

# Tree (10A)

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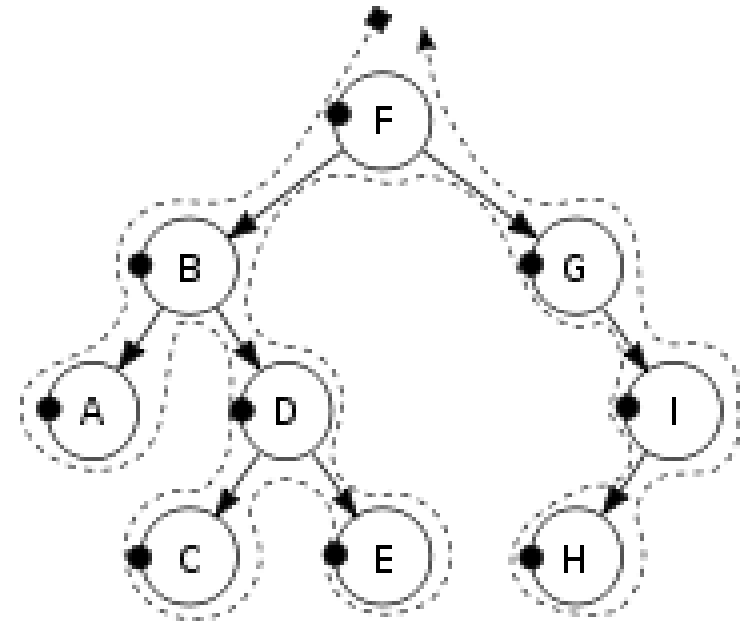
# In-Order

Check if the current node is empty / null.

Display the data part of the root (or current node).

Traverse the left subtree by recursively calling the pre-order function.

Traverse the right subtree by recursively calling the pre-order function.



<https://en.wikipedia.org/wiki/Morphism>

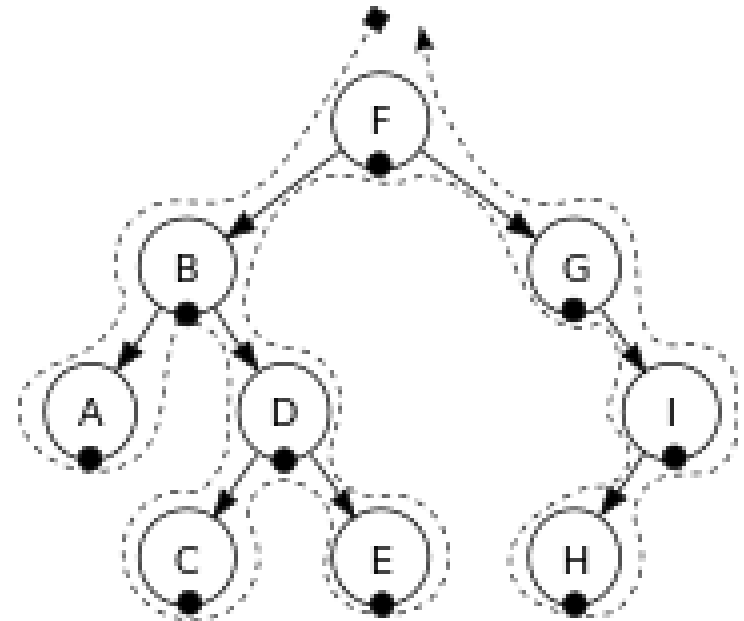
# In-Order

Check if the current node is empty / null.

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Display the data part of the root (or current node).

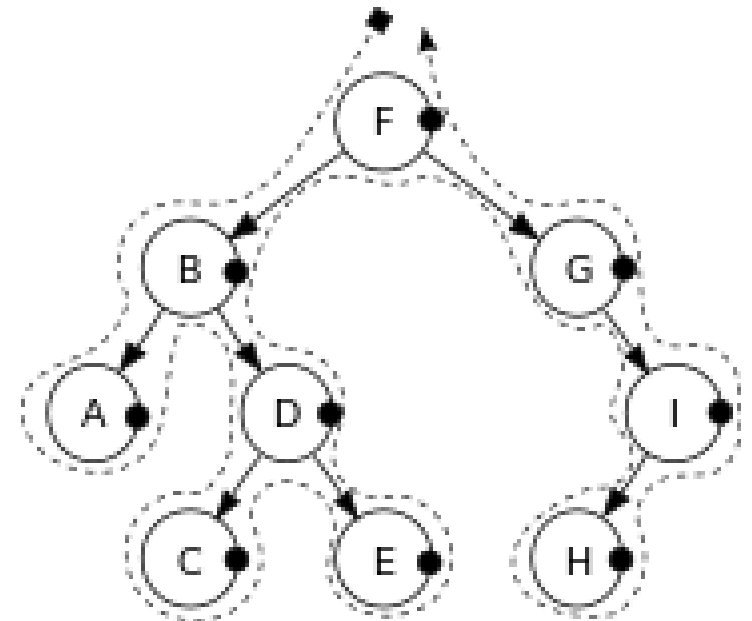
Traverse the right subtree by recursively calling the in-order function.



