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OBJECTIVE DIGITAL ANALYSIS
OF BATHYTHERMOGRAPH TRACES

by

Eric Francis Grosfils

UNITED STATES NAVAL POSTGRADUATE SCHOOL



THESIS

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December 1968

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OBJECTIVE DIGITAL ANALYSIS OF BATHYTHERMOGRAPH

TRACES

by

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ABSTRACT

There is a need for a fast method of analyzing bathythermograph traces and this need is approached by the means of a high-speed digital computer. The theory behind the computer program is outlined. Both synthetic and real data cases are run as examples using both data card decks and magnetic tape inputs. The program has been designed to read digitized bathythermograph traces and then analyze them objectively by Gaussian and non-Gaussian methods for the top, center, and base of the main thermocline. Additionally, such features as multiple thermoclines, inversions, and thermal transients are identified also and their key points are included in the informational data printout.

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LIST OF SYMBOLS

e	2.718281
m	Median of a Gaussian thermal distribution
n	Any positive integer
T	Temperature (degrees Celcius or Farenheit)
T_{bt}	Temperature at the bottom of the thermocline
T_B	Lowest temperature read off bathythermograph trace
$T(0)$	Temperature at sea surface
T_1	First temperature read off bathythermograph trace
T_n	n th temperature read off bathythermograph trace
$T(-\infty)$	Temperature at the base of the lower isothermal layer
T_t	Temperature of the mixed (upper isothermal) layer
$T(Z)$	Temperature as a function of depth
T_{min}	Minimum temperature in inversion
Z	Depth (feet or meters corresponding to units of T)
Z_b	Depth of the mixed (upper isothermal) layer
Z_c	Depth of the center of the thermocline
Z_{c1}	Depth of the center of the first thermocline when multiple thermoclines exist
Z_{c2}	Depth of the center of the second thermocline when multiple thermoclines exist
Z_t	Depth of the mixed (upper isothermal) layer and equal to Z_b
$Z(T_n)$	Depth at which temperature T_n is found
$Z(T_n)_i$	equals $1/2[Z(T_n) + Z(T_{n+1})]$

$Z(T_n)_i^2$	equals $[Z(T_n)_i] \cdot [Z(T_n)_i]$
$Z_j(T_n)$	double notation used when more than one depth has the same temperature; the j refers to the order in which the depths are encountered from the surface to the last temperature read
ZUPP	Depth of the upper boundary of an inversion
TUPP	Thermal magnitude of an inversion
$\Delta Z(T_n)$	equals $Z(T_{n+1}) - Z(T_n)$
$\Delta^2 Z(T_n)$	equals $\Delta Z(T_{n+1}) - \Delta Z(T_n)$
π	3.14159...
σ	Standard deviation
Σ	Summation operator

1. Introduction.

Since the introduction of the bathythermograph by Rossby and Montgomery (1934), and its further modification and perfection by Spilhaus (1938), there has been almost continuous thermal structure information funneled into the various collection agencies which has been handled manually under procedures outlined by LaFond (1951). This data collection has resulted in vast numbers of bathythermograph slides that have been noted, and then stored away for future analysis. In more recent years bathythermograph data has been stored on aperture cards, using techniques similar to those suggested by Sauer (1964). The Canadian Oceanographic Data Center, Scripps Institution of Oceanography, and the Fleet Numerical Weather Central, Monterey, California, have further modified this procedure by a method similar to that suggested by Sauer and Hope (1967), where a device has been invented which will take incoming bathythermograph slides and convert them directly to digitized data format. This system described by Sauer and Hope (1967) consists of taking the grid/slide combination and transferring it to an aperture card by means of the BT Processor, a modified 3M Processor Camera. It has the advantage of preserving the original analog trace. The aperture card is then fed through a hopper device directly into a Caps Jeffré projector with a D-MAC curve-follower unit. The time required for this unit to process one bathythermogram trace is approximately 45 seconds with a claimed accuracy of 1.0% of the full depth range and 0.1 degrees Fahrenheit. After exhaustive testing at the Naval Hydrographic Office as described by Stewart (1963) Sauer and Hope (1967) of the Canadian Oceanographic Data Center felt this degree of reliability in fact was not approachable. Accordingly, they

converted their system to record temperature to a minimum of every 0.1 degrees Celcius and to the nearest whole meter.

Papers by Tully (1961, 1964) show that there are certain features which must be identified in order to classify a bathythermograph trace. Tully states that these few parameters can be used to identify the thermal structure in any area of the ocean. Among these features is a potentially isothermal layer, which may or may not contain transients. There is a seasonal thermocline, in which the gradients may be regular or irregular. Below this layer is a sub-thermocline layer in which the gradients are less than in the thermocline. Superimposed on these features are various types of short term fluctuations which possess varying degrees of significance, such as temperature inversions.

Tully (1964) suggests in this same paper that the thermal structure can be defined by the following features:

(1) Surface Temperature.

(2) Potential Layer Depth. This figure includes the average depth to the top of the thermocline, plus any modifications due to internal waves, etc.

(3) Depth to the Bottom of the Thermocline.

In many oceanic areas this depth has an associated distinct temperature minimum and therefore is very definitive. In areas like the tropics it is usually not a significant feature.

(4) Thermal Magnitude of Thermocline. To researchers this may be a very significant feature, because it can signify a boundary to restrict fish movement, water mass mixing, etc.

(5) Other Less Definable Features. There are other parameters that may be considered, like the location of temperature minimum in a thermal inversion, mixed layer depth, etc. These features cannot be

fitted easily into a generalized machine processing format for ready identification. They are not common features, and may have special variables that depend solely upon the area of the ocean being investigated, or upon the season of the year.

As Boston (1966) states, "until the information on bathythermograph slides can be conveniently analyzed by machine, much information about the thermal structure of the upper layers of the ocean is quite likely to remain hidden in an ever growing mountain of smoked and/or gold film glass slides, photographs of same, or punched cards." Two distinct problems arise: (1) the digitizing of the bathythermograph data to a form that can be processed by high-speed computers and data handling systems; and (2) specification of a program that will take this digitized data and process it for use in oceanographic research; the program needs the generality to be able to handle any shape trace, and flexibility so that further routines may be added or subtracted at will without destroying the basic integrity of the program. As we have seen, some progress is being made in the handling of the first problem.

The second problem is the topic of this thesis; the objective analysis of digitized bathythermogram traces. The standard features as suggested by Tully (1964) are identified and printed out in a concise informative way. One or two additional features, like the identification of thermal inversions and transients, are included in an attempt to show that further features may be added to this program according to the requirements of the individual user.

2. Method of Analysis of Thermal Structure.

There will be two separate analytical methods developed for handling the objective analysis of the thermal structure. In his technical paper, Boston (1966) suggested the following two methods, on which this thesis is based. One method consists of a Gaussian temperature structure being assumed for the thermal parameter discussed. The second method is a common finite difference method, utilized to find inflection points in the various trace slopes.

A prerequisite to both methods is that the data from the original analog bathythermograph trace be reduced to an ordered set of depths read at some predetermined temperature interval. From this ordered set, the thermal structure can be defined objectively in terms of certain primary and secondary features. Both methods require only the first and second finite differences with depth; therefore only data from depths corresponding to some constant thermal interval (conveniently 0.5 to 1.0 degrees) are required to handle the analytical technique. However, it is convenient to include temperature data corresponding to these points, as in the computer output there are locations where information as to the thermal magnitudes are as important as the spacial magnitudes.

Thermal structure, as defined in this thesis, is the relationship of the temperature, T , to depth, Z , as a function of time and position. Furthering earlier ideas, Tully (1964), Tully and Giovando (1963), and Uda (1963) show in their papers that the thermal structure changes with season, latitude, and even oceanic region. However, Tully (1964) also suggested that the number of different features for a given application is small. Section A considers those features common to most oceanic regions within the upper 300-400 meters of the ocean. Section B considers those features that are of major concern in such fields as antisubmarine

warfare, biological forecasting, and fisheries that are not discussed or included in Section A.

A. Primary Features:

The primary features as suggested by Tully (1964) and Boston (1966) consist of several convenient parameters; (1) surface temperature, (2) depth of potential layer depth (upper isothermal), (3) depth of the bottom of the thermocline, and (4) magnitude of the thermocline.

The potential mixed layer is that as defined by H. O. Pub SP-105, Vol 5, and is considered to be isothermal, although this "isothermal" region accepts small positive or negative gradients up to 0.3 degrees Fahrenheit per hundred feet. The termination of this nearly-isothermal layer is usually abrupt enough to clearly mark the region where the thermocline or other feature takes place. The depth of the mixed layer will be defined as Z_t the top of the thermocline. Likewise, Z_{bt} the base of the thermocline, can be considered the top of the lower nearly-isothermal area.

Once the top and bottom of the thermocline have been defined, with T_t as the temperature at Z_t , and T_{bt} as the temperature at Z_{bt} , the definition of the magnitude of the thermocline is

$$\Delta T = T_t - T_{bt} \quad (1)$$

B. Secondary Features

The secondary features are usually considered as time variations in the primary features of Section A, and can occur at any point in the vertical water column being considered.

1. Transients

The term transient will be defined here as referring to short term

fluctuations of the thermal structure. It is usually the result of wind mixing, and vanishes over a period of a day or more. The program produced for this thesis will recognize these transients, assuming that these thermal transients take the usual form of small but sharp gradients that appear as irregularities on the main thermal structure. Transients are often found in association with the well known "afternoon effect." This program will aid in the verification of the prediction methods outlined by Tabata and Giovando (1962).

2. Multiple Thermoclines

Heating and wind mixing conditions can also produce more than one stable thermocline. The growth of two stable thermoclines has been well documented by Tully and Giovando (1963). The occurrence of these multiple thermoclines is sufficiently common and vital to underwater acoustic prediction systems that they merit identification.

3. Inversions

Inversions are a common oceanic feature, an example of which has been described by Roden (1964), and must be identified if one is to accurately predict underwater sound transmission. The thermal inversion takes form when the temperature below the main thermocline (below Z_{bt}) decreases with depth to a minimum, then increases markedly, and finally decreases again, but now usually at a more reduced rate than the first decrease. These thermal features are of extreme interest in underwater communications as the point of minimum temperature in this thermal structure forms the axis of a "sound channel" formed by the thermal bending of acoustic rays by this inversion.

The following methods will be used to identify these primary and secondary features within the computer program designed for this thesis.

C. The Gaussian Thermocline

A gaussian, or normal, distribution (see Figure 1) of temperature, T , as a function of depth, Z , is given by

$$T(Z) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^Z e^{(-1/2)Z^2} dZ \quad (2)$$

whose corresponding frequency function is

$$\frac{dT(Z)}{dZ} = \frac{1}{\sqrt{2\pi}} e^{(-1/2)Z^2} \quad (3)$$

If the distribution function is $T\left(\frac{Z-m}{\sigma}\right)$, where σ greater than 0 and m are constants, then the frequency function becomes

$$\frac{dT(Z)}{dZ} = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(Z-m)^2}{2\sigma^2}} \quad (4)$$

The function described by (4) has the following characteristics:

(a) it is symmetric about $Z = m$,

(b) it has two symmetric points of inflection at

$$Z = m \pm \sigma, \text{ and}$$

(c) it has a maximum rate of change at $Z = m \pm \sigma\sqrt{3}$

A change in the numerical value of m causes a displacement of the curve in the vertical direction, Z , but does not alter the form of the curve. A change in σ has the effect of altering the scale of both coordinate axes. The smaller the value of σ , the more concentrated the curve is about the point $Z = m$. If the water surface is defined as $Z = 0$, and the depth considered to be infinite, then

$$T\left(\frac{Z-m}{\sigma}\right) = \frac{1}{\sigma\sqrt{2\pi}} \int_{-\infty}^0 e^{-\frac{(Z-m)^2}{2\sigma^2}} dZ \quad (5)$$

is the function defining the vertical temperature distribution. The center of the thermocline, or the center of the curve of the $T\left(\frac{Z-m}{\sigma}\right)$ distribution, is at

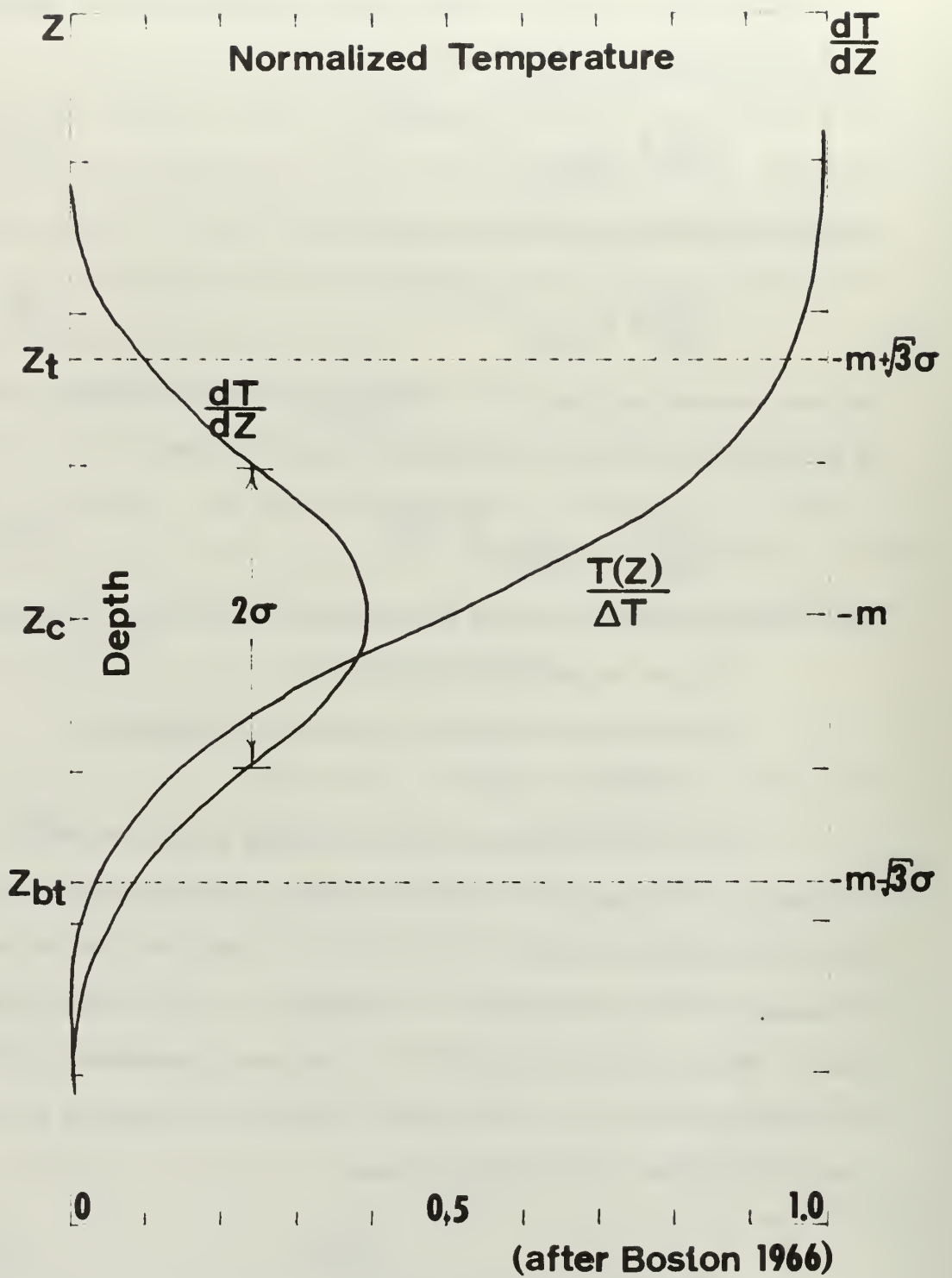


Fig.1 Gaussian thermocline and its frequency function (first derivative)

$$Z = Z_c = -m \quad (6)$$

The top and bottom of the thermocline are then defined as being located at the points of the maximum rate of change of slope of the $T\left(\frac{Z-m}{\sigma}\right)$ curve; namely,

$$Z_t = -m + \sigma\sqrt{3} \quad (7)$$

$$Z_{bt} = -m - \sigma\sqrt{3} \quad (8)$$

which are illustrated in Figure 1.

The handling of bathythermograph data leading to the application of results (6), (7), and (8) is very simple, since values of m and σ may be computed directly from the (t, Z) distribution curve. Consider the first two moments of the (T, Z) curve about the origin, $Z=0$, whereby the $(n$ th) moment of the curve about the origin is meant the mean values of Z^n defined as \bar{Z}^n , where n is a positive integer. Then with the normal curve, the first moment is identical with the center of the thermocline:

$$Z_c = \frac{1}{T(0) - T(-\infty)} \int_{T(-\infty)}^{T(0)} Z(T) dT \quad (9)$$

where $T(0)$ is the temperature at the surface $Z = 0$ and $T(-\infty)$ is the temperature at the bottom of the lower isothermal layer which, in this idealized case, is assumed to extend to the bottom of the ocean. The second moment

$$\bar{Z}^2 = \frac{1}{T(0) - T(-\infty)} \int_{T(-\infty)}^{T(0)} Z^2 dT \quad (10)$$

can be used to compute σ , since the variance, σ^2 , is given by

$$\sigma^2 = \bar{Z}^2 - m^2 = \bar{Z}^2 - Z_c^2 \quad (11)$$

In practice, several simplifications are possible. The temperature T ($-\infty$) is measured at the bottom of the bathythermograph cast. The differentials, dT , become finite differences, ΔT , and the integrals are replaced by summations. If the depths of the temperatures are read at one degree intervals, for example, then the T 's can be replaced by unity.

One must remember that although integration is a continuous process, the less accurate summation over finite intervals is not. The larger the interval, the less accurate is the summation. The working value of sigma, as computed by the routine, cannot exactly equal the correct value obtained from integration over the normal curve. Thus equations (7) and (8) must be modified by some weighing factor depending upon the temperature interval chosen. Allowing this factor to be defined as, sk , equations (7) and (8) become

$$Z_t = -m + sk\sqrt{\sigma} \quad (7A)$$

$$Z_{bt} = -m - sk\sqrt{\sigma} \quad (8A)$$

where a temperature interval of 0.5 degrees gives sk equal to 1.47 and a temperature interval equal to 1.0 degrees gives a value for sk equal to 1.30.

In summary, the objective definition of the top, bottom and center of a Gaussian thermocline requires only readings of (a) surface temperature, (b) bottom temperature, and (c) depths at some constant pre-chosen temperature interval.

The center of the Gaussian thermocline is

$$Z_c = \overline{Z(T_n)}_i = \frac{1}{T_t - T_{bt}} \sum Z(T_n)_i \quad (12)$$

Since

$$Z(T_n)_i = \frac{1}{T_i - T_{bt}} \sum Z(T_n)_i^2 \quad (13)$$

Then

$$\sigma^2 = \overline{Z(T_n)_i^2} - Z_c^2 \quad (14)$$

The top and bottom of the Gaussian thermocline readily follow from (7A) and (8A).

One problem remains: the decision as to whether or not a normal distribution exists; lacking this distribution, the inaccuracies built into this process are not tolerable. This determination can be accomplished by computation of the third moment. However, in the following section it is apparent that this computation is not necessary.

D. The non-gaussian Thermocline

The analysis of the more common type of thermal structure, the non-gaussian thermocline, requires the computation of finite differences on $Z(T_n)$. The first finite difference will be defined as

$$\Delta Z(T_n) = Z(T_{n+1}) - Z(T_n) \quad (15)$$

and the second finite difference as

$$\Delta^2 Z(T_n) = \Delta Z(T_{n+1}) - \Delta Z(T_n) \quad (16)$$

Generally, the first finite difference is always positive. The second finite difference will be negative until, in this case, the point of inflection of the (T,Z) distribution curve is reached, at which point

$\Delta Z(T_n)$ becomes non-negative. If the first non-negative second finite difference is $\Delta Z(T_n)$, then the center of the thermocline is $Z(T_{n+1})$.

In order to locate Z_t , only the upper portion of the (T,Z) distribution curve is considered, where a ($Z \leq Z_c$) synthetic lower portion to this curve segment is constructed so that together with the upper real segment a normal distribution is formed. From this curve, σ is computed by methods described in the previous section and Z_t is given by formula (7A). (see Figure 2b).

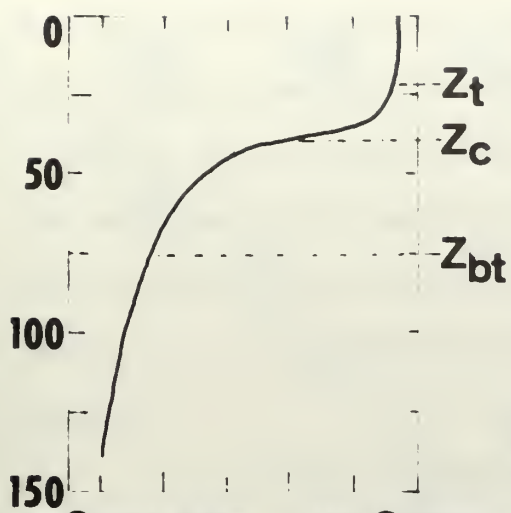
Similarly, only the lower ($Z \geq Z_c$) part of the (T,Z) distribution curve is utilized in computing Z_{bt} . An upper portion of the curve is added to the segment and a new value of σ is computed. Z_{bt} is then calculated by using formula (8A). (See Figure 2c).

E. Irregular Thermal Features.

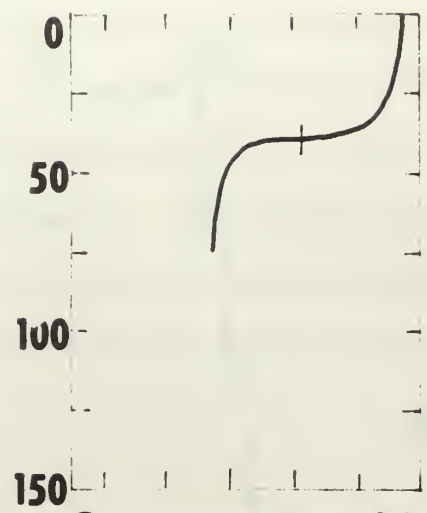
1. Transients

Transients, according to Boston (1966), are usually considered to be less than one degree in magnitude and might not be seen by a greater thermal interval. Thus, it is necessary to have a small grid spacing, say 0.1 degrees, to identify these transients. Spilhaus (1938) relates that the bathythermograph is seldom more accurate than 0.5 degrees, borne out by the testing of Stewart (1963), due to such problems as dull stylus, hysteresis, and calibration. Even if the instrument were exact, and hysteresis were not present, the thickness of the trace limits reading accuracy to about 0.2 degrees. Hence, although the grid spacing chosen for this program is unrealistic at 0.1 degrees, it is retained with the possibility of more accurate thermal instruments, or more accurate bathythermograph readings, in the future.

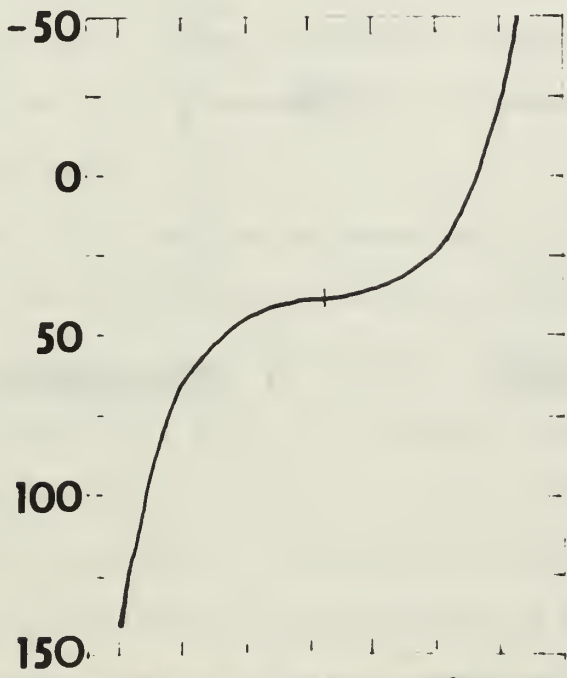
If such accuracy were possible (see Figure 3) transients could be identified by simply identifying the sign changes of $\Delta Z(T_n)$. If the



a. Complete non-Gauss. thermocline



b. Segments used to compute Z_t



c. Segments used to compute Z_{bt}

Fig.2 A non-Gaussian thermocline

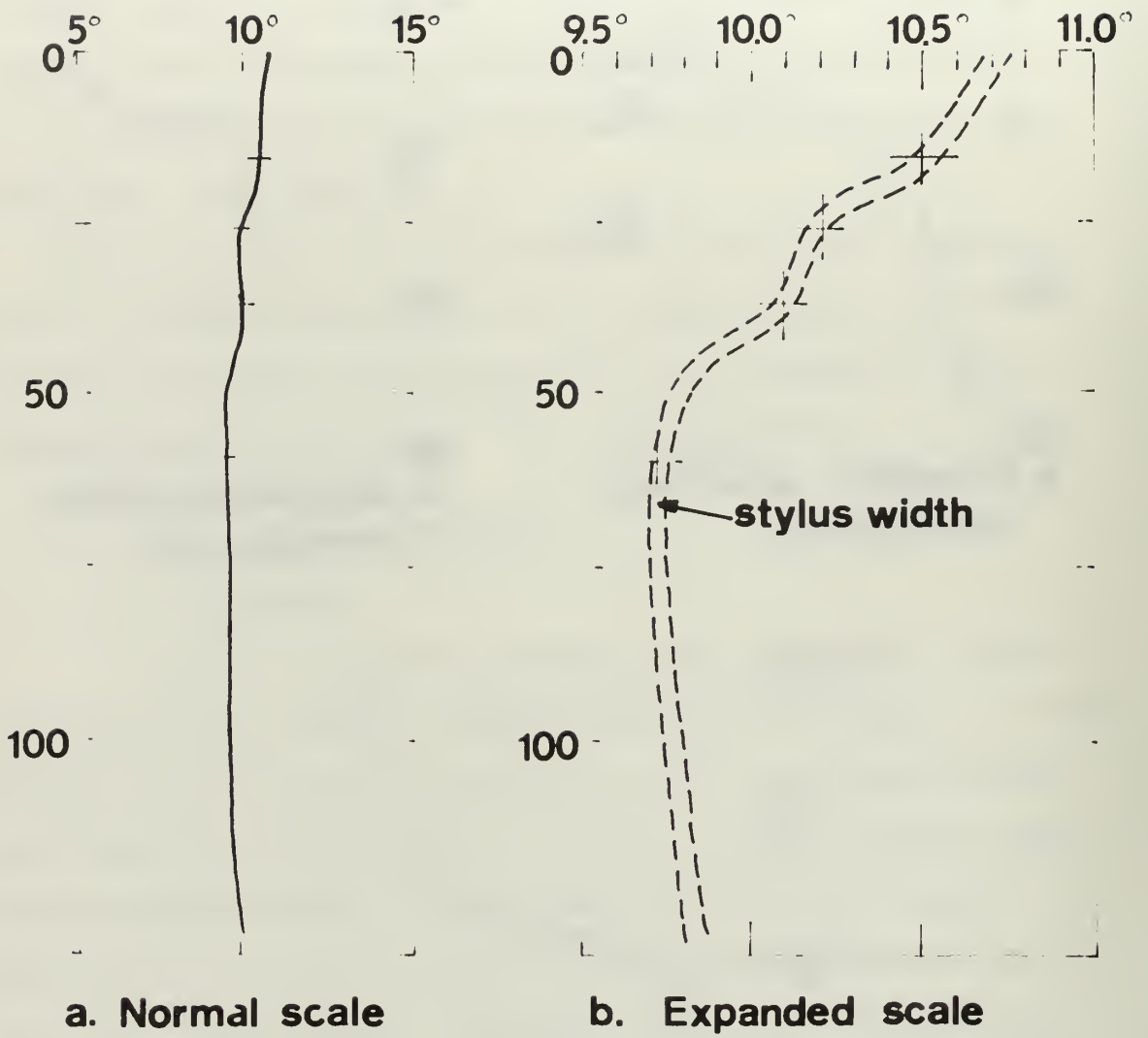


Fig. 3 Normal and expanded scale transient

first negative value encountered was $\Delta Z(T_n)$ then the beginning of the first transient would be at $Z(T_{n+1})$. Then the end of the first thermal transient and the beginning of the second transient is signified by a sign change of $\Delta Z(T_n)$ from positive to negative. If this occurs at $\Delta Z(T_n)$ then the end of the first transient occurs at $Z(T_n)$ and the beginning of the next occurs at $Z(T_{n+1})$. This process will continue until the top of the first major thermocline is encountered; generally we are interested in only the transients in the upper isothermal region.

