	29	29	30	355
1708 25	47 17	Ki-yao 46	56.23	Fr. 21	Mr. 20	Mr. 20	Mr. 20	Mr. 20	Mr. 18	30	354					
1709 26	48 18	Kuei-yao 10	56.10	Mr. 11	29	30	30	30	29	30	29	29	29	29	30	354
1710 27	49 19	Ting-hao 4	56.28	Mr. 30	29	30	30	30	29	30	29	29	29	29	30	354
1711 28	50 1	Kang-yin 27	56.17	Mr. 19	29	30	30	30	29	30	29	29	29	29	30	383
1712 29	51 2	Yih-yao 22	56.7	Mr. 7	29	30	29	30	29	30	29	29	29	29	30	355
1713 30	52 3	Ki-hao 16	56.25	Mr. 26	29	30	29	30	29	30	29	29	29	29	30	354
1714 31	53 4	Kuei-hao 40	56.14	Mr. 16	29	30	29	30	29	30	29	29	29	29	30	384
1715 32	54 5	Ma 34	35	Fr. 4	29	30	29	30	29	30	29	29	29	29	30	355
1716 33	55 6	Yen-chien 29	56.24	Mr. 23	29	29	29	29	29	29	29	29	29	29	30	354
1717 34	56 7	Tsing-hien 53	56.11	Mr. 13	29	30	29	30	29	30	29	29	29	29	30	384
1718 35	57 8	(Keng) 47	56.24	Mr. 21	29	30	29	30	29	30	29	29	29	29	30	384
1719 36	58 9	Kiau-shü 11	56.19	Mr. 21	29	30	29	30	29	30	29	29	29	29	30	354

J	I	II	III	IV	V	VI	VII	IX	X	XI
1720	2	3	4	5	6	7	8	9	10	11
1721	3	4	5	6	7	8	9	10	11	12
1722	3	4	5	6	7	8	9	10	11	12
1723	4	5	6	7	8	9	10	11	12	13
1724	4	5	6	7	8	9	10	11	12	13
1725	4	5	6	7	8	9	10	11	12	13
1726	4	5	6	7	8	9	10	11	12	13
1727	4	5	6	7	8	9	10	11	12	13
1728	4	5	6	7	8	9	10	11	12	13
1729	4	5	6	7	8	9	10	11	12	13
1730	4	5	6	7	8	9	10	11	12	13
1731	4	5	6	7	8	9	10	11	12	13
1732	4	5	6	7	8	9	10	11	12	13
1733	4	5	6	7	8	9	10	11	12	13
50	2	3	4	5	6	7	8	9	10	11

<i>g</i>	<i>c</i>	<i>B</i>	<i>I</i>	<i>II</i>	<i>III</i>	<i>IV</i>	<i>V</i>	<i>H</i>	<i>VI</i>	<i>VII</i>	<i>IX</i>	<i>XI</i>	<i>XII</i>	<i>J</i>
1734	51	Yang-ning 12 5	Wa yin 15	Feb. 4	Mr. 5	Apr. 4	May 3	June 2	Jul. 1	Jul. 30	Aug. 29	Oct. 27	Dec. 25	
1735	52	73. 7. 2n 9	74. 24	Feb. 23	Mr. 24	Apr. 22 May 22	Jun. 21	Jul. 20	Aug. 18	Aug. 16	Oct. 16	Nov. 14	Dec. 13	
1736	53	Foim-lung 1 7	Ping-yin 33 Fen. 2	Mr. 12	Apr. 11	May 11	Jun. 9	Jul. 9	Aug. 7	Aug. 5	Oct. 5	Nov. 3	Dec. 2	Ja. 1
1737	54	2 8	Kong-yin 2	Ja. 31	Mr. 1	Mr. 31	Apr. 30	May 29	June 28	July 27	Aug. 26	Sept. 24 Oct. 24	Oct. 21	Ja. 20
1738	55	3 9	Kia-hyin 51	Feb. 19	Mr. 20	Apr. 19	May 19	June 17	Aug. 15	Sept. 14	Oct. 13	Nov. 12	Dec. 11	Ja. 10
1739	56	4 10	Wa-shien 45	Fen. 8	Mr. 10	Apr. 8	May 8	June 6	Jul. 6	Aug. 4	Sept. 3	Oct. 3	Nov. 1	Dec. 30
1740	57	5 11	Kwei-kuo 40	Ja. 29	Feb. 27	Mr. 28	Apr. 26	May 25	June 23 July 23	Aug. 22	Sept. 21	Oct. 21	Nov. 19	Dec. 17
1741	58	6 12	Jing-kao 4	Feb. 16	Mr. 17	Apr. 16	May 15	June 13	Jul. 13	Aug. 11	Sept. 10	Oct. 10	Nov. 8	Dec. 7
1742	59	7 13	Tsai-yao 58	Fen. 5	Mr. 7	Apr. 5	May 5	June 3	Jul. 2	Aug. 1	Sept. 30	Oct. 29	Nov. 28	Dec. 27
1743	60	8 14	Jing-yin 63	Ja. 26	Feb. 24	Mr. 26	Apr. 24 May 24	June 22	Jul. 21	Aug. 19	Sept. 18	Oct. 17	Nov. 16	Dec. 15
1744	74	1	Ki-wao 16	Fen. 13	Mr. 14	Apr. 13	May 12	June 11	Jul. 10	Aug. 8	Sept. 6	Oct. 6	Nov. 4	Dec. 4
1745	2	10 16	Kwei-yao 10	Feb. 1	Mr. 3	Apr. 2	May 2	June 31	Jul. 30	Aug. 29	Sept. 27	Oct. 26	Nov. 25	Dec. 23
1746	3	11 17	Wa-thien 5	Ja. 29	Feb. 20	Mr. 28 Feb. 28	May 20	June 19	Jul. 18	Aug. 17	Sept. 15	Oct. 15	Nov. 13	Dec. 12
1747	4	12 18	Jin-Mao 28	Feb. 9	Mr. 11	Apr. 10	May 9	June 8	Jul. 8	Aug. 6	Sept. 5	Oct. 4	Nov. 3	Dec. 2

T	r	y	g	B	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	J	
1748	74	5	Tien-kung	19	Ping-te	23	Yao 30	Fer. 28	Mr. 29	Apr. 27	May 27	June 26	July 24	Aug. 22	Sep. 20	Oct. 19	Nov. 19	
1749	6	14	Kang-ya	4	Shen-y	17	Mr. 18	Mr. 18	Mr. 18	Mr. 17	May 16	June 15	Jul. 14	Aug. 13	Sept. 12	Oct. 10	Nov. 8	
1750	7	15	2	Yih-tai	42	Fer. 1	Mr. 8	Apri. 7	May 6	June 4	Jul. 4	Aug. 2	Sept. 1	Oct. 30	Nov. 29	Dec. 29	384	
1751	8	16	3	Ki-hui	36	Yao 21	Mr. 27	Apri. 26	May 25	June 23	Jul. 23	Aug. 21	Sept. 19	Oct. 18	Nov. 16	Dec. 14	Jan. 12	
1752	9	17	4	Kwei-tai	60	Fer. 15	Mr. 16	Apri. 14	May 14	June 12	Jul. 11	Aug. 9	Sept. 8	Oct. 7	Nov. 6	Dec. 5	Jan. 4	355
1753	10	18	5	Ting-yue	54	Fer. 3	Mr. 5	Apri. 4	May 3	June 2	Jul. 1	Aug. 30	Sept. 28	Oct. 27	Nov. 26	Dec. 25	Jan. 24	354
1754	11	19	6	Yin-hui	48	Yao 23	Mr. 24	Apri. 22	May 22	June 20	Jul. 20	Aug. 18	Sept. 17	Oct. 16	Nov. 14	Dec. 13	Jan. 12	384
1755	12	20	7	Yih-tai	12	Fer. 11	Mr. 13	Apri. 11	May 11	June 10	Jul. 9	Aug. 8	Sept. 6	Oct. 6	Nov. 4	Dec. 3	Jan. 2	384
1756	13	21	8	Ki-yue	6	Yao 11	Mr. 1	Apri. 29	May 29	June 27	Jul. 27	Aug. 26	Sept. 24	Oct. 22	Nov. 21	Dec. 20	Jan. 19	384
1757	14	22	9	Kwei-tai	30	Fer. 18	Mr. 20	Apri. 18	May 18	June 16	Jul. 16	Aug. 15	Sept. 13	Oct. 13	Nov. 12	Dec. 11	Jan. 10	355
1758	15	23	10	Kwei-tai	25	Fer. 8	Mr. 9	Apri. 8	May 7	June 6	Jul. 5	Aug. 4	Sept. 2	Oct. 9	Nov. 1	Dec. 1	Jan. 30	384
1759	16	24	11	Kwei-tai	20	Yao 29	Mr. 28	Apri. 27	May 26	June 25	Jul. 24	Aug. 23	Sept. 21	Oct. 21	Nov. 20	Dec. 19	Jan. 18	355
1760	17	25	12	Ting-yue	44	Fer. 17	Mr. 17	Apri. 16	May 15	June 13	Jul. 12	Aug. 11	Sept. 10	Oct. 9	Nov. 8	Dec. 7	Jan. 6	354
1761	18	26	13	Yin-hui	38	Yao 5	Mr. 7	Apri. 5	May 5	June 3	Jul. 2	Aug. 30	Sept. 28	Oct. 28	Nov. 28	Dec. 26	Jan. 26	354