<https://en.wikipedia.org/wiki/Morphism>

# Post-Order

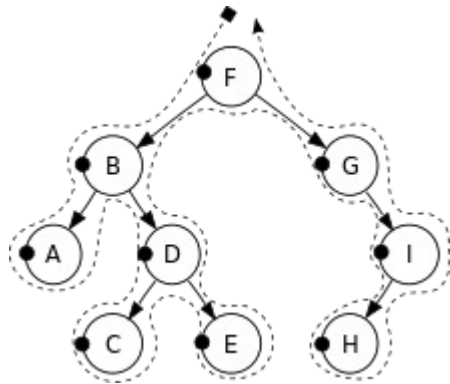
Check if the current node is empty / null.  
Traverse the left subtree by recursively calling the post-order function.  
Traverse the right subtree by recursively calling the post-order function.  
Display the data part of the root (or current node).



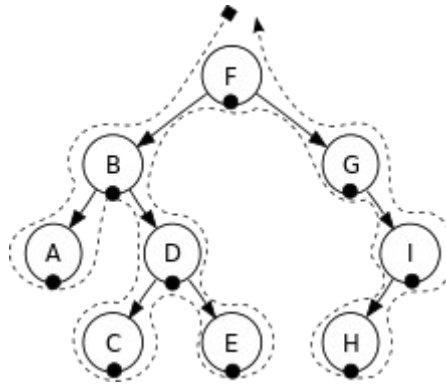
<https://en.wikipedia.org/wiki/Morphism>

# Recursive Algorithms

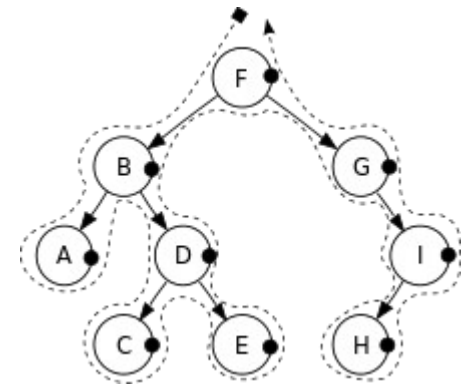
```
preorder(node)
  if (node = null)
    return
  visit(node)
  preorder(node.left)
  preorder(node.right)
```



```
inorder(node)
  if (node = null)
    return
  inorder(node.left)
  visit(node)
  inorder(node.right)
```



```
postorder(node)
  if (node = null)
    return
  postorder(node.left)
  postorder(node.right)
  visit(node)
```



[https://en.wikipedia.org/wiki/Tree\\_traversal](https://en.wikipedia.org/wiki/Tree_traversal)

# Iterative Algorithms

**iterativePreorder**(node)

```
if (node = null)
  return
s ← empty stack
s.push(node)
while (not s.isEmpty())
  node ← s.pop()
  visit(node)
  //right child is pushed first so that
  left is processed first
  if (node.right ≠ null)
    s.push(node.right)
  if (node.left ≠ null)
    s.push(node.left)
```

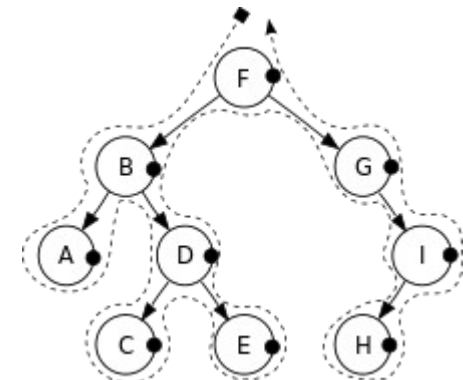
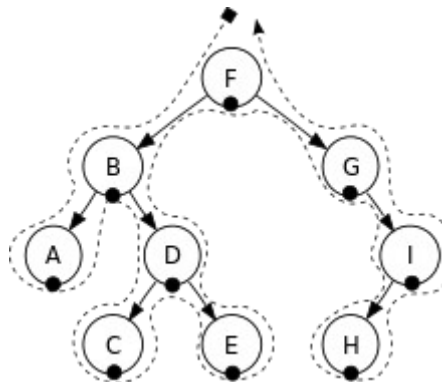
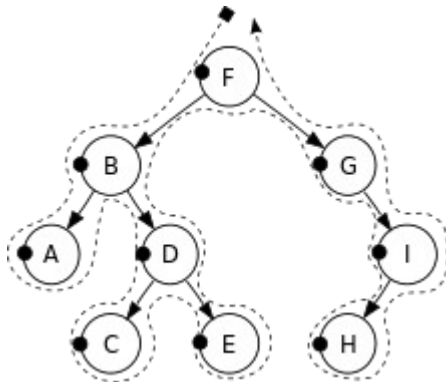
**iterativeInorder**(node)

```
s ← empty stack
while (not s.isEmpty() or
      node ≠ null)
  if (node ≠ null)
    s.push(node)
    node ← node.left
  else
    node ← s.pop()
    visit(node)
    node ← node.right
```