2. Multiple thermoclines

The analysis of a thermal distribution containing more than one major thermocline proceeds along the lines just discussed in the previous section on transients. In Boston's article (1966) he states that a grid spacing of one degree is generally adequate if there are only two thermoclines, and a grid spacing of 0.5 is necessary should there be more thermoclines present.

As in the transient analysis the sign changes of $\Delta Z(T_n)$ are examined. If the first positive value is $\Delta Z(T_n)$ then the center of the first thermocline would be located at $Z(T_{n+1}) = Z_{c1}$. The center of the second thermocline, Z_{c2} , is indicated when the sign of $\Delta Z(T_n)$ changes from negative to positive. If this occurs at $\Delta Z(T_n)$, then, as in the first thermocline, the center is located at $Z(T_{n+1}) = Z_{c2}$. The centers of all subsequent thermoclines are found by continuing this process throughout the length of the trace.

When the centers of the shallowest and deepest thermoclines have been identified, the method outlined in Section D, the non-gaussian thermocline will be used to determine the top of the shallowest thermocline and the bottom of the deepest thermocline. Then considering the fact that $\Delta Z(T_n)$

is a measure of the slope of the (T,Z) curve, the maxima in $\Delta Z(T_n)$ corresponds to the most nearly isothermal conditions. Thus these maxima can be used to separate the thermoclines. Once this separation has been accomplished, the procedure from Section D can be used again to locate the top, bottom, and center of each individual thermocline. Considering the fact that the thermal structure is assumed to be continuous, with only small spacing between consecutive thermoclines, there is little need in making the identification any more accurate, or finer, than the subdivisions that are indicated by the maxima. Figure 4 shows an example of real traces in the ocean with this multiple thermocline feature.

3. Inversions

Large inversions (± 0.5 degrees Celcius) are usually found where water sources of different origin are close together or where strong velocity shears are encountered. Tully and Giovando (1963) document this feature. Uda (1963) and Tully and Dodimead (1963) also show that in regions such as the subarctic, where there is excess precipitation, the summer profile may be characterized by a nearly permanent summer inversion located at about 100 meters depth.

The main feature (see Figure 5) of an inversion is the sign change of the slope of the (T,Z) distribution curve. The major points of interest to the investigator are usually considered to be:

- (a) upper and lower boundaries denoted by Z_{c1} and Z_{c2} respectively,
- (b) magnitude of the inversion, ZUPP and TUPP, being the spacial and thermal magnitudes, respectively,
- (c) minimum temperature, TMIN,
- (d) depth of minimum temperature (depth of axis of sound channel), ZMIN.

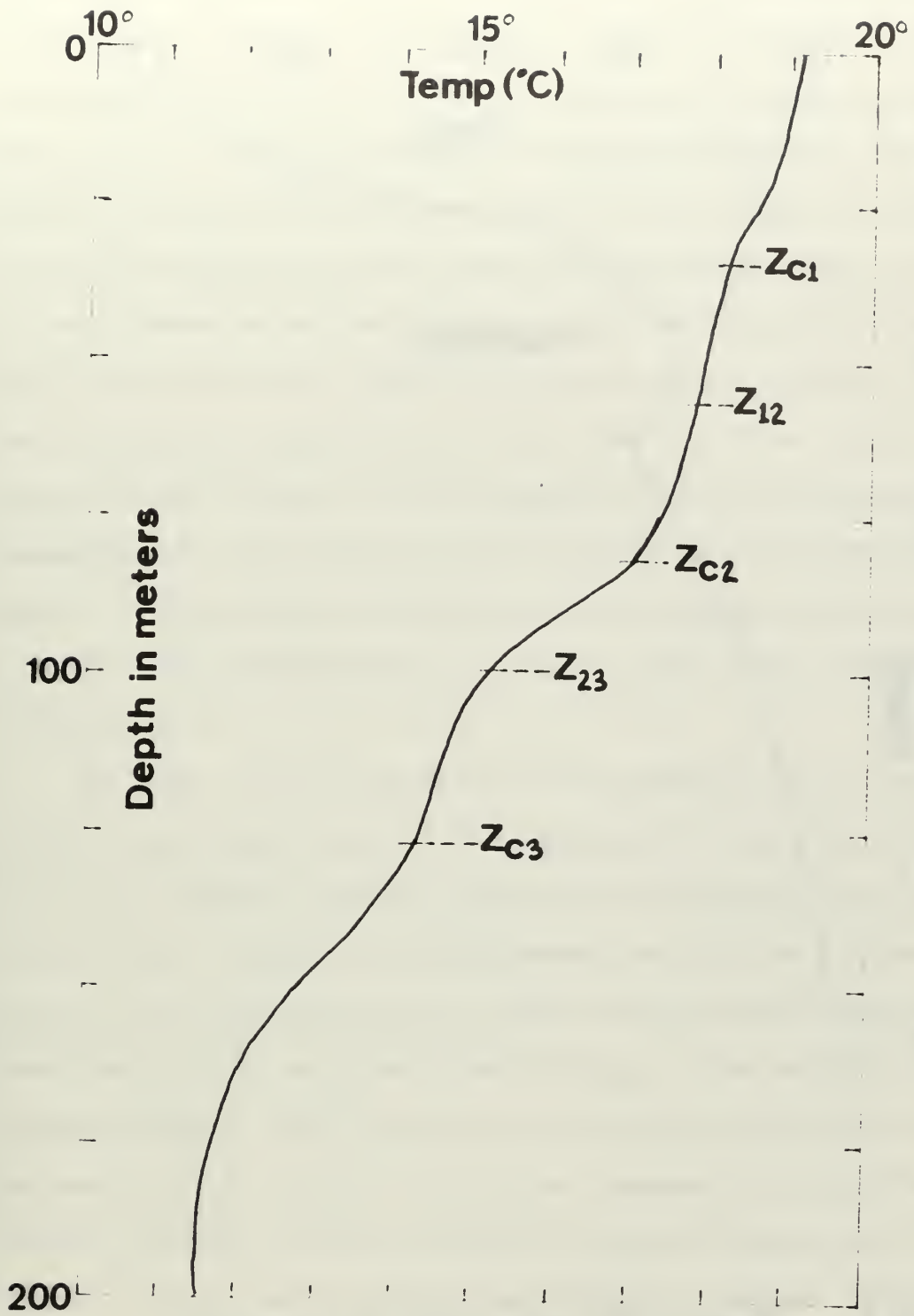


Fig.4 Triple thermocline - Monterey Bay (April, 1968)

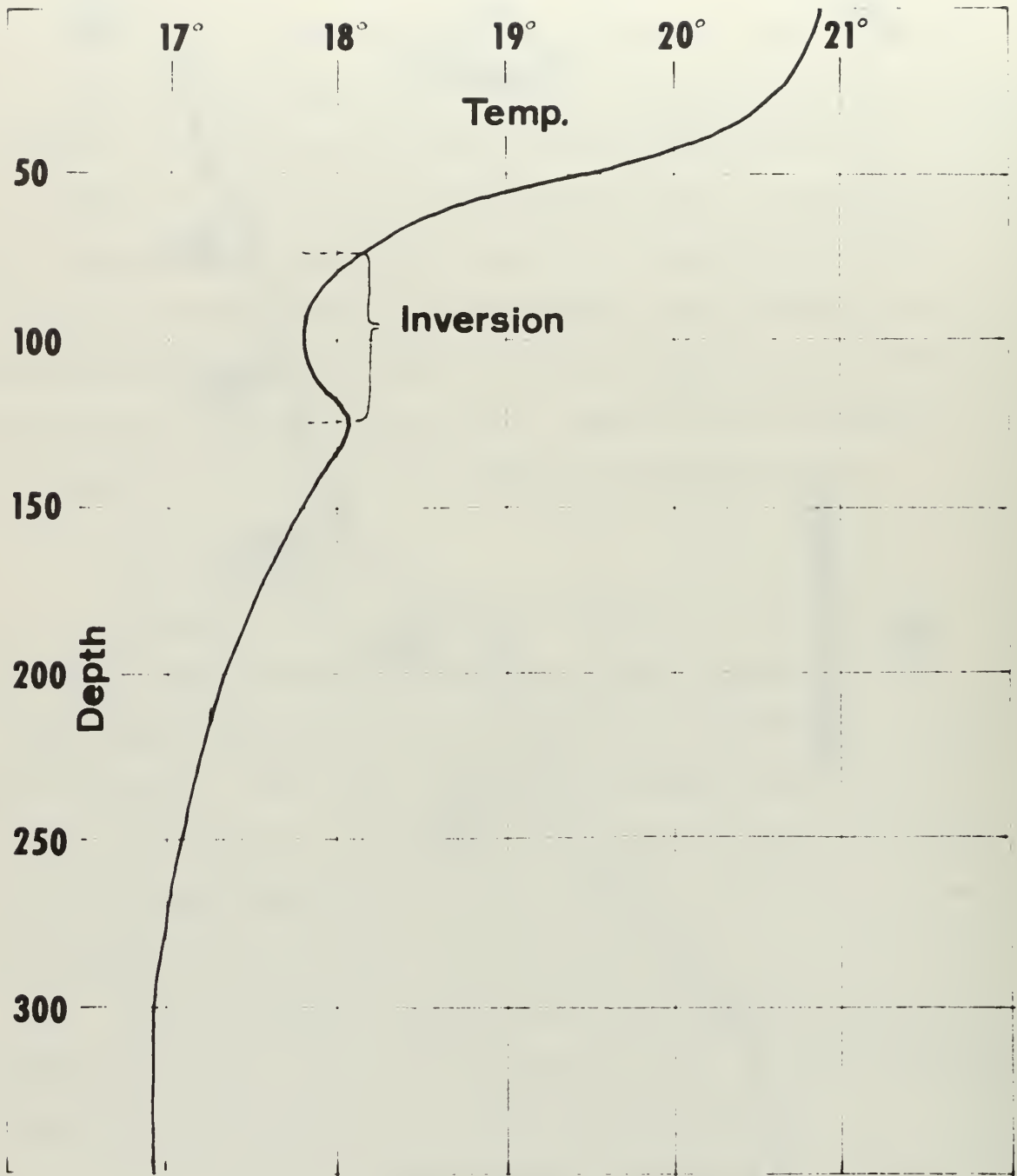


Fig. 5 Typical BT trace with an Inversion

Referring to Figure 5, it should be noted that this system of analysis will require a more elaborate notation system, since the curve is no longer single valued (that is, more than one depth, Z_n , will have a specified temperature). In order to distinguish between these depths the notation $Z_j(T_n)$ will be introduced where the subscript j refers to the order in which a multiple occurrence happens from the surface down. Thus, if T_n occurs at three depths, the shallowest depth would be indicated as $Z_1(T_n)$, the intermediate depth $Z_2(T_n)$, and the deepest as $Z_3(T_n)$. As the trace is read vertically from the surface down, the trace appears to be single-valued (one depth has one temperature), then double-valued (one temperature at three depths), before returning to a single-valued state again. Since the finite differences must be computed, its first and second finite differences will be defined as $\Delta Z_j(T_n)$ and $\Delta^2 Z_j(T_n)$, respectively.

The upper and lower boundaries of the inversion occur at the first double-valued temperature. If this temperature is T_n , then $Z_{c1} = Z_1(T_n)$ and $Z_{c2} = Z_2(T_n)$. The last double-valued temperature, or a lower-valued single temperature included between the last double-valued temperatures, is the minimum temperature, T_{min} , and the depth of this minimum temperature, Z_{min} , is defined from $Z_1(T_{min})$. The magnitude of the thermal inversion, $TUPP$, is given by the absolute value of the difference between the first and last double-valued temperatures. Once these inversion features have been identified, pertinent features above and below the inversion still must be identified by the methods outlined in Section D.

3. Example of Input

Two methods of input to this program are data deck and tape deck. These two examples illustrate these methods.

A. Data Deck Input

In using a data deck input, where an analyzer does not have access to the digitizing machines and must key-punch his data deck, it is possible to input both positional and curve data. The data deck must be made up as follows (see Figure 6);

(1) The data must be printed from the bathythermograph curve, at some pre-chosen thermal interval, i.e., - 0.5 degrees. The data are punched on the data aperture cards by punching the temperature, followed by its depth as picked off at the chosen delta-T. Each data bit is allowed ten spaces on the aperture card and no other data can be included in this ten space unit, so that a maximum of four data sets can be punched per data card, (since there are only 80 spaces allowed per card). The thermal data is continued through as many aperture cards as necessary to insure complete recording of the entire trace.

(2) Immediately following the completion of the first trace, the operator must insert "Control Card 1", which is a dummy control card consisting of "0.0" substituted for the temperature, T, and any "non-zero" value substituted for the depth, Z. This dummy card signals the main program that the reading routine has completed reading the data trace and is ready to read the positional data, if it exists, or proceed on with the analysis of the trace.

(3) Following "Control Card 1" we insert the positional data card, if we desire to read in this information. This card contains the geographical position, both latitude and longitude to the nearest

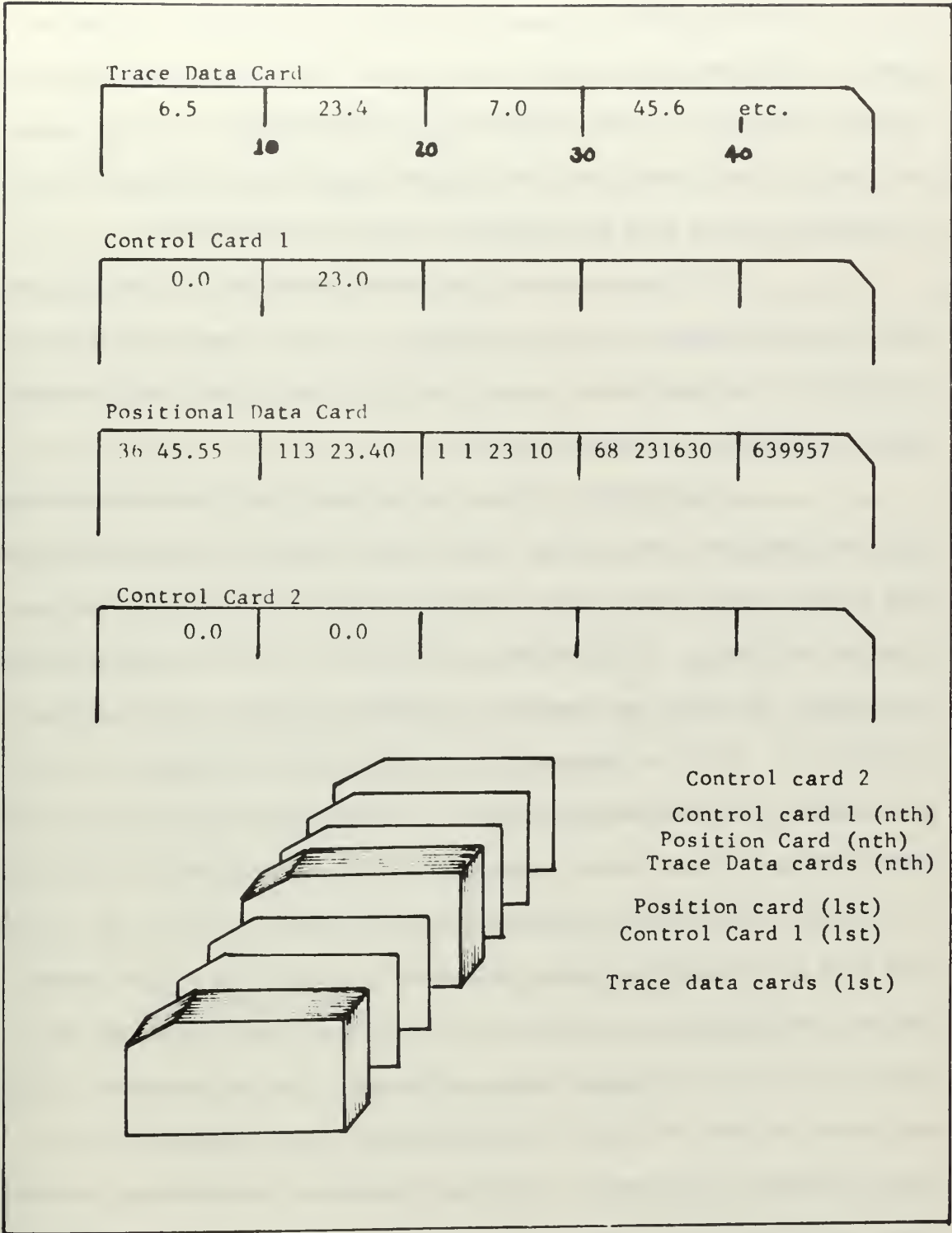


Fig.6 Card Format and Data Deck Assembly

hundredth of a minute, the local date, the Greenwich Mean Time and date of the bathythermograph cast, and the serial number of the bathythermograph. If the positional data card is used, then every position must be filled in exactly as noted in Figure 6 and Appendix II. If the necessary data is not known, then the unknown spaces must be filled with "0"'s. The format on this card is absolutely vital and inflexible.

(4) Next we repeat the above procedures (1) through (3) for each bathythermograph trace desired. It is not necessary to insert a positional card with each trace, but if the positional card is used it must be complete, as mentioned above.

(5) When the entire data package has been made up of trace data and positional data cards, then "Control Card 2" is inserted as the last card to signal the program that the data is finished and the program can terminate. "Control Card 2" consists of a normal data card format, except the "0.0" is inserted in position for both temperature, T, and depth, Z. This is always the last card in the data deck (if we do not consider the programming control cards used by the system), and will always follow the positional data card for the last trace or if this data is not used, then it will follow the last "Control Card 1." The entire data deck is assembled as shown in Figure 6, and may be of any length. The only programming prerequisites are that the thermal interval be a constant for each individual trace, although it is not necessary for all the traces to have the same interval, and the input format, Figure 6, must be followed rigorously. All other necessary computations, such as sigma, weighing factor, etc., are contained or computed within the program.

B. Magnetic Tape Data

When the input data can be digitized, by such facilities as the Fleet Numerical Weather Central, Monterey, or the Canadian Oceanographic Data Center, a few modifications must be made to the basic program reading methods as they presently exist in Appendix II. In order to use magnetic tape input it is necessary to remove the cards that are serialized (right hand margin) 0185 - 0204 and insert in their place new cards designed to read the magnetic tape. It is important to note here that the format of the tapes and even the type of tapes makes a vast difference in the make up of the reading cards and great care must be used in inserting the correct control and reading cards in order to insure not shutting down the computer. Before using tapes, be sure to check the individual instruction manual and the individual tape specifications and rigorously follow the instructions on the format for the make up of these new cards to be inserted. The following information must be considered in each case:

- (a) whether seven or nine track tape,
- (b) data density,
- (c) whether even or odd parity,
- (d) whether the data are translated or not,
- (e) if translated, what machine language,
- (f) record length,
- (g) whether or not the data are blocked,
- (h) if blocked, what size.

All this information is vital in making up the correct system control cards for the tape reading unit. Once the system control cards are correctly made up and inserted around the program, then a normal "read" card, for example;

```
      READ(8,1,END=60)  
1     FORMAT(8A5)
```

is used, where, in this example, we are reading on tape reader "8", sixty traces consisting of eight data sets per trace.

4. Computer Program Operation.

The computer first reads in the data for an individual trace, as outlined in Section 3, and then reads in the positional data (if existent in data deck). Once the individual trace is read into the program, the computer takes over, using the analysis method programmed by this routine to start the investigations for the features outlined in Section 2. Before starting any further investigations the program looks at the thermal interval and chooses one of three possible values for the weighing factor, SK. This value is then carried throughout the calculations for this trace. If the positional data is included, the first output is a formalized print-out of this informational heading. Once this has been executed, the main program starts a searching routine to identify various possible features before calling the specific sub-routines necessary to analyze this data. The program first looks for double-valued temperatures in the vertical dimension. If these double-values exist the program calls the inversion subroutine, INVERS, to calculate the top and bottom of the inversion and its spacial and thermal magnitude. This subroutine first calls a specialized subroutine, ORDER1, that takes all the input data from that trace and checks to insure that the data is in correct order from the surface down (consecutive readings) and if it is not, reorders the data in the correct sequence. Once the data is in correct order, then the program does a quick safety check to insure that it does not have a non-inversion, (where the temperatures first increases with depth and then decreases, giving not an inversion, but a positive surface gradient followed by the normal main thermocline, a feature that the main program might identify as an inversion). If this condition does exist, the subroutine terminates and returns the flow to the main program for further investigations. If

an inversion exists, then, by the use of do-loops, INVERS calculates the top, bottom, and magnitudes of the inversion as outlined in Section E.3. Once the data has been analyzed and these results are available, the subroutine then calls four specialized printing subroutines, PRINT3 through PRINT6, to print out the data in a useful format. INVERS then returns the order flow to the MAIN program for further investigations.

The MAIN program then investigates the thermal interval, ΔT , to insure that if the interval is less than 0.2 degrees a thorough investigation for the presence of transients is accomplished. If the interval is 0.2 or less, the MAIN routine calls the transient investigation routine, TRANS, which proceeds to analyze for the presence of transients as outlined in E.1. Upon completing the analysis, the results are printed out, if any exist, and the flow returns to the MAIN routine.

Once returned to the MAIN program, the final investigation is made into the possibility of multiple thermoclines. The MAIN program calls the multiple thermocline subroutine, MANYT, which utilizes analysis procedures outlined in Section E.2. Within this subroutine is the provision to go to another subroutine, NONGA, designed to handle the more specific case, should only a single main thermocline exist. The NONGA subroutine uses the procedure outlined in Section D to find the top, center, and bottom of the thermocline. In both subroutines, looking at thermoclines, the results are printed out by utilizing the specialized printing subroutines, PRINT1 and PRINT2.

A flow chart (simplified) for the entire process is shown in Appendix I, and the entire program can be inspected by referring to Appendix II. It is worthy of note, that this program will not identify all three features, transients, multiple (or single) thermoclines, and inversions, in a single trace as the existence of all three would be very

rare. However, the program will look for transients in the upper near-isothermal layer and then investigate the possibility of an inversion below this area, or if the inversion does not exist then look at the thermocline(s) in the region below the near isothermal layer.

Also, as an additional feature the program can be called to print out a graphic display of the input data (Appendix III), thus giving a visual representation of the data that is printed out on the output data sheets. This auxiliary feature can be called by inserting the following cards in the MAIN program immediately following the card serialized 0199.

```
CALL SEE13(T,Z,ICOUNT)
```

which will call the SEE13 subroutine that utilizes the library program, "DRAW", to give graphic display of the input data set and fits a curve to these points. Before using this call, the user must exercise care and carefully read the rules for usage of "DRAW" in subroutine "SEE13" as are outlined in Appendix III.

Another feature included as part of this thesis package, is a provisional set of cards (Appendix IV) that will convert the program as contained in Appendix II into the slightly different machine language required when the program is used on the CDC 6500 model computers, instead of the IBM 630 models for which this program is written. Before using this conversion program two steps must be taken,

- (1) all data and system control cards must be removed and the remaining portions of the included program become the data deck for "BCD"
- (2) All output formats that involve printed words or combinations of printed words and numbers must be converted to "H" format.

5. Output from the Computer.

The output from the computer consists of several possible combinations of data. Included are examples of a few of the possible combinations. All the output from a given trace is printed on a single individual page, headed by the trace number within the data sequence and the positional data for that slide (if any). Figure 7 shows one of the sets of real data that was taken from some data traces made by Tully in the vicinity of Ocean Station "Papa" in 1963. Figure 7 is a hand-drawn enlargement of a real test trace containing both transients and a single main thermocline, typical of that region, used in testing out this program. Figure 8 is a typical output from the program's analysis of this trace and lists the positional data (which was partially available) and the date and time of the trace. The program then reveals the existence of two transients, by printing out the location of the start and end of each transient. It also gives the information on the single major thermocline. In this case the data was read in from a data deck after being transcribed from the trace onto aperture cards. The data interval was taken in this case to be 0.1 degrees. Figure 9 shows the typical print-out of a hand-constructed case, also used to test program, centered around a thermal inversion (Boston 1966). Figure 10 is the data output for this created case. Figure 12 is an example of the printed output that would be expected from a trace (see Figure 11) containing multiple thermoclines. In this case two major thermoclines exist in the trace. For interest, Figure 13 shows the output from the drawing routine called from SEE13. It can be seen that computer drawn trace of Figure 13 is an adequate enough representation of Figure 12 to enable the user to use this type of computer output as a rough aid in insuring correct working of the computer program or other rough calculations where a visual presentation might be desirable.

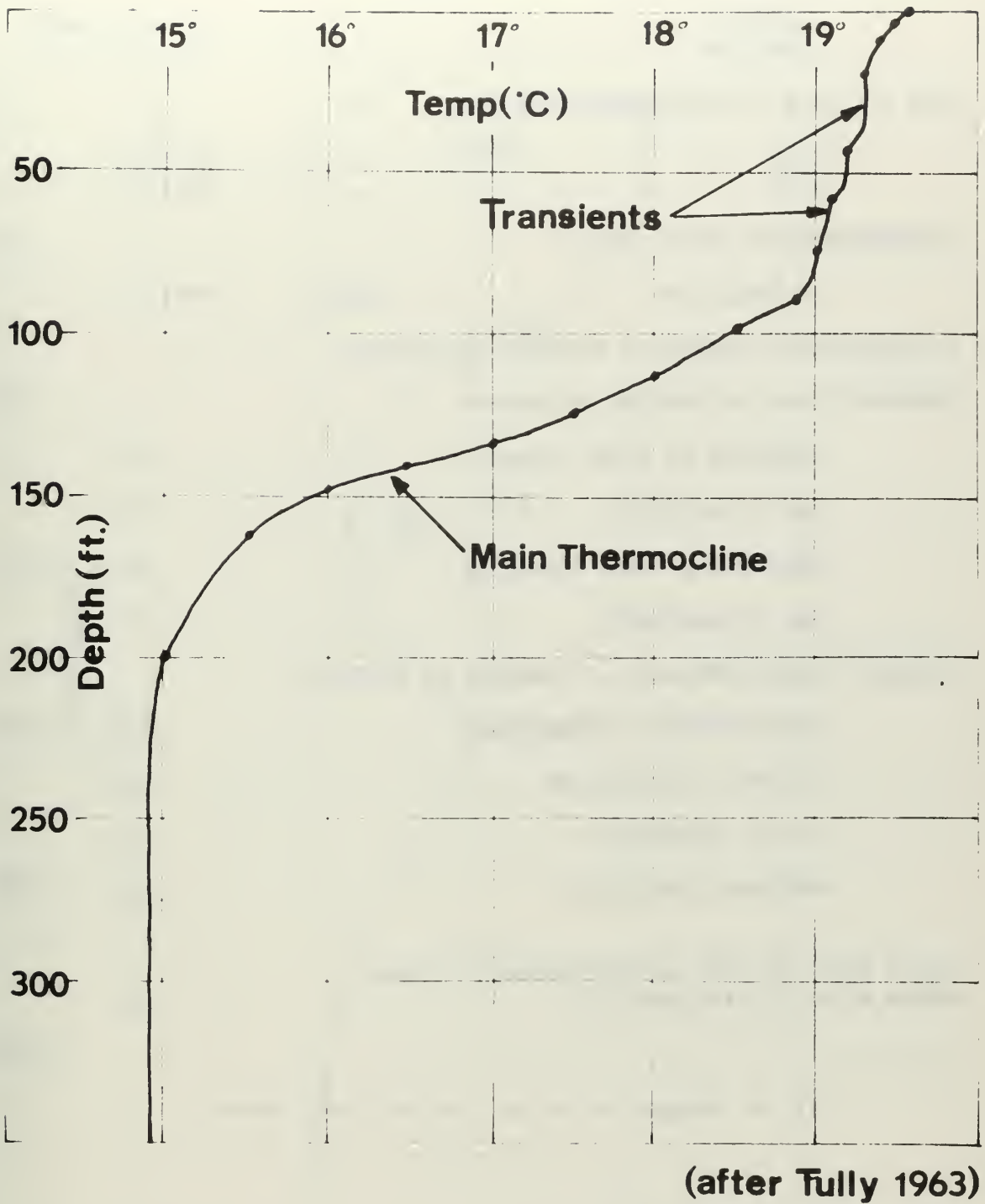


Fig. 7 Ocean Station 'Papa' — BT Trace
23 April 1963

START OF INVESTIGATIONS IN BATHYTHERMOGRAPH TRACE NUMBER 4

GEOGRAPHIC POSITION OF BATHYTHERMOGRAPH TRACE:

LATITUDE 36-36.1 NORTH
LONGITUDE 113-44.7 WEST

DATE AND TIME OF BATHYTHERMOGRAPH TRACE:

DATE 10/23/63
TIME 100832

BATHYTHERMOGRAPH SERIAL NUMBER:

BT SERIAL NO 663977

NO TEMPERATURE INVERSIONS EXIST IN THIS TRACE.

