sketch, and on which he hopes to return in a future communication.

Theorem.—Let $A_1, A_2, \ldots A_n$ be any n points (in number odd or even) assumed at pleasure on the n successive sides of a closed polygon $BB_1B_2 \ldots B_{n-1}$ (plane or gauche), inscribed in any given surface of the second order. Take any three points, P, Q, R, on that surface, as initial points, and draw from each a system of n successive chords, passing in order through the n assumed points (A), and terminating in three other superficial and final points, P', Q', R'. Then there will be (in general) *another* inscribed and closed polygon, $CC_1C_2 \ldots C_{n-1}$, of which the n sides shall pass successively, in the same order, through the same n points (A): and of which the initial point C shall also be connected with the point B of the former polygon, by the relations

$$\frac{ael}{bc}\frac{\beta\gamma}{\alpha\varepsilon\lambda} = \frac{a'e'l'}{b'c'}\frac{\beta'\gamma'}{\alpha'\varepsilon'\lambda'},$$

$$\frac{bfm}{ca}\frac{\gamma\alpha}{\beta\zeta\mu} = \frac{b'f'm'}{c'a'}\frac{\gamma'\alpha'}{\beta'\zeta'\mu'},$$

$$\frac{cgn}{ab}\frac{\alpha\beta}{\gamma\eta\nu} = \frac{c'g'n'}{a'b'}\frac{\alpha'\beta'}{\gamma'\eta'\nu'};$$

where

$$\begin{array}{lll} a = QR, & b = RP, & c = PQ, \\ e = BP, & f = BQ, & g = BR, \\ l = CP, & m = CQ, & n = CR, \\ a' = Q'R', & b' = R'P', & c' = P'Q', \\ e' = BP', & f' = BQ', & g' = BR', \\ l' = CP', & m' = CQ', & n' = CR'; \end{array}$$

while $\alpha\beta\gamma\varepsilon\zeta\eta\lambda\mu\nu$, and $\alpha'\beta'\gamma'\varepsilon'\zeta'\eta'\lambda'\mu'\nu'$, denote the semidiameters of the surface, respectively parallel to the chords $abcefglmn$, $a'b'c'e'f'g'l'm'n'$.

As a very particular *case* of this theorem, we may suppose that $PQ'RP'QR'$ is a plane hexagon in a conic, and BC its Pascal's line.