**iterativePostorder**(node)

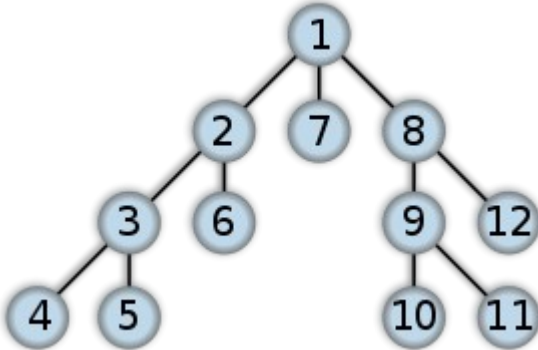
```
s ← empty stack
lastNodeVisited ← null
while (not s.isEmpty() or node ≠ null)
  if (node ≠ null)
    s.push(node)
    node ← node.left
  else
    peekNode ← s.peek()
    // if right child exists and traversing
    node
    // from left child, then move right
    if (peekNode.right ≠ null and
        lastNodeVisited ≠ peekNode.right)
      node ← peekNode.right
    else
      visit(peekNode)
      lastNodeVisited ← s.pop()
```

[https://en.wikipedia.org/wiki/Tree\\_traversal](https://en.wikipedia.org/wiki/Tree_traversal)

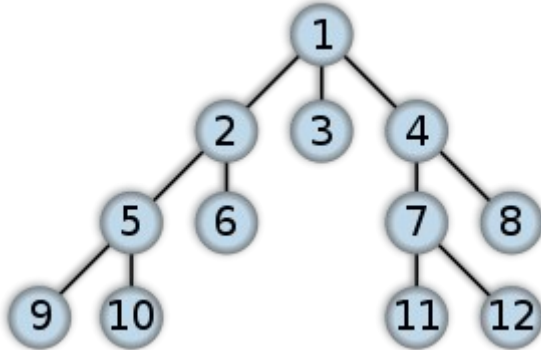


# Search Algorithms

DFS (Depth First Search)



BFS (Breadth First Search)



[https://en.wikipedia.org/wiki/Breadth-first\\_search](https://en.wikipedia.org/wiki/Breadth-first_search), [/Depth-first\\_search](https://en.wikipedia.org/wiki/Depth-first_search)



# DFS Algorithm

A recursive implementation of DFS:

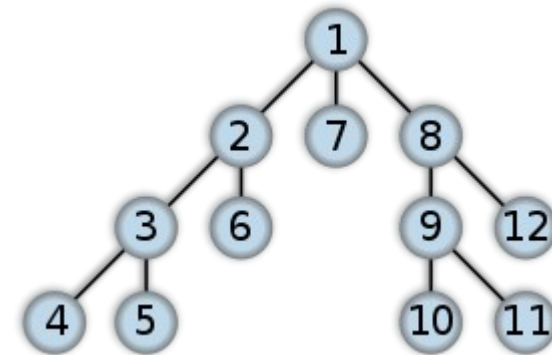
```
1 procedure DFS(G,v):
2   label v as discovered
3   for all edges from v to w in G.adjacentEdges(v) do
4     if vertex w is not labeled as discovered then
5       recursively call DFS(G,w)
```

A non-recursive implementation of DFS:

```
1 procedure DFS-iterative(G,v):
2   let S be a stack
3   S.push(v)
4   while S is not empty
5     v = S.pop()
6     if v is not labeled as discovered:
7       label v as discovered
8       for all edges from v to w in G.adjacentEdges(v) do
9         S.push(w)
```

[https://en.wikipedia.org/wiki/Breadth-first\\_search,\\_/Depth-first\\_search](https://en.wikipedia.org/wiki/Breadth-first_search,_/Depth-first_search)