I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII	XIV	XV	XVI	XVII	XVIII	XIX	X
C 74 1762 19	E 27 Jinan- Yangtze River	B 32 Kai 32	A 24 Jia 24	A 24 Jia 24	A 25 Jia 25	A 24 Jia 24	Jg. 18 Jul. 21	Jg. 19 Jul. 21											
20 1763	28/15 Kai Wei	56 Fen 13	Mr. 15	Mr. 13	Mr. 13	Mr. 13	Jun. 11	Jun. 11											
21 1764	29/16 Huai-Yang 50	Fen. 2	Mr. 3	Mr. 1	Mr. 1	Mr. 1	May 31	Jun. 29	Jul. 29										
22 1765	30/17 Ting Wei	44	Ja. 21	Ja. 20	Ja. 20	Ja. 20	Jun. 18	Jul. 18											
23 1766	31/18 Lin Wei	8	Fen. 9	Mr. 11	Mr. 9	Mr. 9	May 9	Jun. 7	Jul. 7										
24 1767	32/19 Qing Yin	3	Fen. 28	Mr. 30	Mr. 30	Mr. 30	May 28	Jun. 28	Jul. 28										
25 1768	33/1 King Yin	27	Fen. 18	Mr. 18	Mr. 17	Mr. 17	May 16	Jun. 15	Jul. 14	Jul. 14									
26 1769	34/2 Yih Yao	22	Fen. 7	Mr. 8	Mr. 7	Mr. 7	May 6	Jun. 4	Jul. 3	Jul. 3									
27 1770	35/3 Ki Mao	16	26.27	24.25	24.25	24.25	May 6	May 25	Jul. 28	Jul. 28									
28 1771	36/4 Kuwei Mu	40	Fen. 15	Mr. 16	Mr. 15	Mr. 15	May 14	Jun. 13	Jul. 12	Jul. 12									
29 1772	37/5 Ting Yao	34	Fen. 4	Mr. 4	Mr. 3	Mr. 3	May 3	Jun. 1	Jul. 1										
30 1773	38/6 Lin Mu	28	Fen. 23	Ja. 23	Ja. 21	Ja. 21	May 21	Jun. 20	Jul. 20										
31 1774	39/7 Yih Mu	52	Fen. 11	Mr. 12	Mr. 11	Mr. 11	May 10	Jun. 9	Jul. 9										
32 1775	40/8 Ki Yao	46	Ja. 31	Mr. 2	Mr. 30	Mr. 30	May 29	Jun. 28	Jul. 27	Jul. 27									

J	C	Y	E	Z	S	I	II	IV	V	III	VI	VII	X	IX	X	II	IV	XII	XI	V
1776	74	33	Tsim-lung	41	9	Kwai Yeo	10	Sen. 19	Mr. 20	Mr. 18	May 18	Jun. 16	Jul. 15	Aug. 14	Sept. 15	Oct. 12	Nov. 11	Dec. 11	Jan. 9	J
1777	34	42	10	Ma	5	Wai	5	Sen. 8	Mr. 9	Mr. 8	May 7	Jun. 5	Jul. 5	Aug. 3	Sept. 2	Oct. 1	Oct. 31	Nov. 30	Dec. 30	3555
1778	35	43	11	Yan	59	Yan	29	Feb. 27	Mar. 28	Mar. 27	May 7	Jun. 5	Jul. 5	Aug. 3	Sept. 2	Oct. 1	Oct. 31	Nov. 30	Dec. 30	3555
1779	36	44	12	Tsing	23	Tse	16	Mr. 18	Mr. 16	Mr. 16	May 16	Jun. 14	Jul. 13	Aug. 12	Sept. 10	Oct. 10	Oct. 19	Nov. 19	Dec. 19	Jan. 18
1780	37	45	13	King	19	Gin	5	Mr. 6	Mr. 5	May 4	Jun. 3	Jul. 2	Aug. 30	Sept. 28	Oct. 28	Nov. 26	Dec. 26	Jan. 26	384	
1781	38	46	14	Kiah	11	Yan	24	Feb. 23	Mar. 25	Apr. 24	May 2	Jun. 11	Jul. 21	Aug. 19	Sept. 18	Oct. 17	Nov. 16	Dec. 15	Jan. 14	354
1782	39	47	15	Ma	35	Yan	12	Mr. 14	Mr. 13	May 1/2	Jun. 11	Jul. 10	Aug. 9	Sept. 7	Oct. 7	Nov. 5	Dec. 5	Jan. 3	354	
1783	40	48	16	Kwai	30	Yan	2	Mr. 3	Mr. 2	May 1	May 31	Jun. 30	Jul. 29	Aug. 28	Sept. 26	Oct. 26	Nov. 24	Dec. 24	Jan. 24	384
1784	41	49	17	Ting	24	Yan	22	Feb. 21	Mar. 20	Apr. 19	May 19	Jun. 18	Jul. 17	Aug. 16	Sept. 15	Oct. 14	Nov. 13	Dec. 12	Jan. 11	
1785	42	50	18	Yin	48	Yan	9	Mr. 11	Mr. 9	May 9	Jun. 7	Jul. 6	Aug. 5	Sept. 4	Oct. 3	Nov. 2	Dec. 2	Jan. 31		
1786	43	51	19	Ting	43	Yan	30	Feb. 28	Mar. 30	Apr. 28	May 27	June 26	July 25	Aug. 24	Sept. 22	Oct. 22	Nov. 21	Dec. 21	Jan. 19	
1787	44	52	1	Keng	18	Ma	19	Feb. 18	Mar. 19	Apr. 17	May 17	June 15	Jul. 15	Aug. 13	Sept. 12	Oct. 11	Nov. 10	Dec. 9	Jan. 8	
1788	45	53	2	Kiah	17	Fu	7	Mr. 9	30	29	29	30	29	29	30	29	30	29	30	354
1789	46	54	3	Ma	55	Yan	25	Feb. 25	Mar. 25	Apr. 25	May 25	June 24	July 22	Aug. 21	Sept. 19	Oct. 19	Nov. 17	Dec. 17	Jan. 15	384

$\text{J}$	$\text{C}$	$\text{Y}$	$\text{E}$	$\text{B}$	$\text{X}$	$\text{I}$	$\text{II}$	$\text{III}$	$\text{IV}$	$\text{V}$	$\text{VI}$	$\text{VII}$	$\text{VIII}$	$\text{IX}$	$\text{X}$	$\text{XI}$	$\text{XII}$	$\text{XIII}$	$\text{XIV}$
1790	74	4	5	5	5	4	16	14	16	14	16	14	16	14	16	14	16	14	16
1791	48	56	5	5	5	5	3	3	3	3	3	3	3	3	3	3	3	3	3
1792	49	57	6	6	6	8	24	22	23	23	22	21	19	18	16	16	14	12	11
1793	50	58	7	7	7	32	11	12	11	10	8	8	8	7	5	5	4	3	3
1794	51	59	8	8	8	21	31	2	2	2	2	2	2	2	1	1	1	2	2
1795	52	60	9	9	9	31	11	11	11	10	10	10	10	10	10	10	10	10	10
1796	53	Kia-tsing	1	10	Wa	9	8n	45	56	59	59	59	59	59	59	59	59	59	59
1797	54	2	11	76	34	39	28	27	28	27	26	26	26	26	26	26	26	26	26
1798	55	3	12	Ping	Yin	3	16	14	16	16	16	16	13	12	10	9	9	9	9
1799	56	4	13	King	Hien	5	5	6	6	5	5	5	3	3	1	1	1	1	1
1800	57	5	14	Kiah	yin	5	25	24	25	24	24	22	22	22	20	19	18	17	16
1801	58	6	15	Wu	yin	15	56	13	14	13	13	11	11	11	9	8	8	7	6
1802	59	7	16	Kuei	Yeo	10	56	3	4	2	2	2	2	2	2	2	2	2	2
1803	60	8	17	Tung	tao	4	23	23	23	21	21	21	19	19	16	14	14	13	13