TRANSIENT DATA AS COMPUTED BY PROGRAM:

BEGINNING OF FIRST TRANSIENT. 21.0
END OF TRANSIENT 55.0
BEGINNING OF NEXT TRANSIENT 60.0
END OF TRANSIENT 87.2

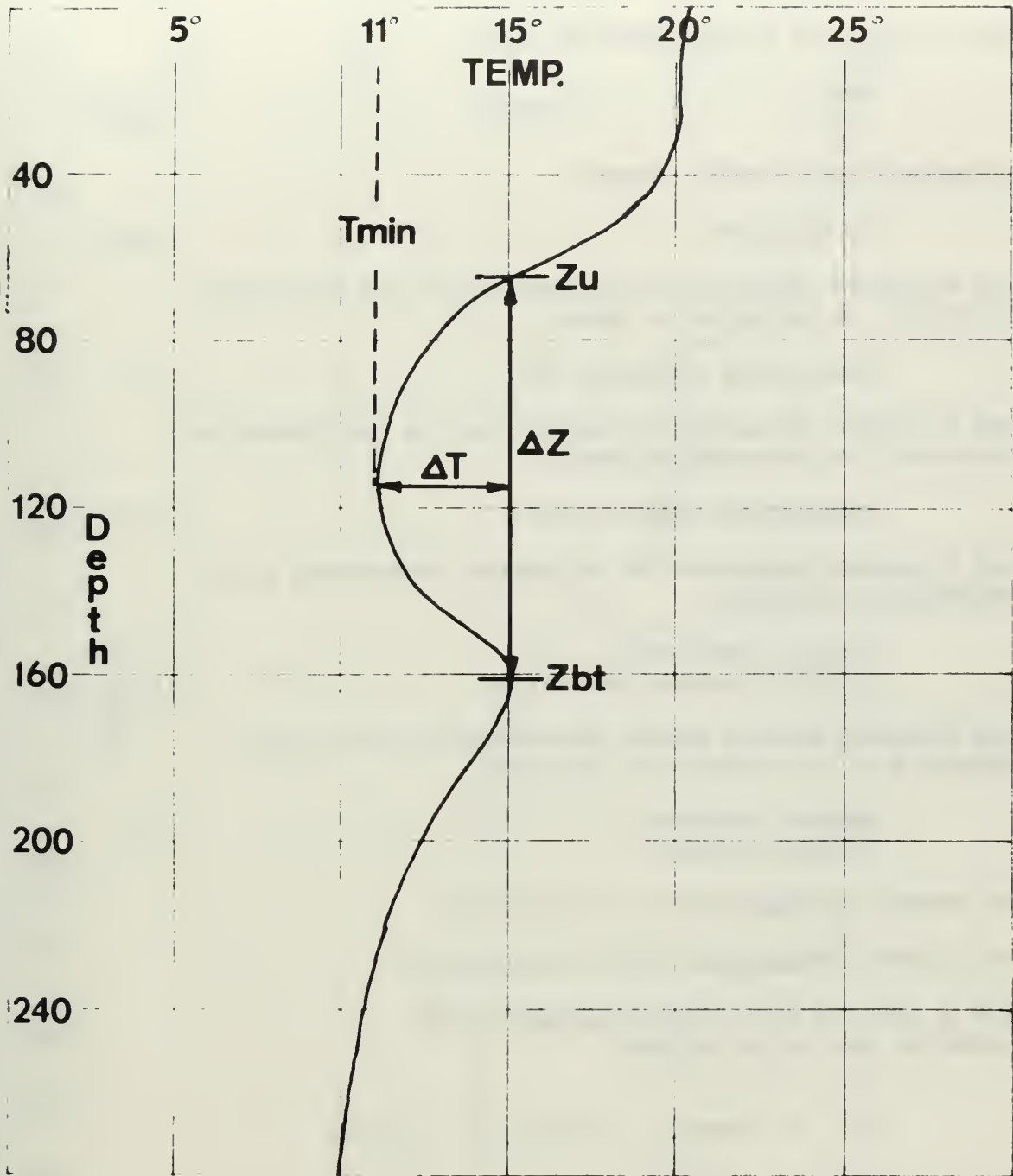
MULTIPLE THERMOCLINE DATA AS COMPUTED BY PROGRAM:

CENTER NUMBER 1 LOCATED AT 148.0
CENTER OF THERMOCLINE 149.6
TOP OF THERMOCLINE 99.3
BOTTOM OF THERMOCLINE 196.8

END OF DATA FOR THIS BATHYTHERMOGRAPH SLIDE.

NUMBER OF DATA PAIRS ANALYZED - 18

Fig. 8 Example of Output for Real Data Curve



(after Boston, 1966)

Fig. 9 Typical Inversion

START OF INVESTIGATIONS IN BATHYTHERMOGRAPH TRACE NUMBER 27

GEOGRAPHIC POSITION OF BATHYTHERMOGRAPH TRACE:

LATITUDE	00.00
LONGITUDE	00.00

DATE AND TIME OF BATHYTHERMOGRAPH TRACE:

DATE	00/00/00
TIME	000000

BATHYTHERMOGRAPH SERIAL NUMBER:

BT SERIAL NO	000000
------------------------	--------

THE FOLLOWING INDICATES THE COMPUTED TOP OF THE TEMPERATURE INVERSION, BY NON-GAUSSIAN THEODS:

TEMPERATURE INVERSION TOP	66.0
-------------------------------------	------

THE FOLLOWING INDICATES THE COMPUTED BASE OF THE TEMPERATURE INVERSION, BY NON-GAUSSIAN METHODS:

TEMPERATURE INVERSION BASE.	160.1
-------------------------------------	-------

THE FOLLOWING FIGURES DEFINE THE MINIMUM TEMPERATURE OF THE TEMPERATURE INVERSION:

MINIMUM TEMPERATURE	11.0
DEPTH OF MINIMUM TEMPERATURE	139.4

THE FOLLOWING FIGURES DENOTE THE TEMPERATURE AND SPACIAL MAGNITUDE OF THE TEMPERATURE INVERSION:

THERMAL MAGNITUDE	4.0
SPACIAL MAGNITUDE	94.1

NO THERMAL TRANSIENTS EXIST IN THIS TRACE.

NO MULTIPLE THERMOCLINES EXIST IN THIS TRACE.

END OF DATA FOR THIS BATHYTHERMOGRAPH SLIDE.

NUMBER OF DATA PAIRS ANALYZED -

Fig. 10 Example of Output for Inversion

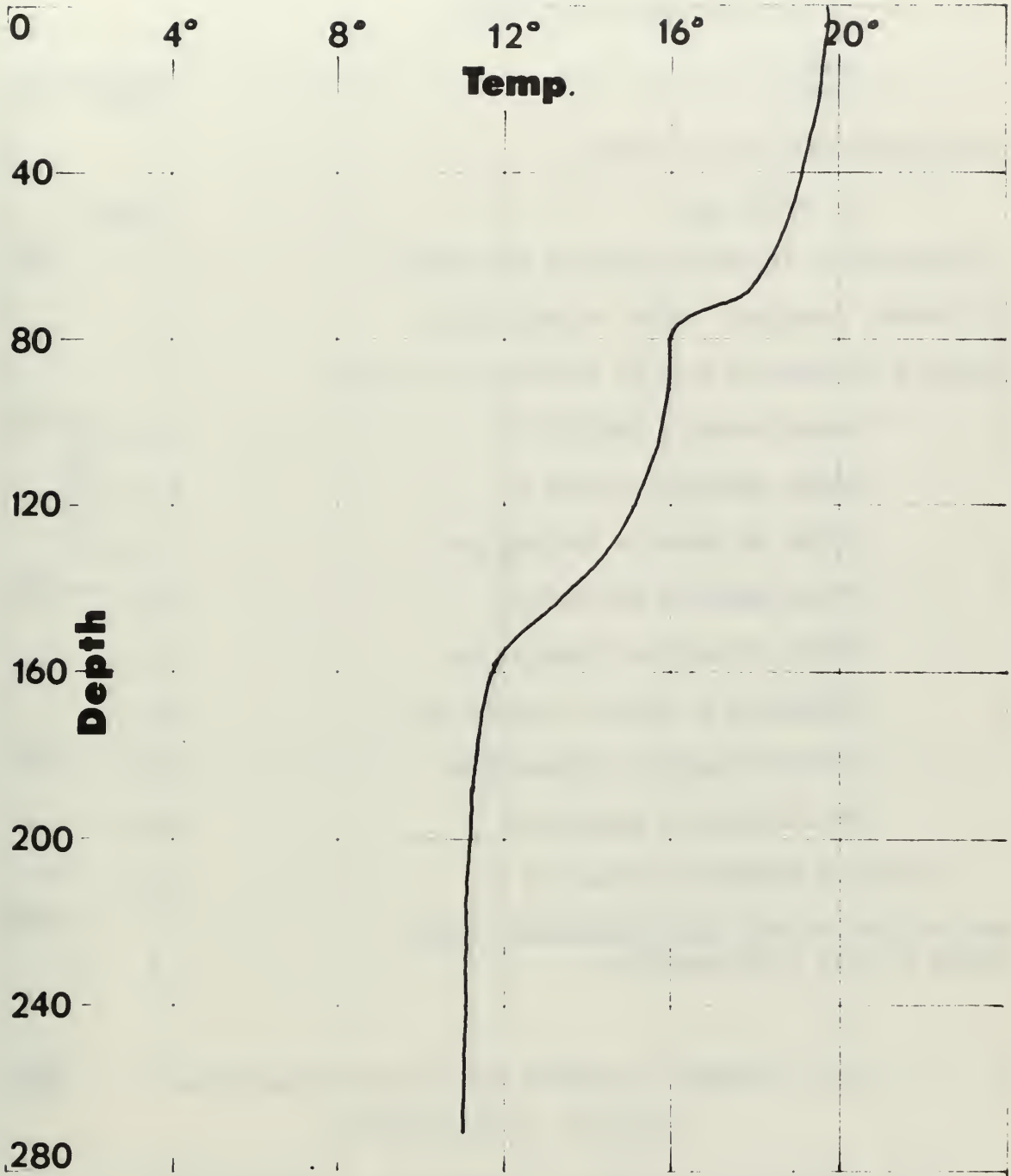


Fig.11 Hand drawn Bathythermogram

START OF INVESTIGATIONS IN BATHYTHERMOGRAPH TRACE NUMBER 17

GEOGRAPHIC POSITION OF BATHYTHERMOGRAPH TRACE:

LATITUDE 000.00 NORTH
LONGITUDE 000.00 WEST

DATE AND TIME OF BATHYTHERMOGRAPH TRACE:

DATE 00/00/00
TIME 00000

BATHYTHERMOGRAPH SERIAL NUMBER:

BT SERIAL NO. 000000

NO TEMPERATURE INVERSION EXIST IN THIS TRACE.

NO THERMAL TRANSIENTS EXIST IN THIS TRACE.

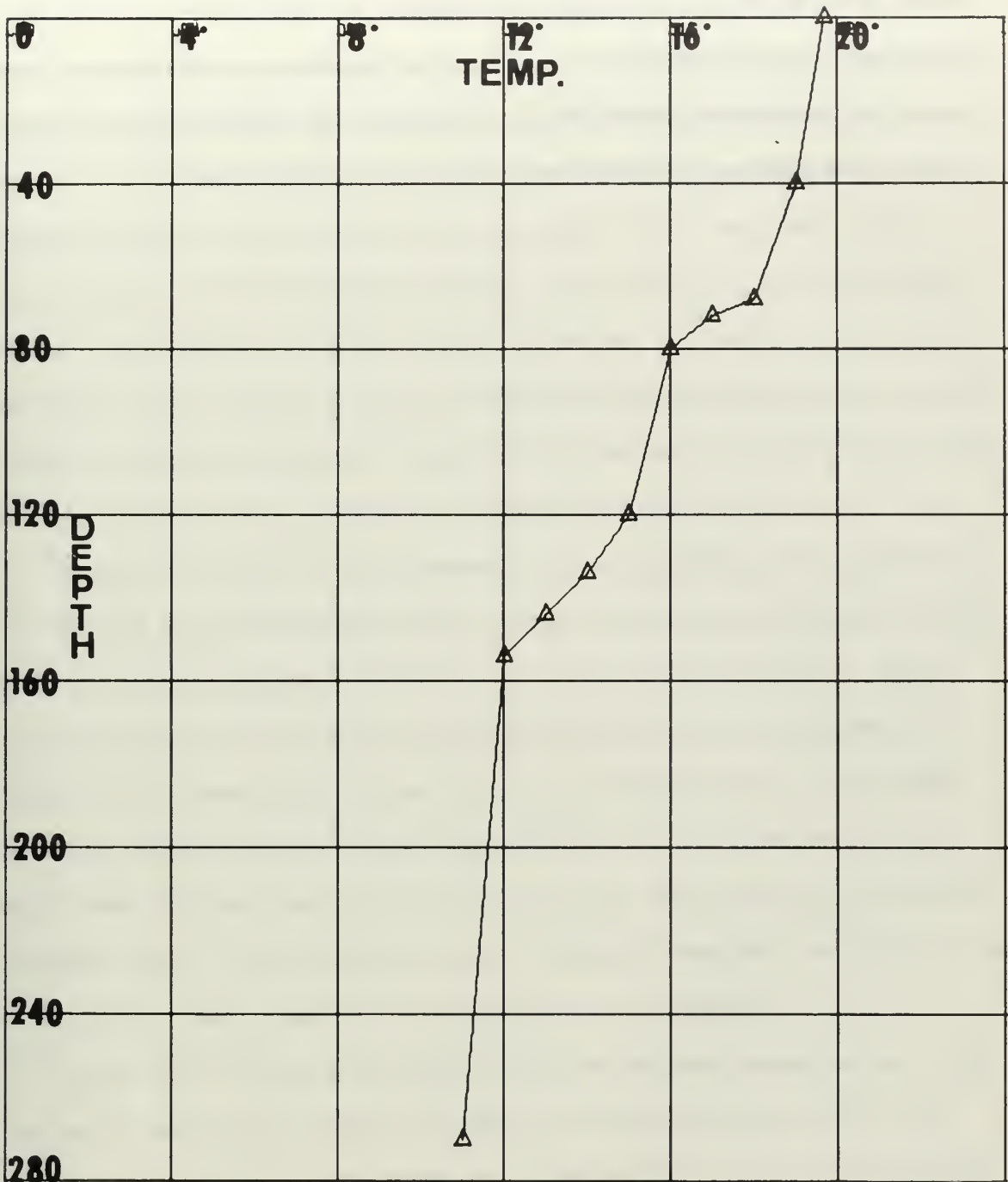
MULTIPLE THERMOCLINE DATA AS COMPUTED BY PROGRAM:

CENTER NUMBER 1 LOCATED AT 72.0
CENTER NUMBER 2 LOCATED AT 144.0
CENTER OF GAUSSIAN THERMOCLINE 75.0
TOP OF GAUSSIAN THERMOCLINE 53.5
BOTTOM OF GAUSSIAN THERMOCLINE 94.4
SEPERATION #1 BETWEEN THERMOCLINES 100.0
CENTER OF GAUSSIAN THERMOCLINE 138.0
TOP OF GAUSSIAN THERMOCLINE 104.9
BOTTOM OF GAUSSIAN THERMOCLINE 152.6

END OF DATA FOR THIS BATHYTHERMOGRAPH SLIDE.

NUMBER OF DATA PAIRS ANALYZED - 8

Fig. 12 Example of Output for Multiple Thermoclines



COMPUTER TRACE
 TEMPERATURE AGAINST DEPTH (Z POS. UP)

FIG.13

All the preceding traces were read in in data deck format, with varied intervals of delta-T, 0.1 degrees in the first example, 1.0 degrees in the second case, and 0.5 degrees in the latter case. There are other possible combinations, but these three cases outline the general format and the answers that can be expected. The other cases are just various combinations or omissions of the above three cases.

6. Discussion and Conclusions Concerning Results.

Although no error analysis was undertaken for this computer process, it is obvious that there are some errors built into the program that could perhaps be reduced by further investigation and refinement. In several segments we use a Gaussian based method and thus there is some error introduced in the computation of the top and bottom of the thermocline due to having to compute a sigma in the program. Also, in this program the multiplication factor, SK, is calculated only roughly based on the thermal interval. This factor can be improved, but cannot be exact in the computer, due to truncation error; besides, much storage space is needed to store the large table of values applicable where each tabular figure is only good for one specific set of data.

There are certain errors inherent in the computer, but since we do not require great precision, these errors can be ignored due to the fact that the bathythermograph itself is not a precise instrument. These errors include truncation and round-off errors in every computation. Since we are requiring printout to only one decimal place it is doubtful that these errors will ever be noticeable. Also there are errors built into the functions that are internal to the computer, such as the "square root," "multiplication," and "addition" routines, but again these will not be significant in the accuracy that we require.

There are certain advantages to the use of data tapes versus magnetic cards, when great volumes of data are to be processed. The time required to punch the data cards and to check the results is a function of the experience of the operator. The computer time is approximately 25 seconds for card input computations, plus additional time if the drawing of graphs is required (approximately three minutes per graph). This

time can be cut approximately in half if the program compiled by the computer is put on tape and data input is in that form, as the compiler takes approximately half the time now used in making a computer run.

There are other equipment errors, that as yet have not been evaluated, that are concerned with the input data, and are still vital to the person desiring to analyze the traces by use of this program. Such items as hysteresis, where a double trace is formed on the bathythermograph slide, due to slight differences in the temperature when raising the bathythermograph as compared to when lowering it cause inaccuracies, dull styluses can give traces that are too wide to be useful. Damaged equipment that gives unacceptable temperature fluctuations, such as variations from bucket thermometer temperatures, or other signs that the bathythermograph is inaccurate although the trace itself appears acceptable is another input error. Also there are errors inherent in the digitizer that can vary depending upon the equipment used and the usual problems inherent to electronic curve followers or other devices.

The results of this program, in the fifty test cases run, appear to give slight errors as compared to the hand analysis of the same data. Ten of the test cases were hand constructed curves, designed to test the program for specific features or combinations of these features, and the remaining data were real data obtained from the Fleet Numerical Weather Central or taken from other written works, such as Tully and Dodimead (1957) and Pattullo and Cochrane (1951), and a few traces taken in Monterey Bay. Both tape inputs from Fleet Numerical Weather Central and punched tape data decks were used. There were no apparent differences between the outputs from the digitized data and the data on temperature cards, as might be expected assuming that care was taken by the person picking off data points from the curves. The largest error

in the tested cases, was found in a very steep thermocline, real data case, where the depth error was 4.5 feet for the top of the thermocline and 3.0 feet for the base of the thermocline in a thermocline that was 76 feet in vertical magnitude. In this case the center of the thermocline was only 0.3 feet from the hand calculated value. The thermal interval was 1.0 degree Farenheit and the thermocline in question was analyzed by the Gaussian technique.

Thus it can be said that this program accomplishes, with acceptable accuracy, considering the analytic methods used, in seconds what a well trained operator would take tens of minutes to accomplish.

This program can be expanded, by the inclusion of additional sub-routines, and their respective "call" cards in the MAIN routine without greatly increasing the time needed in computing the desired results.

7. Recommendations.

As previously stated, there are other features that can be added to this program by merely including additional subroutines. Additionally, this same programming technique can be used, with a few basic changes, to analyze other oceanographic data curves. Before accomplishing any conversions of this program to handle other data, the user must first look at the basic form of the traces he plans to analyze. Traces, other than temperature, may not be describable using the same parameters as described by Tully (1964). Such items as the magnitude of the fluctuations of other quantities must be examined as they may exceed the number that this program can handle. For example, it may be common, in some other oceanographic parameter, to have more than three stable features corresponding to the thermoclines in this program, and thus the program would have to be modified to allow for additional curve computations. Another correction that would have to be made would be the rewording of the print-out statements.

Further investigations should be undertaken, to include the improvement in accuracy of sigma and SK parameters and the possibility that such curves as the hyperbolic tangent or Chi-squared curves might give a better curve fit.

As this program has yet to be run on the CDC 6500 computer of the Fleet Numerical Weather Central, this should be undertaken as soon as possible. For this type of program, the speed of computation on the CDC 6500 computer is approximately three times that of the IBM 360. This CDC 6500 computer also contains more storage space than the IBM 360 computer and thus longer tapes or card inputs may be used. An additional advantage of this increased storage is that investigation could be shifted

from the present two dimensional set up (temperature versus depth) to a three dimensional investigation (multiple traces analyzed simultaneously) giving a field representation instead of just specific points.

BIBLIOGRAPHY

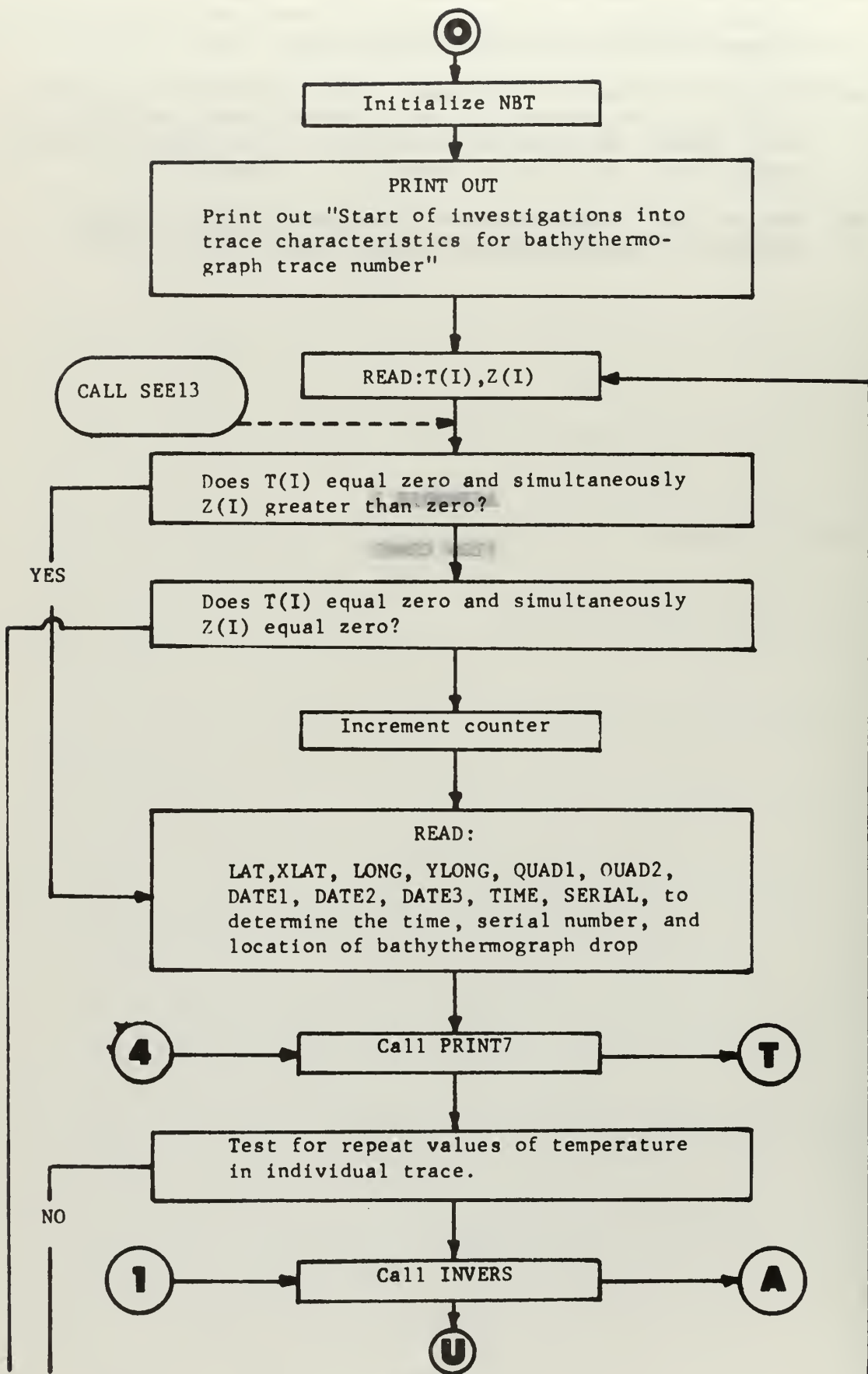
1. Boston, N. E. J. 1966. Objective definition of the thermocline. Ref. 66-19T, Department of Oceanography, Texas A&M University, 38 pp.
2. James, R. W. 1966. Ocean thermal structure forecasting. U. S. Naval Oceanographic Office, Pub SP-105, 215 pp.
3. LaFond, E. C., 1951. Processing oceanographic data. U. S. Navy Hydrographic Office, Pub 614, 187 pp.
4. Pattullo, J. G., and J. D. Cochrane. M. S. 1951. Monthly Thermal condition charts for the North Pacific Ocean. Scripps Inst. Oceanogr. Bathythermograph Section, MS Rept. No. 3, 30 pp.
5. Roden, G. 1964. Shallow water temperature inversions in the Pacific Ocean. Journal of Geophysical Research 69 (14), 2899-2941.
6. Rossby, C. G., and R. B. Montgomery. 1934. The layer of frictional influence in wind and ocean currents. Papers in Physical Oceanography and Meteorology, 3(3).
7. Sauer, C. D., 1964. Bathythermograph data on aperture cards: a new approach to an old problem. Journal of Fisheries Research Board Canada, 21(3), 647-650.
8. Sauer, C. D., and E. L. V. Hope. 1967. A system to digitize bathythermograph aperture cards. Journal of Fisheries Research Board Canada, 24(5), 1155-1164.
9. Spilhaus, A. F., 1938. A bathythermograph. Journal of Marine Research, 1, 95-100.
10. Stewart, R. L. 1963. Test and evaluation of the mechanical bathythermograph. Inf. Man. Rept. No. I-1-63, Marine Science Department, U. S. Naval Oceanographic Office.
11. Tabata, S., and L. F. Giovando. MS, 1962. Prediction of transient temperature structures in the surface layers of the ocean. Fisheries Research Board Canada, MS Rept. (Oceanogr. and Limnol.) No. 132, 13 pp.
12. Tully, J. P. 1961. Assessment of temperature structure in the eastern subarctic Pacific Ocean. Fisheries Research Board Canada, MS Rept. (Oceanogr. and Limnol.) No. 103, 40 pp.
13. Tully, J. P. 1964. Oceanographic Regions and assessment of temperature structure in the seasonal zone of the North Pacific Ocean. Journal of Fisheries Research Board Canada, 21(5), 941-970.