DFS (Depth First Search)



# BFS Algorithm

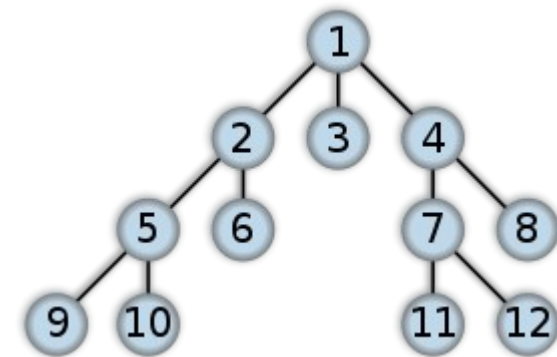
Breadth-First-Search(Graph, root):

```
create empty set S
create empty queue Q
```

```
add root to S
Q.enqueue(root)
```

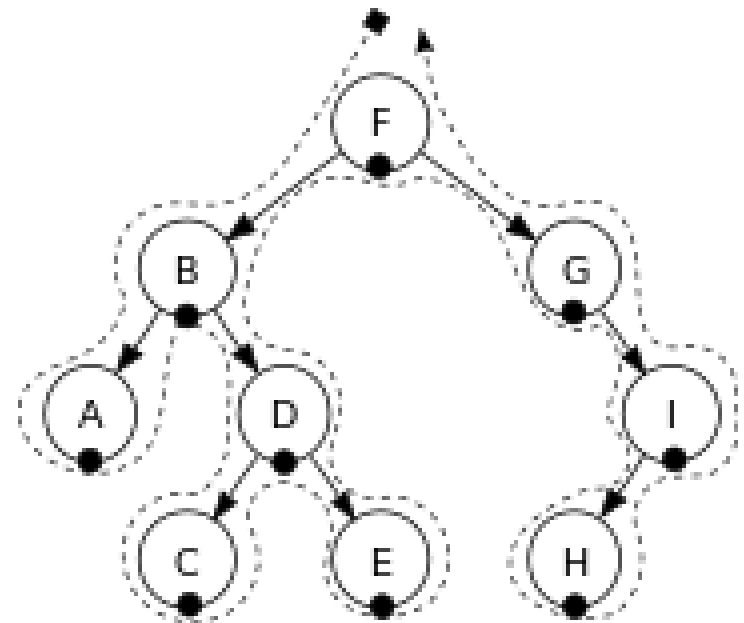
```
while Q is not empty:
  current = Q.dequeue()
  if current is the goal:
    return current
  for each node n that is adjacent to current:
    if n is not in S:
      add n to S
      n.parent = current
      Q.enqueue(n)
```

BFS (Breadth First Search)



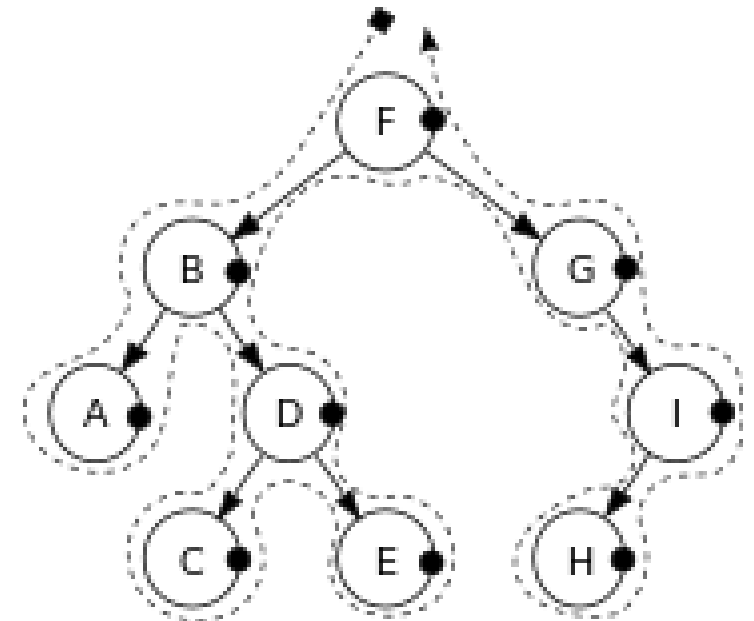
[https://en.wikipedia.org/wiki/Breadth-first\\_search](https://en.wikipedia.org/wiki/Breadth-first_search), /Depth-first\_search

# In-Order



<https://en.wikipedia.org/wiki/Morphism>

# Post-Order



<https://en.wikipedia.org/wiki/Morphism>

## References

- [1] <http://en.wikipedia.org/>
- [2]