<u>I</u>	<u>II</u>	<u>III</u>	<u>IV</u>	<u>V</u>	<u>VI</u>	<u>VII</u>	<u>VIII</u>	<u>IX</u>	<u>X</u>	<u>XI</u>	<u>XII</u>
1804 75 1/1 Kia-ting 9 Fin-kao 23	2 1/18 Fin-kao 23	3 3/11 Mr. 12	4 4/11 May 9	5 5/11 Jun. 12	6 6/11 Jun. 12	7 7/11 Jun. 8	8 8/11 July 7	9 9/5 Aug. 5	10 10/4 Aug. 9	11 11/2 Jun. 29	12 12/1 Jun. 29
1805 2 1/19 Ping-hu 23	3 2/9 3/1 Mr. 1	4 3/1 Mr. 31	5 4/9 Mr. 29	6 5/9 May 18	7 6/9 Mr. 20	8 7/9 Jun. 17	9 8/9 Jul. 16	10 9/4 Aug. 14	11 10/2 Aug. 12	12 11/1 Aug. 21	13 12/1 Aug. 21
1806 3 1/1 Ki-yeo 46	2 2/9 3/18	3 3/10 Mr. 20	4 4/10 Mr. 20	5 5/10 May 18	6 6/10 Jun. 17	7 7/10 Jul. 16	8 8/10 Aug. 14	9 9/10 Aug. 12	10 10/10 Aug. 10	11 11/10 Aug. 9	12 12/10 Aug. 8
1807 4 1/3 Kwei-kao 40	2 2/9 3/18	3 3/10 Mr. 9	4 4/9 Mr. 8	5 5/9 May 8	6 6/9 Jun. 6	7 7/9 Jul. 5	8 8/9 Aug. 4	9 9/9 Aug. 8	10 10/9 Aug. 7	11 11/9 Aug. 6	12 12/9 Aug. 5
1808 5 1/3 Ma-ku 35	2 2/9 3/18	3 3/10 Mr. 9	4 4/9 Mr. 8	5 5/9 May 8	6 6/9 Jun. 6	7 7/9 Jul. 23	8 8/9 Aug. 22	9 9/9 Aug. 20	10 10/9 Aug. 19	11 11/9 Aug. 18	12 12/9 Aug. 17
1809 6 1/4 Ping-hu 53	2 2/9 3/14	3 3/10 Mr. 16	4 4/9 Mr. 15	5 5/9 May 14	6 6/9 Jun. 13	7 7/9 Jul. 13	8 8/9 Aug. 11	9 9/10 Aug. 10	10 10/9 Aug. 9	11 11/9 Aug. 8	12 12/9 Aug. 7
1810 7 1/4 Ping-hu 53	2 2/9 3/14	3 3/10 Mr. 5	4 4/9 Mr. 4	5 5/9 May 3	6 6/9 Jun. 2	7 7/9 Jul. 2	8 8/9 Aug. 30	9 9/9 Aug. 29	10 10/9 Aug. 28	11 11/9 Aug. 27	12 12/9 Aug. 26
1811 8 1/6 Lin-hai 48	2 2/9 3/15	3 3/10 Mr. 24	4 4/9 Mr. 23	5 5/9 May 22	6 6/9 Jun. 21	7 7/9 Jul. 20	8 8/9 Aug. 19	9 9/10 Aug. 18	10 10/9 Aug. 17	11 11/9 Aug. 16	12 12/9 Aug. 15
1812 9 1/7 Yin-hai 18	2 2/9 3/13	3 3/10 Mr. 13	4 4/9 Mr. 11	5 5/9 May 11	6 6/9 Jun. 9	7 7/9 Jul. 9	8 8/9 Aug. 7	9 9/9 Aug. 6	10 10/9 Aug. 5	11 11/9 Aug. 4	12 12/9 Aug. 3
1813 10 1/8 Ki-yeh 6	2 2/9 3/1	3 3/10 Mr. 3	4 4/9 Mr. 1	5 5/9 May 1	6 6/9 May 30	7 7/9 Jun. 28	8 8/9 Jul. 27	9 9/9 Aug. 26	10 10/9 Aug. 24	11 11/9 Aug. 23	12 12/9 Aug. 23
1814 11 1/9 Kwei-kai 60	2 2/9 3/10	3 3/10 Mr. 20	4 4/9 May 20	5 5/9 May 20	6 6/9 Jun. 18	7 7/9 Jul. 17	8 8/9 Aug. 15	9 9/9 Aug. 14	10 10/9 Aug. 13	11 11/9 Aug. 12	12 12/9 Aug. 10
1815 12 2/11 Ping-hu 24	2 2/9 3/10	3 3/10 Mr. 11	4 4/9 Mr. 10	5 5/9 May 9	6 6/9 Jun. 7	7 7/9 Jul. 7	8 8/9 Aug. 5	9 9/9 Aug. 3	10 10/9 Aug. 3	11 11/9 Aug. 1	12 12/9 Aug. 1
1816 13 2/11 Ping-hu 18	2 2/9 3/10	3 3/10 Mr. 29	4 4/9 Mr. 27	5 5/9 May 27	6 6/9 Jun. 25	7 7/9 Jul. 25	8 8/9 Aug. 23	9 9/9 Aug. 21	10 10/9 Aug. 21	11 11/9 Aug. 19	12 12/9 Aug. 17
1817 14 2/12 Yen-hu 48	2 2/9 3/10	3 3/10 Mr. 18	4 4/9 Mr. 16	5 5/9 May 16	6 6/9 June 15	7 7/9 July 14	8 8/9 Aug. 13	9 9/9 Aug. 11	10 10/9 Aug. 11	11 11/9 Aug. 9	12 12/9 Aug. 7

1818	75	15	Kiau-fing 23	1/3	Kiau-fing 36	B	2		I	Mr. 7	Mr. 5	III	May 5	II	Mr. 7	I	Mr. 3	III	May 1	II	Mr. 2	I	Mr. 30	Oct. 30	Mr. 28	2c. 27	30	335		
1819	16	24	14	Kiah Wei 31	2a. 26	36	2	30	2	29	30	30	29	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1820	17	25	15	Yea Wei 55	36	14	4	Mr. 14	2	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1821	18	26	16	Tao-kang 1/6	Kuuk-fiong 50	36	3	Mr. 4	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1822	19	27	17	Ting Wei 44	2a. 33	36	22	Mr. 33	29	29	30	29	30	29	29	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1823	20	28	18	Lin Wei 8	36	11	1	Mr. 13	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1824	21	29	19	Yih-fiong 2	2a. 31	36	1	Mr. 1	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1825	22	30	20	Kiau Wei 20	36	18	1	Mr. 20	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1826	23	31	21	Ting-fiong 26	36	18	1	Mr. 9	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1827	24	32	22	Ting-fiong 14	2a. 27	36	26	Mr. 27	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1828	25	33	23	Ting-fiong 38	36	15	1	Mr. 16	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1829	26	34	24	Ting-fiong 33	36	4	1	Mr. 5	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1830	27	35	25	Mao 28	2a. 25	36	23	Mr. 24	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30
1831	28	36	26	Tiak-hao 52	36	13	14	Mr. 14	4	29	30	29	30	29	30	2	29	30	2	29	30	2	29	30	2	29	30	2	29	30

Dr. Fritske. On Chronology.

1832	75	8	8	8	8	8	I	II	III	IV	V	X	XI
1833	30	13	9	9	9	9	29	30	29	29	30	30	30
1834	31	14	10	10	10	10	29	30	29	30	30	30	384
1835	32	15	11	11	11	11	29	30	29	30	29	30	354
1836	33	16	12	12	12	12	29	30	29	30	29	30	354
1837	34	17	13	13	13	13	29	30	29	30	29	30	384
1838	35	18	14	14	14	14	29	30	29	30	29	30	354
1839	36	19	15	15	15	15	29	30	29	30	29	30	384
1840	37	20	16	16	16	16	29	30	29	30	29	30	384
1841	38	21	17	17	17	17	29	30	29	30	29	30	384
1842	39	22	18	18	18	18	29	30	29	30	29	30	384
1843	40	23	19	19	19	19	29	30	29	30	29	30	384
1844	41	24	1	1	1	1	29	30	29	30	29	30	384
1845	42	25	2	2	2	2	29	30	29	30	29	30	354

5	4	E	2	B	3	Ting He 54	26	Mr. 27	Mr. 26	May 25	Jun. 23	Jul. 22	Aug. 20	Sep. 18	Oct. 17
1846	43	Tao-Kuang	26	3	Ting He 54	26	29	30	29	29	30	29	30	29	384
1847	44	4	Lin Hsue 18	26	F6r. 15	Mr. 17	29	30	29	30	29	30	29	30	384
1848	45	28	5	Ping Hsue 13	F6r. 5	29	30	29	30	29	30	29	30	29	355
1849	46	29	6	Keng Hsue 7	Ja. 24	F6r. 23	Mr. 24	29	29	29	29	29	29	29	354
1850	47	30	7	Kieh Hsue 31	F6r. 19	Mr. 14	29	30	29	29	29	29	29	29	354
1851	48	29	8	Yen Tzue 25	F6r. 1	Mr. 3	29	30	29	29	29	29	29	29	354
1852	49	2	9	Yen Tzue 49	F6r. 21	Mr. 21	29	30	29	29	29	29	29	29	384
1853	50	3	10	Ping Hsue 43	F6r. 8	Mr. 10	29	30	29	29	29	29	29	29	354
1854	51	4	11	Lin Shihow 38	Ja. 29	F6r. 27	Mr. 29	29	30	29	29	29	29	29	355
1855	52	5	12	Yih Shihow 2	F6r. 17	Mr. 18	29	30	29	29	29	29	29	29	355
1856	53	6	13	Ki Hsue 56	F6r. 6	Mr. 7	29	30	29	29	29	29	29	29	355
1857	54	7	14	Kieh Hsue 51	Ja. 26	F6r. 24	Mr. 26	29	30	29	29	29	29	29	384
1858	55	8	15	Wu Yin 15	F6r. 14	Mr. 15	29	30	29	30	29	30	29	30	354
1859	56	9	16	Wen Shihin 9	F6r. 3	Mr. 5	29	30	29	29	29	29	29	29	354

					I	II	III	IV	V	VI	VII	VIII	IX	X	XI	
1860	5	2	3	Zi	2.23	3.22	4.21	May 21	June 19	July 18	Aug. 17	Sept. 15	Oct. 14	Nov. 12	Dec. 11	
1861	5	4	5	Chen-peng	0	17	Peng-yin	3	3.0	3.0	2.9	2.9	2.9	2.9	2.9	2.9
1862	5	8	11	Kong-yin	2	18	Fen-10	3.0	3.0	2.9	2.9	2.9	3.0	3.0	3.0	
1863	6	0	11	Feng-shih	1	19	Kien-hien	2	1	2.9	3.0	2.9	2.9	2.9	2.9	
1864	7	6	1	Tung-shih	1	19	Kien-hien	2	1	2.9	3.0	2.9	2.9	2.9	2.9	
1865	8	2	1	Ma-shih	4	5	Fen. 18	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1866	3	3	2	Tung-yao	3	4	Ta-chi	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1867	4	4	3	Tung-yao	3	4	Ta-chi	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1868	5	4	5	Yin-yao	5	8	Fen. 15	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1869	6	5	4	Feng-shih	5	5	Fen. 5	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1870	7	6	5	Feng-shih	4	7	Ta-chi	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1871	8	7	6	Kien-yao	10	7	Fen. 11	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1872	9	8	7	Tung-shih	4	8	Ta-chi	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1873	10	9	8	Yin-yao	2	8	Fen. 19	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1874	11	10	9	Feng-yao	2	3	Fen. 9	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	
1875	12	11	10	Yin-yao	1	8	Fen. 27	3.0	2.9	2.9	2.9	2.9	2.9	2.9	2.9	