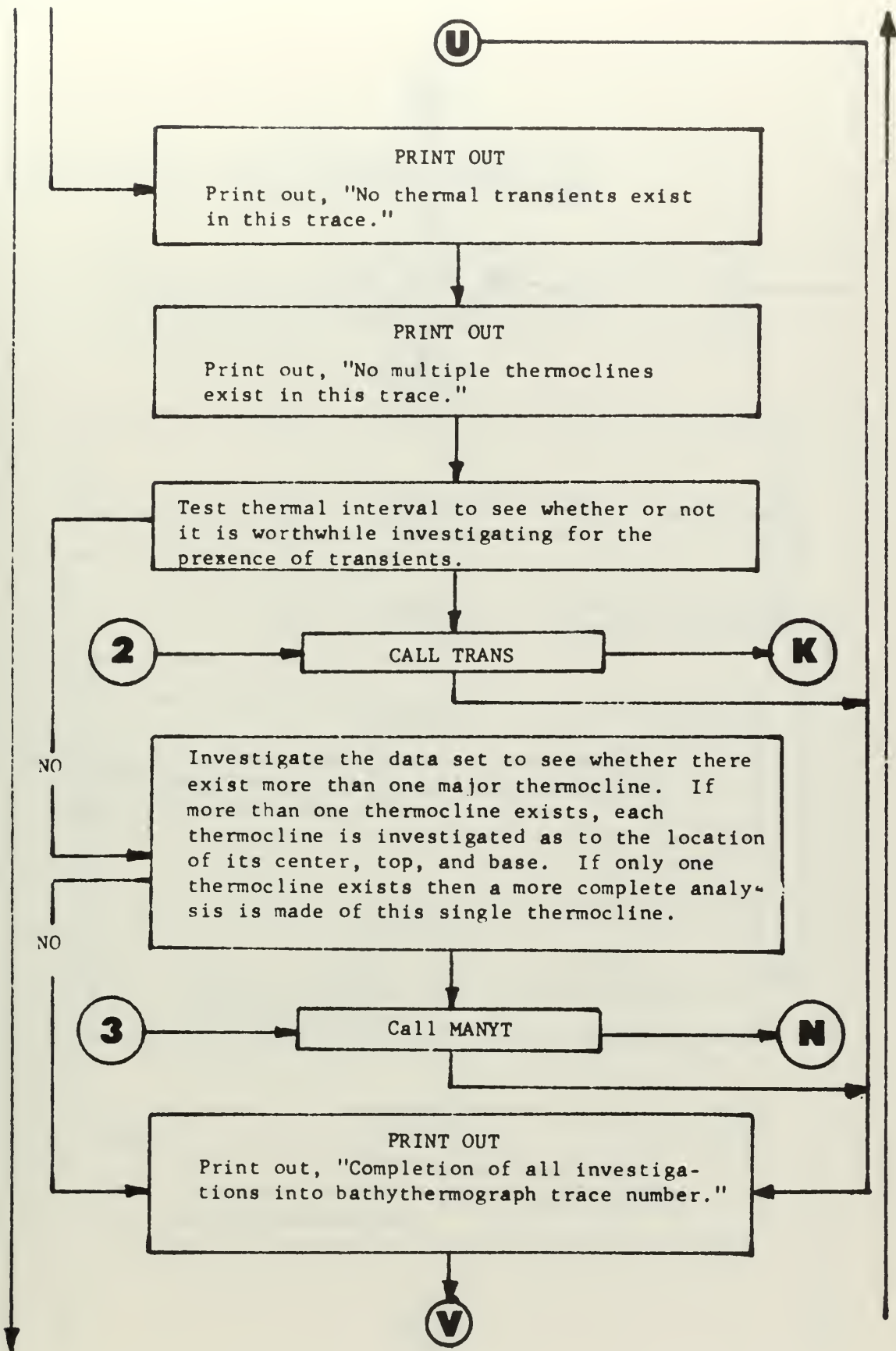
14. Tully, J. P., and A. J. Dodimead. 1957. Properties of the water in the Strait of Georgia, British Columbia and influencing factors. Journal of Fisheries Research Board Canada, 14(3), 241-319.
15. Tully, J. P., and L. F. Giovando. 1963. Seasonal temperature structure in the eastern subarctic Pacific Ocean, pp 10-36. In M. J. Dunbar, (ed.) Marine Distributions. The Royal Society of Canada, Spec. Publ. No. 5, University of Toronto Press.
16. Uda, M. 1963. Oceanography of the subarctic Pacific Ocean. Journal of Fisheries Research Board Canada, 20(1), 120-179.