5	4	3	2	1	I	II	III	IV	V	VI	VII	VIII	XIX	XV	XVI	XVII	XVIII	XIX	X	
1874 76	11	Giang-dinh/3	1/2	4/2	5/2	6/2	7/2	8/2	9/2	10/2	11/2	12/2	13/2	14/2	15/2	16/2	17/2	18/2		
1875	1/2	Kuang-hai	1/3	Ki-hai	3/6	5/6	6/6	8/6	10/6	12/6	14/6	16/6	18/6	20/6	22/6	24/6	26/6	28/6	29/6	
1876	13	2/4	Kuwei-hai	3/2	3/6	2/6	3/6	2/5	2/6	2/6	2/6	2/6	2/6	2/6	2/6	2/6	2/6	2/6	2/6	
1877	14	3/5	Tsing-hai	5/4	5/6	1/3	4/6	1/3	4/6	1/4	4/6	1/4	4/6	1/4	4/6	1/4	4/6	1/4	4/6	
1878	15	4/6	Jin-hai	4/8	3/6	2/2	4/6	2/4	3/6	2/9	3/6	2/9	3/6	2/9	3/6	2/9	3/6	2/9	3/6	
1879	16	5/17	Yih-hai	4/2	2/6	2/1	3/6	2/1	3/6	2/2	3/6	2/2	3/6	2/2	3/6	2/2	3/6	2/2	3/6	
1880	17	6/8	Ki-hai	2/20	6	5/6	10	Mr. 11	Ap. 9	May 9	Jun. 8	Jul. 7	Aug. 6	Jul. 18	Aug. 18	Jul. 16	Aug. 15	Jul. 15	Aug. 14	
1881	18	7/9	Ki-hai	3/22	1	2/3	3/6	2/2	3/6	2/28	May 28	Jun. 26	Jul. 25	Aug. 23	Jul. 23	Aug. 23	Jul. 22	Aug. 22	Jul. 20	Aug. 20
1882	19	8/1	Hu-hai	2/25	2/5	3/6	18	Mr. 19	Ap. 18	May 17	Jun. 16	Jul. 15	Aug. 14	Jul. 14	Aug. 14	Jul. 13	Aug. 12	Jul. 11	Aug. 10	
1883	20	9/2	Kuwei-hai	2/20	5/8	Mr. 9	Ap. 7	May 7	Jun. 5	2/9	3/6	2/9	3/6	2/9	3/6	2/9	3/6	2/9	3/6	
1884	21	10/3	Tsing-hai	4/4	3/6	2/28	3/6	2/7	Mr. 27	Ap. 25	May 25	Jun. 23	Jul. 22	Aug. 21	Jul. 19	Aug. 19	Jul. 17	Aug. 17	Jul. 16	
1885	22	11/4	Son-khong	3/8	3/6	1/5	1/7	1/5	1/5	2/9	3/0	2/9	3/0	2/9	3/0	2/9	3/0	2/9	3/0	
1886	23	12/5	Guoi-hai	3/2	5/4	4/6	4/6	4/4	May 4	Jun. 2	Jul. 2	Aug. 31	Jul. 29	Aug. 29	Jul. 28	Aug. 27	Jul. 26	Aug. 25	Jul. 25	
1887	24	13/6	Ki-hai	6/20	2/6	2/4	2/3	2/3	2/4	2/9	3/0	2/9	3/0	2/9	3/0	2/9	3/0	2/9	3/0	

T	Y	E	Z	B	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	J
1888	7/6	25	Kuang-hui/4	7	Kuang-hui/50	7/6/12	Mr. 13	Sept. 11	July 10	July 9	Aug. 8	Sept. 6	Oct. 5	Nov. 4	Dec. 3	Jan. 2	J
1889	26	15	8	Ting Hsi 44	7/6/11	Mr. 2	30	29	30	29	29	30	29	30	29	30	354
1890	27	16	9	Yen Yin 39	7/6/21	Mr. 13/14	30	29	30	29	29	30	29	30	29	30	355
1891	28	17	10	Ting Yin 3	7/6/9	Mr. 10	29	30	30	29	29	30	29	30	29	30	384
1892	29	18	11	Yin Yeo 58	7/6/30	7/6/28	Mr. 28	29	30	29	29	29	29	29	29	30	384
1893	30	19	12	Yih Yeo 22	7/6/17	Mr. 18	29	30	29	30	29	30	29	30	29	30	384
1894	31	20	13	Ki-hao 16	7/6/6	Mr. 7	29	30	29	30	29	30	29	30	29	30	384
1895	32	21	14	Kuei Yeo 10	7/6/86	7/6/25	Mr. 26	29	30	29	30	29	30	29	30	29	30
1896	33	22	15	Ting Yeo 34	7/6/4	Mr. 14	29	30	29	30	29	30	29	30	29	30	384
1897	34	23	16	Yin Hsia 28	7/6/2	Mr. 3	29	30	29	30	29	30	29	30	29	30	384
1898	35	24	17	Yih Yeo 22	7/6/21	Mr. 22/23	May 20	Jun. 19	Jul. 19	Aug. 19	Sept. 16	Oct. 15	Nov. 14	Dec. 13	Jan. 12	Feb. 11	J
1899	36	25	18	Ki Yeo 46	7/6/10	Mr. 12	29	30	29	30	29	30	29	30	29	30	355
1900	37	26	19	Kuei Yeo 41	7/6/31	Mr. 1	29	30	29	30	29	30	29	30	29	30	384
1901	38	27	20	Ma-chien 5	7/6/19	Mr. 20	29	30	29	30	29	30	29	30	29	30	354

I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII	XIV	XV	XVI	XVII	XVIII	XIX	X
1901/76 3/9 Kuang-hui/28 2	Jan. 31	Feb. 2	Mar. 8	Apr. 10	May 8	June 6	July 4	Aug. 2	Sept. 3	Oct. 2	Nov. 30	Dec. 30	Jan. 30	Feb. 30	March 30	April 30	May 30	June 30	July 1
1903 4/0 29 3 Ting Shie 54	Jan. 29	Feb. 27	Mar. 9	Apr. 27	May 15	June 14	July 13	Aug. 11	Sept. 10	Oct. 9	Nov. 19	Dec. 19	Jan. 19	Feb. 19	March 19	April 19	May 19	June 19	July 19
1904 4/1 30 4 Keng Shie/17	Feb. 16	Mar. 17	Apr. 16	May 16	June 14	July 13	Aug. 12	Sept. 10	Oct. 9	Nov. 19	Dec. 19	Jan. 19	Feb. 19	March 19	April 19	May 19	June 19	July 19	Aug. 19
1905 4/2 31 5 Kiah Shie 11	Feb. 4	Mar. 6	Apr. 5	May 4	June 3	July 3	Aug. 1	Sept. 1	Oct. 1	Nov. 29	Dec. 29	Jan. 29	Feb. 29	March 29	April 29	May 29	June 29	July 29	Aug. 29
1906 4/3 32 6 Kie Shie 6	Feb. 25	Mar. 23	Apr. 25	May 24	June 22	July 21	Aug. 20	Sept. 18	Oct. 18	Nov. 16	Dec. 16	Jan. 16	Feb. 16	March 16	April 16	May 16	June 16	July 16	Aug. 16
1907 4/4 33 7 Kuei Shie 30	Feb. 13	Mar. 14	Apr. 13	May 12	June 11	July 10	Aug. 9	Sept. 8	Oct. 7	Nov. 6	Dec. 5	Jan. 4	Feb. 4	March 4	April 4	May 4	June 4	July 4	Aug. 4
1908 4/5 34 8 Ting Shie/24	Feb. 2	Mar. 3	Apr. 1	May 30	June 29	July 28	Aug. 27	Sept. 25	Oct. 25	Nov. 25	Dec. 24	Jan. 24	Feb. 23	March 23	April 23	May 23	June 23	July 23	Aug. 23
1909 4/6 35 9 Tien Wu 19	Feb. 22	Mar. 20	Apr. 20	May 19	June 18	July 17	Aug. 16	Sept. 14	Oct. 14	Nov. 13	Dec. 13	Jan. 11	Feb. 11	March 11	April 11	May 11	June 11	July 11	Aug. 11
1910 4/7 36 10 Ting Wu 43	Feb. 10	Mar. 11	Apr. 10	May 9	June 7	July 7	Aug. 5	Sept. 4	Oct. 3	Nov. 2	Dec. 2	Jan. 1	Feb. 1	March 1	April 1	May 1	June 1	July 1	Aug. 1
1911 4/8 37 11 Keng Tsie 1	Feb. 30	Mar. 1	Apr. 30	May 29	June 28	July 26	Aug. 24	Sept. 22	Oct. 22	Nov. 21	Dec. 20	Jan. 19	Feb. 19	March 19	April 19	May 19	June 19	July 19	Aug. 19
1912 4/9 38 12 Kiah Tsie 1	Feb. 18	Mar. 19	Apr. 17	May 17	June 15	July 14	Aug. 13	Sept. 11	Oct. 10	Nov. 9	Dec. 9	Jan. 7	Feb. 7	March 7	April 7	May 7	June 7	July 7	Aug. 7
1913 5/0 39 13 Wu Wu 55	Feb. 6	Mar. 8	Apr. 6	May 6	June 5	July 4	Aug. 2	Sept. 1	Oct. 1	Nov. 30	Dec. 30	Jan. 30	Feb. 30	March 30	April 30	May 30	June 30	July 30	Aug. 30
1914 5/1 40 14 Jan Ssze 49	Feb. 25	Mar. 25	Apr. 24	May 23	June 23	July 23	Aug. 21	Sept. 20	Oct. 19	Nov. 17	Dec. 17	Jan. 15	Feb. 15	March 15	April 15	May 15	June 15	July 15	Aug. 15
1915 5/2 41 15 Ting Ssze/13	Feb. 14	Mar. 16	Apr. 14	May 14	June 13	July 12	Aug. 11	Sept. 10	Oct. 9	Nov. 7	Dec. 7	Jan. 5	Feb. 5	March 5	April 5	May 5	June 5	July 5	Aug. 5

T	c	y	6	x	3	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	J		
1916	76	53	Kuang-hüi	15	Yin Mei	8	Feb. 4	Mar. 4	Apr. 3	May 2	June 1	July 30	Aug. 29	Sept. 27	Oct. 25	Nov. 25	Dec. 25	J		
1917	54						29	30	29	30	29	30	29	30	29	30	29	354		
1918	55						43	17	Yih Ch'ow 2	7a. 23	8p. 22	Mar. 23	Apr. 21	May 21	June 19	July 19	Aug. 18	Sept. 16	Oct. 16	
1919	56						44	18	Ki Chow 26	8p. 11	Mar. 13	Apr. 11	May 10	June 9	July 8	Aug. 7	Sept. 5	Oct. 4	Nov. 3	
1920	57						45	19	Kiah Shan 21	8p. 1	Mar. 2	Apr. 1	May 29	June 28	July 24	Aug. 24	Sept. 24	Oct. 22	Nov. 22	Dec. 22
1921	58						47	2	Yin Yen 39	8p. 8	Mar. 10	Apr. 8	May 8	June 6	July 5	Aug. 4	Sept. 2	Oct. 1	Nov. 31	Dec. 29

In this calendar, pages 53 - 54, the greatest deal of dates are expressed by two different ways, which afford a mean to control them; if any of them would be not clearly lithographed. Thus in column 3 are shown the five-year's days 0 by the names and also by the numbers (the places) of these days in the cycle Kiah Ts'e of 60 days, which can be verified by the help of our Table (3) page 3-4. Further in the columns I, II, III... VIII is noted the duration of every month, and so marked the Gregorian date of the first day of every month; and as the durations of the months are well lithographed and it can be only twenty nine or thirty days, it does not present any difficulty, to decipher the bad lithographed passages. Finally, the control of the columns T, c, y and x can be easily effected taking into consideration, that two successive numbers of each column are differing from each other always by one unity and that y increases from 1 to 60 and z from 1 to 19.

18. Chronological Table  
of the  
Chinese Dynasties and Emperors  
and the year of the commencement of their reigns.

[T denotes the year of the Christian era, c the Chinese sexagesimal cycle, y the year in this cycle corresponding to the emperor's first year].

The Legendary Period.

Dynastic Title	Personal Name	T. B.C.	c	y
太昊 Tai-hao	伏羲 Fu-hi-shih } 或 Pao-hi - "	2852		
炎帝 Yen-ti	神農 Shen-nung - }	2737		
黃帝 Hoang-ti	烈山 or Lien-shan - "			
少昊 Shao-hao	有熊 Yu-nai - }	2697		
顓頊 Chuan-hu	軒轅 or Hien-yuan - "			
帝嚳 Ti-Ku	金天 Kien-Tien - "	2597	1	41
帝挚 Ti-chih	高陽 Kao-yang - "	2513	3	5
唐帝堯 Tang-ti-yao	高辛 Kao-sin - "	2435	4	23
虞帝舜 Yu-ti-shun	陶唐 Tuo-Tang - "	2357	5	41
	有虞 Yu-yü - "	2285	7	23

夏紀 The Hsin Dynasty

Dynastic Title	T. B.C.	c	y	Dynastic Title	T. B.C.	c	y
大禹 The Great Yu	2105	8	13	后杼 Hou-chu	2057	10	41
后啟 Hou-ki	2197	8	21	后槐 Hou-hsuei	2040	10	58
太康 Tai-Kang	2188	8	30	后芒 Hou-mang	2014	11	24
仲康 Chung-Kang	2159	8	53	后泄 Hou-i	1993	11	42
后相 Hou-siang	2146	9	12	不降 Pu-kuang	1980	11	58
Commencement of interregnum of forty years by	2118	9	40	后扃 Hou-kiong	1921	12	51
				后廑 Hou-kin	1900	13	10
羿 Hsieh				孔甲 Kung-ka	1879	13	59
寒浞 Han-cho				后皋 Hou-kao	1848	14	10
少康 Shao-Kang	2079	10	19	后發 Hou-fa	1837	14	21
				基癸 Kieh-kui	1818	14	40

商紀即殷紀 The Shang (also called the Yin) Dynasty

Dynastic Title	T. B.C.	c	y	Dynastic Title	T. B.C.	c	y
成湯 Ching-tang	1766	15	32	南庚 Nan-keng	1433	21	5
太甲 Tai-kia	1753	15	45	陽甲 Yang-kia	1408	21	30
沃丁 Wu-ting	1720	16	18	盤庚 Pan-keng	1401	21	37
太庚 Tai-king	1691	16	47	小辛 Xiao-sin	1373	22	5
小甲 Xiao-kia	1666	17	12	小乙 Xiao-yi	1352	22	26
雍己 Yung-ki	1649	17	29	武丁 Wu-ting	1324	22	54
太戊 Tai-wu	1637	17	41	祖庚 Tsu-king	1265	23	53
仲丁 Chung-ting	1562	18	56	祖甲 Tsu-kia	1258	23	60
外壬 Wai-jen	1549	19	9	廪辛 Lin-sin	1225	24	33
河亶甲 Ho-tan-kia	1534	19	24	康丁 Kong-ting	1219	24	39
祖乙 Tsu-yi	1525	19	33	武乙 Wu-yi	1198	24	60
祖辛 Tsu-sin	1506	19	52	太丁 Tui-ting	1194	25	4
沃甲 Wu-kia	1490	20	8	帝乙 Ti-yi	1191	25	7
祖丁 Tsu-ting	1465	20	33	紂辛 Zhou-sin	1154	25	44

The Semi Historical and Historical Period

周紀 The Zhou Dynasty

	T. B.C.	c	y		T. B.C.	c	y	
武王 Wu-wang	1122	26	16	襄王 Jiang-wang	651	34	7	
成康 Ch'eng- " "	1115	26	23	頃王 K'ing - "	618	34	40	
昭穆 K'ang - "	1078	26	60	定王 Kuang - "	612	34	46	
穆懿 Mu - "	1052	27	26	簡王 Kien - "	606	34	52	
共懿 Yi - "	1001	28	17	靈王 Ling - "	585	35	13	
孝懿 Hsiao - "	946	29	12	景王 King - "	571	35	27	
懿 Hsiao - "	934	29	24	敬王 King - "	544	35	54	
平懿 Yi - "	909	29	49	元王 Yu-en - "	519	36	19	
桓懿 Li - "	894	30	4	貞定王 Ch'eng-ting - "	475	37	3	
莊懿 Li - "	878	30	20	定王 King - "	468	37	10	
僖懿 Su-an - "	827	31	11	考王 Kao - "	440	37	38	
	Hist. Period				威烈王 Wei-lich - "	425	37	53
幽平 Yu-wang	781	31	57	安烈王 An - "	401	38	17	
桓 Huan - "	770	32	8	顯烈王 Lieh - "	375	38	43	
莊 Chuang - "	719	32	59	懿親王 Hien - "	368	38	50	
僖 Hi - "	696	33	22	惠親王 Hien-tsing - "	320	39	38	
惠 Hsuei - "	681	33	37	肅君 Nan - "	314	39	44	
	東周君 Tung-chou-k'un				康君 Kang - "	255	40	43

### 秦紀 The Tsin Dynasty

Dynastic Title	B.C.	C.Y.	Dynastic Title	B.C.	C.Y.
昭襄王 Chao-ssang-wang	255	40 43	王政 Prince Shing	246	40 52
孝文 Hsiao-wen "	250	40 48	秦始皇帝 Tsin-shih-huang-ti	221	41 17
莊襄 Phuang-siang "	249	40 49	二世皇帝 Erh-shih-huang-ti	209	41 29

### 前漢紀 The Former Han Dynasty

[In this and later dynasties, the emperors often changed the style during their reigns, until the usage was dropped by the Ming dynasty.]

Dynastic Title or Xiao-hao 喬號	Style of Reign or Nien-hao 年號	B.C.	C.Y.
太祖高皇帝	Tai Tsu or Kao-hoang-ti	206	41 32
孝惠高后	Hsiao Hui-ti	194	41 44
呂后	Kao-hou	187	41 51
孝文帝	Hsiao Wen-ti	179	41 59
景帝	" King-ti	163	42 15
武帝	" Wu-ti	156	42 22
昭帝	" Chao-ti	128	42 50

Style of Reign or Nien-hao 年號	B.C.	C.Y.
後元 Hou-yuan	149	42 29
中元 Chung-yuan	143	42 35
建元 Kien-yuan	140	42 38
元光 Yuan-kuang	134	42 44
朔 Shuo	128	42 50
狩 Shou	122	42 56
鼎 Ting	116	43 8
封 Feng	110	43 8
太初 Tai-ch'u	104	43 14
天漢 Tien-han	100	43 18
太始 Tai-shih	96	43 22
征和 Ching-ho	92	43 26
後元 Hou-yuan	88	43 30
始元 Shih-yuan	86	43 32
元鳳 Yuan-feng	80	43 38
元平 Yuan-p'ing	74	43 44

Dynastic Title  
or Miao-hao 廟號

孝宣帝 Hsiao Hsuan-ti

1 元帝 " Yuan-ti

1 成帝 " Ch'eng-ti

孝成帝 Hsiao Ch'eng-ti

1 哀帝 , Ai-ti

1 平帝 , Ping-ti  
孺子嬰 Ju-sz-ying

王莽 Wang-mang, the usurper

淮陽王 Hoai-yang-wang }  
帝空 Ti-huan

Style of Reign  
or Tien-hao 年號

	5 3. c.	6 c.	7 y
本始	P'in-shih	73	43 45
地節	T'i-tsieh	69	43 49
元康	Yüan-kang	65	43 53
神爵	Shen-tsio	61	43 57
五鳳	Wu-feng	57	44 1
甘露	Kan-lu	53	44 5
黃龍	Huang-lung	49	44 9
初元	Ch'u-yuan	48	44 10
永光	Yung-kuang	43	44 15
建昭	Kien-chao	38	44 20
竟寧	King-ning	33	44 25
建始	Kien-shih	32	44 26
河平	Ho-p'ing	28	44 30
陽朔	Yang-shuo	24	44 34
鴻嘉	Hung-kia	20	44 38
永始	Yung-shih	16	44 42
元延	Yüan-yan	12	44 46
綏和	Tui-ho	8	44 50
建平	Kien-p'ing	6	44 52
元壽	Yüan-shou	2	44 56
		A.D.	
元始	Yüan-shih	1	44 58
居攝	Ku-she	6	45 3
初始	Shue-shih	8	45 5
始建	Shih-kien-kuo	9	45 6
天鳳	Tien-feng	14	45 11
地皇	Ti-hoang	20	45 17
更始	Keng-shih	23	45 20