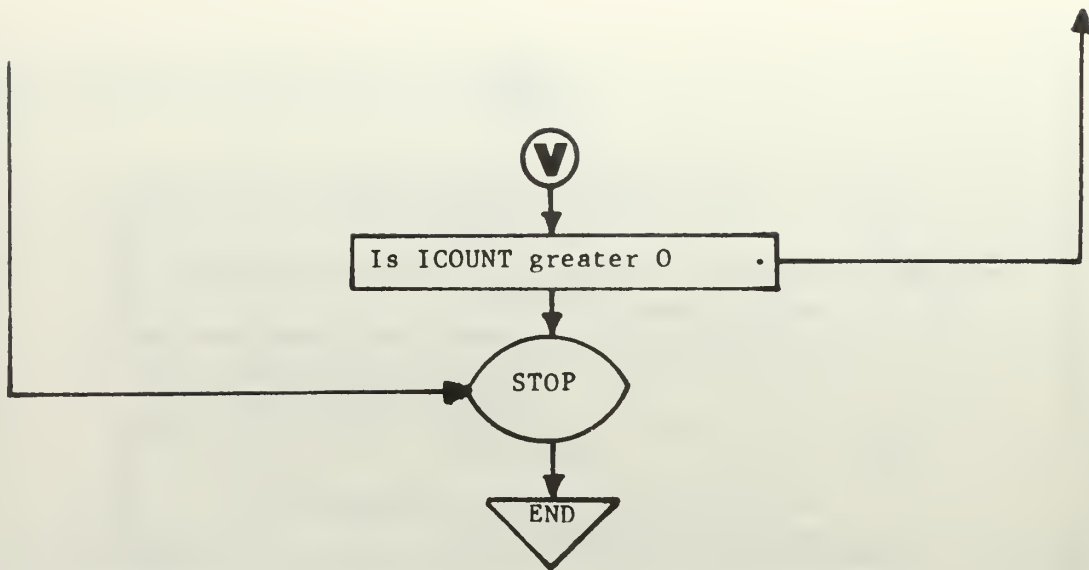
APPENDICES

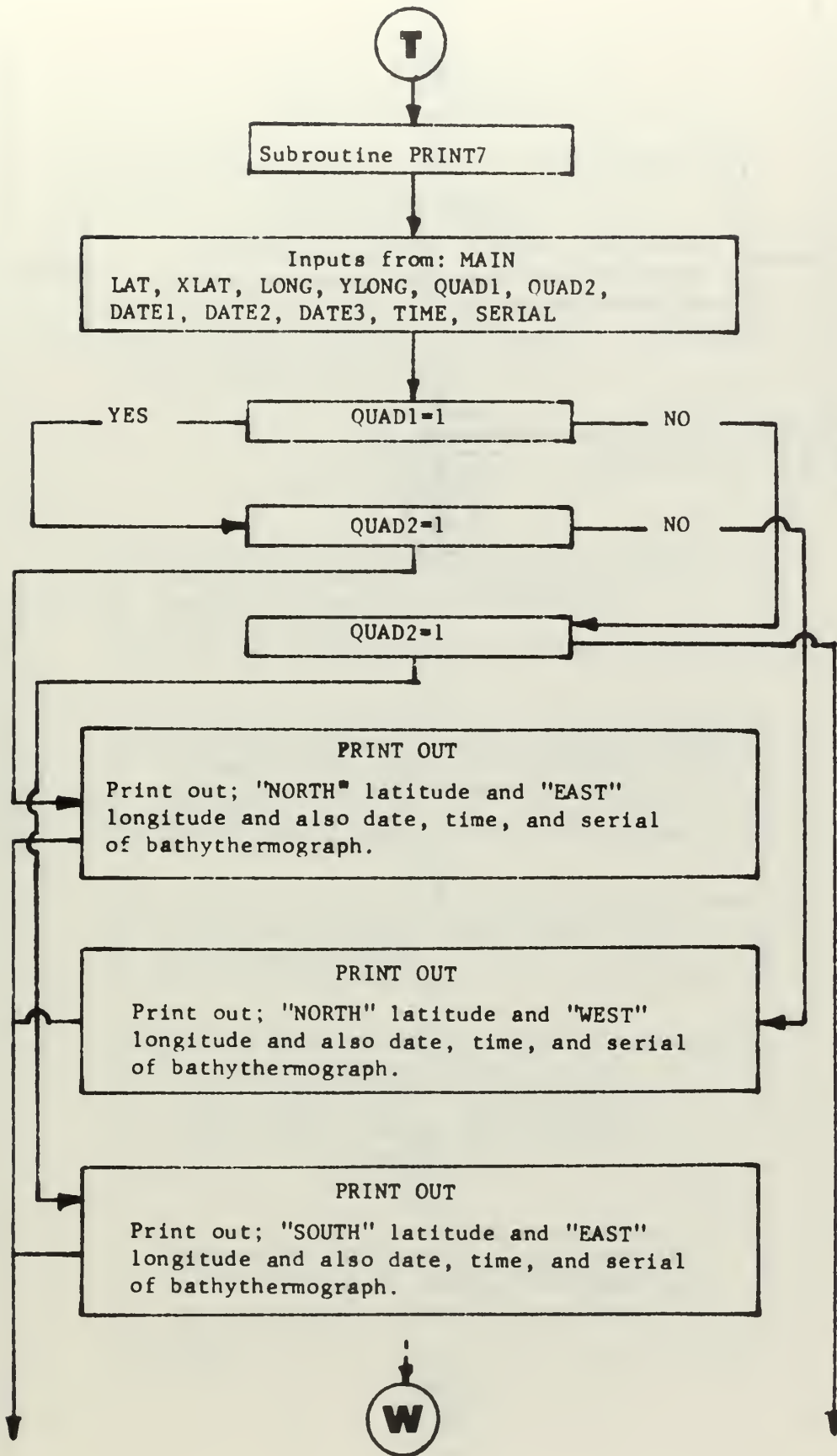
APPENDIX I

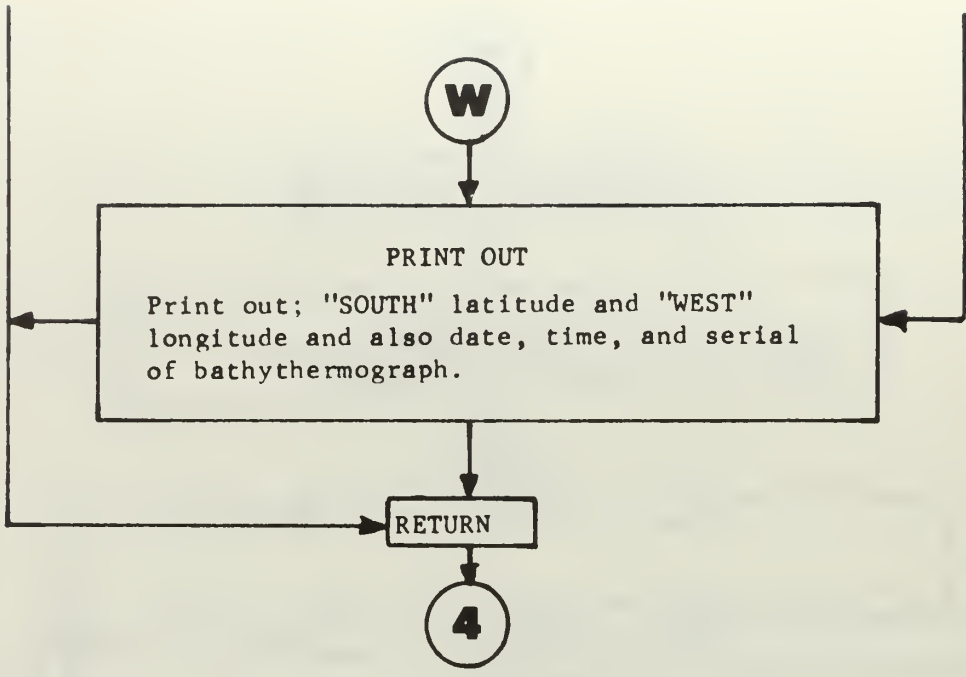
FLOW CHART

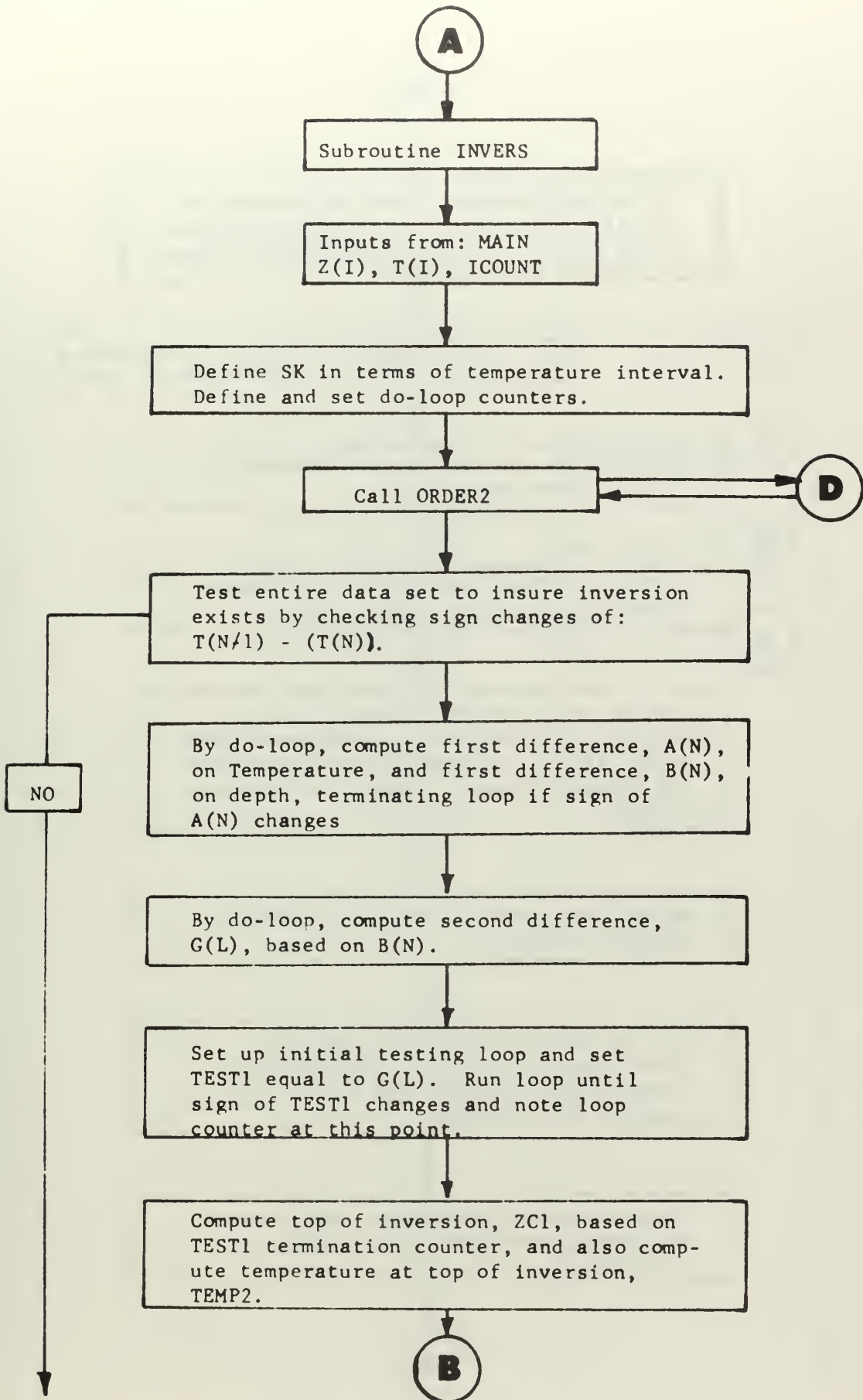


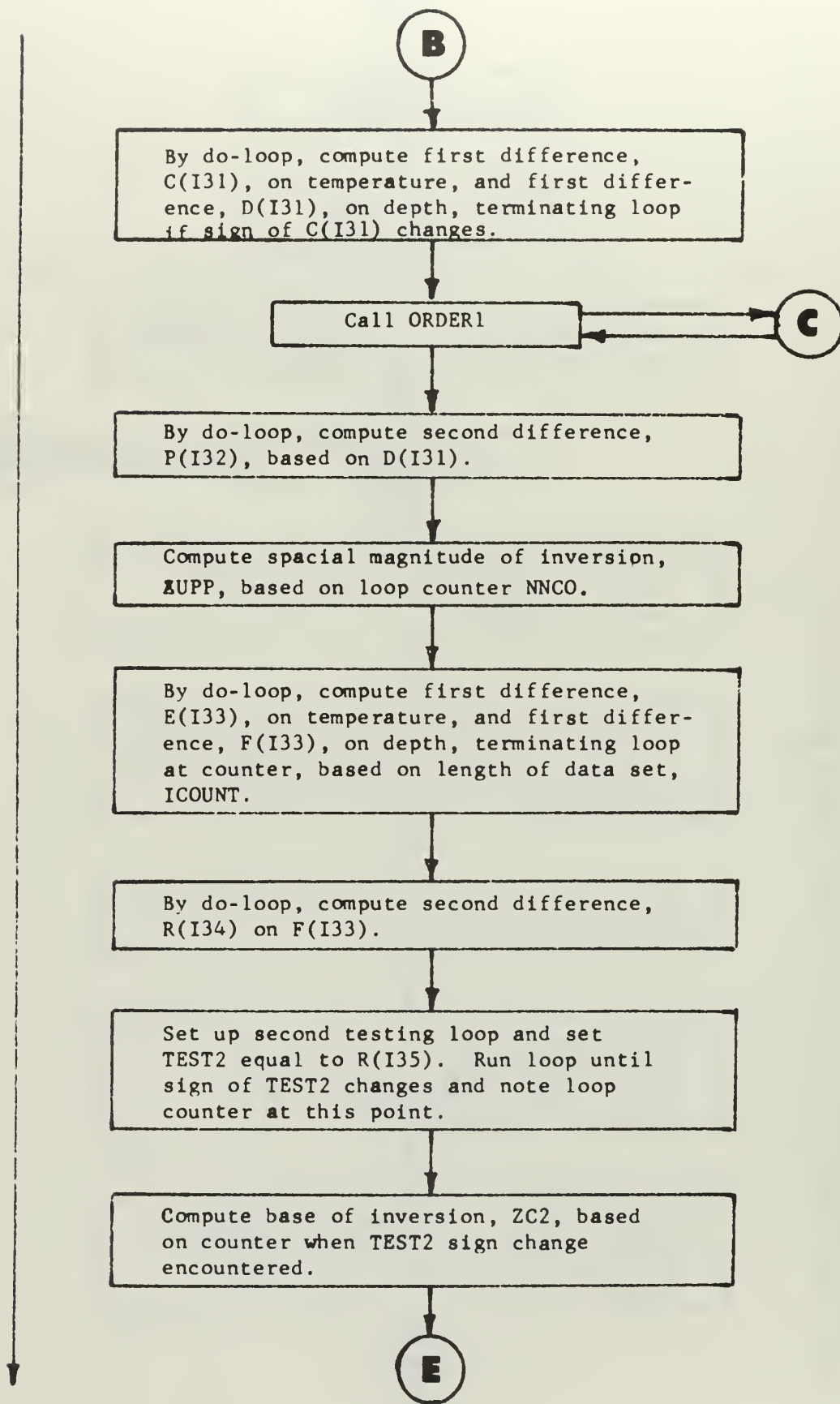


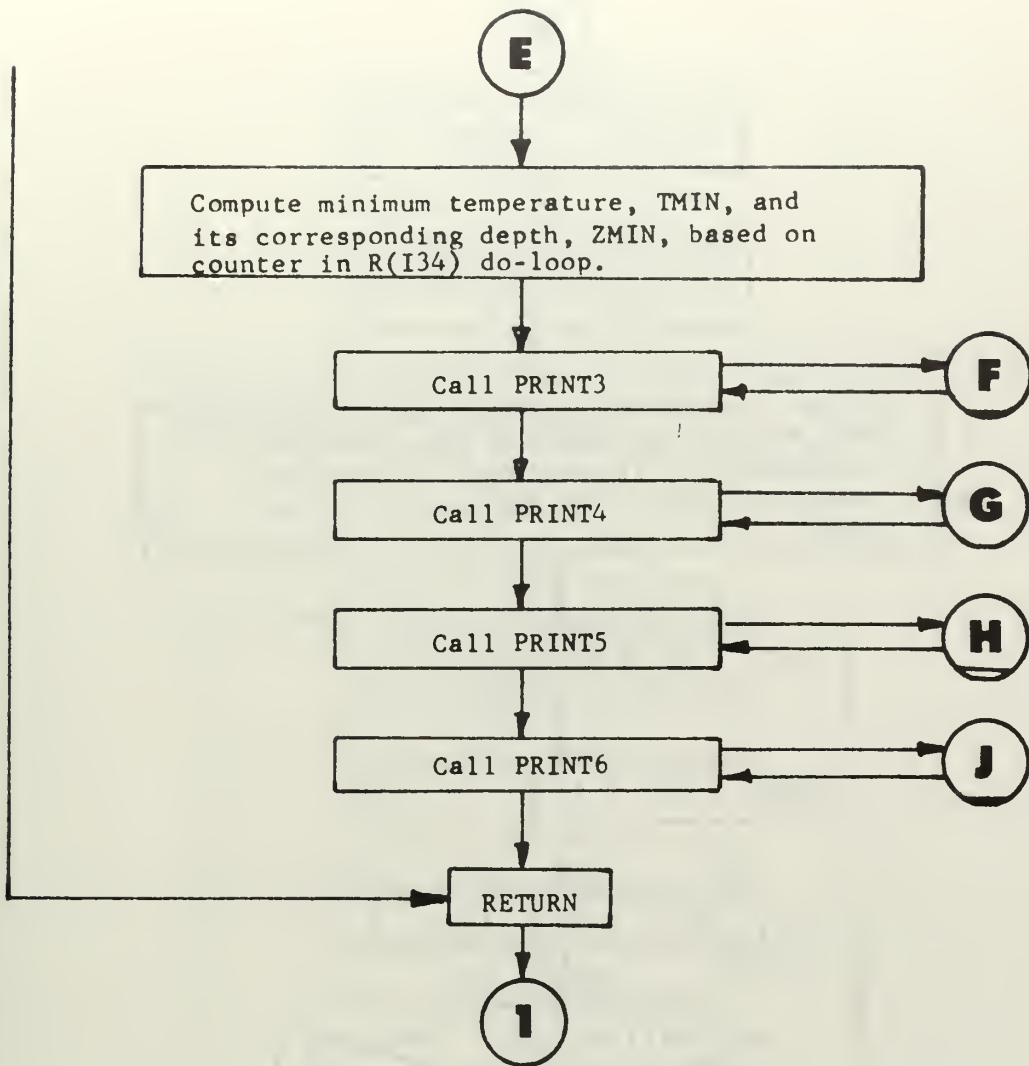










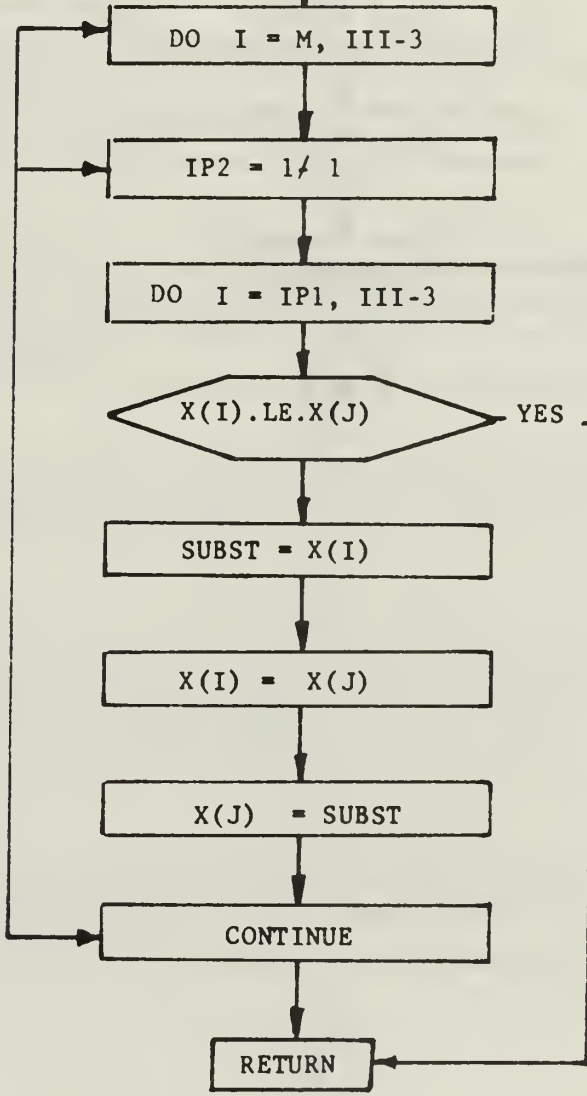


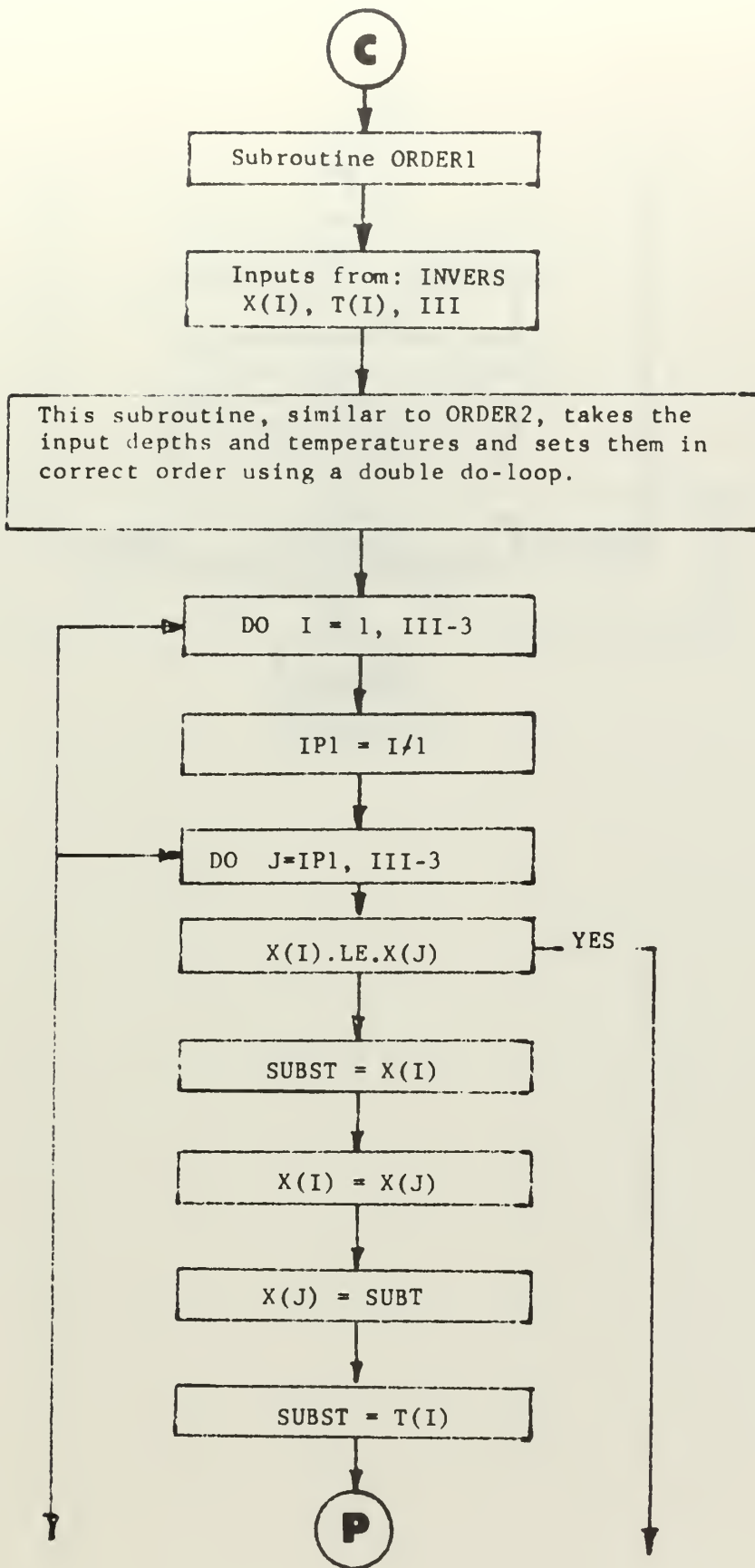
D

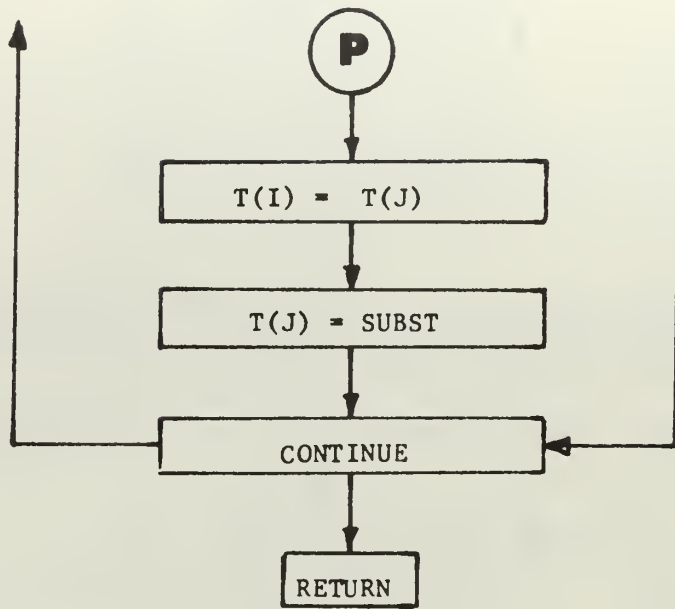
Subroutine ORDER2

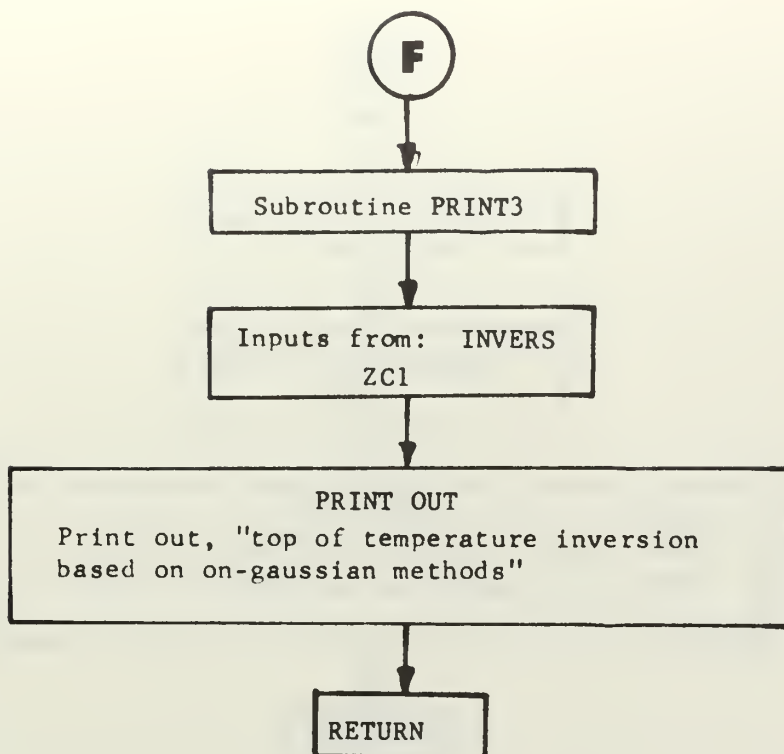
Inputs from: INVERS
X(I), III, M

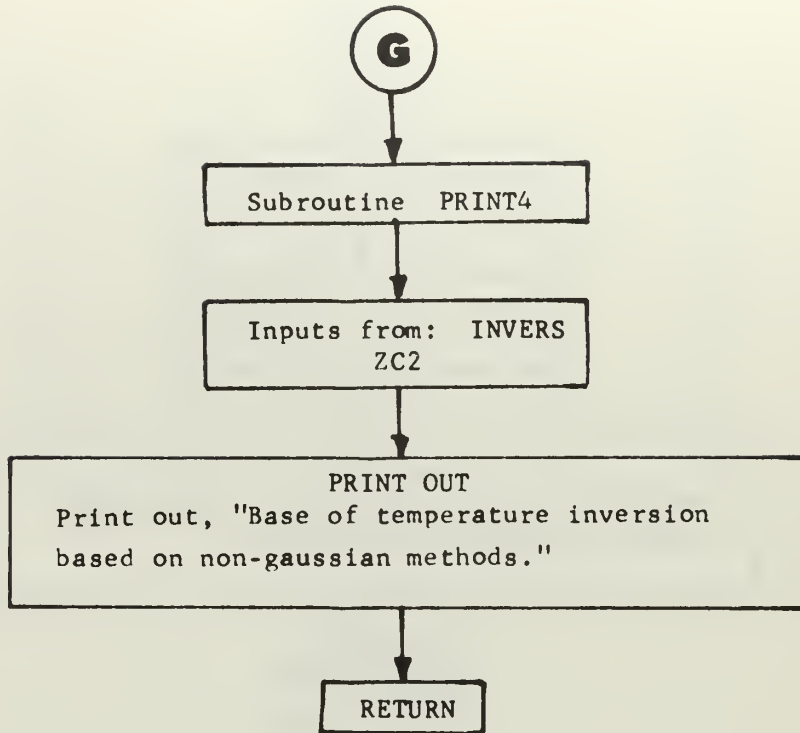
This subroutine takes the input data and rearranges it, if necessary, in correct descending order, by using a double do-loop.