後漢紀 The Later Han Dynasty

光武帝 Kuang-wu-ti

孝明帝 Hsiao Ming-ti  
, Chang-ti

建武	Kien-wu	25	45 22
中元	Chung-yuan	56	45 53
永平	Yung-p'ing	58	45 55
建初	Kien-chau	76	46 53
元和	Yüan-ho	84	46 51
章和	Chang-ho	87	46 54

Dynastic Title  
or Miao-hao 廟號

孝和帝 Hsiao-Ho-ti

1殤帝 " Shang-ti

1安帝 " An-ti

1順帝 " Shun-ti

1冲帝 " Chung-ti

1質帝 " Chih-ti

1桓帝 " Huan-ti

1靈帝 " Ling-ti

1獻帝 " Hien-ti

昭烈帝  
後主 Chao-lich-ti  
Hou-chu

Style of Reign  
or Nien-hao 年號

	T. A.D.	c.	y.
永元	Yung-yuan	89	26
元興	Yuan-hsing	105	46
延平	Yen-ping	106	46
永初	Yung-chu	107	46
元初	Yuan-chu	114	51
永寧	Yung-ning	120	57
建光	Kien-Kuang	121	58
延平	Yen-ping	122	59
永陽	Yung-Kieh	126	3
永嘉	Yung-ka	132	9
和安康	Kien-kan	136	13
嘉初	Yung-kiu	142	19
和平	Kien-kuang	144	21
嘉興	Yung-kia	145	22
永壽	Yen-shou	146	23
建永	Kien-ho	147	24
本和	Ho-p'ing	150	27
嘉興	Yung-kia	151	28
永壽	Yung-hing	153	30
延永	Yung-shou	155	32
永康	Yen-hi	158	35
嘉平	Yung-Kang	167	44
永平	Kien-ning	168	45
建熹	Hi-p'ing	171	47
熹平	Kuang-ho	178	55
熹平	Chung-p'ing	184	7
熹平	Shu-p'ing	190	7
熹平	Hing-p'ing	194	11
建安	Kien-are	196	13
延康	Yen-Kang	220	37

Epoch of the Three King domes.  
蜀漢紀 I The Minor Han Dynasty

章武	Chung-wu	221	48	38
建興	Kien-hing	223	48	40
延熙	Yen-hi	238	48	55
景耀	King-yao	258	49	15
炎興	Yen-hing	263	49	20

Dynastic Title  
or Miao-hao 廟號

Style of Reign  
or Nien-hao 年號

魏紀 II The Wei Dynasty

		T	c	y
文帝	Wen-ti	220	48	37
明帝	Ming-ti	227	48	44
		233	48	50
廢帝	Fei-ti	237	48	54
		240	48	57
少帝	Shao-ti	249	49	6
		254	49	11
元帝	Yuan-ti	256	49	13
		260	49	17
		264	49	21

吳紀 III The Wu Dynasty

大帝	Tu-ti	Hoang-wu	222	48	39
		Hoang-lung	229	48	46
		Kia-ho	232	48	49
		Shih-wu	238	48	55
		Tai-yüan	251	49	8
		Shen-feng	252	49	9
		Kien-hing	252	49	9
廢帝	Fei-ti	Wu-feng	254	49	11
		Tai-ping	256	49	13
		Yung-an	258	49	15
景帝	King-ti	Yuan-hing	264	49	21
末帝	Mo-ti	Kan-lu	265	49	22
		Pao-ting	266	49	23
		Kien-heng	269	49	26
		Feng-hoang	272	49	29
		Tien-ts'eh	275	49	32
		Tien-si	276	49	33
		Tien-ki	277	49	34

西晉紀 The Western Ts'in Dynasty.

武帝	Wu-ti	Tai-shih	265	49	22
		Kien-ning	275	49	32
		Tai-kang	280	49	37
		Tai-hi	290	49	47

Dynastic Title  
or Hsiao-hao 廟號

惠帝 Hsueh-ti

懷帝 Huai-ti  
愍帝 Min-ti

元帝 Yuan-ti

明帝 Ming-ti  
成帝 Ch'eng-ti

康帝 Kang-ti  
穆帝 Mu-ti

哀帝 Aci-ti

帝奕 Kien-wen-ti  
帝簡文

孝武帝 Hsiao-wu-ti

安帝 Aci-ti

恭帝 Kung-ti

Style of Reign  
or Nien-huo 年號

永熙 Yung-hi  
永平 Yung-p'ing  
永康 Yung-kang  
永安 Yung-an  
永興 Yung-hsing  
永嘉 Kuang-hi  
建興 Kien-hsing

建武 Kien-wu  
建興 Yung-hsing  
昌寧 Yung-ch'ang  
太康 Tai-kuang  
咸和 Hien-ho  
咸康 Hien-kang  
元和 Hien-yuan  
永平 Yung-ho  
升平 Sheng-p'ing  
隆和 Lung-ho  
興和 Hing-ning  
太康 Tai-ho  
安康 Hien-ngan  
咸康 Kien-kang  
元安 Tai-yuan  
隆安 Lung-an  
元安 Yung-hing  
隆安 Lung-an  
大亨 Tai-hiang  
元亨 Yung-hing  
義熙 Yi-hi  
元熙 Yuan-hi

5 A.D.	c	y
290	49	47
291	49	48
291	49	48
300	49	57
301	49	58
302	49	59
304	50	1
306	50	3
307	50	4
313	50	10

東晉紀 The Eastern Chin Dynasty

Epoch of Division between North and South.

Dynastic Title  
or Miao-hao 廟號

Style of Reign  
or Kien-hao 年號

劉宋紀 The Liu Sung Dynasty

武帝	Wu-ti
營王	Ying-yang-wang
文皇帝	Wen-ti
孝武帝	Hsiao-wu-ti

初平	Yung-ch'u	420	51	57
景元	King-p'ing	423	51	60
嘉平	Yuan-kia	424	52	1
建明	Hsiao-kien	454	52	31
永光	Ta-miny	457	52	34
和始	Yung-kuang	465	52	41
泰豫	King-ho	465	52	42
泰元	Tai-shih	465	52	42
徽明	Tai-yu	472	52	49
昇	Yuan-huei	473	52	50
	Sheng-ming	477	52	54

齊紀 The T'i Dynasty

高帝	Kao-ti
武帝	Wu-ti
彭王	Yü-lin-wang
海陵王	Hai-ling-wang
明帝	King-ti

建元	Kien-yuan	479	52	56
永明	Yung-ming	483	52	60
隆昌	Lung-chang	494	53	11
延興	Yen-hing	494	53	11
建武	Kien-wu	494	53	11
永泰	Yung-tai	498	53	15
永元	Yung-yuan	499	53	16
中興	Chung-hing	501	53	18

梁紀 The Liang Dynasty

武帝	Wu-ti

天監	Tien-kien	502	53	19
通	Pu-tung	520	53	37
大通	Ta-tung	527	53	44
中大通	Chung-ta-tung	529	53	46
大同	Ta-tung	535	53	52
清寶正聖成	Chung-ta-tung	546	54	3
天	Tai-tsing	547	54	4
天	Ta-pao	550	54	7
天	Tien-ch'eng	551	54	8
天	Ch'eng-sheng	552	54	9
天	Tien-ch'eng	553	54	12
承	Shao-tai	555	54	12
天	Tai-ping	556	54	13
泰平				

Dynastic title  
or Miao-hao 廟號 | Style of Reign  
or Kien-hao 年號

陳紀 The Ch'en Dynasty

			5	C	J
武帝	Wu-ti	永定	557	54	14
文帝	Wen-ti	天嘉	560	54	17
伯宗	Thu-po-tsung	天康	566	54	23
宣帝	Suan-ti	光大	567	54	24
後主	Hou-chu	大建	569	54	26
		至德	583	54	40
		禎明	587	54	44

北魏紀 The Northern Wei Dynasty

道武帝	Tao-wu-ti	登國	386	51	23
		皇始	396	51	33
		天興	398	51	35
		天賜	404	51	41
		永興	409	51	46
		神瑞	414	51	51
		泰常	416	51	53
		始光	424	52	1
		神䴥	428	52	5
		延和	432	52	9
		太延	435	52	12
		太平	440	52	17
		真君	440	52	17
		正平	452	52	29
		承平	452	52	29
		興安	452	52	29
		興安	454	52	31
		太平	455	52	32
		和安	460	52	37
		和平	466	52	43
		延安	467	52	44
		皇興	471	52	48
		延興	474	52	53
		承明	477	52	54
		太和			

84. Dynastic Title  
or Miao-hao 廟號

宣武帝 *Xuan-wu-ti*

孝明帝 *Hsiao-ming-ti*

臨洮王 *Lin-tao-wang*  
孝莊帝 *Hsiao-chuang-ti*

東海王 *Tung-hai-wang*  
節閔帝 *Tsieh-min-ti*  
安定王 *An-ting-wang*  
孝武帝 *Hsiao-wu-ti*

文帝  
帝欽  
恭帝

孝靜帝 *Hsiao-ting-ti*

文宣帝 *Wen-suan-ti*  
廢帝 *Tei-ti*  
孝昭帝 *Hsiao-zhao-ti*  
武成帝 *Wu-cheng-ti*

溫公 *Wen-Kung*

Style of Reign or Kien-hao 年號	T. A.D.	C.	Y.
景明 King-ming	500	53	17
正始 Cheng-shih	504	53	21
永平 Yung-ping	508	53	25
延昌 Yen-chang	512	53	29
熙平 Xi-ping	516	53	33
神龜 Shen-kuei	517	53	34
正光 Cheng-kuang	519	53	36
孝昌 Hsiao-chang	525	53	42
武泰 Wu-tai	528	53	45
建義 Kien-i	528	53	45
永興 Yung-chen	528	53	45
更明 Keng-hing	529	53	46
建明 Kien-ming	530	53	47
普泰 Pu-tai	531	53	48
中興 Chung-hing	531	53	48
太昌 Tai-chang	532	53	49
永興 Yung-hing	532	53	49
永熙 Yung-hsi	532	53	49

西魏紀 The Western Wei Dynasty

Wen-ti	大統	Ta-tung	535	53	52
Ti-ti			552	54	9
Kung-ti			554	54	11

東魏紀 The Eastern Wei Dynasty

天平 Tien-ping	534	53	51
元象 Yuan-siang	538	53	55
興和 Hsing-ho	539	53	56
武定 Wu-ting	543	53	60

北齊紀 The Northern Qi Dynasty

天保 Tien-pao	550	54	7
乾明 Tsien-ming	560	54	17
皇建 Hoang-tien	560	54	17
太甯 Tai-ning	561	54	18
河清 Ho-ching	562	54	19
天統 Tien-tung	565	54	22
武平 Wu-ping	570	54	27
隆化 Lung-hua	576	54	33

Dynastic Title  
or Miao-hao 廟號

安德王 An-de-wang  
幼主 Yu-chue

Style of Reign  
or Nien-hao 年號

德昌 Te-chang  
承光 Cheng-kuang

T	C	Y
A.D.		
576	54	33
577	54	34

北周紀 The Northern Zhou Dynasty

孝愍帝 Hsiao-min-ti  
明帝 Ming-ti  
武帝 Wu-ti

武成 Wu-cheng  
保定 Pao-ting  
天和 Tien-ho  
建德 Kien-te  
宣政 Suan-cheng  
大成 Ta-cheng  
大象 Ta-siang  
大定 Ta-ting

557	54	14
558	54	15
561	54	18
566	54	23
572	54	29
578	54	35
579	54	36
580	54	37
581	54	38

隋紀 The Sui Dynasty

文帝 Wen-ti or  
Kao-tsue }  
高祖 Gao-tsu  
煬帝 Yang-ti  
恭帝 Kung-ti-yu  
恭帝 Kung-ti-yu  
備帝 . -tung

開皇 Kai-huang  
仁壽 Jen-shou  
大業 Tai-yeh  
義皇 Y-ning  
宣泰 Hsiang-tai

581	54	38
601	54	58
605	55	2
617	55	14
618	55	15

唐紀 The Tang Dynasty

高祖 Gao-tsu  
太宗 Tai-tung  
高宗 Kao-tsung

武德 Wu-te  
貞觀 Chen-kuan  
永徽 Yung-huei  
顯慶 Hien-ting  
龍麟 Lung-shuo  
麟德 Lin-te  
顯慶 Tsien-feng  
總章 Tsung-chang  
咸亨 Hien-heng  
上元 Shang-yuan  
調元 I-feng  
儀元 Piao-lu  
永隆 Yung-lung  
開耀 Kai-yao  
永淳 Yung-shun  
弘道 Hung-tao

618	55	15
627	55	24
650	55	47
656	55	53
661	55	58
664	56	1
666	56	3
668	56	5
670	56	7
674	56	11
676	56	13
679	56	16
680	56	17
681	56	18
682	56	19
683	56	20

Dynastic Title  
or Miao-hao 廟號

中宗 Chung-tsung  
睿宗 Yui-tsung  
武后 Wu-hou, Empress Wu

Style of Reign  
or Nien-hao 年號

	正 A.D.	公 C.	年 Y.
聖 Shéng	684	56	21
文 Wén-míng	684	56	21
光 Kuang-té	684	56	21
垂 Chui-kung	685	56	22
永 Yung-ch'ang	685	56	26
載 Tsai-ch'u	689	56	26
天 Tien-shou	690	56	27
如 Yu-i	692	56	29
長 Ch'ang-shou	692	56	29
延 Yen-tsai	694	56	31
聖 Chéng-shéng	695	56	32
冊 } Tien-hé-wan-sui	695	56	32
歲 } Wan-sui-tung-tien	696	56	33
天 Shien-kung	697	56	34
功 Shéng-li	698	56	35
歷 Kiu-shih	700	56	37
足 Ta-tsu	701	56	38
安 Ch'ang-an	701	56	38
龍 Shien-lung	705	56	42
雲 King-lung	707	56	44
極 King-yün	710	56	47
和 Kui-ki	712	56	49
元 Yen-ho	712	56	49
寶 K'ai-yüan	713	56	50
德 Tien-pao	742	57	15
元 Chih-t'i	756	57	33
應 Tien-yüan	758	57	35
德 Shang-yüan	760	57	37
泰 Pao-ying	762	57	39
泰 Kuang-te	763	57	40
泰 Yung-tai	765	57	42
歷 Ta-li	766	57	43
中 Kien-chung	780	57	57
元 Hing-yüan	784	58	1
大 Ch'en-yüan	785	58	2

中宗 Chung-tsung (resumes the throne)

睿宗 Yui-tsung

玄宗 Hsian-tsung

肅宗 Su-tsung

代宗 Tai-tsung

德宗 Te-tsung

Dynastic Title or Miao-hao		廟號
順宗	<i>Shun-tsung</i>	
憲	<i>Hien-</i>	"
穆	<i>Mu-</i>	"
敬文	<i>King-</i>	"
	<i>Wen-</i>	"
武	<i>Wu-</i>	"
宣	<i>Suan-</i>	"
懿	<i>Yi-</i>	"
僖	<i>Hi-</i>	"

昭 *Chao-* "

昭宣帝 *Chao-suan-ti*

五代 Epoch of the Five Dynasties.

後梁紀 I. The Posterior Liang dynasty

太祖	<i>Fai-tsu</i>	開平	<i>Kai-ping</i>	907	60	4
末帝	<i>Mo-ti</i>	乾化	<i>Tsien-hua</i>	911	60	8
		貞明	<i>Thien-ming</i>	915	60	12
		龍德	<i>Lung-te</i>	921	60	18

後唐紀 II. The Posterior Tang dynasty

莊宗	<i>Chuang-tsung</i>	同光	<i>Tung-kuang</i>	923	60	20
明宗	<i>Ming-tsung</i>	天成	<i>Tsien-cheng</i>	926	60	23
明閔帝	<i>Min-ti</i>	長興	<i>Chang-hsing</i>	930	60	27
廢帝	<i>Fei-ti or</i>	順泰	<i>Ying-shun</i>	934	60	31
潞王	<i>Lu-wang</i>		<i>Tsing-tai</i>	934	60	31

	Dynastic Title or Miao-hao	廟號	Style of Reign or Nien-hao	年號	T. A.D.	C.	Y.
後晉紀 III The Posterior Chin dynasty							
高祖	Kao-tsu		天福	Tien-fu	936	60	33
齊王	Yeu-chung-kuei } or Ts'i-nung		" "	Kai-yün	943	60	40
		開運			944	60	41
後漢紀 IV The Posterior Han dynasty							
高祖	Kao-tsu		天福	Tien-fu	947	60	44
		乾祐		Tien-yü	948	60	45
隱帝	Yin-ty		" "		948	60	45
後周紀 V The Posterior Chow dynasty							
太祖	Tai-tsu		廣順	Kuang-shun	951	60	48
世宗	Shih-tsung		顯德	Hien-te	954	60	51
恭帝	Kung-ty		" "		960	60	57
宋紀 The Sung Dynasty.							
太祖	Tai-tsu		建隆	Hien-lung	960	60	57
		乾德	Tien-te		963	60	60
		開寶	Kai-pao		968	61	5
		太平	Tae-ping-		976	61	13
		興國	hing-kuo		984	61	21
		雍熙	Yung-hi		988	61	25
		端禧	Tuan-kung		990	61	27
		至道	Shun-hua		995	61	32
		咸平	Chih-tao		998	61	35
		景德	Hien-ping		1004	61	41
		祥符	King-te		1005	61	45
		祐聖	Ta-chung-		1017	61	54
		崇慶	siang-fu		1022	61	59
		道祐	Tien-hi		1023	61	60
		祐元	Tien-hing		1032	62	9
		定祐	Tien-shing		1034	62	11
		祐祐	Ming-tao		1038	62	15
		祐祐	King-yu		1040	62	17
		祐祐	Pao-yuan		1041	62	18
		祐祐	Kang-ting		1049	62	26
		祐祐	Tsing-li		1054	62	31
		祐祐	Hoang-yü		1056	62	33
		祐祐	Chih-ho				
		祐祐	Kia-yu				

	Dynastic Title or Miao-huo	廟號
英宗	Ying-tsung	
神	Shen-	"
哲	Thé-	"
徽	Huei-	"

欽 | Tsin - "

	高宗	Kao-tsung
孝	Hsiao-	"
光	Kuang-	"
寧	Ning-	"

理 | Li - "