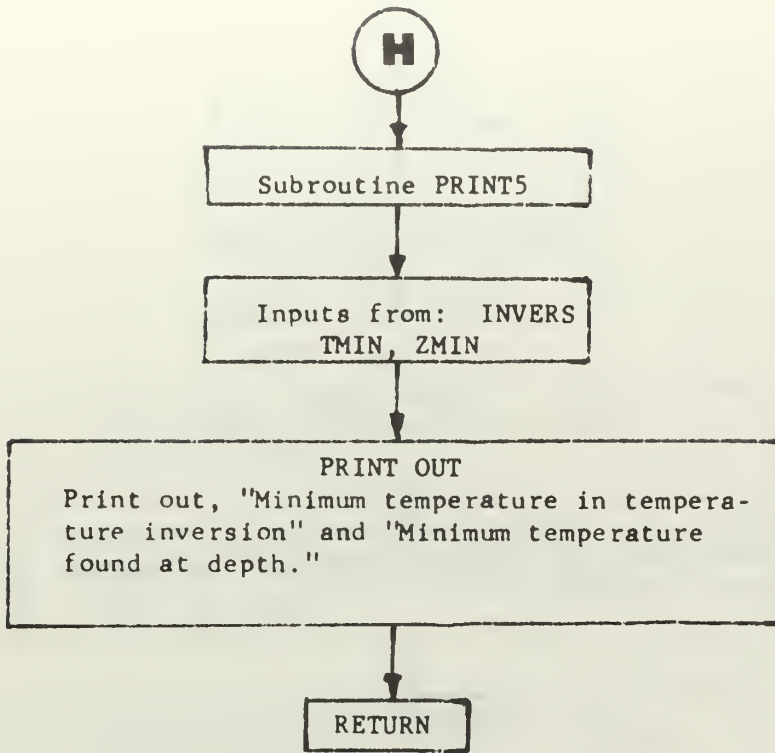


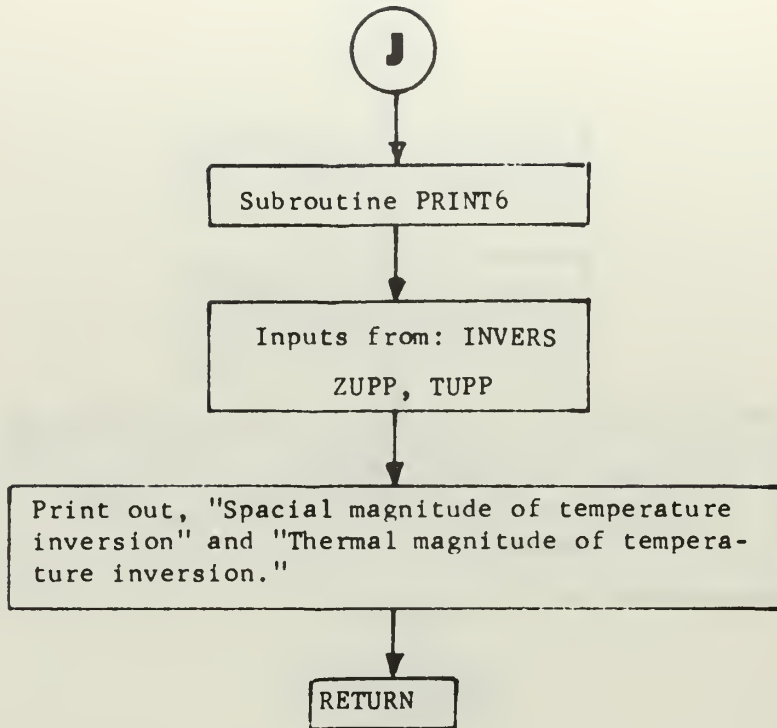


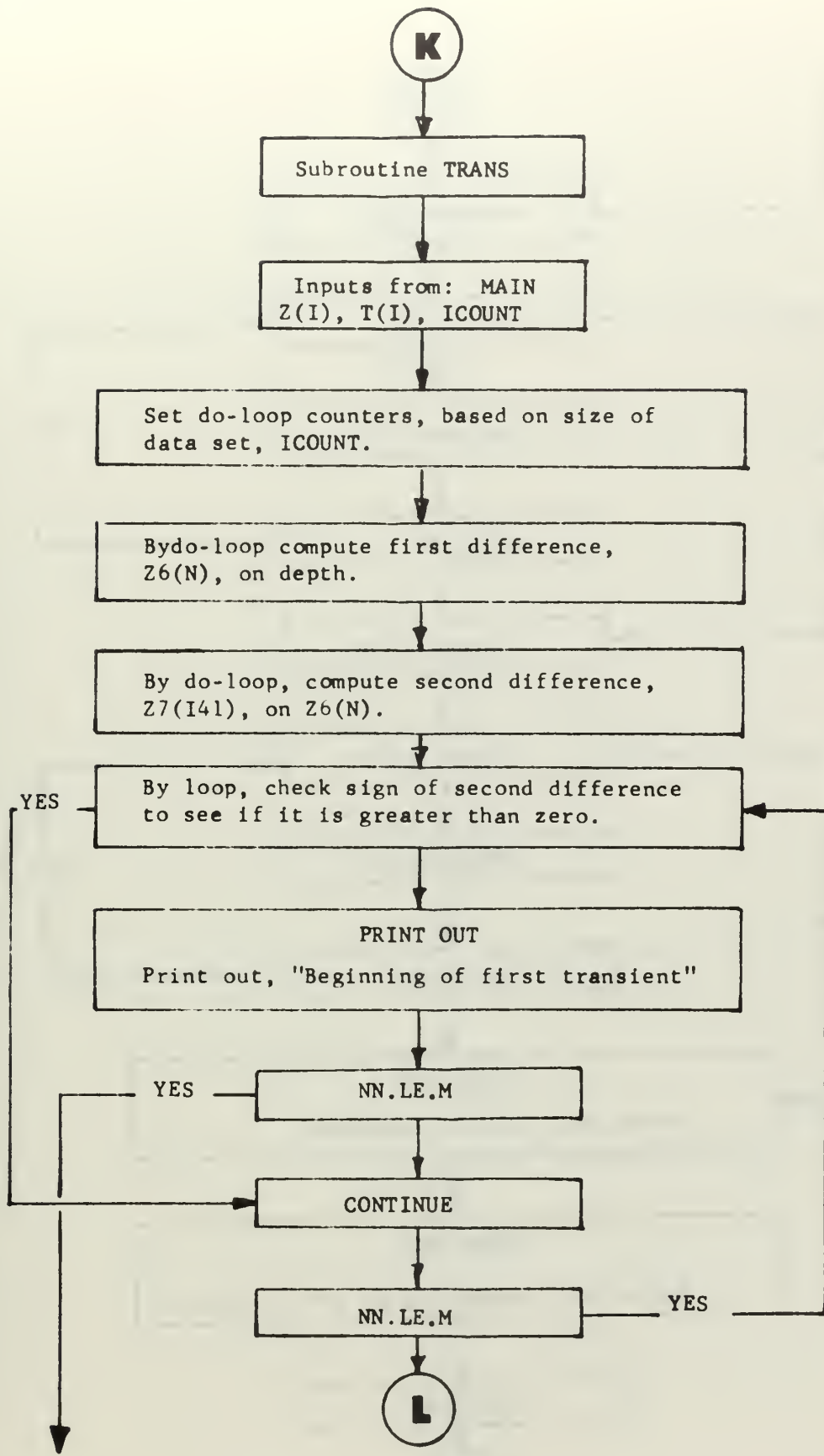


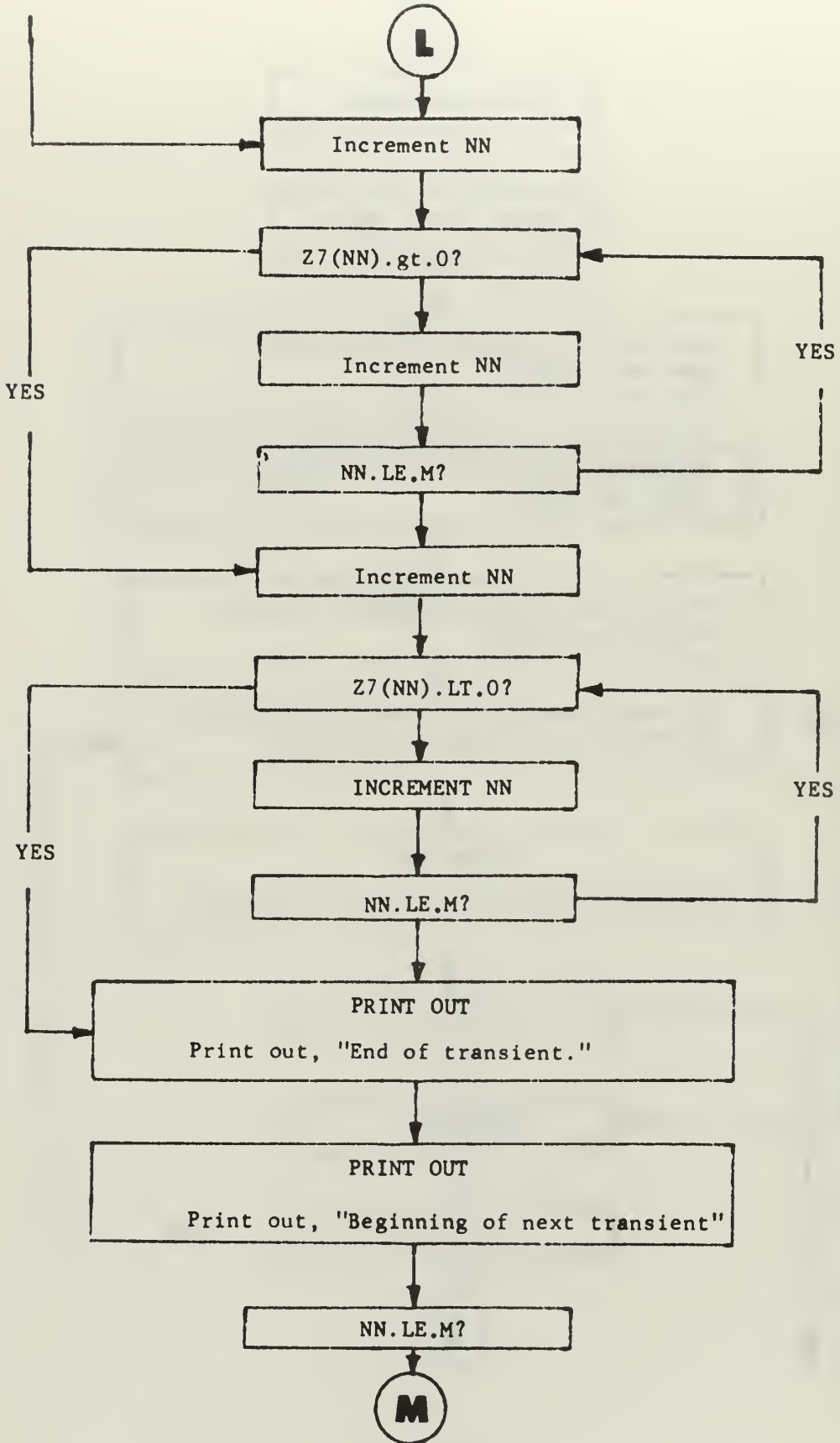


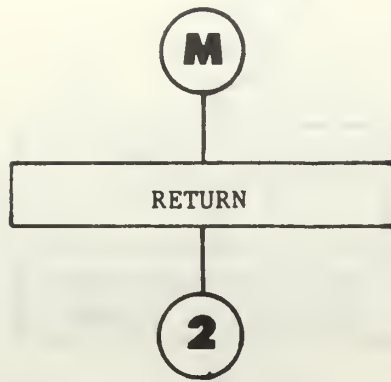


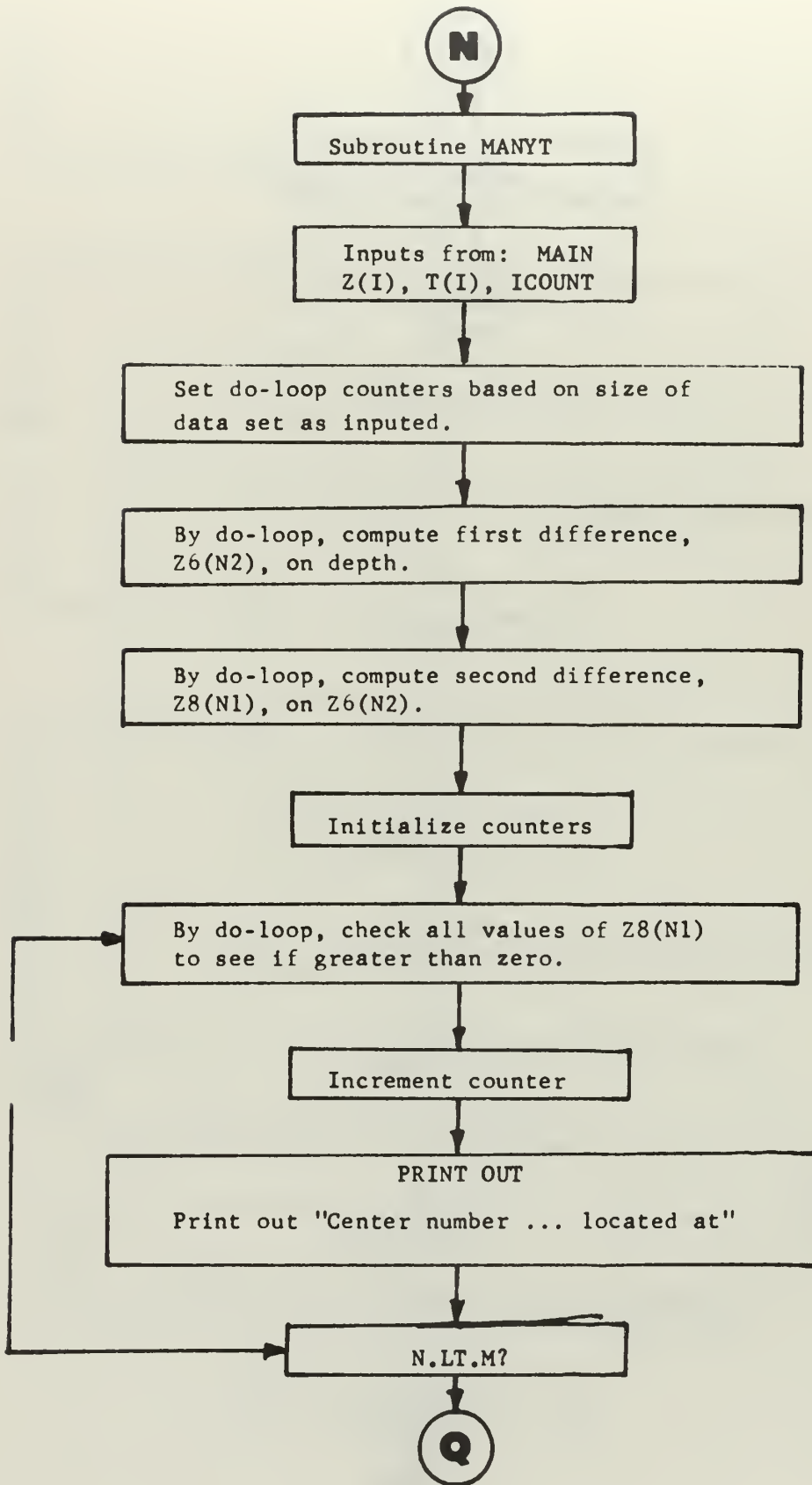


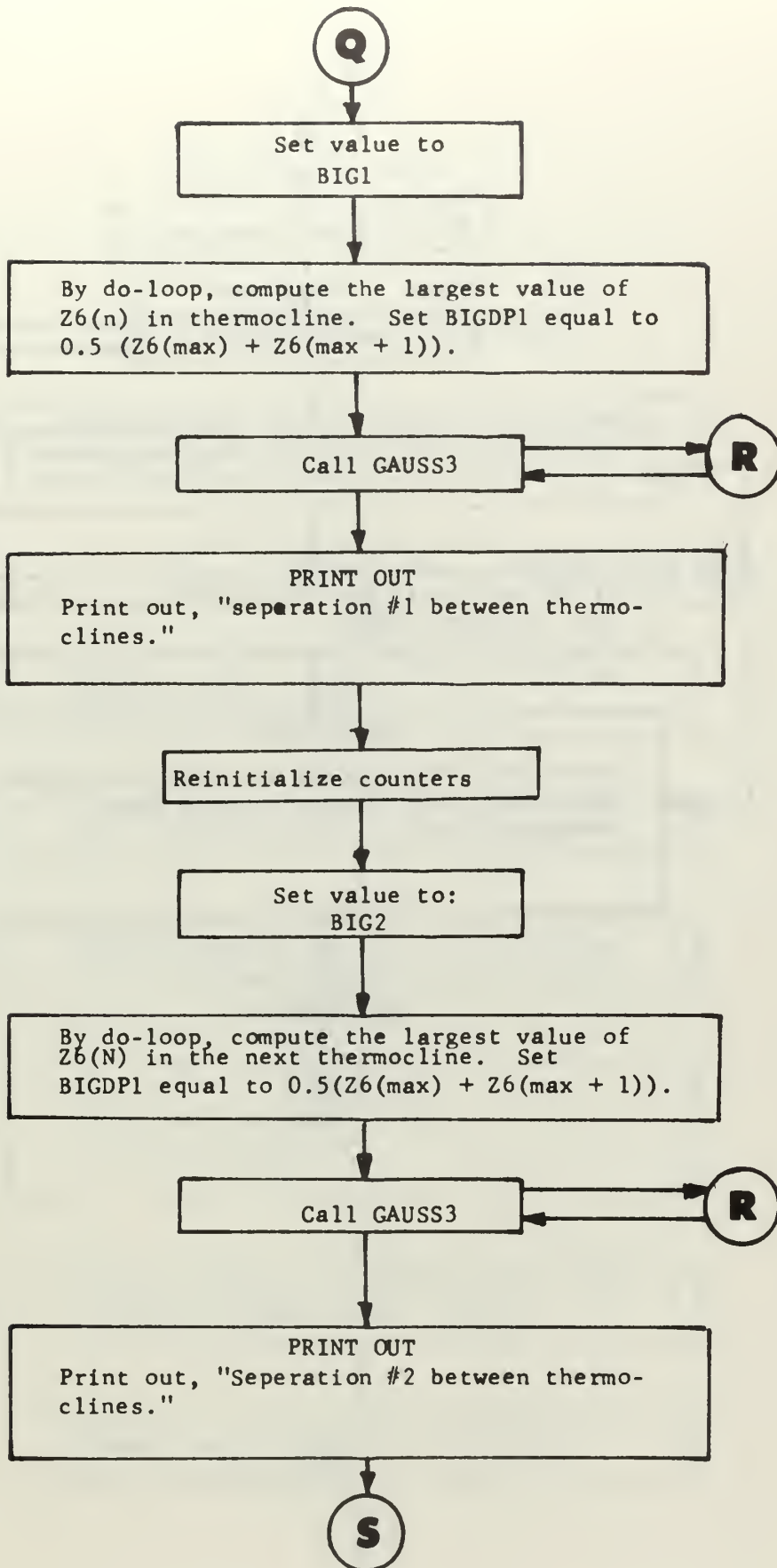


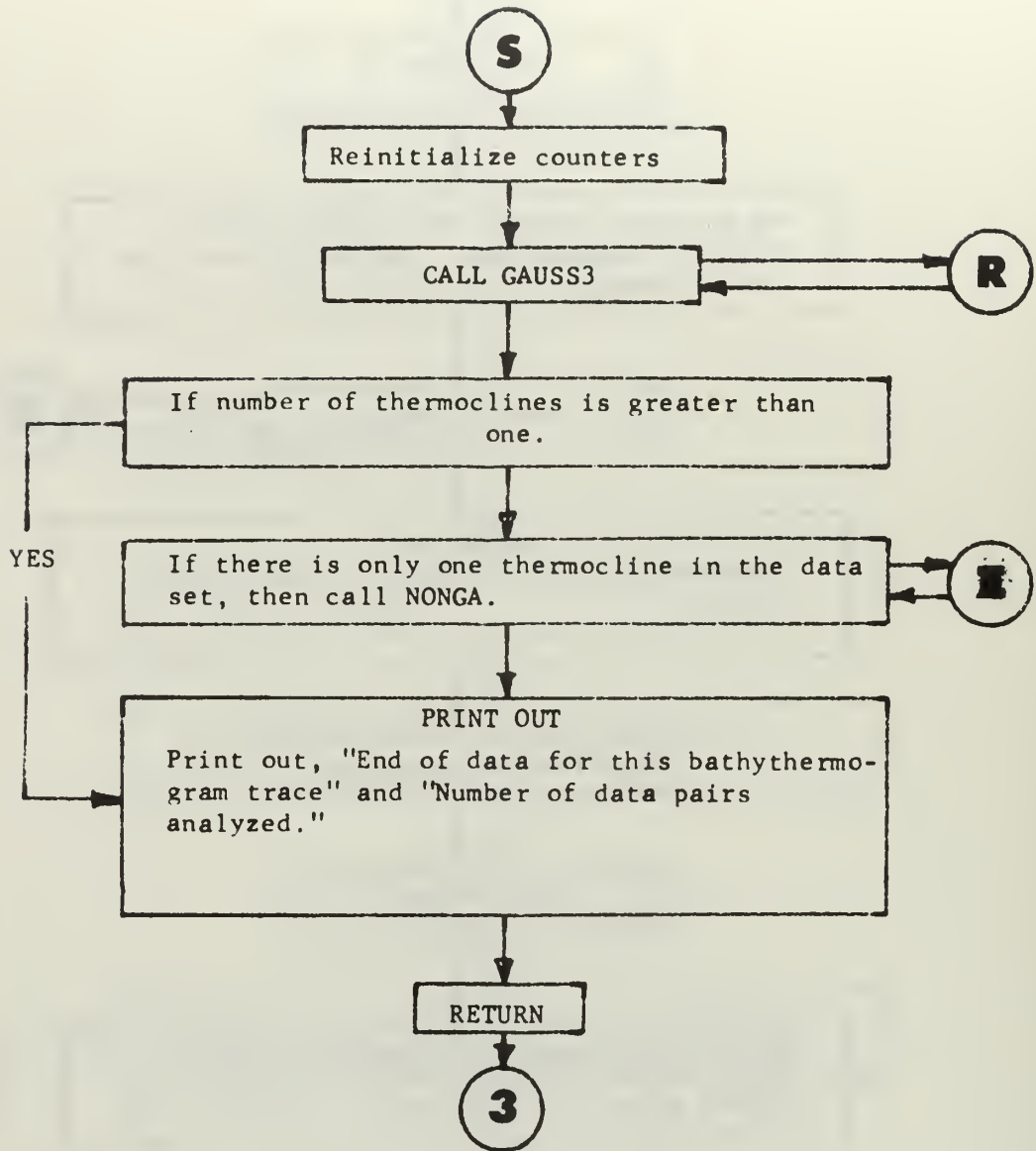


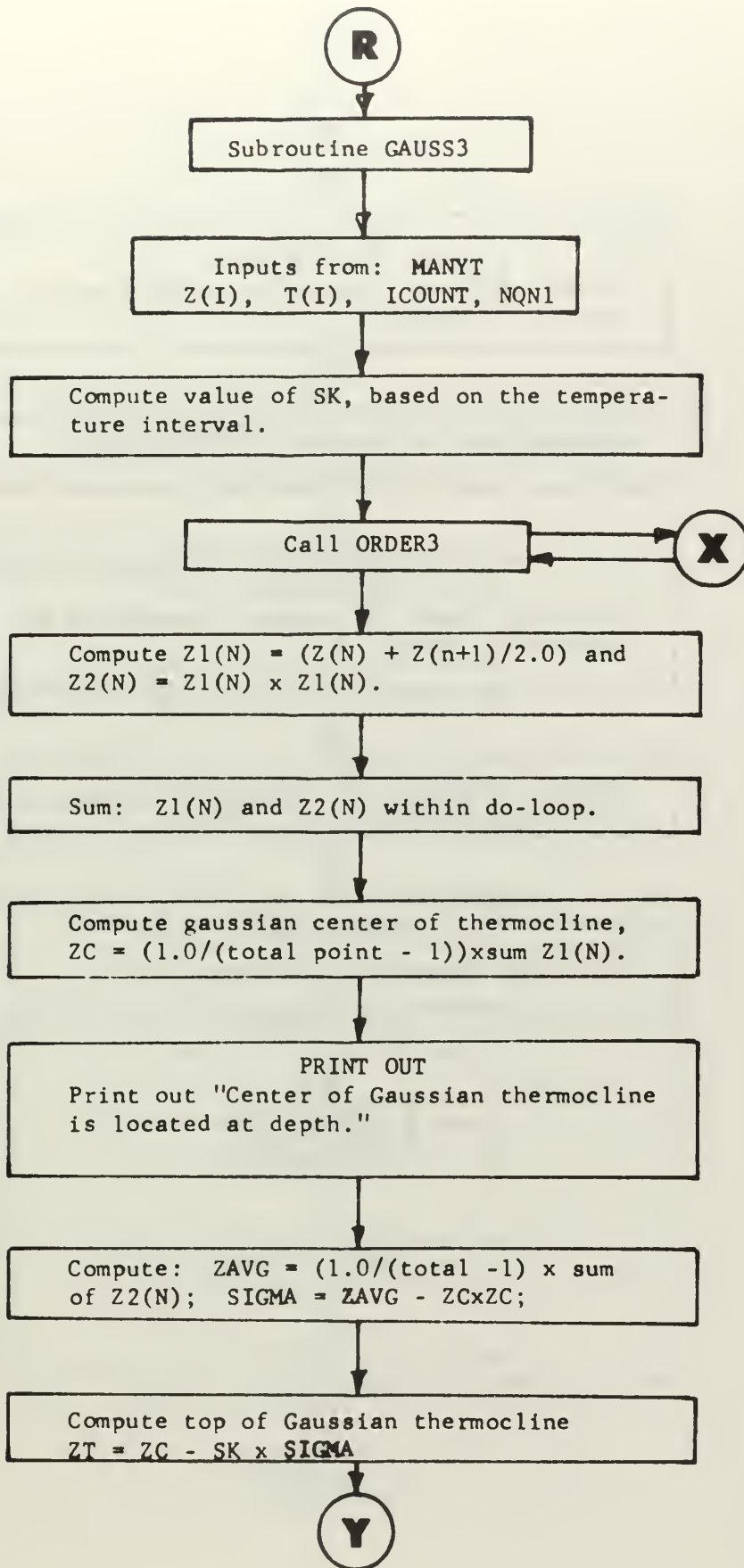


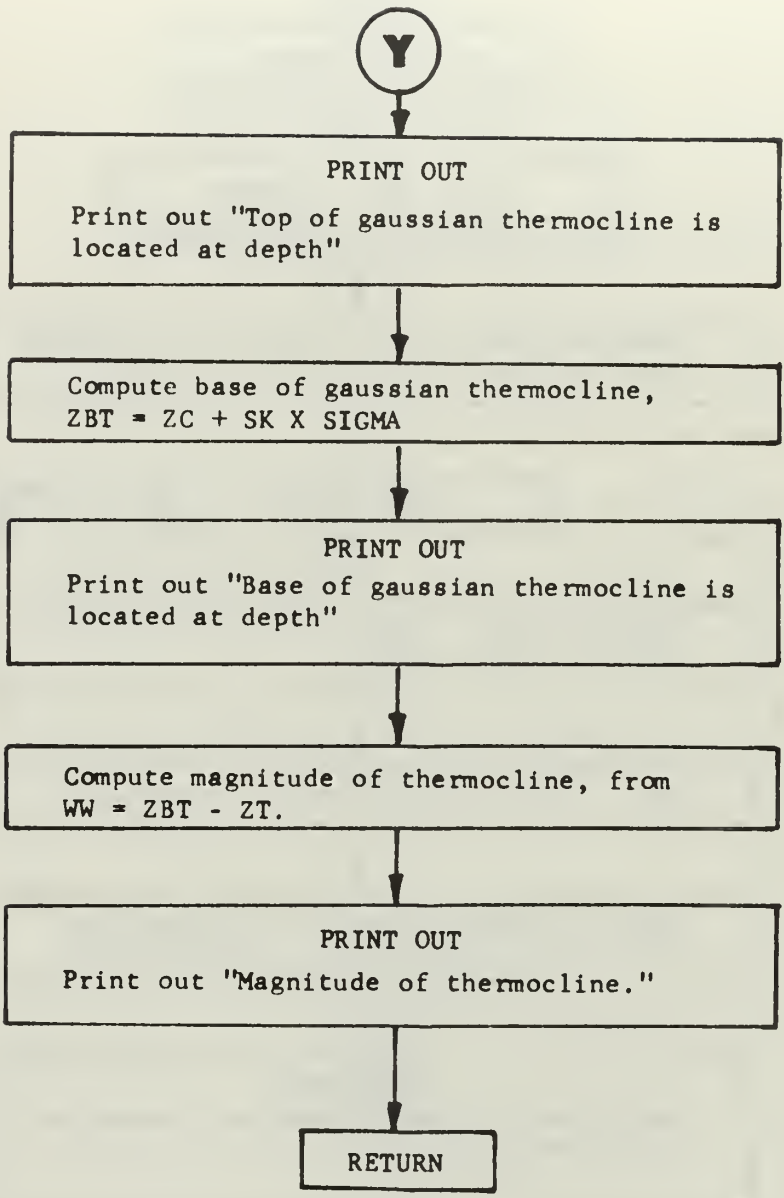


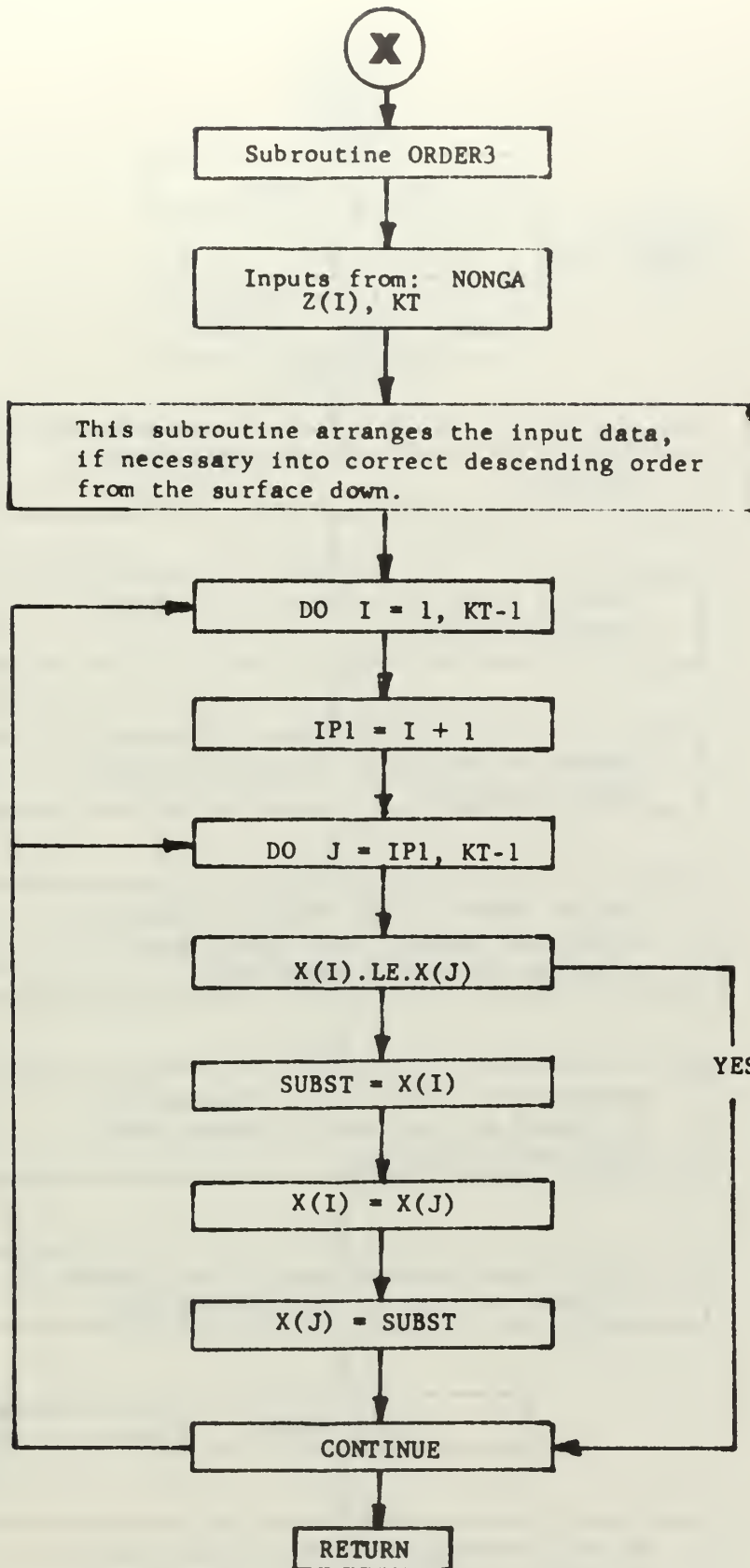


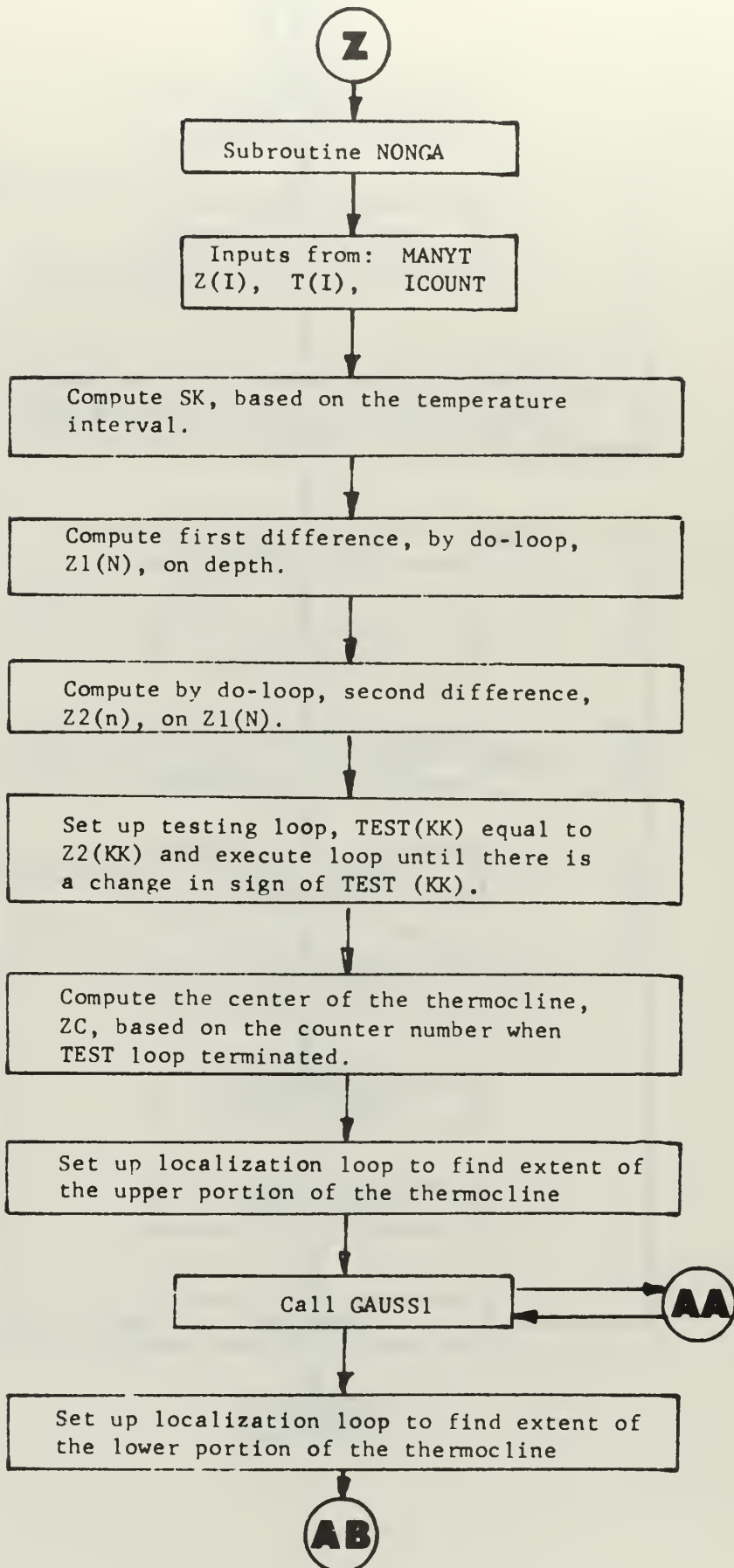


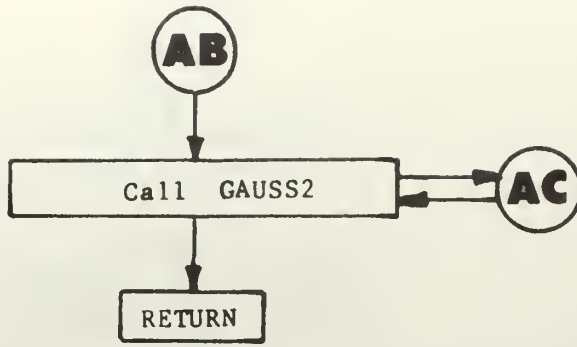


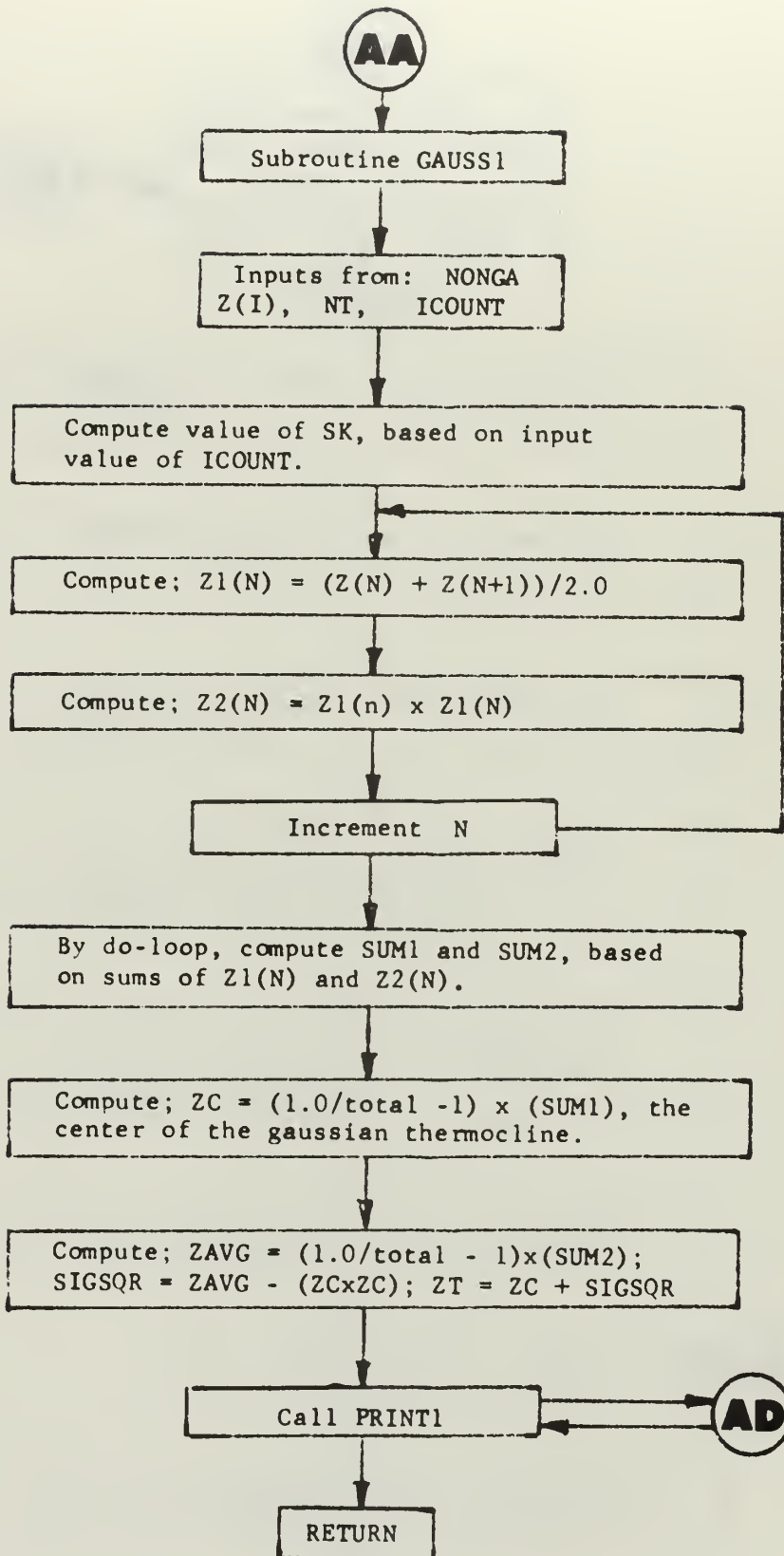


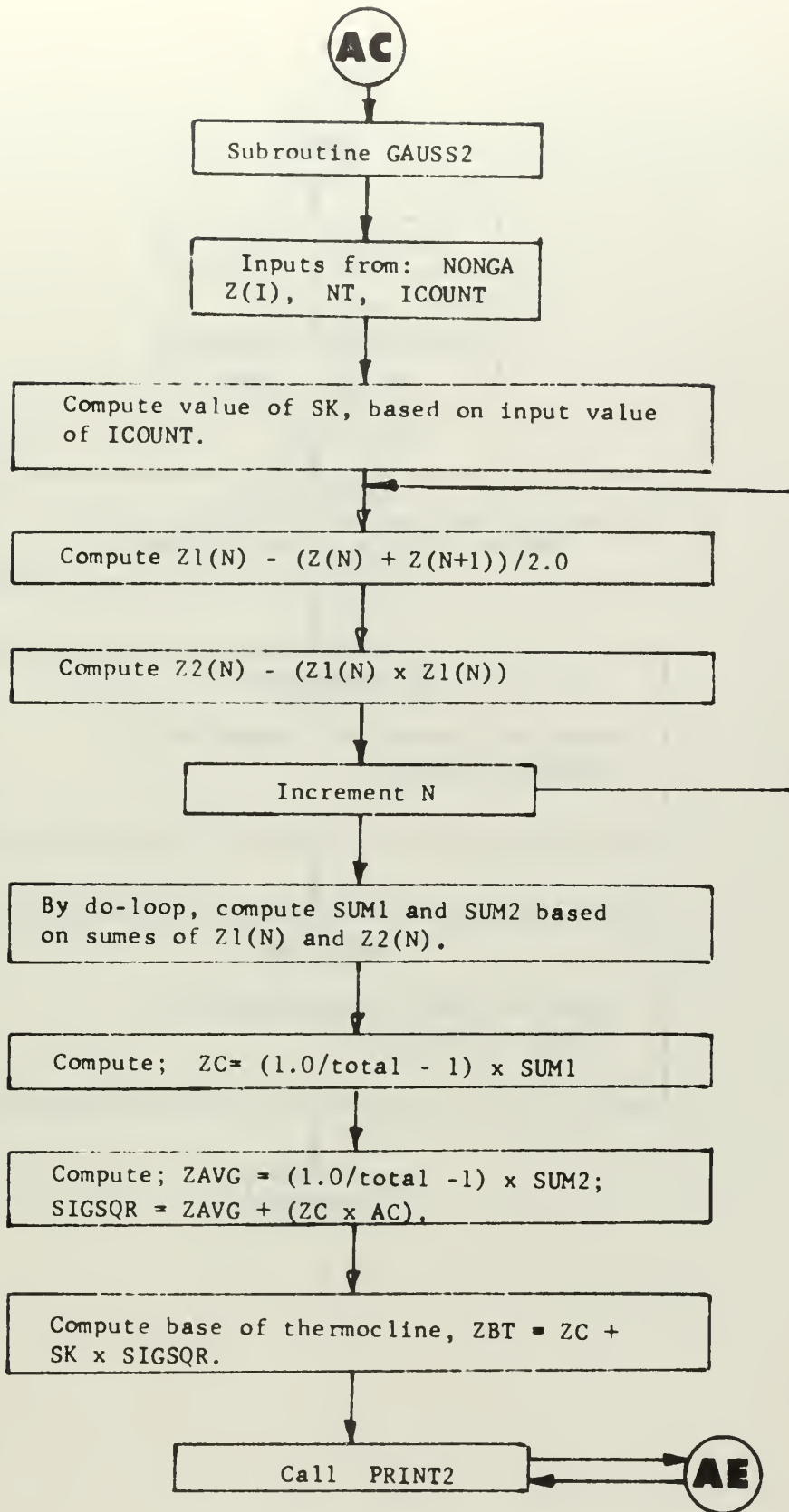


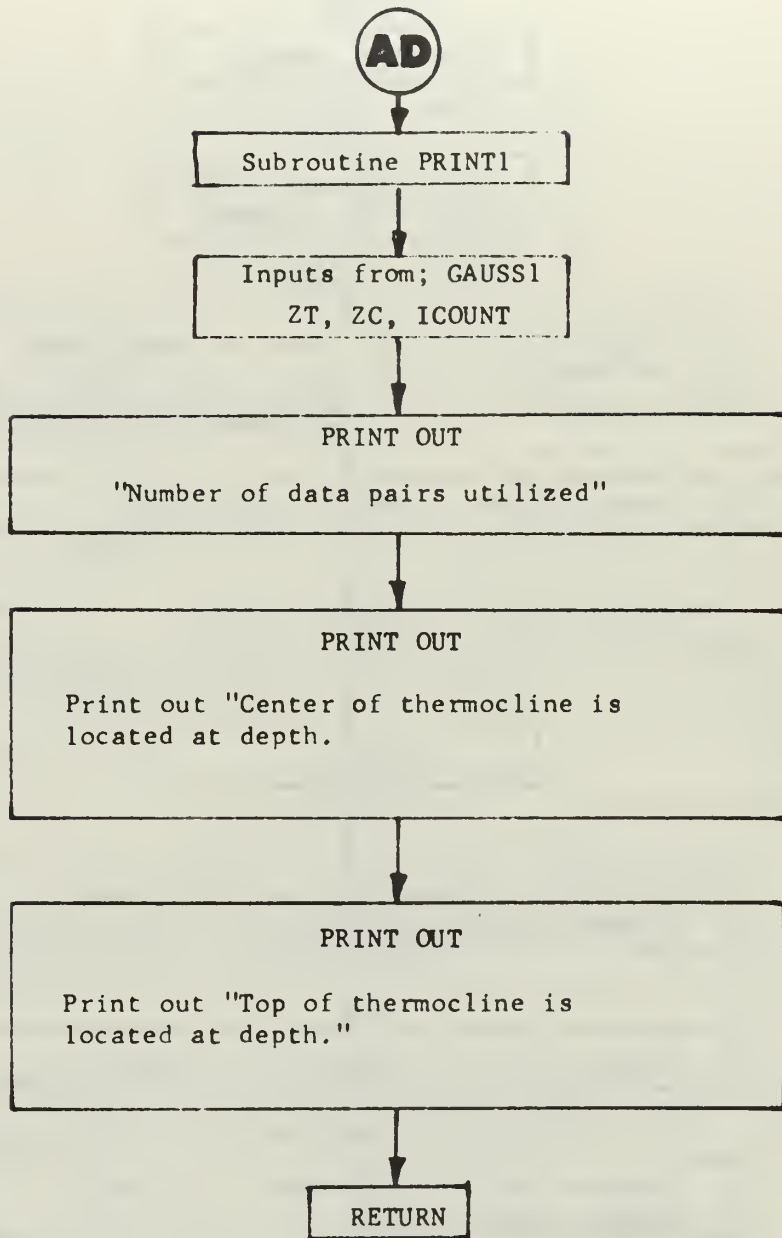


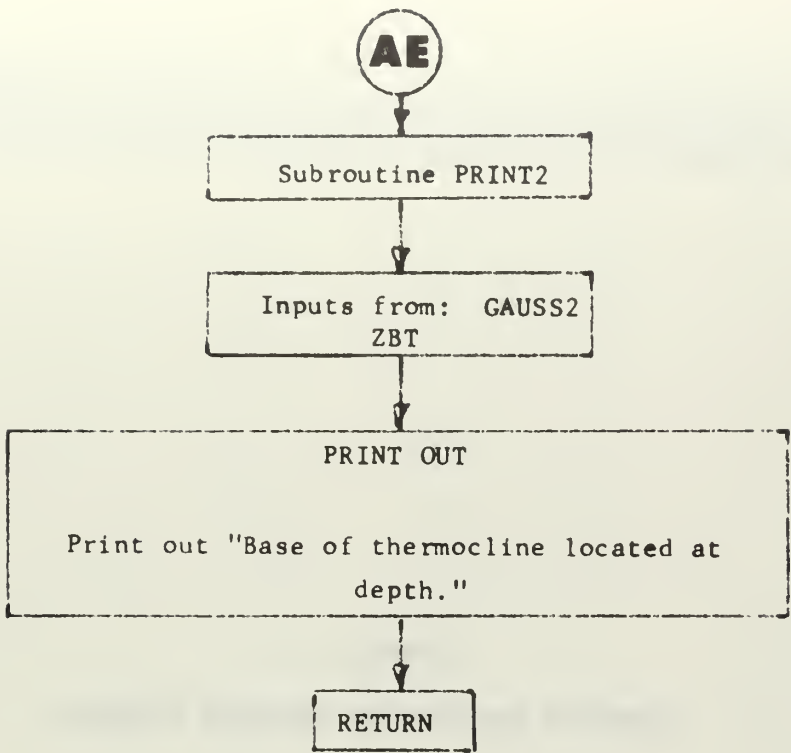












APPENDIX II
OBJECTIVE THERMOCLINE ANALYSIS PROGRAM


```

7007 CALL MANYT(7,T,ICOUNT,I )
7010 WRITE(6,3) NBT
3   FORMAT(///3X,' COMPLETION OF ALL INVESTIGATIONS INTO BATHYMETRY
   *C FEATURES FOR BATHYTHERMOGRAPH TRACE NUMBER, ',I3,////////)
      NBT = NBT + 1
7006 IF(ICOUNT.GT.C) GO TO 70C4
      STOP
      FND
0239
0240
0241
0242
0243
0244
0245
0246

```

```

SUBROUTINE INVERS(7,T,ICOUNT )
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0261
0262
0263
0264
0265
0266
0267
0268
0269
0270
0271
0272
0273
0274
0275
0276
0277
0278
0279
0280
0281
0282

```

```

GENERAL INFORMATION CONCERNING THE INVERSION SUBROUTINE:

```

```

THIS SEGMENT, ENTITLED "INVERS", WHEN CALLED FROM THE "MAIN"
SEGMENT, USES NON-GAUSSIAN ANALYSIS TO IDENTIFY THE TOP AND
BASE OF THE THERMOCLINE, MINIMUM TEMPERATURE, AND SPACIAL
AND THERMAL MAGNITUDE OF THE INVERSION.