	度	Tu - "
恭	帝	Kung-ti
端	宗	Tuan-tsung
宗	禹	Ti-ping

	Dynastic Title or Nien-hao	年號	T	C	Y
治平	Chih-ping	1064	62	41	
熙寧	Hi-ning	1068	62	45	
元豐	Yuan-feng	1078	62	55	
元祐	Yuan-yu	1086	63	3	
紹聖	Yao-shêng	1094	63	11	
元符	Yuan-fu	1098	63	15	
中興	Kien-chung				
建	tsing-kuo	1101	63	18	
崇	Chung-ning	1102	63	19	
大	Ta-kuan	1107	63	24	
政	Chêng-ho	1111	63	28	
和	Chung-ho	1118	63	35	
重	Suan-ho	1119	63	36	
和	Tsing-k'ang	1126	63	43	
		Sung Dynasty			
建炎	Kien-yan	1127	63	44	
紹興	Yao-hing	1131	63	48	
隆興	Lung-hing	1163	64	20	
乾道	Tsien-tao	1168	64	22	
淳熙	Shun-hi	1174	64	31	
熙寧	Yao-hi	1190	64	47	
元祐	Tsing-yuan	1195	64	52	
泰	Kia-tai	1201	64	58	
禧	Kai-hi	1203	65	2	
定	Kia-ting	1208	65	5	
慶	Pao-tsing	1225	65	22	
嘉	Shao-ting	1228	65	25	
開	Tuan-p'ing	1234	65	31	
嘉	Kia-hi	1237	65	34	
祐	Shun-yu	1241	65	38	
祐	Pao-yu	1253	65	50	
慶	Kai-ting	1259	65	56	
定	King-ting	1260	65	57	
淳	Hien-shun	1265	66	2	
熙	Té-yu	1275	66	12	
祐	King-yen	1276	66	13	
祐	Liang-hing	1278	66	15	

Dynastic Title  
or Miao-hao 廟號

元紀 The Yuan or Mongol Dynasty

Style of Reign  
or Nien-hao 年號

		T	C	Y
太祖	Tai-tsu	named Temuchin or Genghis	1206	65 3
太宗	Tai-tsung	" Ogdoi	1229	65 26
定宗	Ting-tsung	" Gayuk	1246	65 43
憲宗	Kien-tsung	" Mangu	1251	65 48
世祖	Shi-tsu or Kublai	中統 Chung-tung	1260	65 57
		至元 Shih-yuan	1264	66 1
成宗	Shéng-tsung or Temur	元貞 Yuan-chen	1295	66 32
武宗	Wu-tsung or Küllük	大德 Ta-te	1297	66 34
		至大 Shih-ta	1308	66 45
仁宗	Jen-tsung or Ayuli Palpata	皇慶 Hoang-tsing	1312	66 49
英宗	Ging-tsung or Kotpala	延祐 Yen-yu	1314	66 51
		至治 Chih-chih	1321	66 58
泰定	Tai-ting or Yessun Temur	泰定 Tai-ting	1324	67 1
明宗	Ming-tsung or Hosila	致和 Chih-ho	1328	67 5
文帝	Wen-ti or Tuptemur	天歷 Tien-li	1329	67 6
順帝	Shun-ti or Togon Temur	天歷 Tien-li	1330	67 7
		至順 Shih-shun	1330	67 7
		元統 Yuan-tung	1333	67 10
		至元 Shih-yuan	1335	67 12
		至正 Shih-cheng	1341	67 18

明紀 The Ming Dynasty

太祖	Tai-tsu	Hung-wu	1368	67 45
惠帝	Huei-ti	Kien-wen	1399	68 16
成祖	Théng-tsung	Yung-lo	1403	68 20
仁宗	Jen-tsung	Hung-hi	1425	68 42
宣宗	Juan-tsung	Yuan-te	1426	68 43
英宗	Ging-tsung	Chéng-tung	1436	68 53
代宗	Tai-tsung	King-tai	1450	69 7
景帝	King-ti			
英宗	Ying-tsung (posthumous gov.)	天順 Tien-shun	1457	69 14
憲帝	Hien-tsung	成化 Ching-hua	1465	69 22
孝宗	Hiao-	弘治 Hung-chih	1486	69 45
武世	Wu-	正德 Ching-te	1506	70 3
	Shih-	嘉靖 Kia-tsing	1522	70 19

Dynastic Title or Miao-hao 廟號	
穆宗	Mu-tsiung
神	Shen-
光	Kuang-
熹	Hi-
莊烈帝	Chuang-lich-ti

Style of Reign or Sien-hao 年號	
隆慶	Lung-ts'ing
萬曆	Wan-li
泰昌	Tai-chang
天啟	Tien-ch'i
崇禎	Chung-ch'en

T. A.D.	C.	Y.
1567	71	4
1573	71	10
1620	71	57
1621	71	58
1628	72	5

### 大清朝 The Taliing or Manchu Dynasty

太祖高皇帝 Tai-tsu-kao

本宗文皇帝 Tai-tsung-wen

天命	Tien-ming
天聰	Tien-tsung
崇德	Chung-te
順治	Shun-chih
康熙	Kung-hi
雍正	Yung-cheng
乾隆	Tsien-lung
嘉慶	Kia-tsing
道光	Tao-kuang
咸豐	Hien-feng
同治	Tung-chih
光緒	Kuang-hu

1616	71	53
1627	72	4
1636	72	13
1644	72	21
1662	72	39
1723	73	40
1736	73	53
1796	74	33
1821	75	18
1851	75	48
1862	75	59
1875	76	12

### The Tartar Dynasty

#### 遼紀 The Liao Dynasty (Ki-tan Tartary)

太祖 Tai-tsu

太宗 Tai-tsung

世 Shih-

穆 Mu-

景 King-

聖 Sheng-

興宗 Hing-tsung

道宗 Tao-tsung

神冊	Shen-tse
贊	Tien-ts'an
顯	Tien-hien
顯	Tien-hien
同	Hui-tung
祿	Tsien-pu
歷	Ying-li
甯	Pao-ning
亨	Tsien-heng
和	Tung-ho
泰	Kai-tai
平	Tai-ping
福	King-fu
熙	Chung-hi
甯	Tsing-ning
雍	Hien-yung

916	60	13
922	60	19
925	60	22
925	60	22
937	60	34
946	60	43
947	60	44
951	60	48
968	61	5
978	61	15
983	61	20
1012	61	49
1020	61	57
1031	62	8
1032	62	9
1055	62	32
1066	62	43

Dynastic Title  
or Miao-hao 廟號

道宗 Tao-tsung (contin.)

天祚 Tien-chai

Style of Reign  
or Nien-hao 年號

	T. A.D.	C.	Y.
大康	Ta-kang	62	58
大安	Ta-an	62	60
壽隆	Shou-lung	63	9
乾統	Ts'ien-tung	63	18
天慶	Tien-tsing	63	27
保大	Pao-ta	63	36

西遼紀 The Western Liao Dynasty

德宗 Te-tsung

感天后 Kan-tien-hou  
仁宗 Yen-tsung  
承天末主 Ching-tien  
Mo-chu

延慶  
康國  
咸清  
紹興  
崇福  
天禧

Yen-tsing  
Kang-kuo  
Hien-tsing  
Shao-hsing  
Chung-fu  
Tien-hi

T. A.D.	C.	Y.
1125	63	42
1126	63	43
1136	63	53
1142	63	59
1154	64	11
1168	64	25

金紀 The Kin Dynasty (Kuei-chen Tartars)

太祖 Tai-tsu

太宗 Tai-tsung  
熙宗 Hi-tsung

海陵王 Hai-ling-wang

世宗 Shih-tsung  
章宗 Chang-tsung

衛紹王 Wei-shao-wang

宣宗 Xuan-tsung

哀宗 Ai-tsung

泰帝 Mo-ti

收國  
天輔  
天會  
天眷  
天皇統  
天德  
貞元  
正隆  
大定  
明昌  
承安  
泰和  
大安  
慶祐  
定  
元  
正  
天開  
興昌

Shou-kuo  
Tien-fu  
Tien-hwei  
Tien-hwei  
Tien-ts'uan  
Hoang-tung  
Tien-te  
Ch'en-yuan  
Cheng-lung  
Ta-ting  
Ming-chang  
Cheng-an  
Tai-ho  
Ta-an  
Chung-tsing  
Ch'en-yu  
Hsing-ting  
Yuan-kuang  
Cheng-ta  
Tien-hsing  
Kai-hsing  
Sheng-chang

T. A.D.	C.	Y.
1115	63	32
1118	63	35
1123	63	40
1123	63	40
1138	63	55
1141	63	58
1149	64	6
1153	64	10
1156	64	13
1161	64	18
1190	64	47
1196	64	53
1201	64	58
1209	65	6
1212	65	9
1213	65	10
1217	65	14
1222	65	19
1224	65	21
1232	65	29
1233	65	30
1234	65	31













































































<b>RETURN TO →</b>	<b>CIRCULATION DEPARTMENT</b>	
202 Main Library		
LOAN PERIOD 1 <b>HOME USE</b>	2	3
4	5	6

642-3403

**ALL BOOKS MAY BE RECALLED AFTER 7 DAYS**

1-month loans may be renewed by calling 642-3405  
 6-month loans may be recharged by bringing books to Circulation Desk  
 Renewals and recharges may be made 4 days prior to due date

**DUE AS STAMPED BELOW**

JUL 18 1977	7 INTERLIBRARY LOAN	NOV 28 2005
-------------	---------------------	-------------

AUG 10 1989

RECEIVED BY	UNIV. OF CALIF., BERKELEY
-------------	---------------------------

9-5

SENT ON ILL

FEB 11 1977	
-------------	--

CIRCULATION DEPT	
------------------	--

OCT 08 1998

U. C. BERKELEY

REC. CIR.	MAY 1 - '78
-----------	-------------

DEC 28

SENT ON ILL

REC. CIR. SEP 21 '88	
----------------------	--

MAY 26 1999

DEC 16 1985	
-------------	--

REC. CIR. DEC 16 1985	U. C. BERKELEY
-----------------------	----------------

OCT 30 2005

FORM NO. DD 6, 40m, 6'76

UNIVERSITY OF CALIFORNIA, BERKELEY  
 BERKELEY, CA 94720

①

GENERAL LIBRARY - U.C. BERKELEY



B000935097

Gritsche

112015

CE 37  
F7