```

```

METHOD OF ANALYSIS:

```

```

THE "INVERS" SUBROUTINE USES FIRST AND SECOND DIFFERENCES
TO LOOK AT THE SIGN CHANGES IN THE TRACE SLOPE TO FIND THE
TOP AND BASE OF THE INVERSION AND NUMERICAL METHODS TO DEFINE
THE OTHER FEATURES.

```

```

INPUTS FROM "MAIN" PROGRAM:

```

- T(I) - TEMPERATURES AT CHOSEN DEPTHS
- Z(I) - DEPTHS CORRESPONDING TO THE T(I)'S ABOVE.
- ICOUNT - INTERNAL COUNTER INDICATING THE TOTAL NUMBER OF
DATA PAIRS FROM THE "MAIN" PROGRAM.

```

A4=2

```

```

SUBROUTINES CALLED FROM "INVERS":

```

- ORDER1 - REARRANGES VALUES FOR COMPUTATION FOR SECOND SLOPE
CHANGE (INTERNAL PROCEDURE).

```

CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC

```



```

C191 IF(T(I).EQ.0.0.AND.Z(I).GT.0.0) GO TO 7014
C192 IF(T(I).EQ.0.0.AND.Z(I).EQ.0.0) GO TO 7006
C193 ICOUNT = ICOUNT + 1
C194 I=I+1
C195 IF(ICOUNT.GE.1) GO TO 7001
C196 DO 1 K=1,ICOUNT
C197 WRITE(6,2) T(K) Z(K)
C198 FORMAT(//3X, 2F10.3,/)
C199 1 CONTINUE
C200 7014 * READ(5,1) LAT,XLAT, LONG,YLONG,QUAD1,QUAD2,DATE1,DATE2,DATE3,TIME,
C201 1 * SERIAL
C202 1 FORMAT(I3,F6.2,I4,F6.2,2I2,3I3,I7,I8)
C203 1 CALL PRINT7(LAT, LONG,YLONG, QUAD1,QUAD2,DATE1,DATE2,DATE3,TIME,
C204 *XLAT,SERIAL)
C205
C206 TEST FOR REPEAT TEMPERATURES AND CALL INVERSION SUB-ROUTINE IF
C207 THEY EXIST.
C208
C209 DO 7008 J3J=1,ICOUNT
C210 DO 7008 I39=1,ICOUNT
C211 IF(J3J.EQ.I39) GO TO 7008
C212 IF(TINV(J3J).EQ.T(I39)) GO TO 7009
C213 WRITE(6,4) TINV(J3J), T(I39)
C214 FORMAT(//3X,2F7.1,/)
C215 4 CONTINUE
C216 WRITE(6,6)
C217 6 FORMAT(//10X,'NO TEMPERATURE INVERSION EXISTS IN THIS TRACE',/)
C218 IF(ICOUNT.GT.0) GO TO 7012
C219 CALL INVERS(Z,T,ICOUNT)
C220 WRITE(6,8)
C221 8 FORMAT(//10X,'NO THERMAL TRANSIENTS EXIST IN THIS TRACE',/)
C222 WRITE(6,9)
C223 9 FORMAT(//10X,'NO MULTIPLE THERMOCLINES EXIST IN THIS TRACE',/)
C224 IF(ICOUNT.GT.0) GO TO 7010
C225 7012 DNKN = - 0.2
C226
C227 TEST TEMPERATURE INTERVAL TO SEE IF WORTHWHILE INVESTIGATING FOR
C228 PRESENCE OF TRANSIENTS IN THERMAL STRUCTURE.
C229
C230 IF((T(1)-T(2)).GE.0.2.OR.(T(1)-T(2)).LE.DNKN) GO TO 7013
C231 IF((T(2)-T(1)).LT.0.2) GO TO 7011
C232 CALL TRANS(Z,T,ICOUNT)
C233 IF(ICOUNT.GE.1) GO TO 7010
C234
C235 INVESTIGATE NATURE OF EXISTING THERMOCLINE(S).
C236 WRITE(6,7)
C237 7013 FORMAT(//10X,'NO THERMAL TRANSIENTS EXIST IN THIS TRACE',/)
C238

```


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0360
0361
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0364
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0370
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0375
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0381

```

101 CONTINUE
C3004 WRITE(6,3004) NCOUNT
C3004 FORMAT(/3X,F10.3,/)
102 IC03 = NCOUNT -2
C
C COMPUTES SECOND DIFFERENCE ON B(N).
C
DO 110 L=1, IC03
G(L)=B(L+1) - B(L)
WRITE(6,3005) G(L)
C3005 FORMAT(/3X,F10.3,/)
110 CONTINUE
KCOI = N
DO 300 KK=1, ICOUNT
TEST1(KK) = G(KK)
KCOI=KCOI+1
WRITE(6,347)
C 347 FORMAT(/3X, 'TEST1 AND KCOI', //)
C3006 WRITE(6,3006) TEST1(KK), KCOI
300 FORMAT(/3X, F10.3, I5, //)
300 IF((TEST1(KK).GT.0.0) GO TO 301
CONTINUE
KCOI=KCOI
301 WRITE(6,3007) KK1
C3007 FORMAT(/3X, I5, //)
C
C DEFINES TOP OF INVERSION.
C
ZC1 = Z(KN1)
TEMP2 = T(KN1)
M = NCOUNT + 1
WRITE(6,108) M
C 108 FORMAT(/5X, 'M = ', I2, //)
MM = M + 1
NNCO = M
C
C LOOKS AT NEXT SLOPE SEGMENT AND COMPUTES FIRST DIFFERENCE, D(I31).
C
DO 103 I31=M, ICOI
C(I31) = T(I31) - T(I31 + 1)
IF(C(I31).GT.0.0) GO TO 104
D(I31) = Z(I31) - Z(I31 + 1)
WRITE(6,3020) D(I31)
C3020 FORMAT(/3X, F10.3, //)
JCOUNT = N
WRITE(6,3008) JCOUNT
C3008 FORMAT(/3X, I5, //)

```

```

C382 NNCO = NNCO + 1
C381 WRITE(6,99) NNCO
C382 FORMAT(//10X, 'NNCO = ', I3, //)
C383 CONTINUE
C384 WRITE(6,3009) NNCO,M,NNCO,M,NNCO,M
C385 FORMAT(/3X,6I5,/)
C386
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C392
C393
C394
C395
C396
C397
C398
C399
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C427
C428

C3009
C3010
C3011
C3012
C3014
C3015

      NNCO = NNCO + 1
      WRITE(6,99) NNCO
      FORMAT(//10X, 'NNCO = ', I3, //)
      CONTINUE
      WRITE(6,3009) NNCO,M,NNCO,M,NNCO,M
      FORMAT(/3X,6I5,/)

      INVERTS ORDER OF DEPTHS FOR EASE IN CALCULATION.C

C3010
C3011
C3012
C3014
C3015

      104 CALL ORDER1(D,NNCO,M)
      NN1 = NNCO-3

      COMPUTES SECOND DIFFERENCE ON D(I31).

      DO 111 I32=M,NN1
      P(I32) = D(I32) - D(I32 + 1)
      WRITE(6,3010) P(I32)
      FORMAT(/3X,F10.3,/)
      CONTINUE
      WRITE(6,3011) JCOUNT
      FORMAT(/3X, I5,/)
      K = JCOUNT + 1
      WRITE(6,109) K
      FORMAT(/5X, ' K = ', I2,/)

      DEFINES SPACIAL MAGNITUDE OF INVERSION.

      ZUPP = Z(NNCO) - ZC1
      WRITE(6,3012) ZUPP,7(K),Z(NCOUNT),Z(NNCO),ZC1
      FORMAT(//3X,4F10.3,///)

      LOOKS AT FIRST SLOPE IN INVERSION REGION AND COMPUTES FIRST
      DIFFERENCE, F(I33).

      DO 105 I33=K,IC01
      E(I33) = T(I33 + 1) - T(I33)
      F(I33) = Z(I33 + 1) - Z(I33)
      WRITE(6,3014) F(I33)
      FORMAT(/3X,F10.3,/)
      CONTINUE

      COMPUTES SECOND DIFFERENCE ON F(I33).

      DO 112 I34=K,IC02
      R(I34) = F(I34 + 1) - F(I34)
      WRITE(6,3015) R(I34)
      FORMAT(/3X,F10.3,/)
      CONTINUE

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```
CCCCCCCCCCCCCCCC
SUBROUTINE PRINT3(ZC1)
  GENERAL INFORMATION CONCERNING THE PRINT3 SUBROUTINE:
    THIS SEGMENT, ENTITLED "PRINT3", IS CALLED FROM "INVERPS" TO
    PRINT OUT THE LOCATION OF THE TOP OF THE TEMPERATURE
    INVERSION.
  INPUTS FROM "INVERPS" SUBROUTINE:
    ZC1 - DEPTH OF TOP OF INVERSION.
    WRITE(6,3000)
    FORMAT(//10X,'THE FOLLOWING INDICATES THE COMPUTED TOP OF THE TEMP
    *ERATURE INVERSION, BY NON-GAUSSIAN METHODS:')
    3000 WRITE(6,3001) ZC1
    3001 FORMAT(//18X,'TEMPERATURE INVERSION TOP LOCATED AT DEPTH . . . .
    *F5.1)
    RETURN
  END
```

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```
CCCCCCCCCCCCCCCC
SUBROUTINE PRINT4(ZC2)
  GENERAL INFORMATION CONCERNING THE PRINT4 SUBROUTINE:
    THIS SEGMENT, ENTITLED "PRINT4", IS CALLED FROM "INVERPS" TO
    PRINT OUT THE LOCATION OF THE BASE OF THE TEMPERATURE
    INVERSION.
  INPUTS FROM "INVERPS" SUBROUTINE:
    ZC2 - DEPTH OF BASE OF THE INVERSION.
    WRITE(6,4000)
  END
```

```

4000 FORMAT(/,10X,'THE FOLLOWING INDICATES THE COMPUTED BASE OF THE TEM-
*PERATURE INVERSION',/,10X,'BY NON GAUSSIAN METHODS:')
WRITE(6,4001) ZC2
4001 FORMAT(/,18X,'TEMPERATURE INVERSION BASE LOCATED AT DEPTH . . . '
,F5.1)
* RETURN
END
0511
0512
0513
0514
0515
0516
0517

```

```

SUBROUTINE PRINT5(TMIN, ZMIN)
GENERAL INFORMATION CONCERNING THE PRINT5 SUBROUTINE:

```

THIS SEGMENT ENTITLED "PRINT5" IS CALLED FROM "INVERS" TO PRINT OUT THE LOCATION OF THE MINIMUM TEMPERATURE AND ITS DEPTH.

INPUTS FROM "INVERS" SUBROUTINE:

TMIN - MINIMUM TEMPERATURE.

ZMIN - DEPTH OF MINIMUM TEMPERATURE.

```

5000 *
WRITE(6,5000)
FORMAT(/,10X,'THE FOLLOWING FIGURES DEFINE THE MINIMUM TEMPERATURE
* OF THE TEMPERATUR',/,10X,'INVERSION:')
WRITE(6,5001) TMIN, ZMIN
5001 FORMAT(/,18X,'MINIMUM TEMPERATURE . . . . . :
*,F5.1,/,18X,'DEPTH OF MINIMUM TEMPERATURE . . . . . :
*,F5.1,/)
* RETURN
END
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 0574

```

SUBROUTINE PRINT6(ZUPP,TUPP)
  GENERAL INFORMATION CONCERNING THE PRINT6 SUBROUTINE:
    THIS SEGMENT, ENTITLED "PRINT6", IS CALLED FROM "INVERS" TO
    PRINT OUT THE THERMAL AND SPACIAL MAGNITUDE OF THE TEMPERA-
    TURE INVERSION
  INPUTS FROM "INVERS" SUBROUTINE:
    TUPP - THERMAL MAGNITUDE OF INVERSION.
    ZUPP - SPACIAL MAGNITUDE OF INVERSION.
  6000 WRITE(6,6000)
    *//,TIC,'SPACIAL MAGNITUDE OF THE TEMPERATURE AND',
    WRITE(6,6001) TUPP,ZUPP
  6001 *//,F5.1,'THERMAL MAGNITUDE OF INVERSION : . . . . . '
    *//,F5.1,'SPACIAL MAGNITUDE OF INVERSION : . . . . . '
    RETURN
  END
  C
  CCCCCCCCCCCCCCCCCC

```

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```

SUBROUTINE ORDER1( X, III, M)
  GENERAL INFORMATION CONCERNING THE ORDER1 SUBROUTINE:
    THIS SUBROUTINE REORDERS DATA WITHIN THE SECOND SLOPE SEG-
    MENT FOR EASE IN INTERNAL COMPUTATIONS.
  INPUTS FROM "INVERS" SUBROUTINE:
    D(1) - DEPTHS TO BE REORDERED.
    NNCO - INTERNAL COUNTER TO START DO-LOOP.
    M - INTERNAL COUNTER TO END DO-LOOP.
  C
  CCCCCCCCCCCCCCCCCC

```

```

0591 DIMENSION X(30)
0592 KT = III-2
0593 KTK = KTK - 1
0594 WRITE(6,3018) III,KT,KTK,M,III,KT,KTK,M
0595 FORMAT(/3X,8I5,/)
0596 DO 22 I = M,KTK
0597 IP2 = I + 1
0598 WRITE(6,3019) IP2,IP2,IP2,IP2
0599 FORMAT(/3X,4I5,/)
0600 DO 22 J=IP2,KTK
0601 IF(X(I).LE.X(J)) GO TO 22
0602 SUBST = X(I)
0603 X(I) = X(J)
0604 X(J) = SUBST
0605 CONTINUE
0606 WRITE(6,50)
0607 FORMAT(/10X,'ORDERED DEPTHS',//,T18,'DEPTH',//)
0608 WRITE(6,41) X(I),I=M,KT)
0609 FORMAT(/10,F15.7,/)
0610 RETURN
0611 END
0612
0613
0614
0615

```

```

0617 SUBROUTINE ORDER2(X,T,SK,ICOUNT,III)
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0635

```

GENERAL INFORMATION CONCERNING THE ORDER2 SUBROUTINE:

THIS SUBROUTINE IS DESIGNED AS A SAFEGUARD TO INSURE ALL DATA IS IN CORRECT ORDER FROM THE SURFACE DOWN, AN ORDER WHICH IS A PREREQUISITE TO THE GAUSSIAN AND NON-GAUSSIAN METHOD.

INPUTS FROM "INVERS" SUBROUTINE:

Z(I) - DEPTHS FROM SURFACE DOWN.

T(I) - TEMPERATURES FROM THE SURFACE DOWN.

SK - STANDARD DEVIATION.

ICOUNT- INTERNAL COUNTER FOR DO-LOOPS
 III - INTERNAL COUNTER FOR DO-LOOPS.

CCCCCCCC

GENERAL INFORMATION CONCERNING THE TRANSIENT SUBROUTINE:

```

DIMENSION T(30), X(30)
KT = III
KTK = KT-1
DO 12 I=1,KTK
  IP1=I+1
  DO 12 J=IP1,KTK
    IF(X(I).LE.X(J)) GO TO 12
    SUBST = X(I)
    X(I) = X(J)
    X(J) = SUBST
    SUBST = T(I)
    T(I) = T(J)
    T(J) = SUBST
  12 CONTINUE
40 WRITE(6,40)
40 FORMAT(//10X, 'ORDERED DATA PAIRS FROM THE SURFACE', //, T18, 'DEPT
  *H, T30, 'TEMPERATURE', //)
41 WRITE(6,41) (X(I), T(I), I=1,KT)
41 FORMAT(10, 2F15.7, //)
RETURN
END

```

CCCCC

SUBROUTINE TRANS(Z,T,ICOUNT)

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 0680

THIS SEGMENT, ENTITLED "TRANS", WHEN CALLED BY THE "MAIN" ROUTINE WILL LOOK AT THE THERMAL STRUCTURE TO DETERMINE THE PRESENCE OF THERMAL TRANSIENTS (SEE NOTE #4 - "MAIN")

METHOD OF ANALYSIS:

THE "TRANS" SUBROUTINE USES A SIMPLE NON-GAUSSIAN FIRST AND SECOND DIFFERENCE METHOD, USING CHANGES OF SIGN IN THE SLOPE TO DEFINE EACH TRANSIENT. THERE MUST BE A TEMPERATURE DIFFERENTIAL NO LARGER THAN 0.2 DEGREES TO DEFINE A TRAN-

CCCCCCCCCCCC


```

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0728]

SIENT AS HEREIN DEFINED.

INPUTS FROM "MAIN" PROGRAM:
T(I) - TEMPERATURE AT CHOSEN INTERV AL.
Z(I) - DEPTHS CORRESPONDING TO T(I)'S ABOVE.
ICOUNT - INTERNAL COUNTER INDICATING THE NUMBER OF DATA
        PAIRS USED.

A5=1

SPECIAL NOTES FOR USEFP:
1.  SEE NOTE #4 IN "MAIN" WRITE-UP.
2.  THIS SUBROUTINE HAS ITS OWN PRINTOUT STATEMENTS.

DIMENSION Z(25), Z6(25), Z7(25)
DIMENSION T(50)
WRITE(6,4001)
FORMAT(/,10X,'TRANSIENT DATA AS COMPUTED BY PROGRAM:',/)
MM= ICOUNT
WRITE(6,4002) MM
FORMAT(/3X, I5,/)
M=MM-2
NM = MM - 1

COMPUTE FIRST DIFFERENCE.
DO 50 N=1,NM
Z6(N)= Z(N+1) - Z(N)
WRITE(6,4003) Z6(N)
FORMAT(/3X, F10.3,/)
CONTINUE

COMPUTE SECOND DIFFERENCE.
DO 51 I41=1,M
Z7(I41) = Z6(I41 + 1) - Z6(I41)
WRITE(6,4004) Z7(I41)
FORMAT(/3X, F10.3,/)

```



```

51 CONTINUE
   1 NN = I
   186 IF(Z7(NN).GT.0.0) GO TO 185
      WRITE(6,4005) Z7(NN)
      C4005 FORMAT(/3X,'F10.3,/')
      WRITE(6,1) Z(NN+1)
   1 FORMAT(//)18X,'BEGINNING OF FIRST TRANSIENT AT ... ', F5.1)
      IF(NN.LE.M) GO TO 188
   185 NN = NN + 1
      C WRITE(6,4006) NN
      C4006 FORMAT(/3X,'I5,/')
      IF(NN.LE.M) GO TO 186
   188 NN = NN + 1
   14 IF(Z7(NN).LE.0.0) GO TO 13
      C IF(Z7(NN).GT.0.0) GO TO 15
   13 NN = NN + 1
   20 IF(NN.GT.M) GO TO 23
      C IF(NN.LE.M) GO TO 14
   15 NN = NN + 1
   19 IF(NN.GT.M) GO TO 23
      C IF(Z7(NN).GT.0.0) GO TO 16
   17 IF(Z7(NN).LT.0.0) GO TO 18
   16 NN = NN + 1
      C IF(NN.GT.M) GO TO 23
      C IF(NN.LE.M) GO TO 17
   18 WRITE(6,2) Z(NN)
      C2 FORMAT(//)18X,'END OF TRANSIENT .....', F5.1)
      NZI = NN + 1
   3 WRITE(6,3) Z(NZI)
      C3 FORMAT(//)18X,'BEGINNING OF THE NEXT TRANSIENT ...', F5.1)
      NN = NN + 1
      C IF(NN.GT.M) GO TO 23
      C IF(NN.LE.M) GO TO 14
   23 RETURN
      END

```

```

C729
C731
C732
C733
C734
C735
C736
C737
C738
C739
C740
C741
C742
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C744
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C746
C747
C748
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C760
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C762
C763

```

SUBROUTINE MANYT(Z,T,ICOUNT,I)
GENERAL INFORMATION AS TO THIS SUBROUTINE'S FUNCTION:

THIS IS THE GENERALIZED 24-9643R55 009 PR6F9-4 FOUR, FOR THE
LOCATION AND IDENTIFICATION OF DISTINCT MULTIPLE THERMOCLINES
ON A GIVEN BATHYMETRIC TRACE. AS WRITTEN IT IS FLEXIBLE
ENOUGH TO IDENTIFY UP TO AND INCLUDING THREE SEPERATE AND
DISCTINCT THERMOCLINES.

THE INPUTS FROM THE MAIN PROGRAM ARE AS FOLLOWS:
Z(I) - THE DEPTHS AS SELECTED AGAINST THE CHOSEN
T(I) - THE TEMPERATURE INTERVAL
ICOUNT - THE NUMBER OF DATA PAIRS IN THIS TRACE

METHOD OF ANALYSIS:
A1=1

THIS SUBROUTINE TAKES THE DATA INPUT FROM THE MAIN PROGRAM
AND ANALYZES THE SLOPES ALONG THIS TRACE LOOKING FOR A CHANGE
IN SIGN. ONCE THE DIFFERENT ROUGH AREAS HAVE BEEN SO
DEFINED THE PROGRAM THEN MATHEMATICALLY WORKS OUT THE CENTER
OF EACH SUB-THERMOCLINE ON THE BATHYMETRIC TRACE AND ALSO
PICKS OUT THE SEPERATION POINT BETWEEN EACH SEPERATE SUB-
THERMOCLINE. AFTER DEFINING THE REGION OF EACH SUB-THERMO.
THE PROGRAM THEN CALLS GAUSS3, A SUBROUTINE THAT USES A
STRAIGHT GAUSSIAN ANALYSIS TO DETERMINE THE GAUSSIAN TOP
AND BOTTOM OF THIS SUB-THERMOCLINE.

A2=1
SPECIAL NOTES FOR THE USER:

NOTE THAT THE GAUSSIAN DEFINITION OF THE BOTTOM OF THE
THERMOCLINE DOES NOT CORRESPOND WITH THE SEPERATION POINT
AS DEFINED. NOTE ALSO, THAT THE BOTTOM OF ONE THERMOCLINE
DOES NOT MATCH THE TOP OF THE NEXT SUBSEQUENT THERMOCLINE.
THIS IS BECAUSE OF THE NATURE OF THE GAUSSIAN ANALYSIS.
IN THAT THERE IS A CHOSEN VALUE OF SIGMA (SK = STANDARD
DEVIATION) USED THAT DOES NOT ALLOW ACCURACY OVER THE FULL
CURVE. SEE THE OUTLINED METHODOLOGY IN THE WRITE UP OF THIS

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THESES BEFORE DECIDING WHICH VALUE TO USED BASED UPON USAGE
OF FINAL DATA OUTPUT.

OTHER SUBROUTINES CALLED FROM THIS SUBROUTINE:

GAUSS3(Z,T,ICOUNT) - TO OBTAIN TOP AND BOTTOM OF EACH
OF THE MULTIPLE THERMOCLINES

NONGA(Z,T,ICOUNT) - IF NO MULTIPLE THERMOCLINES EXIST, THEN
WE ANALYZE THE THERMOCLINE BY NON-
GAUSSIAN METHODS.

DIMENSION Z(50), Z6(50), Z8(50), NNO(20), T(50), T4(50), Z4(50)
DIMENSION Z13(100)
DIMENSION Z7(50), Z5(50), T7(50), T5(50)
DIMENSION Z9(20), T9(20)

JCOUNT = 0
WRITE(6,5107)
FORMAT(//5X, ' * * THE FOLLOWING OUTPUT FIGURES REPRESENT THE RES
ULTS, FOR MULTIPLE THERMOCLINES IN THIS BT TRACE * * ,//')

79 MM = ICOUNT
DO 108 I11=1, ICOUNT
WRITE(6,107) Z(I11)
FORMAT(//3X, F10.6,//)

107 CONTINUE - ICOUNT
LQ1 = I - 1
LQ2 = I - 2
LQ3 = I - 3
LQ4 = LQ1 + 1
LQ5 = LQ1 + 2
M = I - 3

C6103 WRITE(6,6103) I, LQ1, LQ2, LQ3, LQ4, LQ5
FORMAT(//3X, ' VARIABLES INPUT TO MANYT = ', 6I4, /)
DO 40 N2=LQ1, LQ2
Z6(N2) = Z(N2+1) - Z(N2)

40 CONTINUE
DO 41 N1=LQ1, LQ3
Z8(N1) = Z6(N1+1) - Z6(N1)
CONTINUE
41 N = LQ1
K = C
J=0

```

2 IF(Z8(N).LT.0.0) GO TO 1
  N = N + 1
  IF(N.LE.M) GO TO 2
  IF(N.GT.M) GO TO 5
1  NQ = N + 1
  IF(Z8(NQ).LT.0.0) N = N + 1
  IF(Z8(NQ).LT.0.0) GO TO 2
  IF(Z8(NQ).GE.0.0) J = J + 1
  K = K + 1
  JCOUNT = JCOUNT + 1
  NNQ(J) = N + 2
  WRITE(6,4) K, Z(NQ)
4 *  FORMAT(/ /10X, 'CENTER NUMBER', I2, ' LOCATED AT . . . . .',
  , F5.1)
  N = N + 1
  IF(N.EQ.M) GO TO 5
  IF(N.LT.M) GO TO 2
5  IF(JCOUNT.EQ.1) GO TO 1135
  NQ1 = NNQ(LQ1)
  NQ2 = NNQ(LQ4) - 1
  BIG1 = ABS(Z6(NQ1))
  J = NQ1
  NNQ1 = NQ1 + 1
  WRITE(6,5000) NQ1, NQ2, NNQ1, BIG1
  FORMAT(/ /3X, 3I6, F10.3, / / / /)
  DO 100 K1 = NNQ1, NQ2
  IF(ABS(Z6(K1)).LT.BIG1) GO TO 100
  BIG1 = ABS(Z6(K1))
  BIGDPI = 0.500000*( Z(K1) + Z(K1+1))
  WRITE(6,5001) BIG1, BIGDPI
  FORMAT(/ /3X, 2F10.3 / /)
  J = K1
100 CONTINUE
  NNQ1 = NNQ1 + 1
  DO 5101 I50 = 1, NNQ1
  Z4(I50) = Z(I50)
  T4(I50) = T(I50)
  WRITE(6,6101) Z4(I50)
  FORMAT(/ /3X, 2Z4(I50) = , F10.3, /)
  C6101 CONTINUE
  C5101 WRITE(6,6102) NNQ1
  FORMAT(/ /3X, 'NNQ1 = ', I3, / /)
  C6102 CALL GAUSS3(Z4, T4, ICOUNT, NNQ1)
  WRITE(6,104) BIGDPI
  104 *  FORMAT(/ /10X, 'SEPERATION #1 BETWEEN THERMOCLINES . . . . .',
  , F5.1)
  IF(JCOUNT.LE.2) GO TO 115

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0909 NQ3 = NNO(L04)
0910 NQ4 = NNO(L05) - 1
0911 RIG2 = ABS(Z6(NQ3))
0912 J = NQ3
0913 NQN2 = NQ3 + 1
0914 DO 101 K2=NON2, NQ4
0915 IF(ABS(Z6(K2))) .LT. RIG2) GO TO 101
0916 RIG2 = ABS(Z6(K2))
0917 B IGD P2 = C.5000C*(Z(K2) + Z(K2+1))
0918 J = K2
0919 CONTINUE
0920 WRITE(6,5103) NQ3, NQ4, NON2, J
C5103 FORMAT(/ / 20X, 4I6, / /)
NNNN2 = NQ4 - 1
K22 = NNNN2 - NON1
K221 = K22 + 1
I55 = 1
DO 5201 I59=NON1, NNNN2
T5(I55) = T(I59)
I55 = I55 + 1
5201 CONTINUE
CALL GAUSS3(Z5, T5, ICOUNT, K22 )
WRITE(6,105) B IGD P2
105 * F5.1)
K23 = ICOUNT - J - 1
K231 = K23 + 1
I56 = 1
DO 5301 I54=NNNN2, ICOUNT
Z7(I56) = T(I54)
T7(I56) = T(I54)
I56 = I56 + 1
5301 CONTINUE
CALL GAUSS3(Z7, T7, ICOUNT, K23 )
115 K25 = ICOUNT - NQ1
I60 = 1
DO 5401 I61=NON1, ICOUNT
Z9(I60) = T(I61)
T9(I60) = T(I61)
I60 = I60 + 1
5401 CONTINUE
CALL GAUSS3(Z9, T9, ICOUNT, K25 )
1135 IF(ICOUNT .GE. 1) GO TO 113
113 CALL NONGA(Z, ICOUNT)
42 WRITE(6,42)
FORMAT(/ / 10X, , * * * * * END OF DATA FOR THIS BATHYETHER

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EQUIVALENCE(ZA(1),Z1(1)),(78(1),Z2(1))
IF((T(1)-T(2)).GE.1.0) SK=1.30000
IF((T(1)-T(2)).LE.0.5) SK=1.470000
K21=NQNI
K212 = NQNI + 1
DO 4302 I=1,K212
  WRITE(6,34) Z(I)
  FORMAT(//3X,'Z(GAUSS) = ',F10.3,/)
C 34
C 4302 CONTINUE
CALL ORDER3(ZT,K21)
DO 4300 N=1,K21
  Z1(N)=(Z(N)+Z(N+1))/2.0
  Z2(N)=(Z1(N))*2.0
C 4300 CONTINUE
SUM1=C.0
SUM2=C.0
DO 4301 N1=1,K21
  SUM1 = SUM1 + ZA(N1)
  SUM2 = SUM2 + ZB(N1)
C 4301 CONTINUE
IR=NQNI +1
WRITE(6,30) IR
FORMAT(//10X,'NUMBER OF DATA PAIRS UTILIZED = ',I6)
30 ZC=(1.0/(IR-1))*SUM1
WRITE(6,31) ZC
FORMAT(//10X,'CENTER OF GAUSSIAN THERMOCLINE IS LOCATED AT DEPTH
* = ',F10.6)
ZAVG=(1.0/(IR-1))*SUM2
SIGMA = SQRT(ZAVG - (ZC*ZC))
7T = ZC -SK*SIGMA
WRITE(6,32) 7T
FORMAT(//10X,'TOP OF GAUSSIAN THERMOCLINE IS LOCATED AT DEPTH = '
*F10.6)
ZBT = ZC +SK*SIGMA
WRITE(6,33) ZBT
FORMAT(//10X,'BOTTOM OF GAUSSIAN THERMOCLINE IS LOCATED AT DEPTH
* = ',F10.6)
7W = ZBT - ZT
RETURN
END

```

SUBROUTINE ORDER3(X,Y,K21)

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THIS PROGRAM IS DESIGNED TO ARRANGE A DISORDERED ARRAY IN DESCENDING ORDER
HERE WE WILL USE THE GAUSS DATA AND CONCENTRATE ON THE X, OR DEPTH VALUE
VICE THE Y WHICH ARE THE TEMPERATURE VALUES ALTHOUGH THE CORRESPONDING
TEMPERATURE VALUES WILL BE PRINTED WITH THE DEPTH

```

DIMENSION X(12), Y(12)
IMI=K21 - 1
DO 12 I=1, IMI
  IP1 = I + 1
  DO 12 J=IP1, IMI
    IF(X(I).LE.X(J)) GO TO 12
    TEMP = X(I)
    X(I) = X(J)
    X(J) = TEMP
    TEMP = Y(I)
    Y(I) = Y(J)
    Y(J) = TEMP
  12 CONTINUE
WRITE(6,35)
FORMAT(//10X 'ORDERED DATA PAIRS FROM THE SURFACE' // T18, 'DEPTH'
* T30 'TEMPERATURE' //)
WRITE(6,36) (X(I), Y(I)), I=1, K21)
FORMAT(T10, 2F15.7, //)
RETURN
END

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SUBROUTINE NONGA(Z,T,ICOUNT)

GENERAL INFORMATION CONCERNING THE NON-GAUSSIAN SUBROUTINE:

THIS SEGMENT, ENTITLED "NONGA", WHEN CALLED BY "MANYT", WILL USE NON-GAUSSIAN FINITE DIFFERENCE METHODS TO ANALYZE FOR THE SIGNIFICANT FEATURES (I.E. ONLY A SINGLE THERMOCLINE EXISTS).

METHOD OF ANALYSIS:

THIS SEGMENT USES FIRST AND SECOND DIFFERENCES TO FIND APPLICABLE PORTIONS OF THE SLOPE, WHICH ONCE DEFINED ARE USED IN A GAUSSIAN SCHEME TO FIND THE TOP, CENTER, AND BASE OF THIS SINGLE THERMOCLINE.

SUBROUTINES CALLED FROM "NONGA":

GAUSS1 - FINDS CENTER AND TOP OF THERMOCLINE

GAUSS2 - FINDS BASE OF THERMOCLINE.

ORDER4 - ASSURES CORRECT ORDER FOR ANALYSIS.

DIMENSION Z(25), Z1(25), Z2(25), TEST(25), Z3(25), Z4(50), Z5(50)

DIMENSION T(50)

IF((T(1)-T(2)).GE.1.0) SK=1.30000

IF((T(1)-T(2)).LE.0.5) SK=1.470000

III = ICOUNT

CALL ORDER4(Z,III)

M = III - 1

MM = M - 1

N = 1

Z1(N) = Z(N+1) - Z(N)

WRITE(6,2001)

FORMAT(/,3X,Z1(N),//)

WRITE(6,2002) Z1(N)

FORMAT(/,3X,F10.6, /)

N = N + 1

IF(N.LE.M) GO TO 1

J = 1

2 Z2(J) = Z1(J+1) - Z1(J)

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C 46 WRITE(6,46)
C     FORMAT(/3X,I2(J),/)
C 2003 WRITE(6,2003) Z2(J)
C     FORMAT(/3X, F10.6,/)
C     J = J + 1
C     IF(J.LE.MM) GO TO 2
C     KCOUNT = 0
C     DO 3 KK = 1,10
C     TEST(KK) = Z2(KK)
C     KCOUNT = KCOUNT + 1
C 47 WRITE(6,47)
C     FORMAT(/3X, I TEST AND KCOUNT,/)
C 2004 WRITE(6,2004) TEST(KK), KCOUNT
C     FORMAT(/3X, F10.6, I3,/)
C     IF(TEST(KK).GT.0.0) GO TO 4
C 3 CONTINUE
C 4 KKK = KCOUNT
C     NUMBER = III - KKK
C     KDUMMY = NUMBER - 1
C 2005 WRITE(6,2005) NUMBER
C     FORMAT(/3X, I5,/)
C     NNN = KDUMMY + NUMBER
C 2006 WRITE(6,2006) NNN
C     FORMAT(/3X, I5,/)
C     KN = KKK+1
C     ZC = Z(KN)
C     QQ = 2.0 * ZC
C     DO 73 I1 = 1,KN
C     Z5(I1) = 7(I1)
C 73 CONTINUE
C     DO 7 I2 = 1,25
C     X = Z(KN) - Z(KN-I2)
C     WRITE(6,48)
C     FORMAT(/3X, X,/)
C 48 WRITE(6,48)
C     FORMAT(/3X, F10.6,/)
C 2007 WRITE(6,2007) X
C     Z5(KN+I2) = Z(KN) + X
C     WRITE(6,49)
C     FORMAT(/3X, Z5(KN+I),/)
C 49 WRITE(6,49)
C     FORMAT(/3X, Z5(KN+I2)
C 2008 WRITE(6,2008) Z5(KN+I2)
C     FORMAT(/3X, F10.6,/)
C     IF(Z5(KN+I2).EQ.QQ) GO TO 5
C 7 CONTINUE
C 5 CALL GAUSS1(Z5, NUMBER, ICOUNT, SK)
C     DO 74 I3 = 1, NUMBER
C     Z3(KDUMMY + I3) = Z(KKK+I3)
C 74 CONTINUE
C     DO 59 I4 = 1, KDUMMY

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C 68 X = Z(KN+I4) - Z(KN)
C     WRITE(6,68)
C     FORMAT(/,3X,'X',//)
C     WRITE(6,2009) X
C2J09 FORMAT(/,3X,'F10.6',//)
C     Z3(NUMBER - I4) = Z(KN) - X
C     WRITE(6,69)
C 69  FORMAT(/,3X,'Z3(NUMBER - I)',//)
C     WRITE(6,2010) Z3(NUMBER-I4)
C2010 FORMAT(/,3X,'F10.6',//)
C59  CONTINUE
C     WRITE(6,77)
C 77  FORMAT(/,3X,'Z3(J)',//)
C     WRITE(6,100) (Z3(J1), J1=1,NNN)
C 100 FORMAT(T5,'F15.7',//)
C     CALL GAUSS2(Z3,NNN,ICOUNT,SK)
C     RETURN
C     END

```

SUBROUTINE GAUSS1(X, NT, ICOUNT, SK)

GENERAL INFORMATION CONCERNING GAUSSIAN SUBROUTINE:

THIS SEGMENT, ENTITLED "GAUSS1", USES A GAUSSIAN METHOD TO FIND THE CENTER AND THE TOP OF EACH THERMOCLINE IN "MANYT".

INPUTS FROM "MANYT":

Z(I) - DEPTHS FROM SURFACE DOWN.

T(I) - TEMPERATURES FROM SURFACE DOWN.

ICOUNT - NUMBER OF DATA PAIRS UTILIZED IN COMPUTATION.

NNN - INTERNAL COUNTER USED IN DO-LOOP CONTROL.

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DIMENSION X(12), Y(12), Z1(12), Z2(12), ZA(12), ZB(12)
EQUIVALENCE(ZA(1),Z1(1)), (ZB(1),Z2(1))
N = 1
M = NT - 1

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1      Z1(N) = (X(N) + X(N+1))/2.0
C      WRITE(6,2011) Z1(N)
C2011  FORMAT(/3X, F10.3,/)
C      Z2(N) = (Z1(N))*Z1(N)
C2012  WRITE(6,2012) Z2(N)
C      FORMAT(/3X, F10.3,/)
      N = N + 1
      IF(N.LE.M) GO TO 1
      SUM1 = 0.0
      J = 1
      SUM1 = SUM1 + ZA(J)
      J = J + 1
      IF(J.LE.M) GO TO 180
      WRITE(6,2013) SUM1
C2013  FORMAT(/3X, F10.3,/)
      SUM2 = 0.0
      K = 1
      SUM2 = SUM2 + ZB(K)
      K = K + 1
      IF(K.LE.M) GO TO 181
      WRITE(6,2023) SUM2
C2023  FORMAT(/3X, F10.3,/)
      IR = N - 1
      ZC = (1.0/(IR))*SUM1
      ZAVG = (1.0/(IR))*SUM2
      WRITE(6,2014) ZAVG
C2014  FORMAT(/3X, F10.3, ZC,/)
      SIGSOR = ZAVG - (ZC*ZC)
      WRITE(6,2015) SIGSOR
C2015  FORMAT(/3X, F10.3,/)
      ZT = ZC - $K * SQRT(SIGSOR)
      CALL PRINTI(ZC,ZT,ICOUNT)
      RETURN
      END

```

SUBROUTINE GAUSS2(X, NT, ICOUNT, SK)

GENERAL INFORMATION CONCERNING GAUSSIAN SUBROUTINE:

THIS SEGMENT, ENTITLED "GAUSS2", USES A GAUSSIAN METHOD TO
ANALYZE FOR THE BASE OF EACH THERMOCLINE WHEN CALLED FROM
"MANY".

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```
CALL PRINT2(ZBT)  
RETURN  
END
```

```
SUBROUTINE PRINT1(ZC,ZT,ICOUNT)
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CCCCCCCC

```
1000 * WRITE(6,1000) ICOUNT  
      FORMAT(//18X,'NUMBER OF DATA PAIRS UTILIZED FOR TOP AND CENTER . .  
      ,F5.1)  
      WRITE(6,32) ZT  
31 *  WRITE(6,31) ZC  
      FORMAT(//18X,'TOP OF THERMOCLINE LOCATED AT DEPTH . . . . .'  
      ,F5.1)  
32 *  FORMAT(//18X,'CENTER OF THERMOCLINE LOCATED AT DEPTH . . . . .'  
      ,F5.1)  
      RETURN  
      END
```

```
SUBROUTINE PRINT2(ZBT)
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GENERAL INFORMATION CONCERNING PRINTING SUBROUTINE:  
THIS SEGMENT, ENTITLED "PRINT2", WHEN CALLED FROM "GAUSS2"  
WILL PRINT OUT THE BASE OF THE THERMOCLINE.
```

```
INPUTS FROM "GAUSS2":  
ZBT - DEPTH OF BASE OF THERMOCLINE.  
  
33 WRITE(6,33) ZBT  
    FORMAT(//18X,'BASE OF THERMOCLINE LOCATED AT DEPTH . . . . .')
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* F5.1)
RETURN
END

1353

SUBROUTINE ORDER4(X, KT)

1354

GENERAL INFORMATION CONCERNED WITH ORDERING SUBROUTINE:

1355

THIS SEGMENT, ENTITLED "ORDEP4C, WHEN CALLED FROM "NONGA"
WILL INSURE, BY NUMERICAL METHODS, THAT THE DATA IS IN
CORRECT ORDER FROM THE SURFACE DOWN.

1356

INPUTS FROM "NONGA":

1357

Z(I) - DEPTHS FROM INPUT SOURCE.

1358

KT - INTERNAL COUNTER TO CONTROL DO-LOOPS.

1359

DIMENSION X(25)

1360

KTK = KT - 1

1361

DO 12 I = 1, KTK

1362

IPI = I + 1

1363

DO 12 J = IPI, KTK

1364

IF(X(I).LE.X(J)) GO TO 12

1365

TEMP = X(I)

1366

X(I) = X(J)

1367

X(J) = TEMP

1368

WRITE(INUE 35)

1369

FORMAT(6, //10X 'ORDERED DEPTHS FROM SURFACE' // T18, 'DEPTH' //)

1370

WRITE(6, 36)

1371

FORMAT(T10, F15.7, //)

1372

RETURN

1373

END

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APPENDIX III

WRITE-UP OF "DRAW" SUBROUTINE

SUBROUTINE DRAW(NUMPTS,X,Y,MODCURV,ITYPE,LABEL,ITITLE,EXSCALE,YSCALE,
 IXCIP,IYRIGHT,MODEFAX,MODEYAX,IWIDE,THIGH,IGRID,LAST)

A GENERAL CURVE DRAWING AND POINT PLOTTING SUBROUTINE

PROGRAMMER J.R. WARD
 DATE FEB. 1964, REVISED JUNE 1965
 SYSTEM FORTRAN 60
 OUTPUT LOGICAL TAPE NUMBER 8
 NOTE ASTERISKS MARK CHANGES FOR FORTRAN 43

INPUT ARGUMENTS ---

1. NUMPTS NUMBER OF POINTS TO BE PLOTTED. THIS MUST ALWAYS BE AT LEAST 2, AND MUST NOT EXCEED 30 FOR PLOTTING, OR 500 FOR CURVE DRAWING.
2. X ARRAY OF X-COORDINATES. DIMENSION AT LEAST EQUAL TO N MPTS AND NOT MORE THAN 999 IN CALLING PROGRAM.
3. Y ARRAY OF Y-COORDINATES. DIMENSION AS FOR X-ARRAY IN THE CALLING PROGRAM.
4. MODCURV CONTROLS THE NUMBER OF CURVES, AND/OR SETS OF POINTS ON EACH GRAPH. THE CODES ARE:
 - 0 ONLY ONE PLOT ON THIS GRAPH
 - 1 FIRST PLOT OF MULTI-PLOT GRAPH
 - 2 INTERMEDIATE PLOT ON MULTI-PLOT GRAPH
 - 3 LAST PLOT ON MULTI-PLOT GRAPH.
5. ITYPE CONTROLS THE TYPE OF PLOT. THE CODES ARE:
 - 0 STRAIGHT LINES JOIN SUCCESSIVE POINTS (STANDARD CURVE DRAWING)
 - 1 POINTS PLOTTED WITH A CROSS (X)
 - 2 POINTS PLOTTED WITH A PLUS (+)
 - 3 POINTS PLOTTED WITH A SQUARE
 - 4 POINTS PLOTTED WITH A DIAMOND
 - 5 POINTS PLOTTED WITH A TRIANGLE
 WHEN POINTS ARE BEING PLOTTED (ITYPE = 1 THRU. 5) THE POINTS ARE NOT CONNECTED.
6. LABEL IF A CURVE IS BEING DRAWN (ITYPE=0), LABEL IS A FOUR CHARACTER BCD CURVE IDENTIFIER WHICH WILL BE REPRODUCED AT THE END OF THE CURVE. FOR EXAMPLE, LABEL EQUALS

4H ONE. IF POINTS ARE BEING PLOTTED, LABEL IS AN 9-CHARACTER IDENTIFIER. THE FIRST FOUR CHARACTERS ARE REPRODUCED WITH THE FIRST PLOTTED POINT, AND THE LAST FOUR WITH THE LAST POINT. SET TO BLANK ANY UNWANTED CHARACTERS.

7. ITITLE AN ARRAY OF TWELVE 9-CHARACTER BCD WORDS. THE FIRST SIX WORDS WILL BE REPRODUCED AS THE FIRST LINE OF THE GRAPH TITLE, AND THE LAST SIX WORDS WILL FORM THE SECOND LINE. THE TITLE MUST INCLUDE THE USERS JOB IDENTIFICATION. DIMENSION 12 IN CALLING PROGRAM, AND SET TO BLANK ALL UNWANTED CHARACTERS.

8. FXSCALE X-SCALE (UNITS/INCH) AS POSITIVE FLOATING POINT VARIABLE WITH ONE FIGURE SIGNIFICANT. SET TO ZERO FOR AUTO SCALE.

9. YSCALE Y-SCALE (UNITS/INCH) AS POSITIVE FLOATING POINT VARIABLE WITH ONE FIGURE SIGNIFICANT. SET TO ZERO FOR AUTO SCALE.

10. IXUP X-AXIS OFFSET FROM BOTTOM OF GRAPH IN INCHES. THIS MUST NOT EXCEED THIGH, AND MUST NOT BE NEGATIVE.

11. IYRIGHT Y-AXIS OFFSET FROM LEFT MARGIN OF GRAPH IN INCHES AND MUST NOT EXCEED IWIDE, AND MUST NOT BE NEGATIVE.

12. MODEAX MODE OF X-AXIS OFFSET. SEE CODES BELOW:

- 0 COMPUTED OFFSET, HOLDING ORIGIN ON GRAPH. THE CORRESPONDING IXUP OR IYRIGHT IS IGNORED.
- 1 COMPUTED OFFSET, WITH ORIGIN OFF THE GRAPH, IF APPROPRIATE. THE CORRESPONDING IXUP OR IYRIGHT IS IGNORED. USE ONLY WITH AUTO SCALE.
- 2 AXIS OFFSET AS SPECIFIED BY IXUP OR IYRIGHT.

13. MODEYAX DETERMINES THE MODE OF Y-AXIS IN THE SAME WAY AS MODEAX, ABOVE, GOVERNS THE X-AXIS LOCATION.

14. IWIDE WIDTH OF GRAPH IN INCHES. THIS WIDTH MUST NOT EXCEED WPRO WILL BE READ AS EIGHT INCHES.

15. THIGH HEIGHT OF GRAPH IN INCHES. THIS MUST NOT EXCEED FIFTEEN. ZERO WILL BE READ AS EIGHT INCHES.

16. IGRID IF SET TO 1, A ONE INCH BY ONE INCH GRID WILL BE SUPERIMPOSED ON THE GRAPH.



17. LAST INDICATES TO CALLING PROGRAM WHETHER LAST PLOT WAS COMPLETED SUCCESSFULLY. THE CODES ARE:

- 0 LAST PLOT COMPLETED SUCCESSFULLY
- 1 LAST PLOT WAS NOT SUCCESSFULL
- 2 LAST PLOT WAS NOT SUCCESSFULL AND NO FURTHER GRAPH OUTPUT WILL BE ATTEMPTED UNTIL MODCURV IS NEXT ONE OR ZERO.
- 3 DRAW WAS ENTERED WITH MODCURV NOT EQUAL TO ONE OR ZERO WHILE THE ERROR LOCKOUT WAS SET.

THIS ARGUMENT MUST ALWAYS BE A NAME IN THE CALL STATEMENT. NEVER A NUMBER.

NOTE ---

ALL ARGUMENTS FROM NUMBER 7 THRU. NUMBER 16 ARE IGNORED WHEN MODCURV IS EITHER 2 OR 3. HOWEVER, ARGUMENTS MUST NEVER BE OMITTED FROM CALLING STATEMENT. IT IS MERELY THEIR VALUES WHICH ARE IRRELEVANT. ARGUMENTS MAY BE LISTED BY NAME OR VALUE IN THE CALL STATEMENT. NO VALUE IN THE CALLING PROGRAM WILL BE ALTERED BY THIS SUBROUTINE.

REFERENCE ---

THE BINARY TAPE FORMAT REQUIRED BY THE OFF-LINE PLOTTER IS DESCRIBED IN THE WRITE-UP OF THE CDC 1604 GRAPH PLOT PROGRAM (IDENT. R001). THE FORMAT REQUIRED BY THE CDC 1604 PROGRAM IS SIMILAR EXCEPT THAT THE INTERPOLATION ARGUMENT MUST BE ZERO.

CC

APPENDIX IV
"BCD" CONVERSION PROGRAM

```

1 DIMENSION INPUT(20)
1001 READ(5,1001) END=2)
    CALL TRANS(1, INPUT)
2001 WRITE(6,2001) INPUT
    FORMAT(IX, 20A4)
    WRITE(7,1001) INPUT
    GO TO 1
    STOP
    END

```

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EXTERNAL SYMBOL DICTIONARY

SYMBOL TYPE ID ADDR LENGTH LD ID

TRANS SD 01 000000 000180

LOC	OBJECT CODE	ADDR1	ADDR2	STMT	SOURCE	STATEMENT
				1		MACRO
				2		RETG 13 4(13)
				3		RETURN (14,12), T, RC, 0
				4		MEND
				5		MACRO
				6		STARTG
				7		CSET
				8		USING *, 15
				9		SAVE (14,12), T, *
				10		LR 12, 13
				11		0, 4
				12		13, *
				13		15
				14		13, 8(12)
				15		12, 4(13)
				16		18F
				17		USING *, 13
				18		DS 13, 8(12)
				19		ST 12, 4(13)
				20		MEND
				21+		STARTG
				22+		CSECT
				23+		USING *, 15
				24+		B 10(0, 15)
						BRANCH AROUND ID
						DC AL1(5)

C00000
C00000
000004 47F0 F001
000004 05

C00005	E3D9C1D5F2	25+	CL5,TRANS,	DC
C0000A	90EC D00C	26+	IDFNTIFIFR	STM
00000E	18CD	27+	14,12,12(13)	SAVE
000010		28+	REGISTERS	LP
C00010	45D0 :05C	29+	12,13	CNOP
000014		30+	0,4 * +76	BAL
000014		31+	13,15	DRDP
C0005C		32+	* ,13	USING
C00060	50DC 0008	33+	18F	DS
C00064	50CD 00C4	34+	13,4(12)	ST
C00064	5831 0000	35	12,4(13)	ST
C00068	0C4F 30C0	36	13,0(1,0)	L
	D06C 00000	37	0(80,3) TABLE	TR
00006E	58DD 00C4	38+	13,4(13)	REG
000072	98EC D00C	39+	14,12,12(13)	LM
C00076	92FF D00C	40+	RESTORE THE REGISTERS	MVI
C0007A	41F0 0000	41+	12(13) X,FF,	SET
C0007E	07FE	42+	RETURN INDICATION	LOAD
C00080	4040404040	43	15,0(0,0)	RETURN
C00085	4040404040	44	RETURN	DC
C0008A	4040404040	45	CL5,	DC
00008F	4040404040	46	CL5,	DC
C00094	4040404040	47	CL5,	DC
C00099	4040404040	48	CL5,	DC
C000A3	4040404040	49	CL5,	DC
C000A8	4040404040	50	CL5,	DC
C000AD	4040404040	51	CL5,	DC
C000B2	4040404040	52	CL5,	DC
C000B7	4040404040	53	CL5,	DC
0000BC	4040404040	54	CL5,	DC
0000C0	4040404040	55	CL4,	DC
0000C5	4040404040	56	CL5,	DC
0000CA	4048406C50	57	CL5,	DC
0000CF	4050404040	58	CL5,	DC
C000DA	4040404040	59	CL5,	DC
C000D9	4040585C4C	60	CL5,	DC
0000DE	5E40606140	61	CL5,	DC
0000E3	4040404040	62	CL5,	DC
0000E8	4040406840	63	CL5,	DC
C000ED	404FC04040	64	CL5,	DC
C000F2	4040404040	65	CL5,	DC
C000F7	4040407D7R	66	CL5,	DC
		67	CL5,	DC

TABLE

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13. ABSTRACT

There is a need for a fast method of analyzing bathythermograph traces and this need is approached by the means of a high-speed digital computer. The theory behind the computer program is outlined. Both synthetic and real data cases are run as examples using both data card decks and magnetic tape inputs. The program has been designed to read digitized bathythermograph traces and then analyze them objectively by Gaussian and non-Gaussian methods for the top, center, and base of the main thermocline. Additionally, such features as multiple thermoclines, inversions, and thermal transients are identified also and their key points are included in the informational data printout.

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KEY WORDS

LINK A

LINK B

LINK C

ROLE

WT

ROLE

WT

ROLE

WT

Thermocline

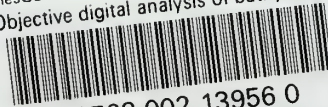
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